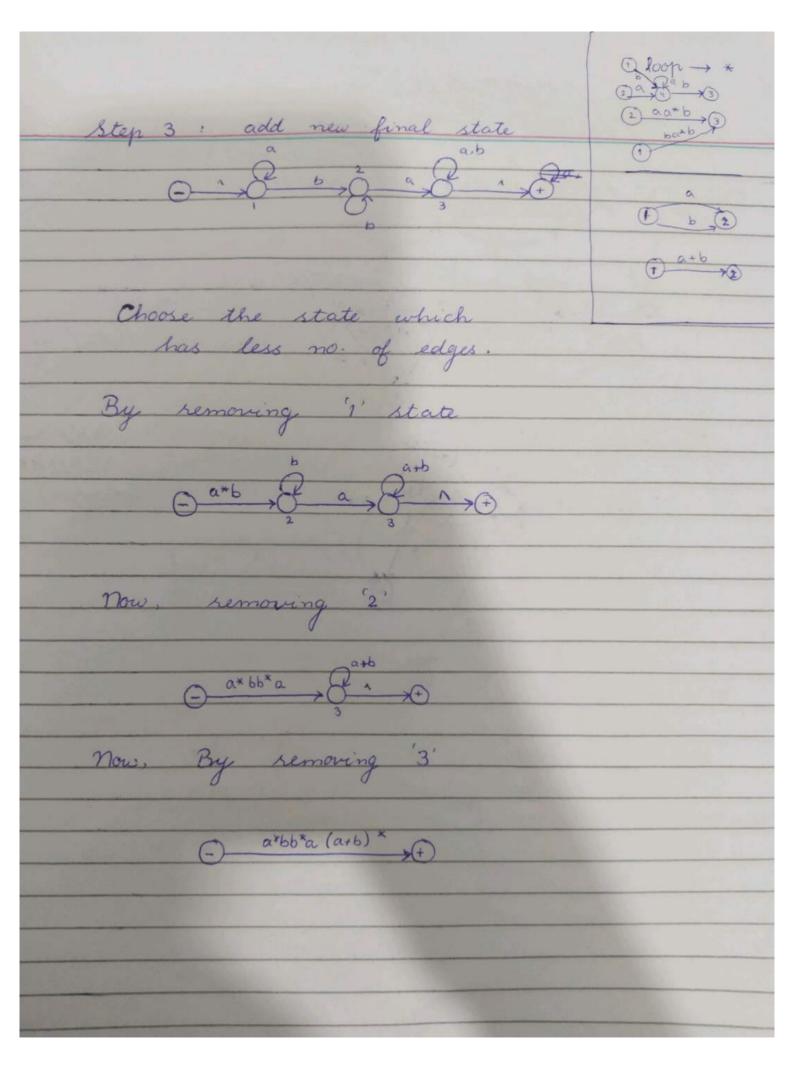
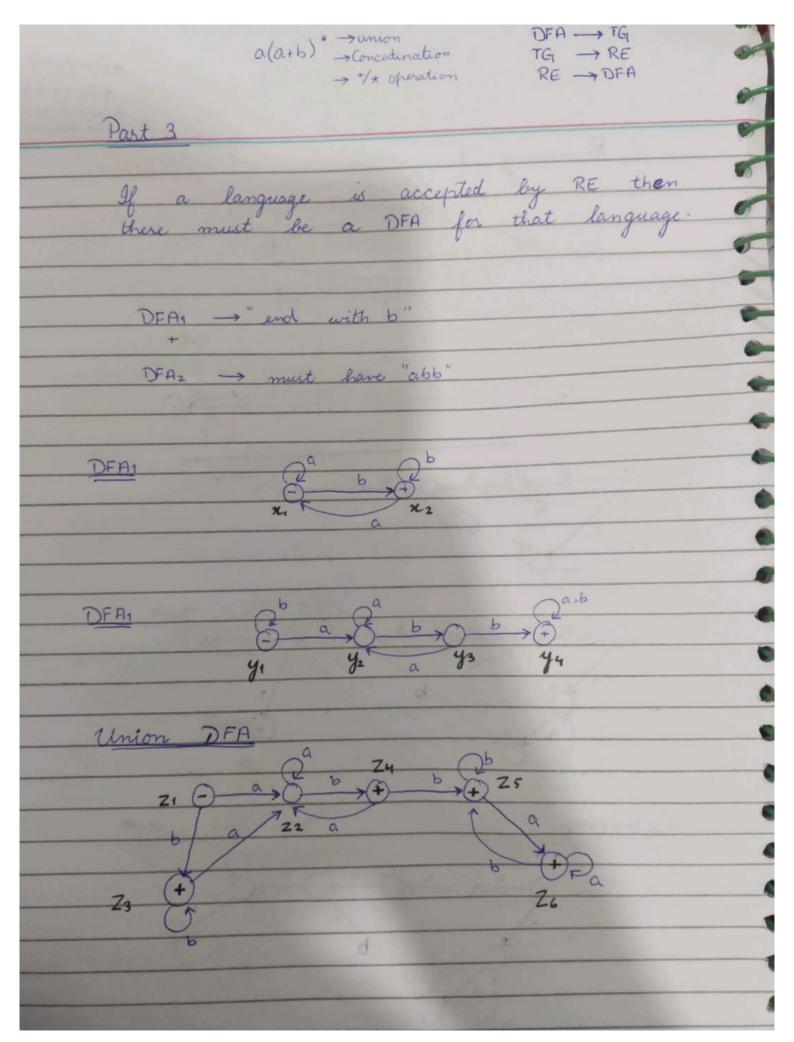


