

# Results Lathyrus paper 1

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## Select data and look at variables

```
data_sel<-subset(alldata_weather_subs,!is.na(n_fl)&!is.na(FFD))
#Select data where both FFD and n_fl are available
nrow(subset(data_sel,is.na(n_intact_seeds))) #No NAs for seed data

## [1] 0

data_sel_agg$year<-as.factor(data_sel_agg$year)
data_sel<-merge(data_sel[c(1:19,56)],data_sel_agg[c(1:217,223:235)],by="year")
```

## Calculation of relative fitness and standardized traits

Relativization and standardization was done within each year.

```
data_sel<-data.frame(
  data_sel %>%
  group_by(year) %>%
  mutate(n_intact_seeds_rel=n_intact_seeds/mean(n_intact_seeds)) %>% #Relative fitness
  mutate(FFD_std=(FFD-mean(FFD))/sd(FFD)) %>% #Standardized FFD
  mutate(n_fl_std=(n_fl-mean(n_fl))/sd(n_fl))) #Standardized n_fl
```

## Calculation of position and duration of flowering season

Calculate proportion of plants flowering per year at each date

```
propfl<-as.data.frame(aggregate(id~FFD+year,data=alldata_weather_subs[c(1:2,4)],FUN=length) %>%
  group_by(year) %>%
  mutate(n_cum_FFD = cumsum(x = id))) #Cumulated n plants fl per yr at each FFD

max_flowering<-aggregate(n_cum_FFD ~year, data=propfl,FUN=max)
max_flowering$max_flowering<-max_flowering$n_cum_FFD
max_flowering$n_cum_FFD<-NULL

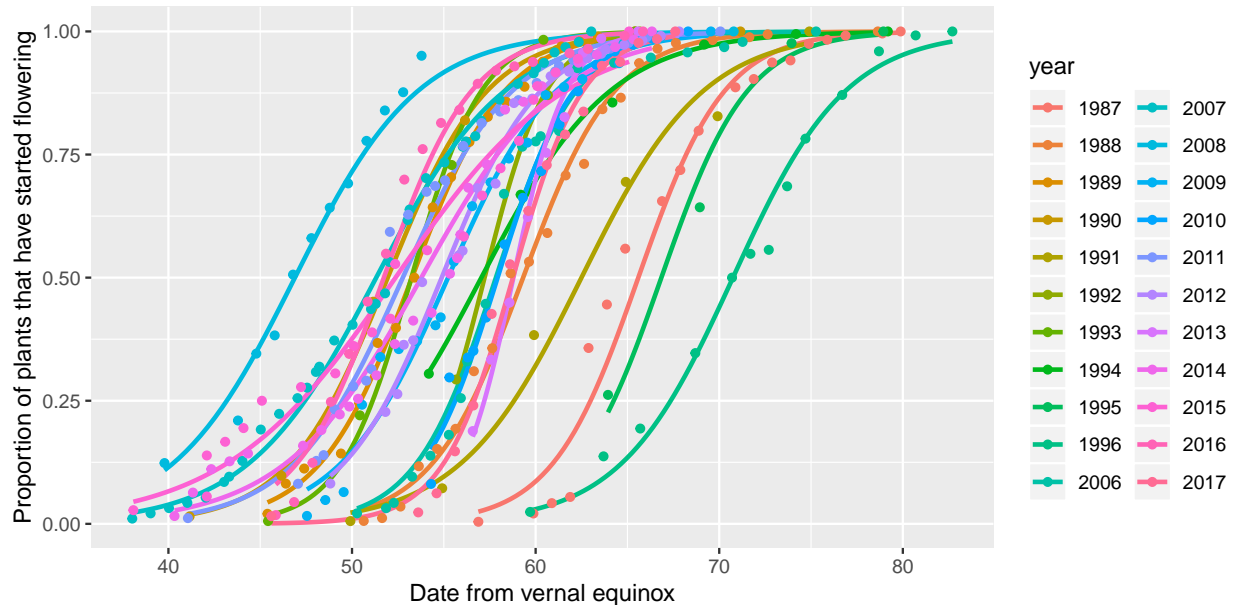
propfl<-merge(propfl,max_flowering)
propfl$prop_fl<-propfl$n_cum_FFD/propfl$max_flowering
```

## Models proportion of plants flowering per year against date

```
models_propfl<-propfl %>%
  group_by(year) %>%
  do(model = glm(cbind(n_cum_FFD,max_flowering-n_cum_FFD) ~ FFD, data = .,family=binomial))%>%
  tidy(model)
models_propfl

## # A tibble: 44 x 6
## # Groups:   year [22]
##   year term          estimate std.error statistic    p.value
##   <fct> <chr>          <dbl>     <dbl>     <dbl>     <dbl>
```

```
## 1 1987 (Intercept) -27.7      0.808      -34.3 9.89e-258
## 2 1987 FFD         0.422     0.0122      34.5 1.74e-260
## 3 1988 (Intercept) -23.6      0.748      -31.5 2.16e-218
## 4 1988 FFD         0.398     0.0126      31.7 4.45e-220
## 5 1989 (Intercept) -20.9      0.937      -22.3 2.19e-110
## 6 1989 FFD         0.393     0.0174      22.6 5.79e-113
## 7 1990 (Intercept) -19.1      1.30       -14.7 1.00e- 48
## 8 1990 FFD         0.367     0.0249      14.8 2.71e- 49
## 9 1991 (Intercept) -18.7      1.06       -17.7 5.22e- 70
## 10 1991 FFD        0.299     0.0169      17.8 1.64e- 70
## # ... with 34 more rows
```



Calculate dates when 10%, 20%, 80% and 90% of plants have started flowering in each year

Dates are calculated using the binomial models (calculations not shown).

```
dates_fl<-data.frame(year=c(1987:1996,2006:2017),date_10,date_20,date_80,date_90)
head(dates_fl)
```

```
##   year date_10 date_20 date_80 date_90
## 1 1987 60.38876 62.30943 68.87634 70.79705
## 2 1988 53.79735 55.83503 62.80182 64.83949
## 3 1989 47.67251 49.73706 56.79583 58.86038
## 4 1990 45.95380 48.16479 55.72425 57.93525
## 5 1991 55.15323 57.86356 67.13019 69.84053
## 6 1992 55.78171 55.78171 59.57069 60.94629
```

Calculate other metrics of the flowering season and merge

```
fl_pos_dur<-merge(as.data.frame(alldata %>% filter(!is.na(alldata$FFD)) %>%
  dplyr::select(year,FFD) %>%
```

```

dplyr::group_by(year) %>%
dplyr::summarise(FFD_mean=mean(FFD),FFD_first=min(FFD), FFD_last=max(FFD),
                 FFD_var=var(FFD),FFD_dur=range(FFD)[2]-range(FFD)[1],
                 FFD_skew=skewness(FFD),FFD_kurt=kurtosis(FFD)),dates_fl)
fl_pos_dur$days_90_10<-with(fl_pos_dur,date_90-date_10) # Another measure of duration
head(fl_pos_dur)

```

```

##   year FFD_mean FFD_first FFD_last   FFD_var FFD_dur  FFD_skew  FFD_kurt
## 1 1987 66.25589  56.88194 79.88194 16.699234     23 0.8626570 0.2201882
## 2 1988 59.90789  50.63889 78.63889 20.244857     28 0.5791351 0.9320223
## 3 1989 53.85571  45.39653 65.39653 18.807595     20 0.1920443 -0.2264171
## 4 1990 54.46244  41.15417 71.15417 26.093643     30 0.2452248 0.5593864
## 5 1991 64.99514  49.91181 74.91181 36.445531     25 0.2566082 -0.7587831
## 6 1992 59.85048  55.66944 65.66944  9.975637     10 0.1424553 -0.5373083
##   date_10 date_20 date_80 date_90 days_90_10
## 1 60.38876 62.30943 68.87634 70.79705  10.408284
## 2 53.79735 55.83503 62.80182 64.83949  11.042139
## 3 47.67251 49.73706 56.79583 58.86038  11.187872
## 4 45.95380 48.16479 55.72425 57.93525  11.981455
## 5 55.15323 57.86356 67.13019 69.84053  14.687303
## 6 55.78171 55.78171 59.57069 60.94629   5.164579

```

```

mean_weather7<-merge(mean_weather6,fl_pos_dur[c(1,3:4,9:13)])
data_sel<-merge(data_sel,fl_pos_dur)

```

## Models of FFD\_first, FFD\_last, date\_10-20-80-90, FFD\_mean,days\_90\_10 against weather variables

### With FFD\_first

```

models14<-lapply(names(mean_weather7)[c(7:9,19:21,31:33,43:45,
55:57,67:69,79:81,91:93,103:105,115:117,127:129,139:141,146:217)],
                 function(x) {lm(substitute(FFD_first ~ scale(i), list(i = as.name(x))),
                                data = mean_weather7)})
models14_summary<-lapply(X = models14, FUN = summary)%>% lapply(prettify) %>% bind_rows()
models14_summary<-models14_summary[c(1:2,5,6)]
names(models14_summary)<-c("variable", "Estimate", "P", "sig")
models14_summary<-subset(models14_summary,!variable=="(Intercept)")
models14_summary<-cbind(models14_summary,sapply(lapply(X = models14, FUN = summary), "[", 9))
names(models14_summary)[5]<-"Rsquare"
kable(arrange(subset(models14_summary,sig=="*"|sig=="**"|sig=="***"),desc(Rsquare)))

