# 7c. Benchmarking Execution Time

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## **INTRODUCTION**

This section introduces standard tools for benchmarking code performance. Our website reports results based on the BenchmarkTools package, which is currently the most mature and reliable option in the Julia ecosystem. That said, the newer Chairmarks package has demonstrated notable improvements in execution speed compared with BenchmarkTools. I recommend adopting Chairmarks once it's achieved sufficient stability and adoption within the community.

To set the stage, we'll start by addressing some key points for interpreting benchmark results. We'll also look at Julia's built-in <a href="mainto:m

## **TIME METRICS**

Julia uses the same time metrics described below, regardless of whether you use BenchmarkTools or Chairmarks. For quick reference, these metrics can be accessed at any point in the left bar under "Notation & Hotkeys".

Unit	Acronym I	Measure in Seconds
Seconds	S	1
Milliseconds	ms	$10^{-3}$
Microseconds	μs	$10^{-6}$
Nanoseconds	ns	$10^{-9}$

Alongside execution times, each package also reports the amount of **memory allocated on the heap**, typically referred to simply as **allocations**. These allocations can play a major role in overall performance, and usually indicate suboptimal coding practices. As we'll explore in later sections, monitoring allocations tends to be crucial for achieving high performance.

# "TIME TO FIRST PLOT"

The expression "Time to First Plot" refers to a side effect of how Julia operates, where the first execution in any new session takes longer than subsequent ones. This latency isn't a bug. Rather, it's a direct consequence of the language's design, which relies on a just-in-time (JIT) compiler: Julia compiles the code for executing functions in their first run, translating them into highly optimized machine code on the fly. This compilation process will be thoroughly covered in upcoming sections.

The first time you run any function, Julia generates low-level machine instructions to carry out the function's operations. This process of translating human-readable code into machine-executable instructions is called **compilation**. Unlike other programming languages, Julia relies on a just-in-time (JIT) compiler, where this code is compiled on-the-fly when a function is first run. This compilation process will be thoroughly covered in upcoming sections.

In each new session, this compilation penalty is incurred only once per function and set of argument types. Once a function is compiled, its machine code is cached, making all subsequent calls faster. The consequence is that the resulting overhead isn't a major hindrance for large projects, where startup costs are quickly amortized. However, it does mean that Julia may not be the best option for quick one-off analyses, such as running a simple regression or producing a quick exploratory plot.

The latency caused by this feature varies significantly across functions, making it difficult to generalize its impact. While it may be imperceptible for simple functions like  $\boxed{\text{sum}(x)}$ , it can be noticeable for rendering a high-quality plot. Indeed, drawing a first plot during a session can take several seconds, explaining the origin of the term "Time to First Plot".

#### Warning!

The Time-to-First-Plot issue has been significantly mitigated since Julia 1.9, thanks to improvements in precompilation. Each subsequent release is reducing this overhead even further.

#### @TIME

Julia comes with a built-in macro called <code>@time</code>, allowing you to get a quick sense of an operation's execution time. The results provided by this macro, nonetheless, suffer from several limitations that make it unsuitable for rigorous benchmarking.

First, a measurement based on just a single execution is often unreliable, as runtimes can fluctuate significantly due to background processes on your computer. Additionally, if that run is a function's first call, the measurement will include compilation overhead. The extra time Julia spends generating machine code inflates the reported runtime, making it unrepresentative of subsequent calls.

While running <code>@time</code> multiple times can address these issues, its most significant flaw arises when benchmarking functions. This is because <code>@time</code> mischaracterizes function arguments as global variables. We'll show in upcoming sections that global variables have a marked detrimental effect on performance. Consequently, the time reported doesn't accurately reflect how the function would perform in practice.

The following example illustrates the use of <a>@time</a>, highlighting the difference in execution time between the first and subsequent runs.

#### **PACKAGE "BENCHMARKTOOLS"**

A more reliable alternative for measuring execution time is provided by BenchmarkTools, which addresses the shortcomings of @time in several ways.

First, it reduces result variability by running operations multiple times and then computing summary statistics. It also measures the execution time of functions correctly. To account for compilation latency, the package discards the first run, ensuring that overhead isn't included in the reported timing. Additionally, it's possible to handle function arguments correctly: by prefixing an argument with the \$\\$\) symbol, you can indicate that the variable shouldn't be treated as a global variable.

The package offers two macros, depending on the level of detail required: <code>@btime</code>, which only reports the minimum time, and <code>@benchmark</code>, which provides detailed statistics. Below, we demonstrate their use.

```
using BenchmarkTools

x = 1:100
@btime sum($x) # provides minimum time only

2.314 ns (0 allocations: 0 bytes)
```

```
using BenchmarkTools

x = 1:100
@benchmark sum($x) # provides more statistics than `@btime`
```

In later sections, we'll exclusively benchmark functions. Therefore, you should always prefix each function argument with \$\\$. **Omitting** \$\\$ will lead to inaccurate results, including incorrect reports of memory allocations.

The following example demonstrates the consequence of excluding \$\\$, where the runtimes reported are higher than the actual runtime.

```
using BenchmarkTools
x = rand(100)

@btime sum(x)

14.465 ns (1 allocation: 16 bytes)
```

```
using BenchmarkTools
x = rand(100)
@btime sum($x)
6.546 ns (0 allocations: 0 bytes)
```

#### PACKAGE "CHAIRMARKS"

A new alternative for benchmarking code is the Chairmarks package. Its notation closely resembles that of BenchmarkTools, with the macros @b and @be providing a similar functionality to @btime and @benchmark respectively. The main benefit of Chairmarks is its speed, as it can be orders of magnitude faster than BenchmarkTools.

