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Set Cover NP complete
         X= { x, ... - xn}
         S= { { *, * 2, * 3 } { *, * 8, * 10, * 10 } { *12, * 12, * 12, * 12. - } }
        Sel = X
         TES S.J. Ut = X, 171 minimum
   NP complete
           o greedy approximation algorithm
                          (Heuristie = approximation alg. where we cannot prove guarantees )
       greedy step:
    1 2 3 4 5 6 optimal set cover: S, S2, S3
    2 8 9 10 11 12 greedy set cover: Su, Sr, S, S, S,
    13 14 15 16 12 18
   1×1=n
   claim: let k be the site of the smallest set cover, they
             the greedy alg. And a cover of size
                              < k lun
Pract. let Y: SIXI be uncovered elts after i sets chosen
              Y==1X1=n
              at least 1 set must cover 2 1 M Ms & pigeonhole pring.
              Y_{1} \leq n - \frac{n}{k} = n \left(1 - \frac{1}{k}\right) = Y_{0} \left(1 - \frac{1}{k}\right)
              y_2 \leq y_1(1-\frac{1}{k}) \leq y_0(1-\frac{1}{k})
              j = \lceil h \ln n \rceil
\forall j \leq n \left(1 - \frac{1}{4}\right)
k \ln n
                 \leq n(e^{-1/h})^{k \ln n} (1-\frac{1}{k}) \leq e^{-1/h} \nabla_{\alpha y} \log \exp e^{-1/h}
                                      (1-1) Le-1/4
         To as integer, must be o, all covered
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