



## On the Importance of Data Prep

"Garbage in, garbage out"

Sometimes takes 60-80% of the whole data mining effort

## Working definition

#### Data Preparation:

- Cleaning
- Filtering
- Transforming
- Organizing the data matrix (aka 'data wrangling' or 'data munging')

In a nutshell, preparing data for modeling

## **Cleaning Noise**

Entity Resolution and Record Linkage

e.g. Are these equal?

West Main Street

W Main St

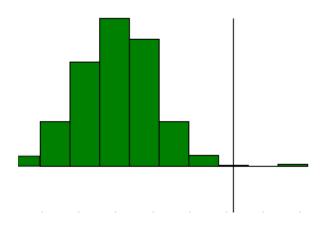
Strategy:

use dictionaries and search possible matches



## **Statistical Noise:**

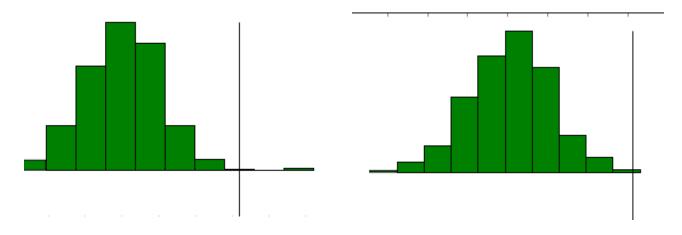
Outlierse.g. remove them,



mean + 3\*std-devm

## **Statistical Noise:**

Outliers
 e.g. remove them, but cutoff is arbitrary



mean + 3\*std-devm

## **Missing Data**

- Important to review statistics of a missing variable
  - Are entries missing completely at random?
  - Are entries missing depending on some other variable?
  - What are the counts and combinations of missing entries among variables?
  - Is there a relation between missing cases and outcome variable?



## **Missing Data**

Not applicable

e.g. spouse name depends on marital status

Not Available

unknown

not entered



## **Missing Data**

Do missing cases depend on some other variable?

e.g. 'CEOs' don't like to list their salary

Strategy: *get most common job titles for missing salaries* 



## **Quick Approaches**

 Delete instances and/or

Delete attributes with high missingness

## **Quick Approaches**

- Leave as 'NULL' category
  - Some algorithms implementation handle NULL (ie Decision Trees)



# **Simple Imputation**

Use the attribute mean (by class)



# **Complicated Imputation**

 Use a model (based on other attributes) to infer missing value



# **Complicated Imputation**

 Use a model (based on other attributes) to infer missing value

Best strategy depends on time vs accuracy tradeoffs



- Several packages, such as 'mice', 'amelia'
- Produces multiple data sets
- Iterates over missing data estimates and linear model estimates
  - Mice uses Gibbs sampling (slower)
  - Amelia uses Expectation Maximization (faster)
- Beware of correlation in variables
  - Matrices not invertible



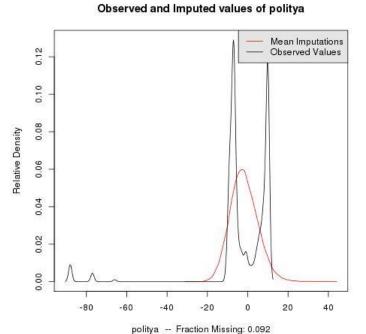
Sample R code using Amelia:

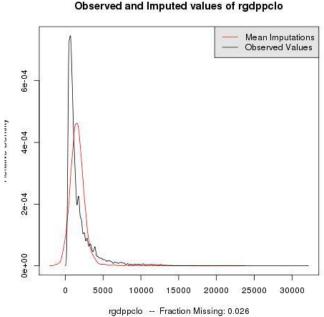
Data: UN conflict data in pairs of countries 300K rows ~ 1 hour on Gordon compute node (not run on the user's PC)

1K-100K entries missing per col for about 20 of 50 cols

Note: mice package is probably more well known, and has similar options, but MCMC is slower than time variable crosssection