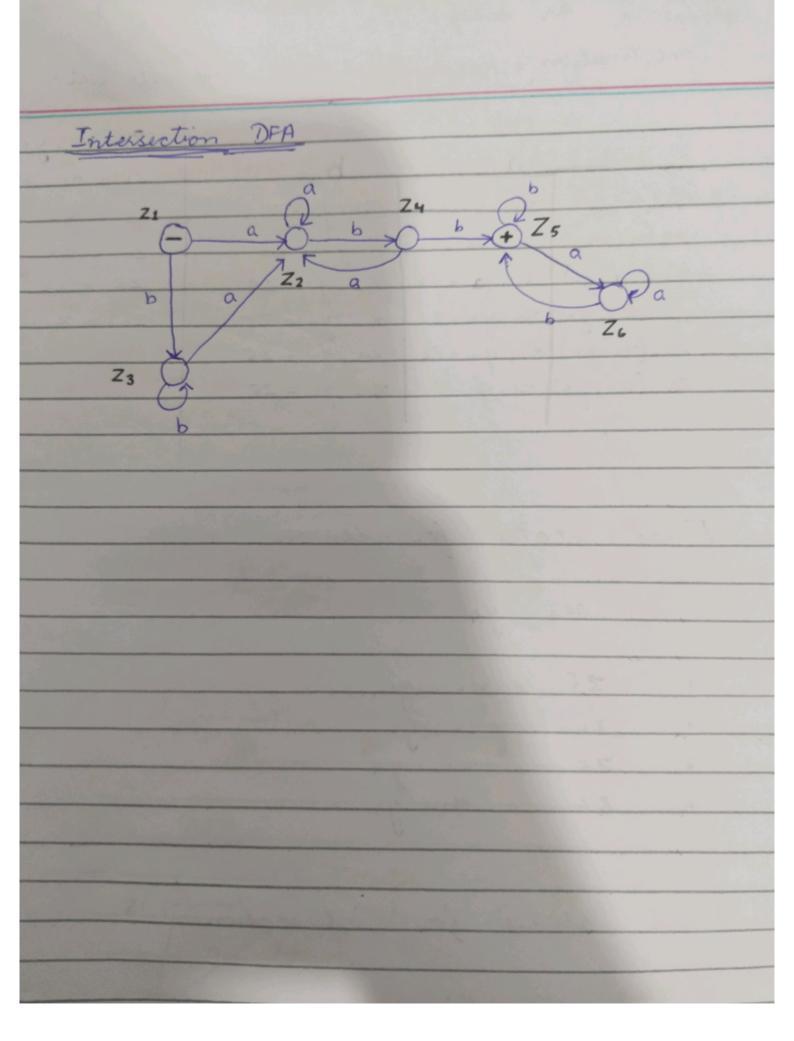
Kleen's Theorem If a language can be accepted by TG. Prove Every DFA itself called TG. If a language can be accepted by
The then it can be accepted by/
expressed by RE as well. Part 2 DFA -> must have substring ba b & a Part Step 1 Step 2: add new initial state