```

variable	Estimate	P	sig	Rsquare
scale(mean_b)	-6.103908	<0.001	***	0.6760532
scale(GDD3_34)	-5.968178	<0.001	***	0.6441223
scale(max_b)	-5.946634	<0.001	***	0.6391199
scale(GDH3_34)	-5.871961	<0.001	***	0.6219219
scale(mean_45)	-5.767840	<0.001	***	0.5983041
scale(GDH3_b)	-5.764751	<0.001	***	0.5976101
scale(GDD3_b)	-5.751481	<0.001	***	0.5946319
scale(GDH5_34)	-5.723634	<0.001	***	0.5884048

variable	Estimate	P	sig	Rsquare
scale(GDD5_34)	-5.581013	<0.001	***	0.5569857
scale(GDD3_45)	-5.541647	<0.001	***	0.5484532
scale(min_45)	-5.526175	<0.001	***	0.5451160
scale(max_34)	-5.493885	<0.001	***	0.5381818
scale(GDH3_45)	-5.490866	<0.001	***	0.5375355
scale(max_45)	-5.481160	<0.001	***	0.5354603
scale(GDH5_b)	-5.427729	<0.001	***	0.5241016
scale(GDH7_34)	-5.402895	<0.001	***	0.5188601
scale(mean_4)	-5.307262	<0.001	***	0.4989002
scale(mean_34)	-5.236920	<0.001	***	0.4844465
scale(GDD3_4)	-5.229496	<0.001	***	0.4829323
scale(GDD5_b)	-5.176071	<0.001	***	0.4720991
scale(GDH5_45)	-5.161470	<0.001	***	0.4691576
scale(GDH3_4)	-5.142703	<0.001	***	0.4653893
scale(GDD5_45)	-5.108651	<0.001	***	0.4585866
scale(GDD5_4)	-5.080960	<0.001	***	0.4530880
scale(min_b)	-5.038395	<0.001	***	0.4446942
scale(GDH5_4)	-5.016737	<0.001	***	0.4404504
scale(min_4)	-5.009479	<0.001	***	0.4390323
scale(max_16)	-4.998807	<0.001	***	0.4369509
scale(GDD3_16)	-4.869855	0.001	***	0.4121516
scale(GDH3_16)	-4.836155	0.001	***	0.4057775
scale(GDH7_b)	-4.826718	0.001	***	0.4040004
scale(GDD7_34)	-4.817469	0.001	***	0.4022622
scale(max_4)	-4.794050	0.001	***	0.3978757
scale(GDH7_4)	-4.778104	0.001	**	0.3949012
scale(mean_16)	-4.774932	0.001	**	0.3943107
scale(GDH7_45)	-4.586492	0.002	**	0.3599337
scale(GDH10_34)	-4.582941	0.002	**	0.3592993
scale(GDD7_4)	-4.472055	0.003	**	0.3397327
scale(min_34)	-4.448603	0.003	**	0.3356556
scale(GDH3_3)	-4.411203	0.003	**	0.3291985
scale(mean_46)	-4.407258	0.003	**	0.3285204
scale(GDD3_3)	-4.404001	0.003	**	0.3279613
scale(min_16)	-4.402526	0.003	**	0.3277080
scale(max_46)	-4.370736	0.003	**	0.3222731
scale(max_3)	-4.363559	0.004	**	0.3210514
scale(GDH5_16)	-4.285088	0.004	**	0.3078261
scale(GDD7_45)	-4.272444	0.004	**	0.3057175
scale(GDD3_13)	-4.267057	0.005	**	0.3048211
scale(GDH5_3)	-4.247907	0.005	**	0.3016433
scale(GDH3_13)	-4.243260	0.005	**	0.3008745
scale(GDD7_b)	-4.206784	0.005	**	0.2948679
scale(precipitation_13)	-4.195822	0.005	**	0.2930729
scale(max_13)	-4.171834	0.006	**	0.2891614
scale(mean_13)	-4.143596	0.006	**	0.2845856
scale(GDH5_13)	-4.142648	0.006	**	0.2844326
scale(GDD5_16)	-4.138801	0.006	**	0.2838116
scale(GDD3_46)	-4.100848	0.007	**	0.2777176
scale(mean_3)	-4.094986	0.007	**	0.2767814
scale(GDH10_4)	-4.073755	0.007	**	0.2734016
scale(min_13)	-4.026217	0.008	**	0.2658980

variable	Estimate	P	sig	Rsquare
scale(GDH3_46)	-4.002432	0.009	**	0.2621766
scale(GDH7_3)	-3.854263	0.012	*	0.2394911
scale(min_46)	-3.797499	0.014	*	0.2310268
scale(GDD5_3)	-3.790514	0.014	*	0.2299940
scale(GDD5_13)	-3.755164	0.015	*	0.2247959
scale(GDH7_13)	-3.748279	0.015	*	0.2237891
scale(min_3)	-3.653020	0.018	*	0.2100498
scale(GDH10_b)	-3.621330	0.02	*	0.2055576
scale(GDD5_46)	-3.615456	0.02	*	0.2047291
scale(GDH5_46)	-3.577493	0.021	*	0.1994077
scale(GDH10_45)	-3.542694	0.023	*	0.1945792
scale(GDD10_34)	-3.501712	0.025	*	0.1889534
scale(GDH7_16)	-3.434157	0.028	*	0.1798226
scale(GDD10_4)	-3.106852	0.05	*	0.1381021

## With FFD\_last

```
models15<-lapply(names(mean_weather7)[c(7:9,19:21,31:33,43:45,
55:57,67:69,79:81,91:93,103:105,115:117,127:129,139:141,146:217)],
  function(x) {lm(substitute(FFD_last ~ scale(i), list(i = as.name(x))),
    data = mean_weather7)})
models15_summary<-lapply(X = models15, FUN = summary)%>% lapply(prettify) %>% bind_rows()
models15_summary<-models15_summary[c(1:2,5,6)]
names(models15_summary)<-c("variable","Estimate","P","sig")
models15_summary<-subset(models15_summary,!variable=="(Intercept)")
models15_summary<-cbind(models15_summary,sapply(lapply(X = models15, FUN = summary), "[", 9))
names(models15_summary)[5]<- "Rsquare"
kable(arrange(subset(models15_summary,sig=="*"|sig=="**"|sig=="***"),desc(Rsquare)))
```

variable	Estimate	P	sig	Rsquare
scale(min_5)	-4.510640	<0.001	***	0.5598494
scale(GDH7_45)	-4.506935	<0.001	***	0.5588481
scale(GDH5_45)	-4.491293	<0.001	***	0.5546291
scale(GDD5_45)	-4.462057	<0.001	***	0.5467830
scale(GDD7_45)	-4.429817	<0.001	***	0.5381902
scale(GDH3_45)	-4.394657	<0.001	***	0.5288904
scale(GDD3_45)	-4.358849	<0.001	***	0.5194949
scale(min_45)	-4.311812	<0.001	***	0.5072703
scale(GDH10_45)	-4.301700	<0.001	***	0.5046596
scale(GDH5_5)	-4.265259	<0.001	***	0.4953020
scale(GDH3_16)	-4.264740	<0.001	***	0.4951692
scale(GDH7_5)	-4.259634	<0.001	***	0.4938647
scale(GDH3_5)	-4.254050	<0.001	***	0.4924396
scale(mean_45)	-4.249681	<0.001	***	0.4913260
scale(GDD5_5)	-4.244828	<0.001	***	0.4900905
scale(GDD7_5)	-4.242475	<0.001	***	0.4894917
scale(GDD3_5)	-4.238589	<0.001	***	0.4885039
scale(GDD3_16)	-4.219686	<0.001	***	0.4837114
scale(GDD10_45)	-4.215292	<0.001	***	0.4826005
scale(mean_5)	-4.182338	<0.001	***	0.4743055