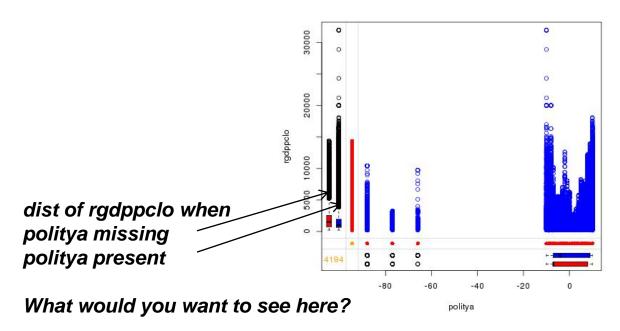
#QA on missing data by comparing density of imputated & original data compare.density(a.out, var="politya") compare.density(a.out,var='rgdpcontg')





```
# Useful library for printing margin plots, to compare histograms

# conditional on missing/non-missing data
library('VIM')
marginplot(gart2use[,c('politya', 'rgdppclo')],
col=c('blue','red','orange')
```





### Variable Transformations

- Engineer new features
- Combine attributes e.g. rates and ratios
- Normalize or Scale data
- Discretize data
   (perhaps more intuitive to deal with binned data)

# Feature Engineering is Variable Enhancement

- Use Domain and world knowledge
- Examples:
  - given date and location of doctor visits
  - deduce a new variable for Number-of-1<sup>st</sup>-time-visits
  - deduce a new variable for Number-of-visits-over-25-miles
  - deduce a new variable for Amount-of-time-between-visits



## Re-scaling

Mean center

$$x_{new} = x - \text{mean}(x)$$

z-score

$$score = \frac{x - \text{mean}(x)}{\text{std}(x)}$$

• Scale to [0...1]  $x_{new} = \frac{x - \min(x)}{\max(x) - \min(x)}$ 

log scaling

$$x_{new} = \log(x)$$

### Variable selection

Heuristic methods:

remove variables with low correlations to outcome

(other criteria: information gain, sensitivity, etc...)

 step wise: add 1 variable at a time and test algorithm on samples



## Variable selection

Some algorithms are robust to extra noise variables

- E.g. Least Angle Regression (L<sub>1</sub> penalty),
  - penalize small effect sizes (zero them out)
  - E.g. Random Forest outputs 'importance'
    - low importance implies non-influence in the model (other criteria: information gain, sensitivity, etc...)

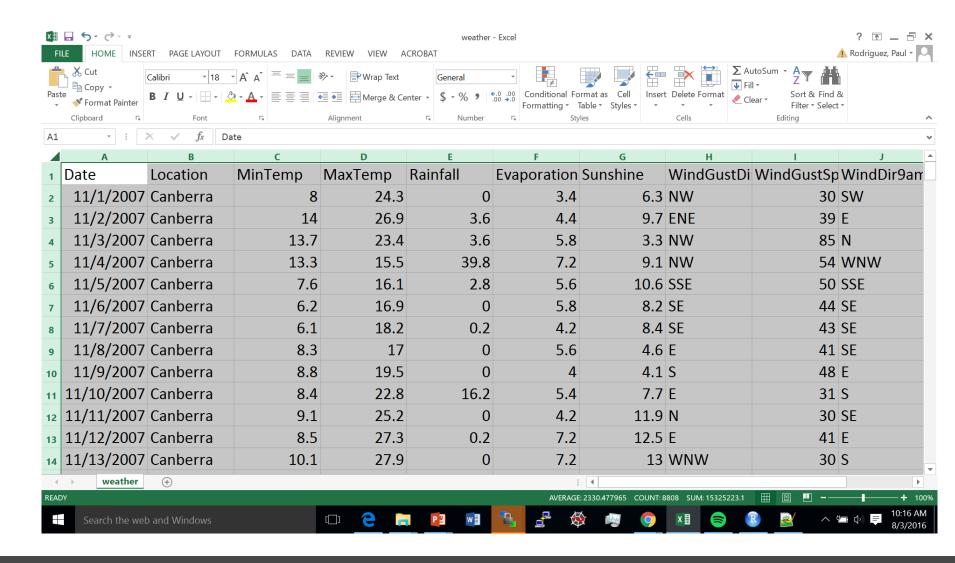


## **Summary**

 Preparing data is based on statistical principles,

But also heuristics

## Data Prep Exercise: Weather Data





## **Data Prep exercise**

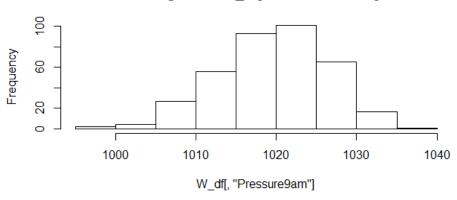
**#Try:** run the summary command, what do you notice above value ranges?



