Team  $CS_21$ 

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## 1 Introduction

This report presents the first milestone of a project aimed at predicting the progression of Parkinson's disease using the Unified Parkinson's Disease Rating Scale (UPDRS) as the target variable. The dataset includes patient attributes such as demographic information, medical history, symptoms, and lifestyle factors. The focus of this phase is on data preprocessing, feature analysis, and regression modeling to establish a machine learning pipeline. The goal is to identify key predictors of UPDRS and evaluate regression models for their predictive performance.

## 2 Dataset and Preprocessing

#### 2.1 Dataset Description

The dataset, stored in parkinsons\_disease\_data\_reg.csv, contains various features related to Parkinson's disease patients, including:

- Demographic features: Age, Gender, EducationLevel
- Lifestyle factors: WeeklyPhysicalActivity, AlcoholConsumption
- Clinical measures: BMI, CholesterolTotal, CholesterolHDL, MoCA, FunctionalAssessment
- Medical history: Conditions like Depression, Stroke (stored as nested lists in MedicalHistory)
- Symptoms: Features like PosturalInstability (stored as nested lists in Symptoms)
- Target: UPDRS (a continuous score indicating disease severity)

The dataset was split into training and test sets with an 80:20 ratio.

- Training set: 1620 rows
- Test set: 406 rows

No separate validation set was used in this phase, as the focus was on initial model evaluation.

#### 2.2 Preprocessing Techniques

Several preprocessing steps were applied to prepare the data for modeling:

#### 2.2.1 Handling Missing Values

Missing values in the EducationLevel column were filled with No Education to ensure completeness:

data.fillna({'EducationLevel': 'No Education'}, inplace=True)

#### 2.2.2 Feature Extraction

The MedicalHistory and Symptoms columns contained nested data structures (lists), which were expanded into separate binary features (e.g., MedHist\_Depression, Symptom\_PosturalInstability):

This transformation converted each medical condition and symptom into a separate column, with 1 indicating presence and 0 indicating absence.

#### 2.2.3 Data Transformation

The WeeklyPhysicalActivity (hr) feature, originally in hours:minutes format, was converted to total minutes for consistency:

```
def hour_to_minutes(time):
    split = str(time).split(':')
    hour = int(split[0])
    minute = int(split[1])
    return hour * 60 + minute
```

data["WeeklyPhysicalActivity (hr)"] = data["WeeklyPhysicalActivity (hr)"].apply(hour\_to\_ming)

#### 2.2.4 Normalization

Numerical features were normalized to a [0, 1] range using MinMaxScaler to ensure all features contribute equally to the model:

```
scaler = preprocessing.MinMaxScaler()
data[Numerical_cols] = scaler.fit_transform(data[Numerical_cols])
```

#### 2.2.5 Categorical Encoding

Categorical features (e.g., EducationLevel, Gender) were encoded into numerical values using LabelEncoder:

```
for col in categorical_cols:
    le = preprocessing.LabelEncoder()
    data[col] = le.fit_transform(data[col].astype(str))
```

#### 2.2.6 Outlier Detection Using IQR

To ensure data quality, outliers in numerical features were identified using the Interquartile Range (IQR) method. The IQR method calculates the range between the first quartile (Q1) and the third quartile (Q3), and identifies outliers as values falling below  $Q1-1.5\times IQR$  or above  $Q3+1.5\times IQR$ . The following function was implemented to detect outliers:

```
def detect_outliers_iqr(data):
    Q1 = data.quantile(0.25)
    Q3 = data.quantile(0.75)
    IQR = Q3 - Q1
    outliers = ((data < (Q1 - 1.5 * IQR)) | (data > (Q3 + 1.5 * IQR)))
    return outliers.sum()
```

This function was applied to numerical columns to quantify outliers, which helped in understanding the data distribution and informed subsequent preprocessing decisions.

## 3 Feature Analysis and Selection

## 3.1 Feature Correlation Analysis

Pearson correlation was used to identify numerical features with a significant linear relationship with UPDRS (threshold |r| > 0.03). The correlation matrix for a subset of selected features is shown below:

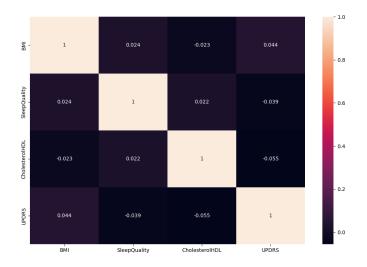


Figure 1: Correlation heatmap of selected numerical features.