variable	Estimate	P	sig	Rsquare
scale(GDD10_5)	-4.146113	<0.001	***	0.4652625
scale(GDH10_5)	-4.114950	<0.001	***	0.4575459
scale(GDH5_16)	-4.110689	<0.001	***	0.4564955
scale(GDD5_16)	-3.997899	0.001	***	0.4290822
scale(GDD3_46)	-3.882864	0.001	***	0.4019086
scale(mean_46)	-3.872485	0.001	***	0.3994959
scale(GDH3_46)	-3.872152	0.001	***	0.3994186
scale(max_5)	-3.866074	0.001	***	0.3980088
scale(max_16)	-3.846577	0.001	**	0.3935016
scale(max_45)	-3.840321	0.001	**	0.3920601
scale(GDD5_46)	-3.824981	0.001	**	0.3885356
scale(GDH5_46)	-3.797762	0.001	**	0.3823164
scale(GDH7_16)	-3.795933	0.001	**	0.3819001
scale(min_46)	-3.768138	0.001	**	0.3755982
scale(GDD7_16)	-3.620926	0.002	**	0.3429937
scale(GDH7_46)	-3.618182	0.003	**	0.3423983
scale(max_46)	-3.602800	0.003	**	0.3390690
scale(max_3)	-3.597444	0.003	**	0.3379131
scale(GDD7_46)	-3.591130	0.003	**	0.3365526
scale(mean_16)	-3.482179	0.004	**	0.3134532
scale(mean_b)	-3.319274	0.007	**	0.2802422
scale(max_34)	-3.278196	0.007	**	0.2721189
scale(GDH10_16)	-3.241990	0.008	**	0.2650428
scale(GDH3_3)	-3.217362	0.009	**	0.2602745
scale(GDH10_46)	-3.187718	0.01	**	0.2545834
scale(GDH3_13)	-3.178015	0.01	**	0.2527319
scale(GDH3_b)	-3.164582	0.01	*	0.2501780
scale(GDD3_b)	-3.151599	0.011	*	0.2477201
scale(GDD3_3)	-3.142863	0.011	*	0.2460720
scale(max_b)	-3.133708	0.011	*	0.2443495
scale(max_13)	-3.093156	0.013	*	0.2367806
scale(GDD10_16)	-3.090531	0.013	*	0.2362942
scale(GDD3_13)	-3.089528	0.013	*	0.2361084
scale(GDD10_46)	-3.088169	0.013	*	0.2358567
scale(mean_3)	-3.086984	0.013	*	0.2356374
scale(min_16)	-3.053517	0.014	*	0.2294776
scale(mean_34)	-3.049881	0.014	*	0.2288125
scale(GDH5_b)	-3.025428	0.015	*	0.2243595
scale(GDD5_b)	-2.944207	0.018	*	0.2098263
scale(GDH5_13)	-2.880970	0.022	*	0.1987848
scale(GDH3_34)	-2.833682	0.024	*	0.1906847
scale(GDD3_34)	-2.806325	0.026	*	0.1860599
scale(GDH5_3)	-2.805960	0.026	*	0.1859986
scale(GDH7_b)	-2.800757	0.026	*	0.1851240
scale(mean_13)	-2.780684	0.027	*	0.1817659
scale(min_b)	-2.701016	0.033	*	0.1686758
scale(min_3)	-2.576678	0.043	*	0.1490062
scale(min_34)	-2.543446	0.046	*	0.1439061
scale(GDD7_b)	-2.543048	0.046	*	0.1438454
scale(min_13)	-2.506245	0.05	*	0.1382753



## With date\_10

```
models16<-lapply(names(mean_weather7)[c(7:9,19:21,31:33,43:45,
55:57,67:69,79:81,91:93,103:105,115:117,127:129,139:141,146:217)],
function(x) {lm(substitute(date_10 ~ scale(i), list(i = as.name(x))),
data = mean_weather7)})
models16_summary<-lapply(X = models16, FUN = summary)%>% lapply(prettify) %>% bind_rows()
models16_summary<-models16_summary[c(1:2,5,6)]
names(models16_summary)<-c("variable","Estimate","P","sig")
models16_summary<-subset(models16_summary,!variable=="(Intercept)")
models16_summary<-cbind(models16_summary,sapply(lapply(X = models16, FUN = summary), "[", 9))
names(models16_summary)[5]<-"Rsquare"
kable(arrange(subset(models16_summary,sig=="*"|sig=="**"|sig=="***"),desc(Rsquare)))
```

variable	Estimate	P	sig	Rsquare
scale(mean_45)	-5.609292	<0.001	***	0.7023764
scale(mean_b)	-5.525249	<0.001	***	0.6799997
scale(min_45)	-5.382888	<0.001	***	0.6428667
scale(GDD3_45)	-5.371391	<0.001	***	0.6399102
scale(GDD3_b)	-5.363048	<0.001	***	0.6377688
scale(max_45)	-5.325682	<0.001	***	0.6282183
scale(GDH3_b)	-5.325520	<0.001	***	0.6281770
scale(GDH3_45)	-5.310196	<0.001	***	0.6242797
scale(max_b)	-5.302125	<0.001	***	0.6222317
scale(GDH5_b)	-5.036591	<0.001	***	0.5565859
scale(GDD3_34)	-5.013581	<0.001	***	0.5510562
scale(GDH5_45)	-5.000905	<0.001	***	0.5480208
scale(GDD5_45)	-4.946429	<0.001	***	0.5350629
scale(GDH3_34)	-4.908166	<0.001	***	0.5260465
scale(GDD5_b)	-4.868289	<0.001	***	0.5167242
scale(GDD3_16)	-4.742488	<0.001	***	0.4878133
scale(max_16)	-4.709113	<0.001	***	0.4802702
scale(GDH3_16)	-4.693240	<0.001	***	0.4767014
scale(min_b)	-4.679390	<0.001	***	0.4735975
scale(max_34)	-4.661398	<0.001	***	0.4695787
scale(GDH5_34)	-4.653344	<0.001	***	0.4677849
scale(min_4)	-4.631395	<0.001	***	0.4629117
scale(mean_4)	-4.590518	<0.001	***	0.4538978
scale(GDH7_b)	-4.535646	<0.001	***	0.4419232
scale(mean_34)	-4.525262	<0.001	***	0.4396732
scale(max_46)	-4.519119	<0.001	***	0.4383448
scale(mean_46)	-4.502448	0.001	***	0.4347485
scale(GDD5_34)	-4.500811	0.001	***	0.4343961
scale(GDH7_45)	-4.479617	0.001	***	0.4298448
scale(mean_16)	-4.443113	0.001	***	0.4220563
scale(GDD3_4)	-4.436783	0.001	***	0.4207121
scale(GDH3_4)	-4.333740	0.001	***	0.3991017
scale(GDH7_34)	-4.302026	0.001	**	0.3925528
scale(GDD7_45)	-4.223716	0.001	**	0.3765878
scale(GDH5_16)	-4.212508	0.001	**	0.3743268
scale(GDD3_46)	-4.211584	0.001	**	0.3741407
scale(GDD5_4)	-4.139377	0.002	**	0.3597216
scale(GDH5_4)	-4.138168	0.002	**	0.3594825

variable	Estimate	P	sig	Rsquare
scale(GDH3_46)	-4.113352	0.002	**	0.3545859
scale(GDD5_16)	-4.088070	0.002	**	0.3496278
scale(GDD7_b)	-4.067765	0.002	**	0.3456678
scale(min_16)	-4.033000	0.003	**	0.3389336
scale(max_4)	-3.999222	0.003	**	0.3324460
scale(min_34)	-3.936563	0.004	**	0.3205557
scale(GDH7_4)	-3.872536	0.004	**	0.3085997
scale(GDD7_34)	-3.839761	0.005	**	0.3025553
scale(min_46)	-3.837762	0.005	**	0.3021884
scale(GDD3_13)	-3.753343	0.006	**	0.2868647
scale(precipitation_13)	-3.752029	0.006	**	0.2866289
scale(GDD5_46)	-3.749015	0.006	**	0.2860883
scale(max_13)	-3.747423	0.006	**	0.2858029
scale(max_3)	-3.746788	0.006	**	0.2856891
scale(GDH3_13)	-3.740661	0.006	**	0.2845921
scale(GDH5_46)	-3.721209	0.007	**	0.2811214
scale(mean_13)	-3.716385	0.007	**	0.2802634
scale(GDH3_3)	-3.647065	0.008	**	0.2680578
scale(GDD3_3)	-3.643690	0.008	**	0.2674694
scale(GDD7_4)	-3.607219	0.009	**	0.2611459
scale(min_13)	-3.602717	0.009	**	0.2603697
scale(GDH10_34)	-3.555027	0.01	*	0.2522073
scale(mean_3)	-3.536272	0.011	*	0.2490270
scale(GDH10_45)	-3.525101	0.011	*	0.2471407
scale(GDH10_b)	-3.501433	0.011	*	0.2431640
scale(GDH7_16)	-3.492608	0.012	*	0.2416882
scale(GDH5_13)	-3.462076	0.013	*	0.2366106
scale(GDH5_3)	-3.366089	0.016	*	0.2209381
scale(mean_5)	-3.302640	0.018	*	0.2108203
scale(GDD3_5)	-3.251299	0.02	*	0.2027743
scale(GDD7_16)	-3.218828	0.022	*	0.1977505
scale(GDH10_4)	-3.216880	0.022	*	0.1974507
scale(GDH3_5)	-3.210184	0.022	*	0.1964216
scale(max_5)	-3.196151	0.023	*	0.1942719
scale(GDD5_5)	-3.194765	0.023	*	0.1940602
scale(GDH7_46)	-3.171379	0.024	*	0.1905001
scale(min_3)	-3.163497	0.025	*	0.1893061
scale(min_5)	-3.108100	0.028	*	0.1809984
scale(GDH5_5)	-3.106551	0.028	*	0.1807683
scale(GDD5_13)	-3.061536	0.03	*	0.1741289
scale(GDD7_46)	-3.046592	0.031	*	0.1719461
scale(GDD5_3)	-2.984799	0.035	*	0.1630341
scale(GDD7_5)	-2.958619	0.037	*	0.1593134
scale(GDH7_13)	-2.947866	0.038	*	0.1577947
scale(GDH7_3)	-2.939229	0.039	*	0.1565788
scale(GDH7_5)	-2.904674	0.041	*	0.1517501
scale(GDD10_34)	-2.834436	0.047	*	0.1421111