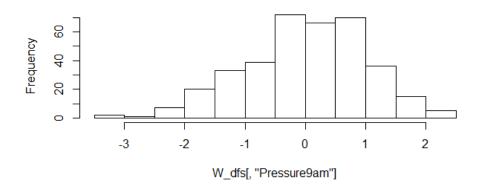
```
#Let do some normalization
#Make a function
myscale = function(x)
     if (class(x)=='integer' || class(x)=='numeric') {
           (x-mean(x,na.rm=T)) / sd(x,na.rm=T) 
    else { x}
#get a new dataframe and replace with normalized
    values
W dfs = W df
for (i in num_classes)
          { W_dfs[,i]=myscale(W_dfs[,i])}
```

#### hist(W\_df[,'Pressure9am'])

#### Histogram of W\_df[, "Pressure9am"]



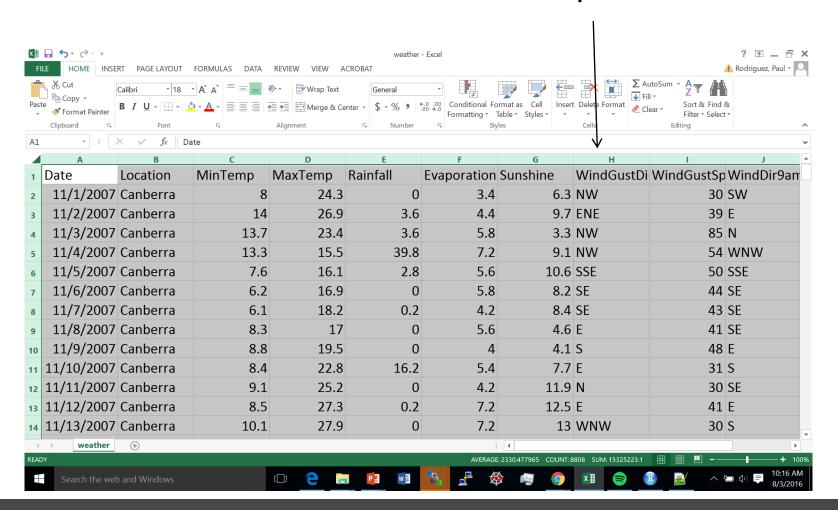
#### Histogram of W\_dfs[, "Pressure9am"]





## **Transforming Weather Data Matrix**

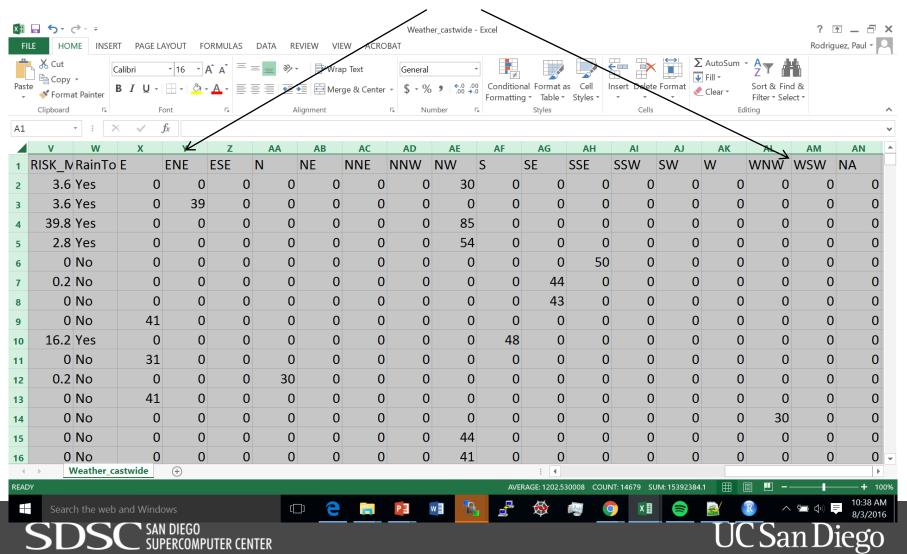
#### Let's consider WindGustDir as if it's a repeated measurement





## **Transforming Weather Data Matrix**

#### Now: WindGustDir values each have their own column



# install.packages('reshape2') library(reshape2)

```
# long-to-wide: 'cast' repeated measure into wide table

WindGustDir distinguished the repeated measures

formula=Date+Location+ ...~ WindGustDir,

fill=0,

value.var="WindGustSpeed")

WindGustSpeed has the actual values
```



