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In []: import numpy as np
        from numpy.typing import NDArray
        import networkx as nx
        from src.plotting import plot_graph, plot_loss_history
        import matplotlib.pyplot as plt
        NDArrayInt = NDArray[np.int_]
In [ ]: def plot_graph(
            loss_history: NDArrayInt, xlabel="# iterations", ylabel="# value"
        ) -> None:
            fig, ax = plt.subplots(1, 1, figsize=(12, 6))
            if loss history.ndim == 1:
                loss_history = loss_history.reshape(1, -1)
            n_restarts, n_iters = loss_history.shape
            for i in range(n_restarts):
                ax.plot(range(n_iters), loss_history[i, :])
            ax.set_xlabel(xlabel)
            ax.set_ylabel(ylabel)
            ax.grid()
            fig.tight_layout()
            plt.show()
In [ ]: def set_colors(G, colors):
            for n, color in zip(G.nodes, colors):
                G.nodes[n]["color"] = color
In [ ]: def number_of_conflicts(G, colors):
            set_colors(G, colors)
            n = 0
            for n_in, n_out in G.edges:
                if G.nodes[n_in]["color"] == G.nodes[n_out]["color"]:
                    n += 1
            return n
In [ ]: def tweak(colors, n_max_colors,G: nx.graph):
            new_colors = colors.copy()
            n_nodes = len(new_colors)
            random_index_start = np.random.randint(low=0, high=len(colors))
            node_color = colors[random_index_start]
            for i in nx.neighbors(G, random_index_start):
                neighbor_color = colors[i]
                while(neighbor_color == node_color):
                    neighbor_color = np.random.randint(low=0, high=n_max_colors)
                new_colors[i] = neighbor_color
            return new_colors
In []: def change(iteration_number):
            change = 1 / (np.log(iteration_number + 330) * 0.1896)
            return change
In [ ]: def temp_drop(current_temp,min_temp,max_temp,iteration_number) -> float:
            current_temp = current_temp * change(iteration_number)
            if(current_temp <= min_temp):</pre>
                current_temp = 0
            return current_temp
In []: def probability(current_temp,delta_conflicts):
            probability_of_transition = 0
            if(current_temp != 0):
                power_of_e = (abs(delta_conflicts)/current_temp) # start = 0 end = inf
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return probability_of_transition
In [ ]: def solve_via_simulated_annealing (G: nx.Graph, n_max_colors: int, initial_colors: ND/
            current_iteration = 0
            global conflicts_list
            MIN_TEMP = 0.0000001
            MAX\_TEMP = 500
            current_temp = MAX_TEMP
            cur_colors = initial_colors.copy()
            while(current_iteration < n_iters):</pre>
                next_colors = cur_colors.copy()
                next_colors = tweak(next_colors, n_max_colors,G)
                delta_conflicts = number_of_conflicts(G,cur_colors) - number_of_conflicts(G,name)
                if(delta_conflicts > 0):
                    cur_colors = next_colors
                else:
                    if(current_temp > MIN_TEMP):
                        probability_of_transition = probability(current_temp=current_temp,del
                        value = np.random.rand()
                        if(value <= probability_of_transition):</pre>
                             cur_colors = next_colors
                current_temp = temp_drop(current_temp,MIN_TEMP,MAX_TEMP,current_iteration)
                conflicts_list[current_iteration] = number_of_conflicts(G,cur_colors)
                current_iteration += 1
                #print(f'---\n iteration_number = {current_iteration}, temp = {current_temp},
            #print(cur_colors)
            return cur_colors
In [ ]: MIN_TEMP = 0.0001
        MAX_{TEMP} = 500
        n_{max_iters} = 500
        n_{max}_colors = 3
        seed = 42
        np.random.seed(seed)
        G = nx.erdos_renyi_graph(n=100, p=0.05, seed=seed)
        initial_colors = np.random.randint(low=0, high=n_max_colors - 1, size=len(G.nodes))
        temp = MAX TEMP
        temp_list = np.zeros((n_max_iters,), dtype=np.float64)
        probab_list = np.zeros((n_max_iters,), dtype=np.float64)
        change_list = np.zeros((n_max_iters,), dtype=np.float64)
        conflicts_list = np.zeros((n_max_iters,), dtype=np.float64)
        final_coloring = np.array([])
        for i in range(n_max_iters):
            temp = temp_drop(temp,MIN_TEMP,MAX_TEMP,i)
            change_list[i] = change(i)
            temp_list[i] = temp
            probab list[i] = probability(temp,8)
        final_coloring = solve_via_simulated_annealing(G, n_max_colors, initial_colors, n_max_
        print(f'FINAL NUMBER OF CONFLICTS = {conflicts_list[-1]}')
       FINAL NUMBER OF CONFLICTS = 7.0
In []: x = np.linspace(0,500,500) # Генерация равномерно точек
        y1 = change_list
        y2 = temp_list
        y3 = probab_list
        y4 = conflicts_list
        fig, ax = plt.subplots(nrows=2, ncols=2, figsize=(12,6)) # Создает фигуру и оси ( 2 ра
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probability_of_transition = np.exp(-1*power_of_e)

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# Вернет массив 2x2 -> надо выбрать оси
 ax[0,0].plot(x,y1,label="temperature multiplication factor")
 ax[0,1].plot(x,y2 ,label="temperature")
 ax[1,0].plot(x,y3 ,label="probability of random jump")
 ax[1,1].plot(x,y4 ,label=f'number of conflicts = {conflicts_list[-1]}')
 for axe in ax.reshape(-1):
      axe.grid() # ТОDО почитать про настройки
      axe.legend(loc="upper right",fontsize=12)
 fig.tight_layout()
 fig.savefig("result.png", dpi=300) # FIXME найти куда сохраняет ( в директорию откуда
 plt.show() ## Всегда пишем в последний момент
                        temperature multiplication factor
                                                                                          temperature
0.90
                                                   400
0.88
                                                   300
0.86
0.84
                                                   200
0.82
                                                   100
0.80
0.78
            100
                                                               100
                     200
                             300
                                      400
                                              500
                                                                       200
                                                                                300
                                                                                        400
                                                                                                 500
1.0
                            probability of random jump
                                                                                number of conflicts = 7.0
0.8
                                                   80
0.6
                                                   60
                                                   40
0.2
                                                   20
0.0
            100
                     200
                             300
                                      400
                                                               100
                                                                       200
                                                                                        400
                                              500
                                                                                300
                                                                                                 500
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