## With date\_20

```
models17<-lapply(names(mean_weather7)[c(7:9,19:21,31:33,43:45,
55:57,67:69,79:81,91:93,103:105,115:117,127:129,139:141,146:217)],
  function(x) {lm(substitute(date_20 ~ scale(i), list(i = as.name(x))),
    data = mean_weather7)})
models17_summary<-lapply(X = models17, FUN = summary)%>% lapply(prettify) %>% bind_rows()
models17_summary<-models17_summary[c(1:2,5,6)]
names(models17_summary)<-c("variable","Estimate","P","sig")
models17_summary<-subset(models17_summary,!variable=="(Intercept)")
models17_summary<-cbind(models17_summary,sapply(lapply(X = models17, FUN = summary), "[", 9))
names(models17_summary)[5]<-"Rsquare"
kable(arrange(subset(models17_summary,sig=="*"|sig=="**"|sig=="***"),desc(Rsquare)))
```

variable	Estimate	P	sig	Rsquare
scale(mean_45)	-5.304641	<0.001	***	0.7488650
scale(GDD3_45)	-5.082933	<0.001	***	0.6834830
scale(min_45)	-5.080096	<0.001	***	0.6826647
scale(mean_b)	-5.051815	<0.001	***	0.6745299
scale(GDH3_45)	-5.033528	<0.001	***	0.6692938
scale(max_45)	-5.019049	<0.001	***	0.6651618
scale(GDD3_b)	-4.933349	<0.001	***	0.6409474
scale(GDH3_b)	-4.897249	<0.001	***	0.6308725
scale(max_b)	-4.850269	<0.001	***	0.6178717
scale(GDH5_45)	-4.793629	<0.001	***	0.6023644
scale(GDD5_45)	-4.734707	<0.001	***	0.5864255
scale(GDH5_b)	-4.671399	<0.001	***	0.5695199
scale(GDD3_16)	-4.596247	<0.001	***	0.5497469
scale(GDH3_16)	-4.554746	<0.001	***	0.5389654
scale(GDD5_b)	-4.529060	<0.001	***	0.5323412
scale(max_16)	-4.496285	<0.001	***	0.5239434
scale(max_46)	-4.444193	<0.001	***	0.5107214
scale(mean_46)	-4.433625	<0.001	***	0.5080580
scale(GDD3_34)	-4.389811	<0.001	***	0.4970827
scale(GDH7_45)	-4.378863	<0.001	***	0.4943573
scale(GDH3_34)	-4.296344	<0.001	***	0.4740339
scale(GDH7_b)	-4.280149	<0.001	***	0.4700907
scale(min_b)	-4.248920	<0.001	***	0.4625291
scale(mean_16)	-4.207527	<0.001	***	0.4525915
scale(GDD3_46)	-4.175745	<0.001	***	0.4450275
scale(GDD7_45)	-4.162683	<0.001	***	0.4419355
scale(GDH5_16)	-4.159465	<0.001	***	0.4411751
scale(max_34)	-4.149316	<0.001	***	0.4387811
scale(min_4)	-4.140371	<0.001	***	0.4366758
scale(GDH3_46)	-4.092908	0.001	***	0.4255819
scale(mean_34)	-4.053436	0.001	***	0.4164532
scale(GDD5_16)	-4.045154	0.001	***	0.4145489
scale(GDH5_34)	-4.014749	0.001	***	0.4075917
scale(mean_4)	-3.994912	0.001	***	0.4030810
scale(GDD7_b)	-3.890528	0.001	**	0.3797130
scale(GDD5_34)	-3.869625	0.001	**	0.3751078
scale(GDD3_4)	-3.823607	0.002	**	0.3650570
scale(min_46)	-3.793420	0.002	**	0.3585293

variable	Estimate	P	sig	Rsquare
scale(GDD5_46)	-3.782681	0.002	**	0.3562194
scale(min_16)	-3.778393	0.002	**	0.3552990
scale(GDH5_46)	-3.765321	0.002	**	0.3524994
scale(GDH3_4)	-3.718213	0.003	**	0.3424912
scale(GDH7_34)	-3.680089	0.003	**	0.3344837
scale(GDH10_45)	-3.588484	0.004	**	0.3155809
scale(GDH7_16)	-3.561914	0.004	**	0.3101871
scale(min_34)	-3.555382	0.004	**	0.3088673
scale(GDH5_4)	-3.522998	0.005	**	0.3023597
scale(max_13)	-3.515541	0.005	**	0.3008696
scale(GDD5_4)	-3.515143	0.005	**	0.3007901
scale(GDH3_13)	-3.464158	0.006	**	0.2906879
scale(GDD3_13)	-3.464149	0.006	**	0.2906861
scale(mean_13)	-3.456817	0.006	**	0.2892456
scale(mean_5)	-3.447991	0.006	**	0.2875155
scale(max_3)	-3.436382	0.006	**	0.2852465
scale(GDH10_b)	-3.425894	0.006	**	0.2832032
scale(max_4)	-3.404147	0.007	**	0.2789865
scale(GDD3_5)	-3.379665	0.007	**	0.2742714
scale(max_5)	-3.379038	0.007	**	0.2741511
scale(precipitation_13)	-3.366027	0.008	**	0.2716597
scale(GDH3_5)	-3.345352	0.008	**	0.2677202
scale(GDD5_5)	-3.333036	0.008	**	0.2653853
scale(GDD7_16)	-3.330017	0.008	**	0.2648141
scale(min_13)	-3.324774	0.008	**	0.2638236
scale(GDH7_46)	-3.302618	0.009	**	0.2596551
scale(GDD7_34)	-3.294086	0.009	**	0.2580570
scale(GDH7_4)	-3.285560	0.009	**	0.2564645
scale(GDH3_3)	-3.278406	0.01	**	0.2551313
scale(GDD3_3)	-3.268543	0.01	**	0.2532981
scale(GDH5_5)	-3.261869	0.01	*	0.2520609
scale(mean_3)	-3.226031	0.011	*	0.2454598
scale(GDD7_46)	-3.194596	0.012	*	0.2397298
scale(GDH5_13)	-3.146706	0.014	*	0.2311084
scale(min_5)	-3.140416	0.014	*	0.2299856
scale(GDD7_5)	-3.125652	0.014	*	0.2273592
scale(GDH7_5)	-3.091937	0.016	*	0.2214079
scale(GDD7_4)	-3.079979	0.016	*	0.2193127
scale(GDH10_34)	-3.032710	0.018	*	0.2111098
scale(GDH5_3)	-2.973613	0.021	*	0.2010327
scale(min_3)	-2.871978	0.026	*	0.1841658
scale(GDD10_45)	-2.843882	0.028	*	0.1796068
scale(GDD5_13)	-2.763541	0.034	*	0.1668169
scale(GDH10_5)	-2.737903	0.036	*	0.1628127
scale(GDH10_4)	-2.733017	0.036	*	0.1620537
scale(GDH10_16)	-2.691537	0.039	*	0.1556658
scale(GDD5_3)	-2.641555	0.043	*	0.1480983
scale(GDH7_13)	-2.628514	0.045	*	0.1461472
scale(GDH10_46)	-2.596006	0.048	*	0.1413254

## With date\_80

```
models18<-lapply(names(mean_weather7)[c(7:9,19:21,31:33,43:45,
55:57,67:69,79:81,91:93,103:105,115:117,127:129,139:141,146:217)],
  function(x) {lm(substitute(date_80 ~ scale(i), list(i = as.name(x))),
    data = mean_weather7)})
models18_summary<-lapply(X = models18, FUN = summary)%>% lapply(prettify) %>% bind_rows()
models18_summary<-models18_summary[c(1:2,5,6)]
names(models18_summary)<-c("variable","Estimate","P","sig")
models18_summary<-subset(models18_summary,!variable=="(Intercept)")
models18_summary<-cbind(models18_summary,sapply(lapply(X = models18, FUN = summary), "[", 9))
names(models18_summary)[5]<-"Rsquare"
kable(arrange(subset(models18_summary,sig=="*"|sig=="**"|sig=="***"),desc(Rsquare)))
```

variable	Estimate	P	sig	Rsquare
scale(mean_45)	-4.886031	<0.001	***	0.7791540
scale(GDD3_45)	-4.792512	<0.001	***	0.7477174
scale(GDH3_45)	-4.782490	<0.001	***	0.7443847
scale(GDH5_45)	-4.754108	<0.001	***	0.7349839
scale(GDD5_45)	-4.714959	<0.001	***	0.7221088
scale(min_45)	-4.651202	<0.001	***	0.7013687
scale(GDH7_45)	-4.625914	<0.001	***	0.6932207
scale(max_45)	-4.610132	<0.001	***	0.6881582
scale(GDD3_16)	-4.541063	<0.001	***	0.6662057
scale(GDD7_45)	-4.513680	<0.001	***	0.6575940
scale(GDH3_16)	-4.507984	<0.001	***	0.6558092
scale(mean_46)	-4.471568	<0.001	***	0.6444521
scale(max_46)	-4.429332	<0.001	***	0.6313953
scale(GDH5_16)	-4.342895	<0.001	***	0.6050604
scale(GDD3_46)	-4.331809	<0.001	***	0.6017202
scale(mean_5)	-4.316552	<0.001	***	0.5971376
scale(max_5)	-4.314047	<0.001	***	0.5963866
scale(GDH3_46)	-4.287641	<0.001	***	0.5884980
scale(GDD5_16)	-4.279888	<0.001	***	0.5861910
scale(GDD3_5)	-4.254152	<0.001	***	0.5785628
scale(GDH10_45)	-4.239341	<0.001	***	0.5741938
scale(GDH3_5)	-4.237401	<0.001	***	0.5736224
scale(GDD3_b)	-4.235220	<0.001	***	0.5729807
scale(GDD5_5)	-4.233961	<0.001	***	0.5726104
scale(GDH3_b)	-4.206094	<0.001	***	0.5644415
scale(GDH5_5)	-4.194005	<0.001	***	0.5609146
scale(mean_b)	-4.188906	<0.001	***	0.5594301
scale(GDH5_b)	-4.173152	<0.001	***	0.5548547
scale(GDD5_46)	-4.145354	<0.001	***	0.5468236
scale(GDH5_46)	-4.125117	<0.001	***	0.5410106
scale(GDD5_b)	-4.121912	<0.001	***	0.5400924
scale(max_16)	-4.113530	<0.001	***	0.5376949
scale(GDD7_5)	-4.091047	<0.001	***	0.5312882
scale(GDH7_5)	-4.087710	<0.001	***	0.5303405
scale(GDH7_b)	-4.067070	<0.001	***	0.5244946
scale(max_b)	-4.032612	<0.001	***	0.5148011
scale(GDH7_16)	-4.015607	<0.001	***	0.5100477
scale(min_46)	-3.917565	<0.001	***	0.4830341

