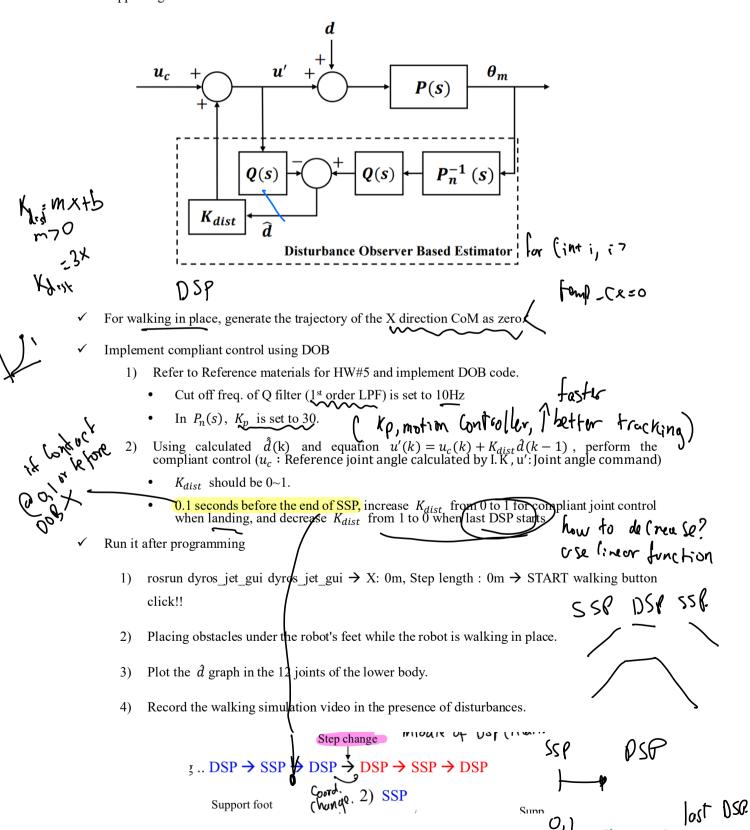
## Theory and Practice of Humanoid Walking Control

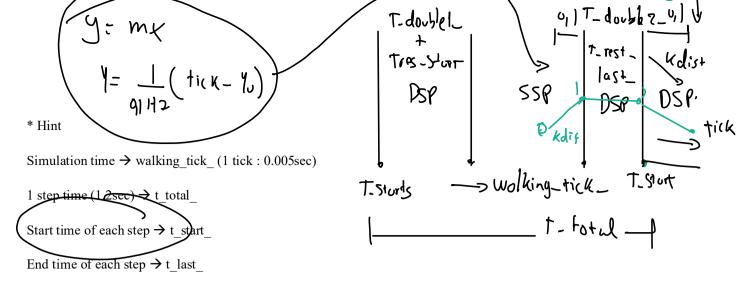
2022 Fall semester

Homework # 5

## Problem 5 Compliant control using disturbance observer

\* The first supporting foot is the left foot.





First DSP and last DSP time in one step  $\rightarrow$  t double1 (0.15 sec), t double2 (0.15 sec)

The total number of steps to reach the target point. (It is automatically calculated when you click the start walking button.) → total step num

Current number of steps → current step num

Initial X, Y, Z CoM position w.r.t the support foot  $\rightarrow$  com support init (0), com support init (1), com support init (2)

Real pelvis position w.r.t the supporting foot frame  $\rightarrow$  pelv support current .translation()(n), n = 0, 1, 2 (X, Y, Z respectively.)

Initial pelvis height w.r.t the supporting foot frame  $\rightarrow$  pelv support start .translation()(2)

Real CoM position w.r.t the supporting foot frame  $\rightarrow$  com support current (n), n = 0, 1, 2 (X, Y, Z respectively.)

Foot step position w.r.t the current support foot frame

 $\rightarrow$  foot step support frame (n,0), foot step support frame (n,1)

 $\rightarrow$  The first element n of the variable means sequence, and the second elements 0 and 1 mean the positions of X

Measured joint angle → current\_motor\_q\_leg\_ (Vector12d)

$$\begin{array}{l} \Rightarrow \text{ current\_motor\_q\_leg\_(Vector12d)} \\ \\ H(z) & \geq h[n] \ \bar{z}^n \ \land \ X(z) & \leq x[n] \bar{z}^n \\ \text{fof dis(nthe timen } \Rightarrow f(z) \ (s \Rightarrow z) \ & \text{sihovs oidel impulse} \\ \text{for } x[n] & \leq x[n] \ \chi \ (z) & \leq x[n] \ \bar{z}^n \ = \ \chi(z) \ \bar{z}^n = 1 \\ \\ \text{M[n]} & \chi(z) & \leq x[n] \ \bar{z}^n$$

ex 
$$X(n) = \left(\frac{1}{\theta}\right)^n M[n]$$

$$X(z) = \sum_{n=0}^{\infty} \left(\frac{1}{\theta}\right)^n z^{-n} = \frac{1}{1 - \frac{1}{\theta}z^2}$$
Series should converge.

San, (al <1)

work for all n, nut-all 2. Convergence region =0work for all n, nut-all 2. Convergence region

If  $Y(z) = X_{(z)} + X_{2(z)}$ ,  $z \in both$  convergence regions  $Y(z) = X_{(z)} + X_{2(z)}$   $Y(z) = \sum_{n=-\infty}^{\infty} Y(n)z^{-n}$   $Y(z) = \sum_{n=-\infty}^{\infty} Y(n)z^{-n}$   $Y(z) = \sum_{n=-\infty}^{\infty} Y(n)z^{-n}$   $Y(z) = \sum_{n=-\infty}^{\infty} Y(z)$