## Extra to try:

## pause

#### **Reading Material**

- Data Preparation for Data Mining by Dorian Pyle
  - http://www.ebook3000.com/Data-Preparation-for-Data-Mining\_88909.html
- Data mining Practical Machine learning tools and techniques by Witten & Frank
  - http://books.google.com



## **Many Variables**

- More variables => more information, but also more noise and more ways of interactions
- 2 ways to handle many variables
  - Variable Selection
  - Dimension reduction methods

# Variable selection vs Dimensionality Reduction

- Prior to algorithm, depends on data
  - For large P, with noise particular to variables, try variable selection
  - For large P, diffuse noise, try dimension reduction by Matrix Factorization



## **Matrix Factorization:**

Given a numeric matrix, can we reduce the number of columns?

conversely

Can we find interesting subspaces?



Matrix Factorization:

# Given a numeric matrix, can we reduce the number of columns?

Yes, if features are constant or redundant

#### Matrix Factorization:

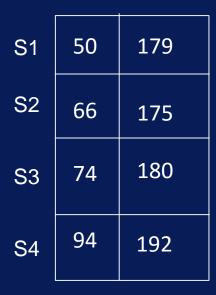
# Given a numeric matrix, can we reduce the number of columns?

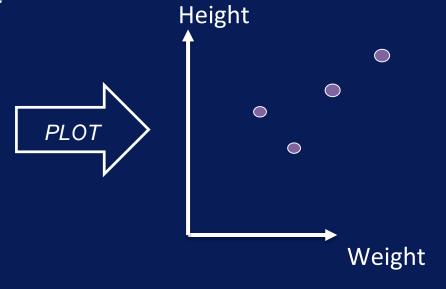
- Yes, if features are constant or redundant
- Yes, if features only contribute noise (conversely, want features that contribute to variations of the data)



## **Example: 2D data**

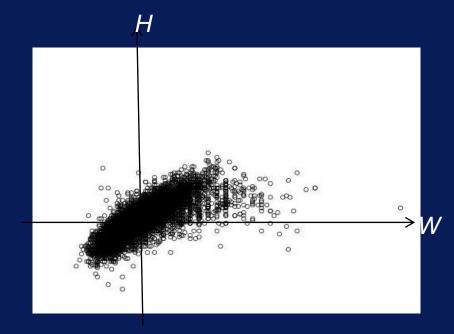
### Weight Height





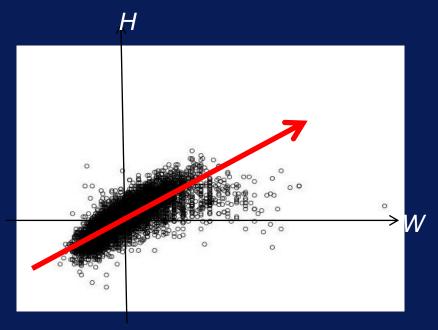
this is the input space

#### **Example: Athletes' Height by Weight**

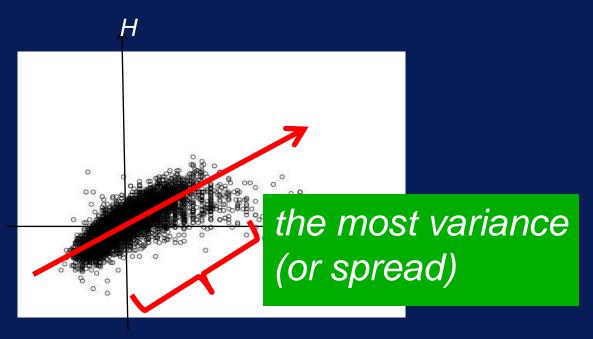


Weight- Kg (mean centered)

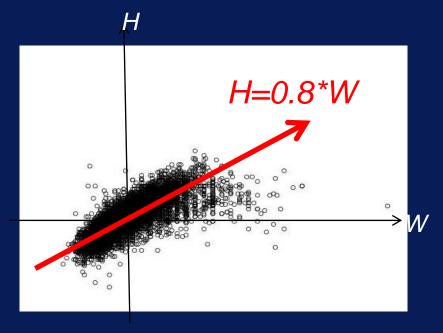
#### **Example: Athletes' Height by Weight**



Weight- Kg (mean centered)