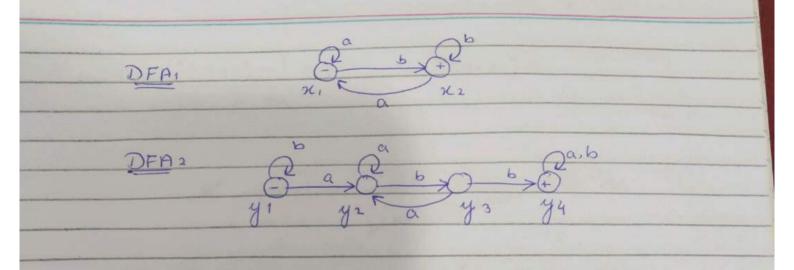
On by a Da, b



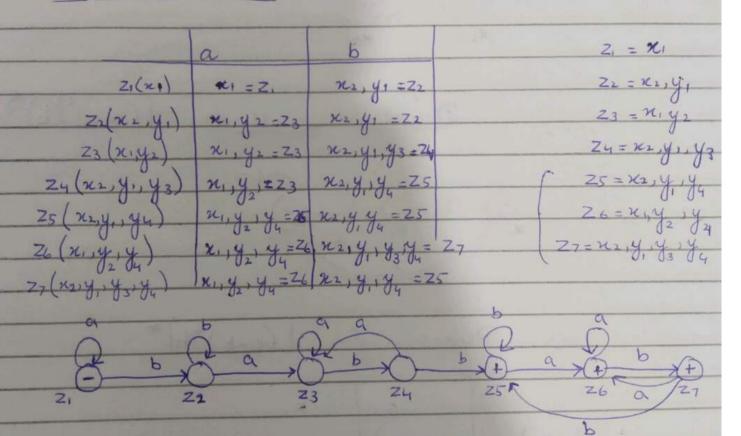


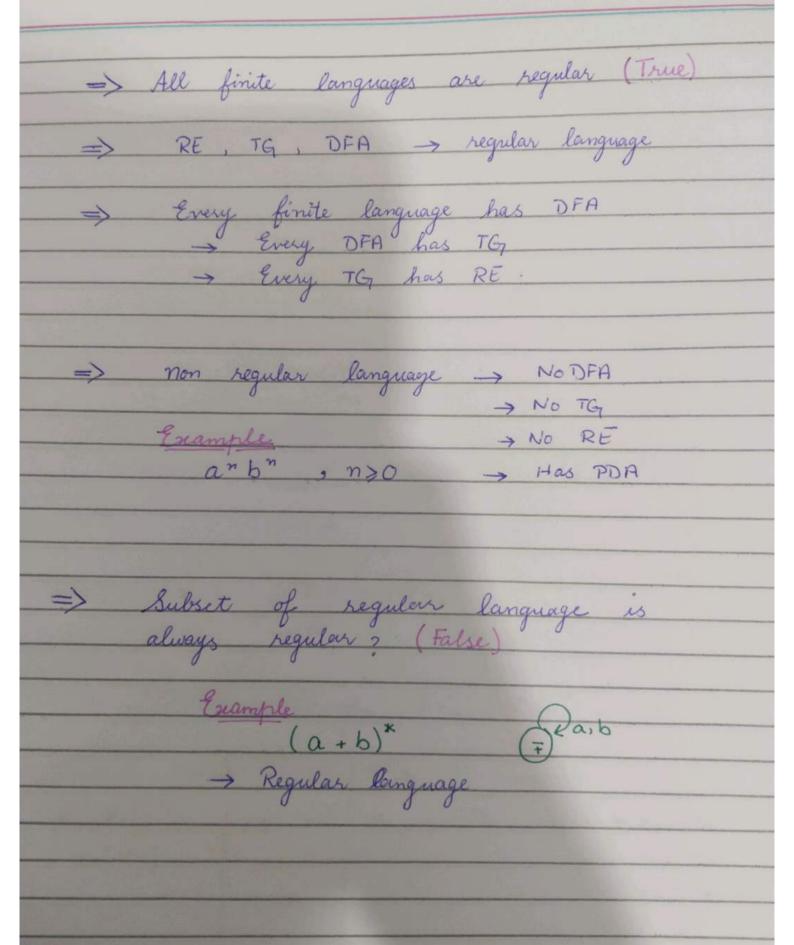
Union = dono mn sy kisi bhi RE ya DFA sy start ya end Concatination = start from first. end at last. 21 = 20, 91 $Z_1(n_1, y_1)$ $x_1, y_2 = Z_2$ $x_2, y_1 = Z_3$ Z2 = 11, 42 23 = N2, 41 Z2 (21, 142) x1, 42 = Z2 x2, 43 = Z4 Z4 = 22, 43 Z3 (x2, y1) x, y2 = Z2 x2, y1 = Z3 25 = x2, y4 Z4 (n2, y3) n, y2 = Z2 