variable	Estimate	P	sig	Rsquare
scale(GDD7_16)	-3.884384	<0.001	***	0.4740431
scale(GDH7_46)	-3.860158	<0.001	***	0.4675267
scale(GDD7_b)	-3.855158	<0.001	***	0.4661869
scale(min_5)	-3.850984	<0.001	***	0.4650698
scale(GDH10_5)	-3.822571	<0.001	***	0.4574974
scale(GDD7_46)	-3.804748	<0.001	***	0.4527760
scale(GDD10_45)	-3.802173	<0.001	***	0.4520957
scale(mean_16)	-3.754825	<0.001	***	0.4396684
scale(GDH10_b)	-3.630432	0.001	***	0.4077616
scale(GDD10_5)	-3.533529	0.001	**	0.3836507
scale(GDH10_16)	-3.446255	0.002	**	0.3624939
scale(min_b)	-3.411415	0.002	**	0.3541957
scale(GDH10_46)	-3.379851	0.002	**	0.3467507
scale(min_16)	-3.254903	0.004	**	0.3179583
scale(GDD10_16)	-3.111827	0.006	**	0.2863206
scale(GDD10_46)	-3.092343	0.006	**	0.2821222
scale(max_13)	-3.043923	0.008	**	0.2718028
scale(GDD3_13)	-3.042196	0.008	**	0.2714378
scale(GDH3_13)	-3.038950	0.008	**	0.2707523
scale(GDD10_b)	-3.025818	0.008	**	0.2679862
scale(GDD3_34)	-2.990606	0.009	**	0.2606283
scale(GDH3_34)	-2.905369	0.011	*	0.2431739
scale(mean_13)	-2.898273	0.012	*	0.2417435
scale(max_34)	-2.886996	0.012	*	0.2394778
scale(mean_34)	-2.841236	0.014	*	0.2303738
scale(GDH5_13)	-2.706629	0.02	*	0.2044370
scale(min_4)	-2.705104	0.02	*	0.2041503
scale(min_13)	-2.700853	0.02	*	0.2033522
scale(max_3)	-2.680203	0.021	*	0.1994928
scale(GDD3_3)	-2.636802	0.024	*	0.1914781
scale(GDH3_3)	-2.612213	0.025	*	0.1869953
scale(GDH5_34)	-2.596949	0.026	*	0.1842338
scale(GDD5_34)	-2.504409	0.033	*	0.1678377
scale(min_34)	-2.481947	0.035	*	0.1639477
scale(mean_4)	-2.463259	0.037	*	0.1607380
scale(mean_3)	-2.429688	0.039	*	0.1550330
scale(GDD5_13)	-2.402659	0.042	*	0.1504965
scale(GDH5_3)	-2.338815	0.048	*	0.1399829

## With date\_90

```
models19<-lapply(names(mean_weather7)[c(7:9,19:21,31:33,43:45,
55:57,67:69,79:81,91:93,103:105,115:117,127:129,139:141,146:217)],
function(x) {lm(substitute(date_90 ~ scale(i), list(i = as.name(x))),
data = mean_weather7)})
models19_summary<-lapply(X = models19, FUN = summary)%>% lapply(prettify) %>% bind_rows()
models19_summary<-models19_summary[c(1:2,5,6)]
names(models19_summary)<-c("variable", "Estimate", "P", "sig")
models19_summary<-subset(models19_summary, !variable=="(Intercept)")
models19_summary<-cbind(models19_summary,sapply(lapply(X = models19, FUN = summary), "[", 9))
```

```
names(models19_summary)[5]<-"Rsquare"
kable(arrange(subset(models19_summary,sig=="*"|sig=="**"|sig=="***"),desc(Rsquare)))
```

variable	Estimate	P	sig	Rsquare
scale(mean_45)	-4.780968	<0.001	***	0.7464281
scale(GDH5_45)	-4.768925	<0.001	***	0.7424209
scale(GDD5_45)	-4.735733	<0.001	***	0.7314288
scale(GDH3_45)	-4.733345	<0.001	***	0.7306408
scale(GDD3_45)	-4.730538	<0.001	***	0.7297153
scale(GDH7_45)	-4.725221	<0.001	***	0.7279636
scale(GDD7_45)	-4.642303	<0.001	***	0.7008996
scale(max_5)	-4.602059	<0.001	***	0.6879369
scale(mean_5)	-4.588322	<0.001	***	0.6835382
scale(min_45)	-4.540131	<0.001	***	0.6682103
scale(GDD3_16)	-4.539823	<0.001	***	0.6681129
scale(GDD3_5)	-4.532186	<0.001	***	0.6656989
scale(GDH3_5)	-4.521116	<0.001	***	0.6622070
scale(GDD5_5)	-4.520168	<0.001	***	0.6619086
scale(max_45)	-4.511601	<0.001	***	0.6592125
scale(GDH3_16)	-4.509169	<0.001	***	0.6584482
scale(mean_46)	-4.492335	<0.001	***	0.6531683
scale(GDH5_5)	-4.489746	<0.001	***	0.6523579
scale(GDH10_45)	-4.456266	<0.001	***	0.6419221
scale(max_46)	-4.434144	<0.001	***	0.6350694
scale(GDH5_16)	-4.413710	<0.001	***	0.6287699
scale(GDH7_5)	-4.402538	<0.001	***	0.6253379
scale(GDD7_5)	-4.398666	<0.001	***	0.6241505
scale(GDD3_46)	-4.390457	<0.001	***	0.6216367
scale(GDD5_16)	-4.366589	<0.001	***	0.6143542
scale(GDH3_46)	-4.358142	<0.001	***	0.6117863
scale(GDD5_46)	-4.265769	<0.001	***	0.5840298
scale(GDH5_46)	-4.244093	<0.001	***	0.5776027
scale(GDH10_5)	-4.164493	<0.001	***	0.5542814
scale(GDH7_16)	-4.163759	<0.001	***	0.5540683
scale(GDD10_45)	-4.110401	<0.001	***	0.5386855
scale(min_5)	-4.091547	<0.001	***	0.5332975
scale(GDD7_16)	-4.060930	<0.001	***	0.5246005
scale(GDD3_b)	-4.051381	<0.001	***	0.5219015
scale(GDH5_b)	-4.050217	<0.001	***	0.5215727
scale(GDH7_46)	-4.035462	<0.001	***	0.5174157
scale(GDH7_b)	-4.026263	<0.001	***	0.5148319
scale(GDH3_b)	-4.025277	<0.001	***	0.5145554
scale(GDD5_b)	-4.024906	<0.001	***	0.5144512
scale(max_16)	-4.007816	<0.001	***	0.5096679
scale(GDD7_46)	-3.995372	<0.001	***	0.5061981
scale(min_46)	-3.966258	<0.001	***	0.4981215
scale(mean_b)	-3.952909	<0.001	***	0.4944382
scale(GDD10_5)	-3.886912	<0.001	***	0.4764102
scale(GDD7_b)	-3.863227	<0.001	***	0.4700145
scale(max_b)	-3.811781	<0.001	***	0.4562567
scale(GDH10_b)	-3.708891	0.001	***	0.4292951
scale(GDH10_16)	-3.676291	0.001	***	0.4209065
scale(mean_16)	-3.628740	0.001	***	0.4088033

variable	Estimate	P	sig	Rsquare
scale(GDH10_46)	-3.616994	0.001	***	0.4058380
scale(GDD10_16)	-3.387460	0.002	**	0.3498189
scale(GDD10_46)	-3.370005	0.002	**	0.3457091
scale(GDD10_b)	-3.207245	0.004	**	0.3084093
scale(min_b)	-3.175444	0.005	**	0.3013370
scale(min_16)	-3.107722	0.006	**	0.2865110
scale(GDD3_13)	-2.930996	0.01	*	0.2493267
scale(GDH3_13)	-2.925578	0.011	*	0.2482210
scale(max_13)	-2.909480	0.011	*	0.2449481
scale(mean_13)	-2.739041	0.018	*	0.2114039
scale(GDD3_34)	-2.596743	0.026	*	0.1849487
scale(GDH5_13)	-2.596269	0.026	*	0.1848628
scale(max_34)	-2.526502	0.031	*	0.1724099
scale(min_13)	-2.521991	0.031	*	0.1716165
scale(GDH3_34)	-2.513398	0.032	*	0.1701089
scale(mean_34)	-2.487120	0.034	*	0.1655304
scale(GDD3_3)	-2.469574	0.036	*	0.1625001
scale(max_3)	-2.461834	0.036	*	0.1611702
scale(GDH3_3)	-2.432732	0.039	*	0.1562070
scale(precipitation_5)	2.324265	0.05	*	0.1382289