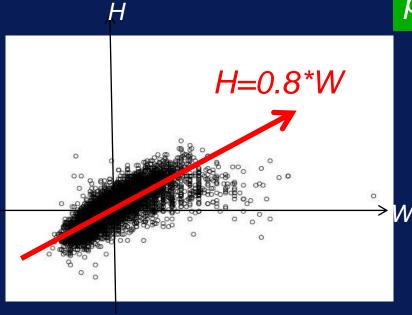


Weight- Kg (mean centered)

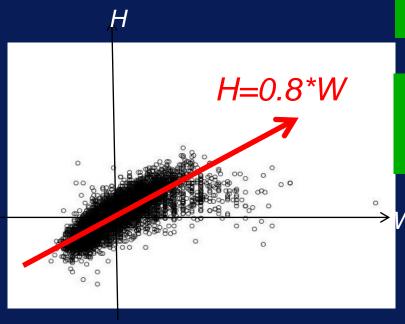


Weight- Kg (mean centered)

Note that W=1,H=0.8 is a point on the line, for example.



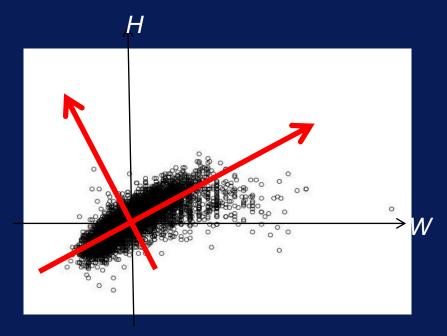
Weight- Kg (mean centered)



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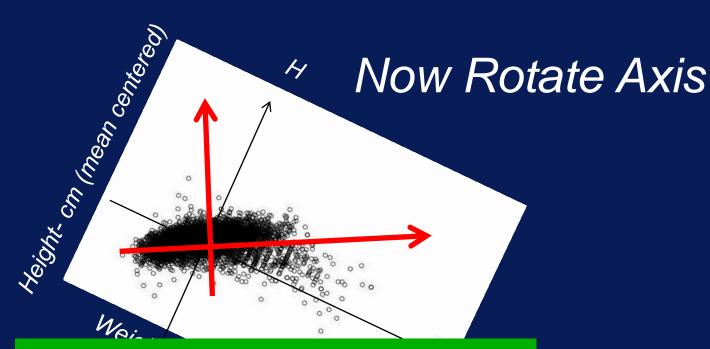
Note that W=1,H=0.8 is a point on the line, for example.

Let [1 0.8] represent the line, as a combination of W & H.

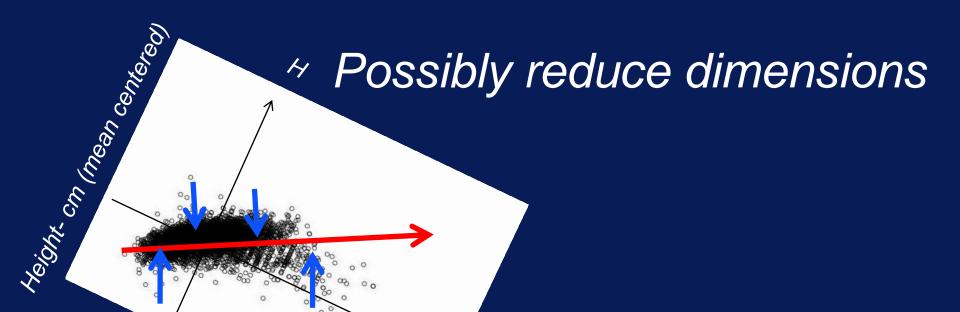


Weight- Kg (mean centered)

The next direction of most variance.



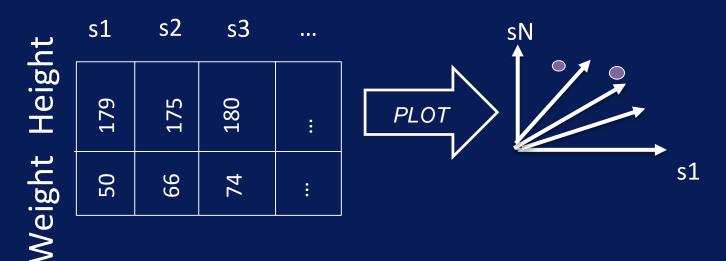
New axis (AKA features) defined as combinations of old features