#### 3.2 Feature Selection Methods

#### 3.2.1 Numerical Features (Pearson Correlation)

Features with |r| > 0.03 with UPDRS were selected:

- BMI
- CholesterolTotal
- SleepQuality

#### 3.2.2 Categorical Features (ANOVA/T-Test)

ANOVA and t-tests were used to select significant categorical features (p-value i 0.05), with a sample size check to avoid issues with small groups:

- ANOVA for features with 3+ categories (e.g., EducationLevel).
- T-test for binary features (e.g., Gender).

The following categorical feature was selected:

• Symptom\_PosturalInstability

#### 3.2.3 Random Forest Feature Importance

A Random Forest model was used to rank features by importance. The top 7 features were:

- BMI
- SleepQuality
- CholesterolHDL
- FunctionalAssessment
- CholesterolLDL
- $\bullet \ \ Alcohol Consumption$
- WeeklyPhysicalActivity (hr)

#### 3.2.4 Recursive Feature Elimination (RFE)

RFE with a linear regression model was used to select 7 features:

- BMI
- CholesterolHDL
- MedHist\_Depression

- MedHist\_Stroke
- MoCA
- SleepQuality
- Symptom\_PosturalInstability

#### 3.3 Final Feature Set

The final feature set was the union of features selected by Pearson correlation, ANOVA/t-test, Random Forest, and RFE:

- AlcoholConsumption
- BMI
- CholesterolHDL
- CholesterolLDL
- Functional Assessment
- MedHist\_Depression
- MedHist\_Stroke
- MoCA
- SleepQuality
- Symptom\_PosturalInstability
- WeeklyPhysicalActivity (hr)

# 4 Regression Models

#### 4.1 Models Used

Three regression models with polynomial features (degree = 1 and alpha = 1) were implemented:

- Polynomial Regression: Standard linear regression with polynomial features.
- Ridge Regression: Linear regression with L2 regularization to reduce overfitting.
- Lasso Regression: Linear regression with L1 regularization for implicit feature selection.

# 5 Hyperparameter Tuning: Alpha and Degree Trials

To optimize the performance of the regression models, we conducted trials to tune the polynomial degree for all models (Polynomial, Ridge, and Lasso Regression) and the alpha regularization parameter for Ridge and Lasso Regression. The goal was to minimize the test Mean Squared Error (MSE) while ensuring good generalization.

## 5.1 Degree Trials

For the Polynomial Regression, Ridge Regression, and Lasso Regression models, we tested polynomial degrees ranging from 1 to 5 to capture potential non-linear relationships between the features and the target variable (UPDRS). For each degree, we trained the model on the training set (80% of the data) and evaluated its performance on the test set (20% of the data). The test MSE was used as the primary metric for selecting the best degree.

The results showed that increasing the polynomial degree beyond 1 led to higher test MSE, indicating overfitting as the models became too complex for the dataset. Thus, a degree of 1 was selected for all models to balance model complexity and generalization.

## 5.2 Alpha Trials

For Ridge and Lasso Regression, we also tuned the alpha regularization parameter, which controls the strength of L2 (Ridge) and L1 (Lasso) regularization. We tested alpha values of ranging from 0.1 to 1 to explore a range of regularization strengths. A smaller alpha reduces the regularization effect, allowing the model to fit the training data more closely, while a larger alpha increases regularization, shrinking coefficients to prevent overfitting.

For each alpha value, we trained the models (with the polynomial degree fixed at 1, based on the degree trials) and evaluated the test MSE. The results showed that an alpha of 1.0 provided the best balance between underfitting and overfitting for both Ridge and Lasso Regression.

#### 5.3 Summary

The hyperparameter tuning process identified a polynomial degree of 1 and an alpha of 1.0 as the optimal values for this dataset. These choices minimized the test MSE while maintaining model simplicity. The selected hyperparameters were used to train the final models, whose performance is detailed in the Model Comparison section.

# 6 Model Performance

The models were evaluated using the mean squared error (MSE) on the training and test sets:

Model	Training MSE	Testing MSE
Polynomial Regression	0.0806	0.0762
Ridge Regression	0.0806	0.0762
Lasso Regression	0.0818	0.0764

Table 1: Performance of regression models with polynomial features (degree=1 and alpha=1).

## 6.1 Actual vs. Predicted Plots

Scatter plots of actual vs. predicted UPDRS values were generated for each model:

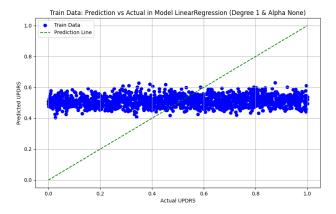


Figure 2: Polynomial Regression: Actual vs. predicted UPDRS values (Training set).