With days\_90\_10

```
models20<-lapply(names(mean_weather7)[c(7:9,19:21,31:33,43:45,
55:57,67:69,79:81,91:93,103:105,115:117,127:129,139:141,146:217)],
  function(x) {lm(substitute(days_90_10 ~ scale(i), list(i = as.name(x))),
    data = mean_weather7)})
models20_summary<-lapply(X = models20, FUN = summary)%>% lapply(prettify) %>% bind_rows()
models20_summary<-models20_summary[c(1:2,5,6)]
names(models20_summary)<-c("variable","Estimate","P","sig")
models20_summary<-subset(models20_summary,!variable=="(Intercept)")
models20_summary<-cbind(models20_summary,sapply(lapply(X = models20, FUN = summary), "[[", 9))
names(models20_summary)[5]<-"Rsquare"
kable(arrange(subset(models20_summary,sig=="*"|sig=="**"|sig=="***"),desc(Rsquare)))
```

variable	Estimate	P	sig	Rsquare
scale(GDH3_4)	2.609587	<0.001	***	0.4926759
scale(GDD3_4)	2.594391	<0.001	***	0.4863741
scale(GDH5_4)	2.577190	<0.001	***	0.4792852
scale(mean_4)	2.569025	<0.001	***	0.4759370
scale(GDD5_4)	2.552054	<0.001	***	0.4690110
scale(max_4)	2.494973	<0.001	***	0.4460537
scale(GDH5_34)	2.451434	0.001	***	0.4288916
scale(GDH7_4)	2.436748	0.001	***	0.4231710
scale(GDD3_34)	2.416838	0.001	***	0.4154703
scale(GDH3_34)	2.394768	0.001	***	0.4070079
scale(GDH7_34)	2.382928	0.001	***	0.4025001
scale(GDD5_34)	2.374691	0.001	***	0.3993775
scale(min_4)	2.360905	0.001	**	0.3941750
scale(GDD7_4)	2.239838	0.002	**	0.3497883



variable	Estimate	P	sig	Rsquare
scale(GDD7_34)	2.143644	0.004	**	0.3161863
scale(max_34)	2.134896	0.004	**	0.3132039
scale(precipitation_13)	2.043201	0.006	**	0.2826741
scale(mean_34)	2.038141	0.007	**	0.2810286
scale(GDH10_34)	2.024376	0.007	**	0.2765723
scale(GDH10_4)	2.014481	0.007	**	0.2733876
scale(min_34)	1.779925	0.021	*	0.2024645
scale(precipitation_4)	-1.753201	0.023	*	0.1949405
scale(GDD10_5)	-1.716217	0.026	*	0.1847153
scale(GDH10_5)	-1.660582	0.032	*	0.1697443
scale(precipitation_3)	1.623650	0.037	*	0.1600787
scale(mean_b)	1.572340	0.044	*	0.1470107

## With FFD\_mean

```
models21<-lapply(names(mean_weather7)[c(7:9,19:21,31:33,43:45,
55:57,67:69,79:81,91:93,103:105,115:117,127:129,139:141,146:217)],
  function(x) {lm(substitute(FFD_mean ~ scale(i), list(i = as.name(x))),
    data = mean_weather7)})
models21_summary<-lapply(X = models21, FUN = summary)%>% lapply(prettify) %>% bind_rows()
models21_summary<-models21_summary[c(1:2,5,6)]
names(models21_summary)<-c("variable","Estimate","P","sig")
models21_summary<-subset(models21_summary,!variable=="(Intercept)")
models21_summary<-cbind(models21_summary,sapply(lapply(X = models21, FUN = summary), "[", 9))
names(models21_summary)[5]<-"Rsquare"
kable(arrange(subset(models21_summary,sig=="*"|sig=="**"|sig=="***"),desc(Rsquare)))
```

variable	Estimate	P	sig	Rsquare
scale(mean_45)	-5.189354	<0.001	***	0.7644192
scale(GDD3_45)	-5.044179	<0.001	***	0.7194888
scale(GDH3_45)	-5.017876	<0.001	***	0.7114849
scale(max_45)	-4.966059	<0.001	***	0.6958392
scale(GDH5_45)	-4.880152	<0.001	***	0.6702579
scale(min_45)	-4.867603	<0.001	***	0.6665584
scale(GDD5_45)	-4.812688	<0.001	***	0.6504817
scale(GDD3_16)	-4.635369	<0.001	***	0.5998155
scale(max_46)	-4.632479	<0.001	***	0.5990053
scale(mean_b)	-4.595254	<0.001	***	0.5886171
scale(mean_46)	-4.592294	<0.001	***	0.5877946
scale(GDH3_16)	-4.587069	<0.001	***	0.5863439
scale(GDH7_45)	-4.582832	<0.001	***	0.5851690
scale(GDD3_b)	-4.579945	<0.001	***	0.5843690
scale(GDH3_b)	-4.545754	<0.001	***	0.5749327
scale(max_b)	-4.503158	<0.001	***	0.5632756
scale(GDH5_b)	-4.411765	<0.001	***	0.5386352
scale(GDD3_46)	-4.408219	<0.001	***	0.5376892
scale(GDD7_45)	-4.382465	<0.001	***	0.5308423
scale(GDH5_16)	-4.357646	<0.001	***	0.5242821
scale(GDH3_46)	-4.347540	<0.001	***	0.5216214
scale(GDD5_b)	-4.289443	<0.001	***	0.5064463

variable	Estimate	P	sig	Rsquare
scale(GDD5_16)	-4.264398	<0.001	***	0.4999672
scale(max_16)	-4.212815	<0.001	***	0.4867426
scale(GDH7_b)	-4.123679	<0.001	***	0.4642699
scale(GDD5_46)	-4.106000	<0.001	***	0.4598697
scale(GDH5_46)	-4.099952	<0.001	***	0.4583689
scale(GDH10_45)	-3.925744	0.001	***	0.4160853
scale(min_46)	-3.910445	0.001	***	0.4124596
scale(GDH7_16)	-3.906964	0.001	***	0.4116365
scale(mean_5)	-3.900101	0.001	***	0.4100162
scale(max_5)	-3.856773	0.001	***	0.3998518
scale(GDD3_5)	-3.850707	0.001	***	0.3984379
scale(mean_16)	-3.843845	0.001	**	0.3968412
scale(GDH3_5)	-3.826077	0.001	**	0.3927197
scale(GDD5_5)	-3.816282	0.001	**	0.3904556
scale(GDH5_5)	-3.759896	0.001	**	0.3775364
scale(GDD3_34)	-3.759883	0.001	**	0.3775333
scale(GDD7_b)	-3.757060	0.001	**	0.3768917
scale(GDH7_46)	-3.720840	0.002	**	0.3687005
scale(GDD7_16)	-3.697863	0.002	**	0.3635453
scale(GDH3_34)	-3.668764	0.002	**	0.3570624
scale(min_b)	-3.662870	0.002	**	0.3557554
scale(GDD7_5)	-3.627302	0.002	**	0.3479135
scale(GDD7_46)	-3.615971	0.002	**	0.3454315
scale(GDH7_5)	-3.607169	0.002	**	0.3435086
scale(min_5)	-3.562855	0.003	**	0.3338996
scale(max_34)	-3.553435	0.003	**	0.3318722
scale(GDH5_34)	-3.408210	0.005	**	0.3012967
scale(GDH10_b)	-3.373028	0.005	**	0.2940815
scale(mean_34)	-3.360440	0.006	**	0.2915180
scale(min_4)	-3.350947	0.006	**	0.2895912
scale(mean_4)	-3.346046	0.006	**	0.2885986
scale(min_16)	-3.339803	0.006	**	0.2873363
scale(GDD10_45)	-3.281799	0.007	**	0.2757207
scale(GDH10_5)	-3.264463	0.007	**	0.2722885
scale(GDD5_34)	-3.260892	0.008	**	0.2715839
scale(GDD3_4)	-3.179679	0.01	**	0.2557651
scale(GDH10_16)	-3.177653	0.01	**	0.2553757
scale(GDD3_13)	-3.130368	0.011	*	0.2463550
scale(GDH3_13)	-3.117478	0.011	*	0.2439194
scale(GDH10_46)	-3.103625	0.012	*	0.2413129
scale(GDH7_34)	-3.101454	0.012	*	0.2409056
scale(GDH3_4)	-3.073732	0.013	*	0.2357284
scale(max_13)	-3.071511	0.013	*	0.2353156
scale(max_3)	-2.980283	0.016	*	0.2186187
scale(mean_13)	-2.961587	0.017	*	0.2152592
scale(GDD10_5)	-2.946252	0.018	*	0.2125193
scale(GDD3_3)	-2.921262	0.019	*	0.2080848
scale(GDH3_3)	-2.915207	0.019	*	0.2070160
scale(GDH5_4)	-2.900750	0.02	*	0.2044732
scale(GDD5_4)	-2.876729	0.021	*	0.2002760
scale(max_4)	-2.857728	0.022	*	0.1969808
scale(GDH5_13)	-2.832867	0.024	*	0.1927021

variable	Estimate	P	sig	Rsquare
scale(min_34)	-2.813026	0.025	*	0.1893145
scale(min_13)	-2.798831	0.025	*	0.1869053
scale(GDD10_16)	-2.739030	0.029	*	0.1768897
scale(GDD10_46)	-2.721254	0.03	*	0.1739544
scale(precipitation_13)	-2.712312	0.031	*	0.1724851
scale(GDH7_4)	-2.703993	0.032	*	0.1711223
scale(GDD7_34)	-2.690342	0.033	*	0.1688953
scale(mean_3)	-2.657436	0.035	*	0.1635733
scale(GDH5_3)	-2.656617	0.035	*	0.1634417
scale(GDH10_34)	-2.503700	0.049	*	0.1395771