n2, y4 = Z5 Z6 = x1, y4 Z5 (x2, y4) x1, y4 = Z6 x2, y4 = Z5 Z6 (x, , y4) x1, y4 = Z6 x2 144 = Z5 Final states for Union 22, y4 Z3 = x2, y1 Z4 = x2, y3 Z5 = 262, 44 + Z6 = n, y4 Final states for intersection 22, 44 + Z5 = n2, y4



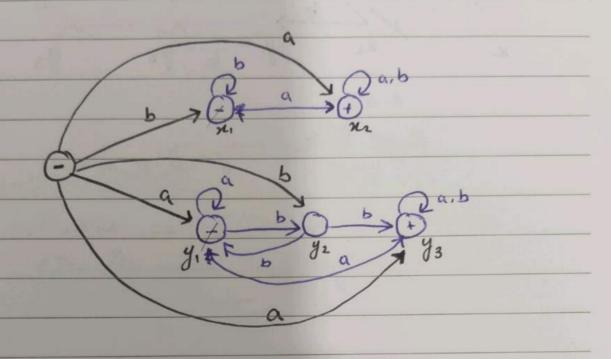


Concatination DFA

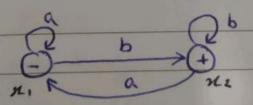




Union of NFA جس علما سے جوڑنا ہے اس کو جی وہاں وہاں جوڑی گ NFA. NFA2 Steps Connect with pervious initials