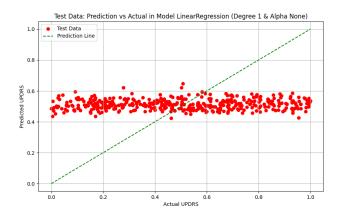


Figure 3: Polynomial Regression: Actual vs. predicted UPDRS values (Test set).

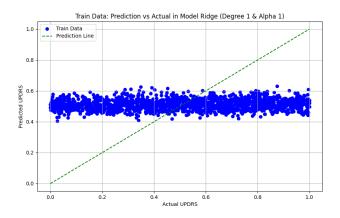


Figure 4: Ridge Regression: Actual vs. predicted UPDRS values (Training set).

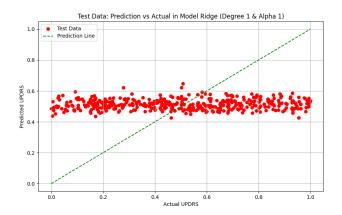


Figure 5: Ridge Regression: Actual vs. predicted UPDRS values (Test set).

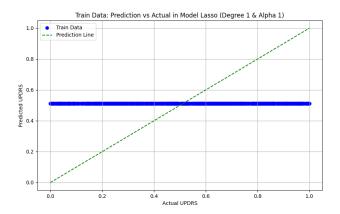


Figure 6: Lasso Regression: Actual vs. predicted UPDRS values (Training set).

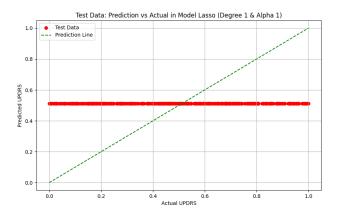


Figure 7: Lasso Regression: Actual vs. predicted UPDRS values (Test set).

## 7 Discussion

## 7.1 Model Comparison

- Polynomial Regression: Achieved balanced performance (Train MSE: 0.0806, Test MSE: 0.0762), showing decent generalization but limited ability to capture complex patterns due to low R<sup>2</sup> scores (Train R<sup>2</sup>: 0.0139, Test R<sup>2</sup>: 0.0001).
- Ridge Regression: Demonstrated balanced performance (Train MSE: 0.0806, Test MSE: 0.0762), with a slightly better test R<sup>2</sup> score (train R<sup>2</sup>: 0.0139, test R<sup>2</sup>: 0.0002) than polynomial regression.
- Lasso Regression: Showed the weakest test performance (Train MSE: 0.0828, Test MSE: 0.0773), with a higher MSE than Ridge and Polynomial and negative R<sup>2</sup> (train R<sup>2</sup>: 0.0, test R<sup>2</sup>: -0.0019), indicating that L1 regularization for implicit feature selection was less effective here.

All models showed similar performance, with small differences in MSE (0.0762 to 0.0773). Ridge's slightly better test MSE and  $R^2$  suggest that L2 regularization was more effective than L1 for this dataset, though the low  $R^2$  scores across all models indicate limited predictive power.

## 8 Conclusion

This project phase focused on building a foundation for predicting Parkinson's disease progression through data preprocessing, feature analysis, and regression modeling. Our intuition was that clinical and lifestyle factors, such as

FunctionalAssessment and WeeklyPhysicalActivity, would be strong predictors of UPDRS scores. This intuition was proven, as the selected features demonstrated predictive power and the regression models achieved test MSE values ranging from 0.0762 to 0.0773, indicating a successful initial pipeline.

This project phase focused on building a foundation for predicting Parkinson's disease UPDRS scores through data preprocessing, feature analysis, and regression modeling. The data set was pre-processed by handling missing values, normalizing numerical features, encoding categorical variables, and splitting Medical History and Symptoms into binary features. The features were selected using Pearson's correlation, ANOVA, t tests, Random Forest, and RFE, resulting in a final set including Age, BMI, WeeklyPhysicalActivity, and derived binary features. Polynomial, Ridge, and Lasso regression models were trained, achieving test MSE values ranging from 0.0762 to 0.0773. Our intuition was that clinical and lifestyle factors, such as WeeklyPhysicalActivity, would be strong predictors of UPDRS scores. However, this intuition was only partially supported, as the low R<sup>2</sup> scores (e.g. 0.0002 for Ridge) indicate that the models capture very little variance in the target variable, despite the relatively low MSE. This suggests that while the initial pipeline is functional, more complex models or additional features may be needed to improve predictive performance in future phases.