## Selection differentials for each year

### FFD, linear

```
seldiffs_FFD<-data.frame(data_sel %>% group_by(year) %>%
  do(model = lm(n_intact_seeds_rel ~ FFD_std, data = .)) %>% tidy(model))
seldiffs_FFD_nobs<-data.frame(data_sel %>% group_by(year) %>%
  do(nobs = nobs(lm(n_intact_seeds_rel ~ FFD_std, data = .)))) #N observations for each year
seldiffs_FFD_nobs
```

```
##   year nobs
## 1 1987 238
## 2 1988 171
## 3 1989  98
## 4 1990 133
## 5 1991 180
## 6 1992 116
## 7 1993 177
## 8 1994 187
## 9 1995  42
##10 1996 124
##11 2006  94
##12 2007  94
##13 2008  81
##14 2009  61
##15 2010  74
##16 2011  86
##17 2012 110
##18 2013  69
##19 2014  63
##20 2015  36
##21 2016 111
##22 2017 129
```

```
seldiffs_FFD$sig<-ifelse(seldiffs_FFD$p.value<0.05,"*","")
kable(subset(seldiffs_FFD,term=="FFD_std"),digits=3) #Linear selection differentials for FFD
```

	year	term	estimate	std.error	statistic	p.value	sig
2	1987	FFD_std	-0.372	0.092	-4.052	0.000	*

	year	term	estimate	std.error	statistic	p.value	sig
4	1988	FFD_std	-0.302	0.106	-2.840	0.005	*
6	1989	FFD_std	-0.609	0.128	-4.767	0.000	*
8	1990	FFD_std	-0.469	0.162	-2.887	0.005	*
10	1991	FFD_std	-0.662	0.078	-8.495	0.000	*
12	1992	FFD_std	-0.438	0.183	-2.391	0.018	*
14	1993	FFD_std	-0.428	0.133	-3.227	0.001	*
16	1994	FFD_std	-0.429	0.180	-2.387	0.018	*
18	1995	FFD_std	-0.147	0.241	-0.607	0.547	
20	1996	FFD_std	-0.373	0.106	-3.512	0.001	*
22	2006	FFD_std	-0.396	0.135	-2.920	0.004	*
24	2007	FFD_std	-0.425	0.111	-3.839	0.000	*
26	2008	FFD_std	-0.512	0.121	-4.247	0.000	*
28	2009	FFD_std	-0.215	0.269	-0.800	0.427	
30	2010	FFD_std	-0.492	0.164	-3.008	0.004	*
32	2011	FFD_std	-0.709	0.196	-3.609	0.001	*
34	2012	FFD_std	-1.035	0.187	-5.532	0.000	*
36	2013	FFD_std	-0.425	0.322	-1.319	0.192	
38	2014	FFD_std	-0.668	0.173	-3.854	0.000	*
40	2015	FFD_std	0.048	0.231	0.208	0.837	
42	2016	FFD_std	-0.351	0.096	-3.664	0.000	*
44	2017	FFD_std	0.282	0.497	0.567	0.572	

*#FFD \* (selection for early flowering) in all years but 1995,2009,2013,2015,2017*

## FFD, quadratic

```
seldiffs_FFD_q<-data.frame(data_sel %>% group_by(year) %>%
  do(model = lm(n_intact_seeds_rel ~ FFD_std+I(FFD_std^2), data = .)) %>% tidy(model))
seldiffs_FFD_q$sig<-ifelse(seldiffs_FFD_q$p.value<0.05,"*","")
kable(subset(seldiffs_FFD_q,term=="I(FFD_std^2)"),digits=3) #Quadratic selection differentials for FFD
```

	year	term	estimate	std.error	statistic	p.value	sig
3	1987	I(FFD_std^2)	-0.027	0.076	-0.348	0.728	
6	1988	I(FFD_std^2)	-0.030	0.067	-0.444	0.658	
9	1989	I(FFD_std^2)	0.067	0.099	0.673	0.502	
12	1990	I(FFD_std^2)	0.060	0.105	0.574	0.567	
15	1991	I(FFD_std^2)	0.087	0.072	1.200	0.232	
18	1992	I(FFD_std^2)	0.014	0.155	0.092	0.927	
21	1993	I(FFD_std^2)	-0.039	0.105	-0.376	0.707	
24	1994	I(FFD_std^2)	0.028	0.150	0.187	0.852	
27	1995	I(FFD_std^2)	-0.174	0.247	-0.703	0.486	
30	1996	I(FFD_std^2)	-0.089	0.089	-0.997	0.321	
33	2006	I(FFD_std^2)	0.075	0.073	1.016	0.312	
36	2007	I(FFD_std^2)	0.090	0.097	0.926	0.357	
39	2008	I(FFD_std^2)	0.164	0.063	2.595	0.011	*
42	2009	I(FFD_std^2)	-0.203	0.234	-0.866	0.390	
45	2010	I(FFD_std^2)	0.141	0.142	0.994	0.324	
48	2011	I(FFD_std^2)	0.191	0.134	1.425	0.158	
51	2012	I(FFD_std^2)	0.560	0.138	4.063	0.000	*

	year	term	estimate	std.error	statistic	p.value	sig
54	2013	I(FFD_std^2)	0.003	0.303	0.011	0.992	
57	2014	I(FFD_std^2)	0.177	0.143	1.241	0.219	
60	2015	I(FFD_std^2)	-0.423	0.237	-1.783	0.084	
63	2016	I(FFD_std^2)	0.008	0.068	0.112	0.911	
66	2017	I(FFD_std^2)	-0.125	0.250	-0.497	0.620	

*#I(FFD\_std^2) \* (disruptive selection - increases variance) in 2008 and 2012*

## Number of flowers, linear

```
seldiffs_nfl<-data.frame(data_sel %>% group_by(year) %>%
  do(model = lm(n_intact_seeds_rel ~ n_fl_std, data = .)) %>% tidy(model))
seldiffs_nfl$sig<-ifelse(seldiffs_nfl$p.value<0.05,"*", "")
kable(subset(seldiffs_nfl,term=="n_fl_std"),digits=3) #Linear selection differentials for nfl
```

	year	term	estimate	std.error	statistic	p.value	sig
2	1987	n_fl_std	0.766	0.081	9.478	0.000	*
4	1988	n_fl_std	0.541	0.101	5.376	0.000	*
6	1989	n_fl_std	0.846	0.113	7.504	0.000	*
8	1990	n_fl_std	0.681	0.156	4.357	0.000	*
10	1991	n_fl_std	0.695	0.076	9.104	0.000	*
12	1992	n_fl_std	0.114	0.187	0.606	0.546	
14	1993	n_fl_std	0.436	0.133	3.285	0.001	*
16	1994	n_fl_std	0.449	0.180	2.498	0.013	*
18	1995	n_fl_std	0.364	0.236	1.545	0.130	
20	1996	n_fl_std	0.642	0.095	6.750	0.000	*
22	2006	n_fl_std	0.611	0.126	4.835	0.000	*
24	2007	n_fl_std	0.283	0.116	2.445	0.016	*
26	2008	n_fl_std	0.769	0.102	7.541	0.000	*
28	2009	n_fl_std	0.304	0.267	1.137	0.260	
30	2010	n_fl_std	0.280	0.170	1.644	0.104	
32	2011	n_fl_std	0.924	0.185	4.985	0.000	*
34	2012	n_fl_std	1.054	0.186	5.666	0.000	*
36	2013	n_fl_std	0.083	0.326	0.255	0.800	
38	2014	n_fl_std	0.252	0.191	1.324	0.190	
40	2015	n_fl_std	-0.003	0.231	-0.012	0.990	
42	2016	n_fl_std	0.606	0.083	7.267	0.000	*
44	2017	n_fl_std	-0.541	0.496	-1.091	0.277	

*#nfl \* (selection for high number of flowers) in all years but 1992,1995,2009,2010,2013,2014,2015,2017*

## Number of flowers, quadratic

```
seldiffs_nfl_q<-data.frame(data_sel %>% group_by(year) %>%
  do(model = lm(n_intact_seeds_rel ~ n_fl_std+I(n_fl_std^2), data = .)) %>% tidy(model))
seldiffs_nfl_q$sig<-ifelse(seldiffs_nfl_q$p.value<0.05,"*", "")
kable(subset(seldiffs_nfl_q,term=="I(n_fl_std^2)"),digits=3) #Quadratic selection differentials for nfl
```

	year	term	estimate	std.error	statistic	p.value	sig
3	1987	I(n_fl_std^2)	-0.006	0.043	-0.135	0.892	
6	1988	I(n_fl_std^2)	0.001	0.066	0.009	0.993	
9	1989	I(n_fl_std^2)	0.027	0.099	0.274	0.785	
12	1990	I(n_fl_std^2)	-0.224	0.069	-3.234	0.002	*
15	1991	I(n_fl_std^2)	0.019	0.058	0.326	0.745	
18	1992	I(n_fl_std^2)	-0.261	0.106	-2.455	0.016	*
21	1993	I(n_fl_std^2)	-0.110	0.085	-1.293	0.198	
24	1994	I(n_fl_std^2)	-0.099	0.090	-1.098	0.274	
27	1995	I(n_fl_std^2)	-0.130	0.125	-1.039	0.305	
30	1996	I(n_fl_std^2)	-0.078	0.070	-1.121	0.264	
33	2006	I(n_fl_std^2)	-0.242	0.045	-5.402	0.000	*
36	2007	I(n_fl_std^2)	-0.135	0.053	-2.544	0.013	*
39	2008	I(n_fl_std^2)	-0.102	0.057	-1.775	0.080	
42	2009	I(n_fl_std^2)	-0.237	0.120	-1.976	0.053	
45	2010	I(n_fl_std^2)	-0.300	0.109	-2.740	0.008	*
48	2011	I(n_fl_std^2)	0.036	0.130	0.275	0.784	
51	2012	I(n_fl_std^2)	-0.179	0.110	-1.621	0.108	
54	2013	I(n_fl_std^2)	-0.185	0.322	-0.574	0.568	
57	2014	I(n_fl_std^2)	-0.222	0.091	-2.428	0.018	*
60	2015	I(n_fl_std^2)	-0.272	0.161	-1.694	0.100	
63	2016	I(n_fl_std^2)	-0.062	0.066	-0.944	0.347	
66	2017	I(n_fl_std^2)	0.156	0.350	0.447	0.656	