Concatination

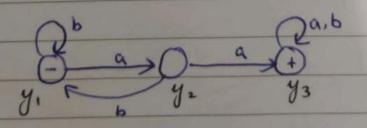


→ 1st ki starting

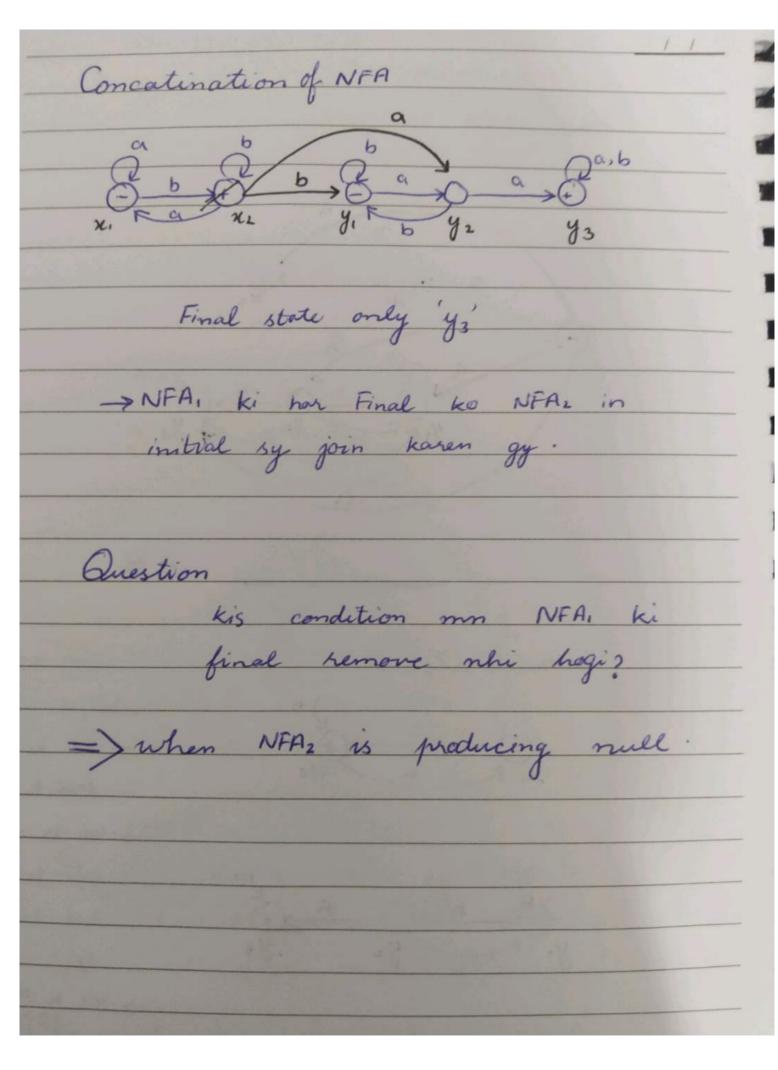
last ki ending

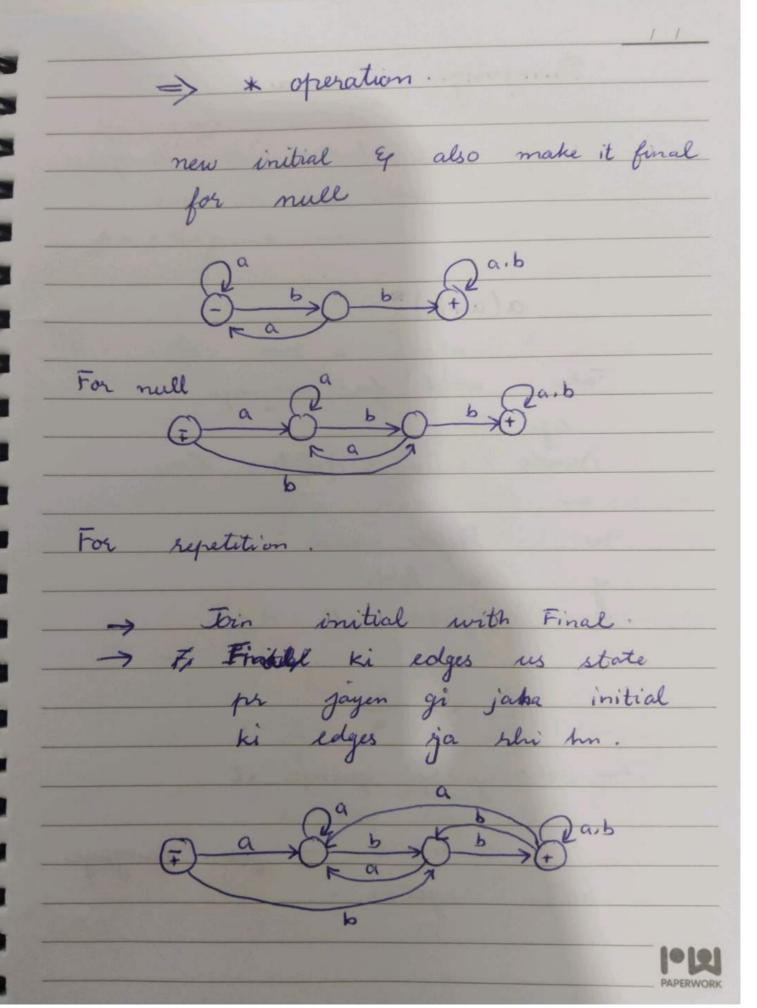
→ 1st ki ending

join ho jayegi



bhi y, kill De A or B wali States for jayen eyy





Pumping Leema Idenify the whether the language is regular and who or not. a(a+b)* Take a word for language Divide