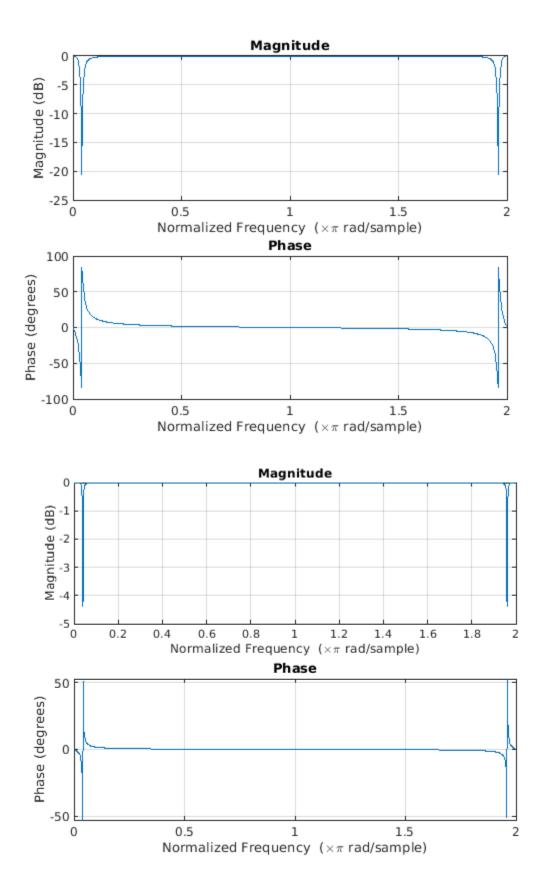
Table of Contents

```
close all;
clear;
clc;
H1:
b1 = [0.969531, -1.923772, 0.969531];
a1 = [1, -1.923772, 0.939063];
% H2:
b2 = [0.996088, -1.976468, 0.996088];
a2 = [1, -1.976468, 0.992177];
fs = 400;
3-2-a
H1:
figure('name', 'H1 response')
freqz(b1,a1,1024,'whole');
% H2:
figure('name', 'H2 response')
freqz(b2,a2,1024,'whole');
% Canonical Presentation
csys1 = canon(tf(b1 , a1), 'companion')
csys2 = canon(tf(b2 , a2), 'companion')
csys1 =
 A =
      x1
          x2
        -0.9391
 x1
      0
 x2
         1.924
 B =
   u1
 x1
    1
 x2
 C =
```

Continuous-time state-space model.

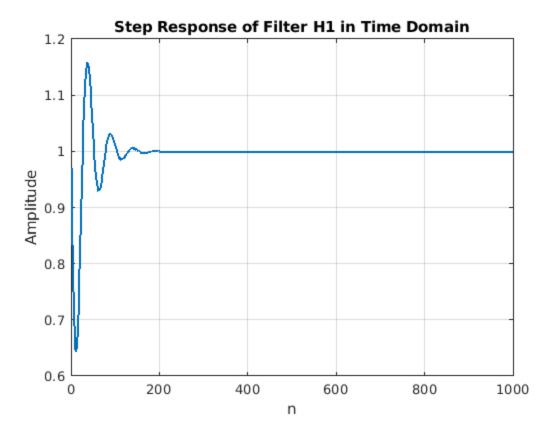
csys2 =

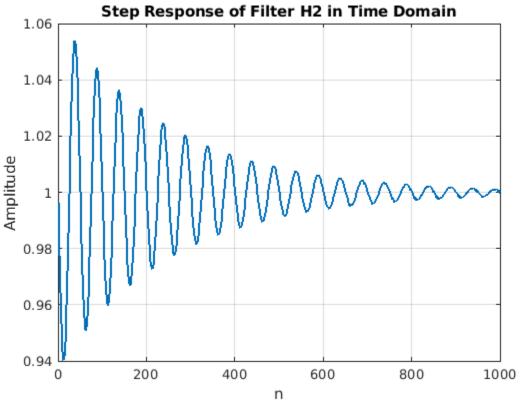
Continuous-time state-space model.



