B. Friends and Presents

time limit per test: 1 second
memory limit per test: 256 megabytes
input: standard input
output: standard output

You have two friends. You want to present each of them several positive integers. You want to present cnt_1 numbers to the first friend and cnt_2 numbers to the second friend. Moreover, you want all presented numbers to be distinct, that also means that no number should be presented to both friends.

In addition, the first friend does not like the numbers that are divisible without remainder by prime number x. The second one does not like the numbers that are divisible without remainder by prime number y. Of course, you're not going to present your friends numbers they don't like.

Your task is to find such minimum number v, that you can form presents using numbers from a set $1, 2, ..., v$. Of course you may choose not to present some numbers at all.

A positive integer number greater than 1 is called *prime* if it has no positive divisors other than 1 and itself.

Input

The only line contains four positive integers cnt_1, cnt_2, x, y ($1 \le cnt_1, cnt_2 < 10^9$; $cnt_1 + cnt_2 \le 10^9$; $2 \le x < y \le 3 \cdot 10^4$) — the numbers that are described in the statement. It is guaranteed that numbers x, y are prime.

Output

Print a single integer — the answer to the problem.

Examples

input
3 1 2 3
output
5

input
1 3 2 3
output
4

Note

In the first sample you give the set of numbers $\{1, 3, 5\}$ to the first friend and the set of numbers $\{2\}$ to the second friend. Note that if you give set $\{1, 3, 5\}$ to the first friend, then we cannot give any of the numbers $1, 3, 5$ to the second friend.

In the second sample you give the set of numbers $\{3\}$ to the first friend, and the set of numbers $\{1, 2, 4\}$ to the second friend. Thus, the answer to the problem is 4.