it in 3 parts u Before null a b b Take the y & pump it so, regular.

=> an bn language eg aabb pump they' -> aaaa bb 50, not a regular language. a* b*

ab

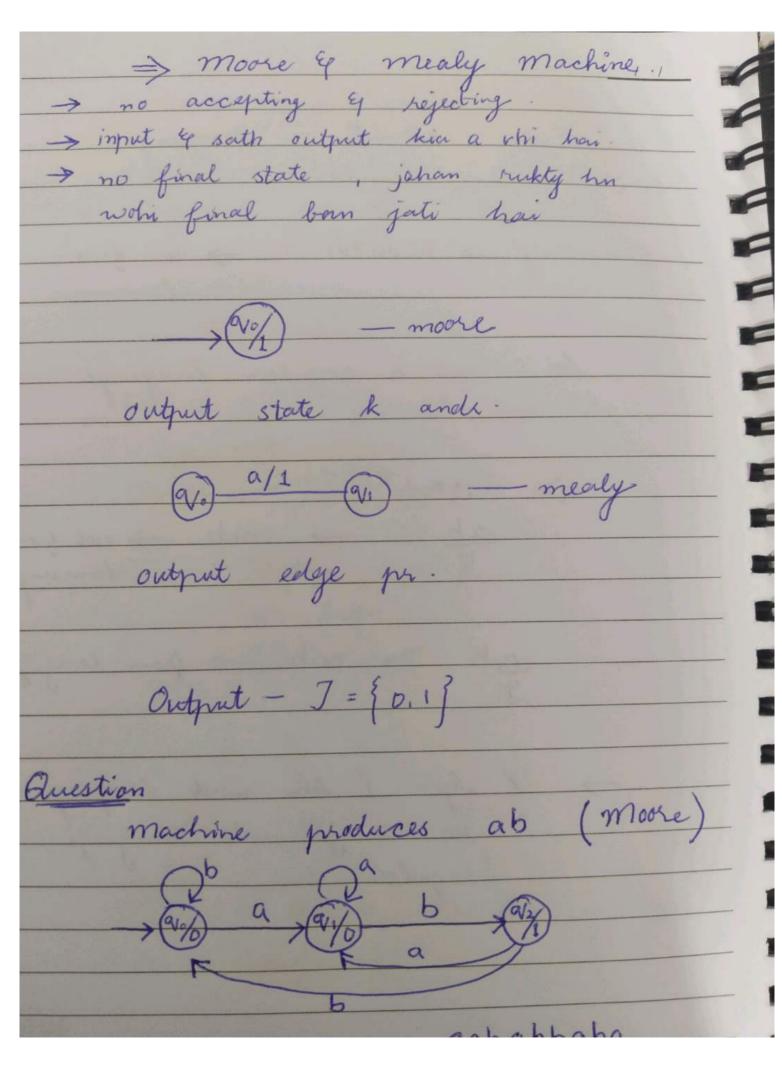
ab

ab

compage

language aub -> from languige. -> 2 Agr 1 bhi word language ka aa je to language regular hai





3 ab's in input = 3 1's in output Question that produces ab (mealy)