As with BenchmarkTools, measuring the execution time of functions requires prepending function arguments with \$\\$\.

```
using Chairmarks
x = rand(100)

display(@b sum($x)) # provides minimum time only
6.550 ns
```

```
using Chairmarks
x = rand(100)

display(@be sum($x))  # analogous to `@benchmark` in BenchmarkTools

Benchmark: 3856 samples with 3661 evaluations
min  6.679 ns
median 6.815 ns
mean  6.785 ns
max  14.539 ns
```

## REMARK ON RANDOM NUMBERS FOR BENCHMARKING

When we seek to compare the performance of different methods for a given operation, we must ensure that our measurements aren't skewed by variations in the input data. One way to do this is by making sure that each approach is tested using *the exact same set of numbers*. This guarantees that any differences in execution time can be attributed solely to the efficiency of the method itself, rather than to a change in the inputs.

To achieve this, we can take advantage of random number generators that use a fixed "seed." A **random seed** is simply an initial value that determines the entire sequence of numbers that will be generated. By setting the same seed before each test, we can guarantee that the same deterministic sequence of random numbers is produced when code is run.

Importantly, **any arbitrary number can be used for the seed**. The only requirement is that the same number is utilized, so that you can replicate the exact same set of random numbers.

Random number generation is provided by the package Random. Below, we demonstrate its use by setting the seed 1234 before executing each operation, although any other number could have been used.

```
using Random
Random.seed!(1234)  # 1234 is an arbitrary number, use any number you want
x = rand(100)
Random.seed!(1234)
y = rand(100)  # identical to `x`
```

```
using Random
Random.seed!(1234)  # 1234 is an arbitrary number, use any number you want
x = rand(100)

y = rand(100)  # different from `x`
```

To maintain a clear presentation throughout this website, code snippets will omit the lines that set the random seed. While adding these code lines is essential for ensuring reproducibility, their inclusion in every example would create unnecessary clutter. Below, we illustrate the code that will be displayed throughout the website, along with the actual code executed.

```
using Random
Random.seed!(123)

x = rand(100)

y = sum(x)
```

```
# We omit the lines that seet the seed

x = rand(100)

y = sum(x)
```

#### **BENCHMARKS IN PERSPECTIVE**

When evaluating approaches for performing a task, execution times are often negligible, typically on the order of nanoseconds. However, this should not lead us to believe that the choice of method has no practical implications.

While operations in isolation may have an insignificant impact on a program's overall runtime, **the relevance of our benchmarks lies in scenarios where these operations are performed repeatedly**. This includes cases where the operation is called in a for-loop or in iterative procedures (e.g., solving systems of equations or the maximization of a function). In these situations, small differences in timing are amplified as they are replicated hundreds, thousands, or even millions of times.

#### **AN EXAMPLE**

To illustrate this matter, let's consider a concrete example. Suppose we want to double each element of a vector  $\boxed{\mathbf{x}}$ , and then calculate their sum. In the following, we'll compare two different approaches to accomplish this task.

The first method will be based on  $\boxed{\text{sum}(2 \cdot x)}$  with  $\boxed{x}$  entering into the computation as a global variable. As we'll discuss in later sections, this approach is relatively inefficient. A more performance alternative is given by  $\boxed{\text{sum}(a -> 2 * a, x)}$  and passing  $\boxed{x}$  passed as a function argument. For the purpose of this comparison, you only need to know that both method produces the same result, with the first one being less performance. The runtime of each approach is as follows.

```
x = rand(100_000)
foo() = sum(2 .* x)
35.519 \mu s (5 allocations: 781.37 KiB)
```

```
x = rand(100_000)
foo(x) = sum(a -> 2 * a, x)
6.393 \mu s (0 allocations: 0 bytes)
```

The results reveal that the second approach achieves a significant speedup, taking less than 15% of the slower approach. However, even the "slow" approach is extremely fast, taking less than 0.0001 seconds to execute.

This pattern will be a common theme in our benchmarks, where absolute execution times are often negligible. In such cases, the relevance of our conclusions depends on the context in which the operation is considered. If the operation is only performed once in isolation, readability should be the primary consideration for choosing a method. On the other hand, if the operation is repeated multiple times, small differences in performance might accumulate and become significant, making the faster approach a more suitable choice.

To illustrate this point, let's take the functions from the previous example and call them within a for-loop that runs 100,000 times. Since our sole goal is to repeat the operation, we don't need a meaningful iteration variable. This is a well-established programming convention for so-called **throwaway variables**: placeholders that exist only to satisfy the loop's syntax, without their value being used. It signals to other programmers that the variable can be safely ignored. In our example, will simply reflect that each iteration is performing exactly the same operation.

```
x = rand(100_000)
foo() = sum(2 .* x)

function replicate()
  for _ in 1:100_000
     foo()
  end
end

5.697 s (500000 allocations: 74.52 GiB)
```

```
x = rand(100_000)
foo(x) = sum(a -> 2 * a, x)

function replicate(x)
  for _ in 1:100_000
      foo(x)
  end
end

677.130 ms (0 allocations: 0 bytes)
```

The example starkly reveals the consequences of calling the function within a for-loop. The execution time of the slow version now jumps to more than 20 seconds, while the fast version finishes in under one second. The outcome highlights the importance of optimizing functions that will eventually be executed repeatedly, as even minor improvements can yield a significant impact on overall performance.