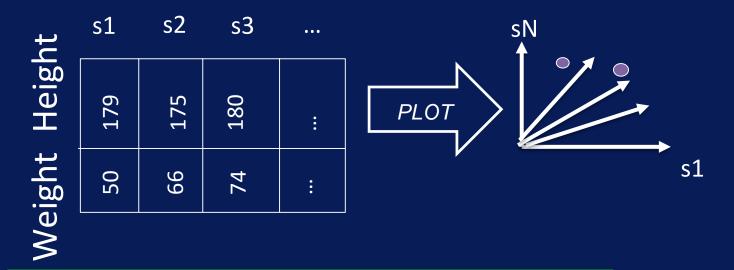
Project all points to one axis

(defined by the [1 0.8] 2D vector)

# 2D data transposed to 2 points in high dimensional space

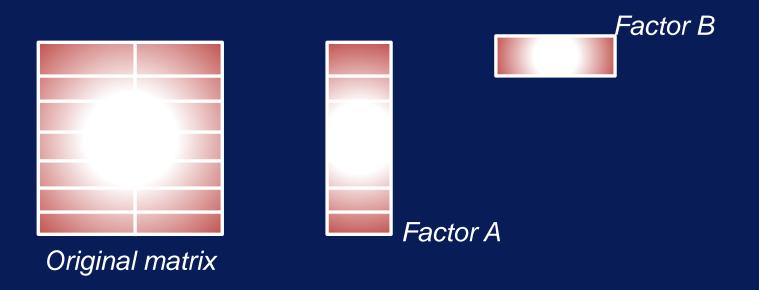


# 2D data transposed to 2 points in high dimensional space

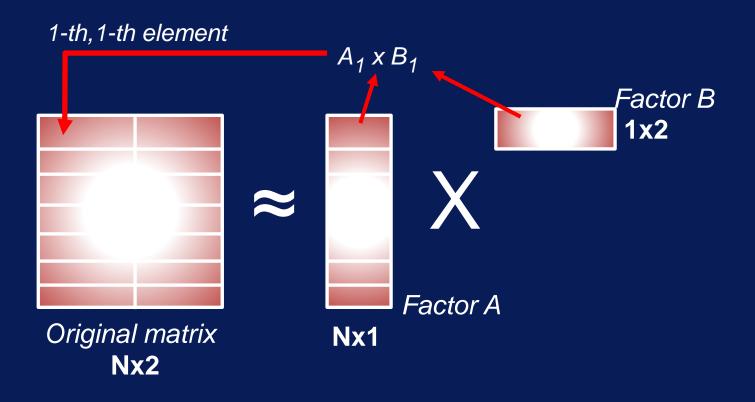


Same process as before, but now factors are N-dimensional vectors

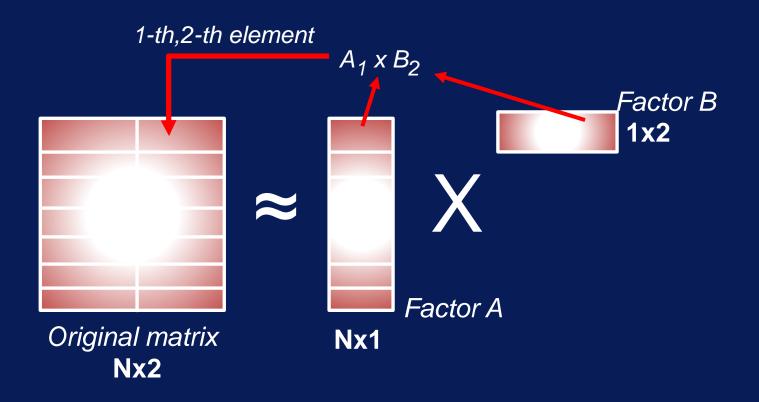
## Any Matrix can be approximated by outer product of factors



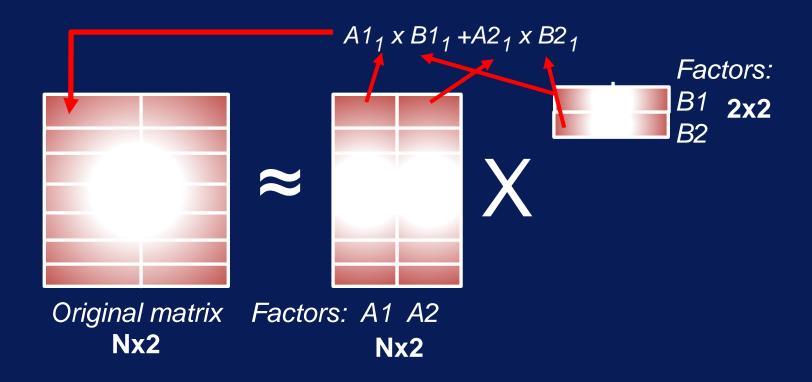
### Any Matrix can be approximated by outer product of factors