3.2.b

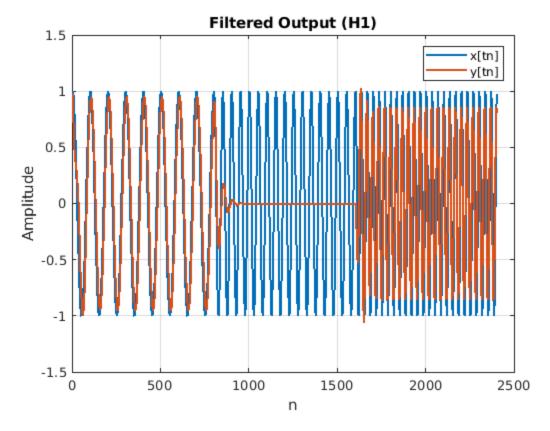
```
N = 10e4;
n = 0:N;
x_step = ones(1, N + 1);
% H1
y_step = filter(b1, a1, x_step);
figure('Name', 'Step Response');
plot(n, y_step, "LineWidth", 1.5);
title("Step Response of Filter H1 in Time Domain");
xlabel("n");
ylabel("Amplitude");
xlim([0 1000]);
grid on;
settling_time_value = find(abs(y_step - y_step(end)) >= 0.01, 1, 'last') + 1;
fprintf("Setteling sample (H1): %d\n", settling_time_value);
y_step = filter(b2, a2, x_step);
figure('Name', 'Step Response');
plot(n, y_step, "LineWidth", 1.5);
title("Step Response of Filter H2 in Time Domain");
xlabel("n");
ylabel("Amplitude");
xlim([0 1000]);
grid on;
settling_time_value = find(abs(y_step - y_step(end)) >= 0.01, 1, 'last') + 1;
fprintf("Setteling sample (H2): %d\n", settling_time_value);
Setteling sample (H1): 122
Setteling sample (H2): 465
```

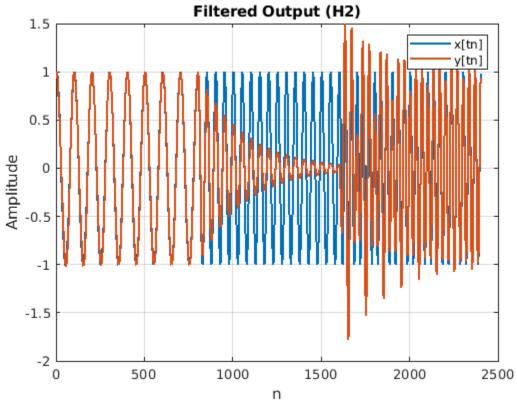




3.2.c

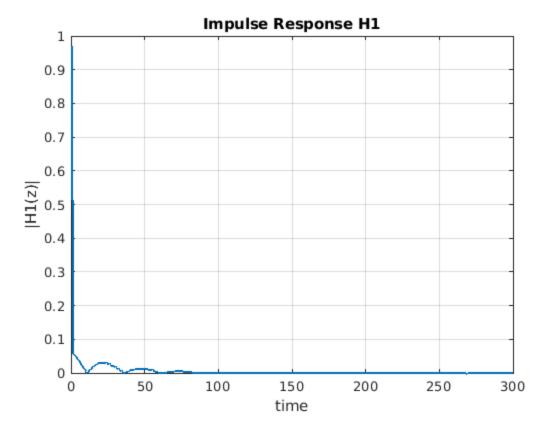
```
f = [4, 8, 12];
fs = 400;
t1 = 0:(1/fs):(2-1/fs);
t2 = 2:(1/fs):(4-1/fs);
t3 = 4:(1/fs):(6-1/fs);
x = [\cos(2*pi*f(1)*t1), \cos(2*pi*f(2)*t2), \cos(2*pi*f(3)*t3)];
% H1:
figure('Name', 'H1');
plot(x, "LineWidth", 1.5);
title("Filtered Output (H1)");
xlabel("n");
ylabel("Amplitude");
grid on;
hold on;
y1 = filter(b1, a1, x);
plot(y1, "LineWidth", 1.5);
hold off;
legend('x[tn]', 'y[tn]')
% H2:
figure('Name', 'H2');
plot(x, "LineWidth", 1.5);
title("Filtered Output (H2)");
xlabel("n");
ylabel("Amplitude");
grid on;
hold on;
y2 = filter(b2, a2, x);
plot(y2, "LineWidth", 1.5);
hold off;
legend('x[tn]', 'y[tn]')
```