## Any Matrix can be approximated by outer product of factors



### More factors gives better approximation



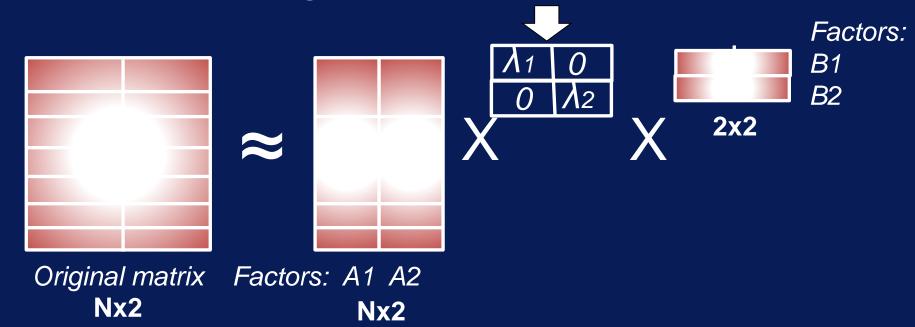
 Best Known Factorization Algorithms: SVD (singular value decomposition) PCA (principle component analysis)



Best Known Factorization Algorithms:
 SVD (singular value decomposition)
 PCA (principle component analysis)

Find orthogonal factors and scale them down (i.e. normalize)

#### SVD: factors and 'singular' scale values



More generally:

Factorization Algorithms may vary depending on criterion for how factors 'align' with data.



More generally:

Factorization Algorithms may vary depending on criterion for how factors 'align' with data.

 Number of factors to use depends on tradeoff of good approximation vs good dimensional reduction

Can use cross validation or heuristics to choose.

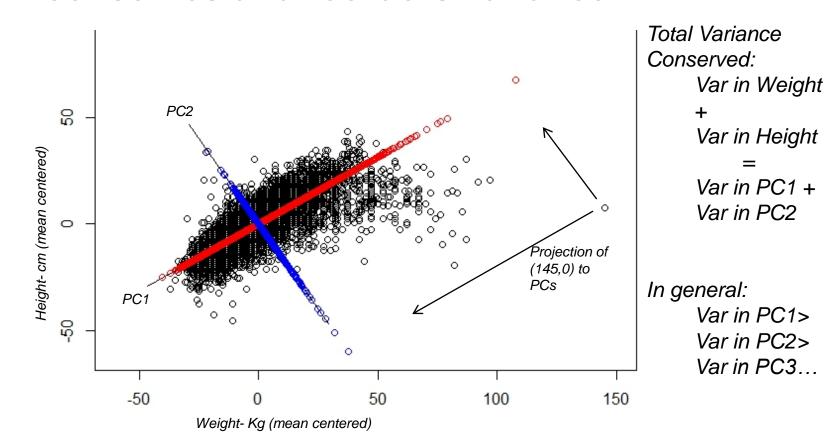
## Dimensionality Reduction via Principle Components

#### • PCA:

- Find set of k vectors (aka factors) that describe data in alternative way
- First component is the vector that maximizes the variance of data projected onto that vector
- K-th component is orthogonal to all k-1 previous components



#### PCA conserves and reorders variance





### **Principle Components**

- Can choose k heuristically as approximation improves, or choose k so that 95% of data variance accounted
- aka Singular Value Decomposition
  - PCA on square matrices only
  - SVD gives same vectors on square matrices
- Works for numeric data only
- For higher dimensional data, use factors to visualize 2 factors at a time



#### Later, we'll compare SVD components with Clustering

```
#W_num is only numeric or integer fields of Weather data > Wsvd=svd(W_num)

> str(Wsvd)
List of 3
$ d: num [1:9] 27442.7 231.2 96.4 68.2 44.5 ...
$ u: num [1:363, 1:9] -0.0524 -0.0521 -0.052 -0.0519 -0.0525 ...
$ v: num [1:9, 1:9] -0.005042 -0.014276 -0.000969 -0.00314 -0.005491 ...
```



end