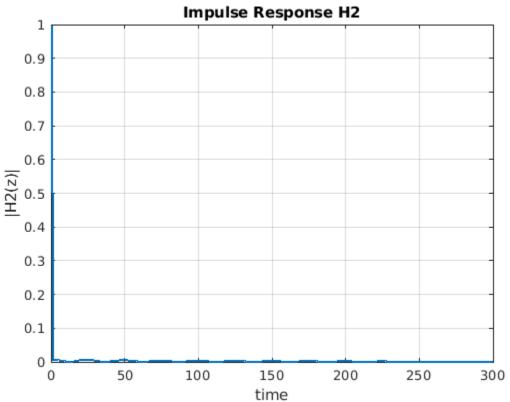




3.2.d

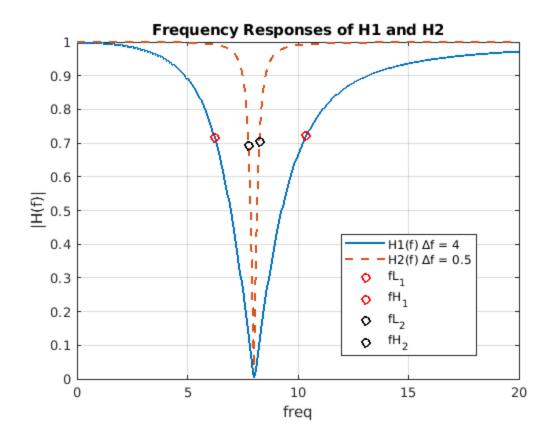
```
N = 300;
n = 0:N;
impr1 = impz(b1,a1,n);
impr2 = impz(b2,a2,n);
[max_h1, indx] = max(impr1);
[\max_h2, indx] = \max(impr2);
fprintf("Max H1: %f\nMax H2: %f\n", max_h1, max_h2)
figure('name', "Impulse Res H1")
plot(n, abs(impr1), 'LineWidth', 1.5);
grid on;
xlabel('time');
ylabel('|H1(z)|');
title('Impulse Response H1');
figure('name', "Impulse Res H2")
plot(n, abs(impr2), 'LineWidth', 1.5);
grid on;
xlabel('time');
ylabel('|H2(z)|');
title('Impulse Response H2');
Max H1: 0.969531
Max H2: 0.996088
```





3.2.f-g

```
fs = 400;
Nf = 4096;
[h1, w1] = freqz(b1, a1, Nf);
[h2, w2] = freqz(b2, a2, Nf);
% Plotting frequency response of H1 and H2
figure('name', "Notch Filter Responses")
plot(w1/pi*fs/2, abs(h1), 'LineWidth', 1.5);
xlim([0, 20]);
grid on;
xlabel('freq');
ylabel('|H(f)|');
hold on;
title('Frequency Responses of H1 and H2');
plot(w2/pi*fs/2, abs(h2), '--', 'LineWidth', 1.5);
% Finding section of array which resides in the bandwidth of response
bw1 = find(abs(abs(h1) - .5^{.5}*max(abs(h1))) < 0.02);
bw2 = find(abs(abs(h2) - .5^*.5*max(abs(h2))) < 0.02);
fli1 = bw1(1); % F_l_1 index
fhi1 = bw1(end); % F_h_1 index
fli2 = bw2(1); % F_1_2 index
fhi2 = bw2(end); % F_h_2 index
plot(w1(fli1)/pi*fs/2, abs(h1(fli1)), 'ro', 'LineWidth', 1.5);
plot(w1(fhi1)/pi*fs/2, abs(h1(fhi1)), 'ro', 'LineWidth', 1.5);
plot(w2(fli2)/pi*fs/2, abs(h2(fli2)), 'ko', 'LineWidth', 1.5);
plot(w2(fhi2)/pi*fs/2, abs(h2(fhi2)), 'ko', 'LineWidth', 1.5);
legend('H1(f) #f = 4', 'H2(f) #f =
 0.5', 'fL_1', 'fH_1', 'fL_2', 'fH_2', 'Location', 'best');
fprintf("H1:\nFh-Fl=%f\n\nH2:\nFh-Fl=%f\n", (fhi1-fli1)*(fs/Nf/2), (fhi2-
fli2)*(fs/Nf/2))
H1:
Fh-F1=4.150391
H2:
Fh-Fl=0.488281
```



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