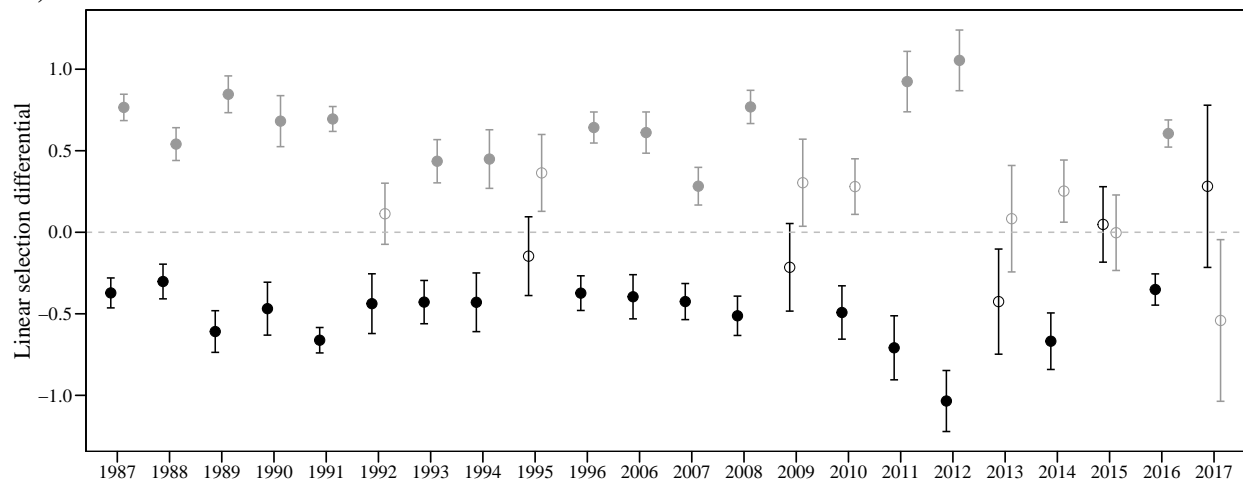
*#I(n\_fl\_std^2) \* (stabilizing selection - decreases variance) in 1990,1992,2006,2007,2010,2014*

All selection differentials

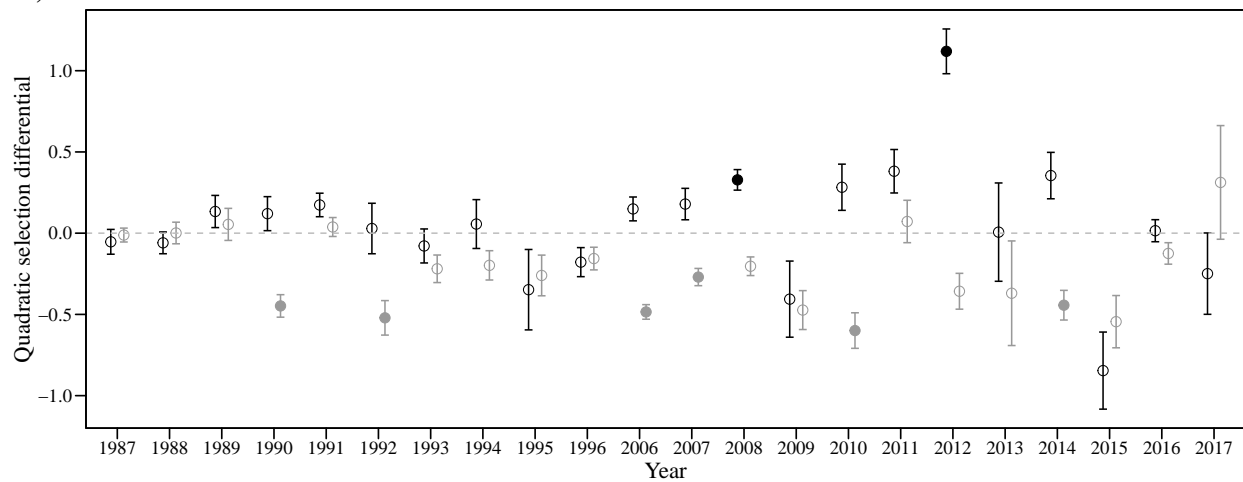
```
seldiffs<-rbind(subset(seldiffs_FFD,term=="FFD_std")[c(1:4,7)],
  subset(seldiffs_FFD_q,term=="I(FFD_std^2)")[c(1:4,7)],
  subset(seldiffs_nfl,term=="n_fl_std")[c(1:4,7)],
  subset(seldiffs_nfl_q,term=="I(n_fl_std^2)")[c(1:4,7)])
```

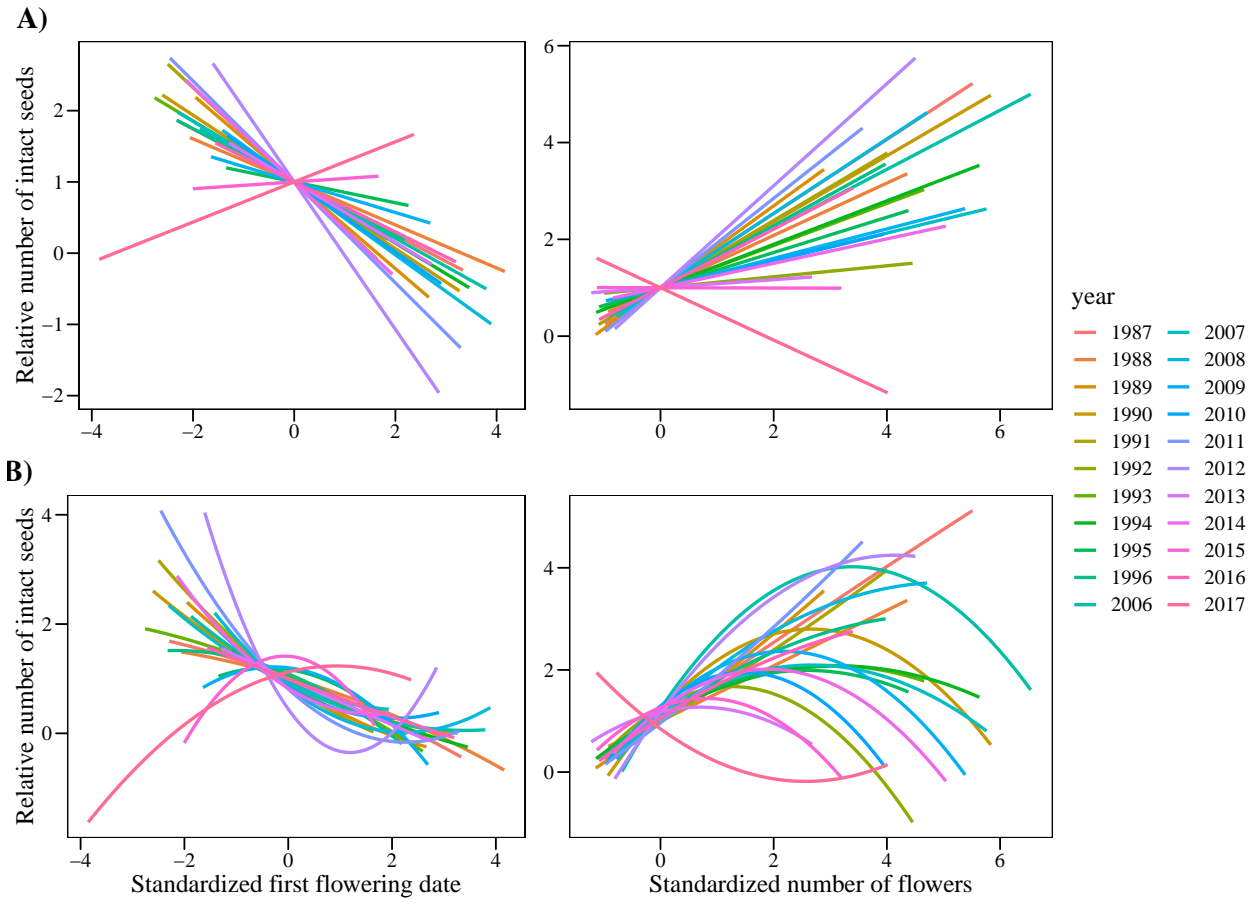
## Plots

A)

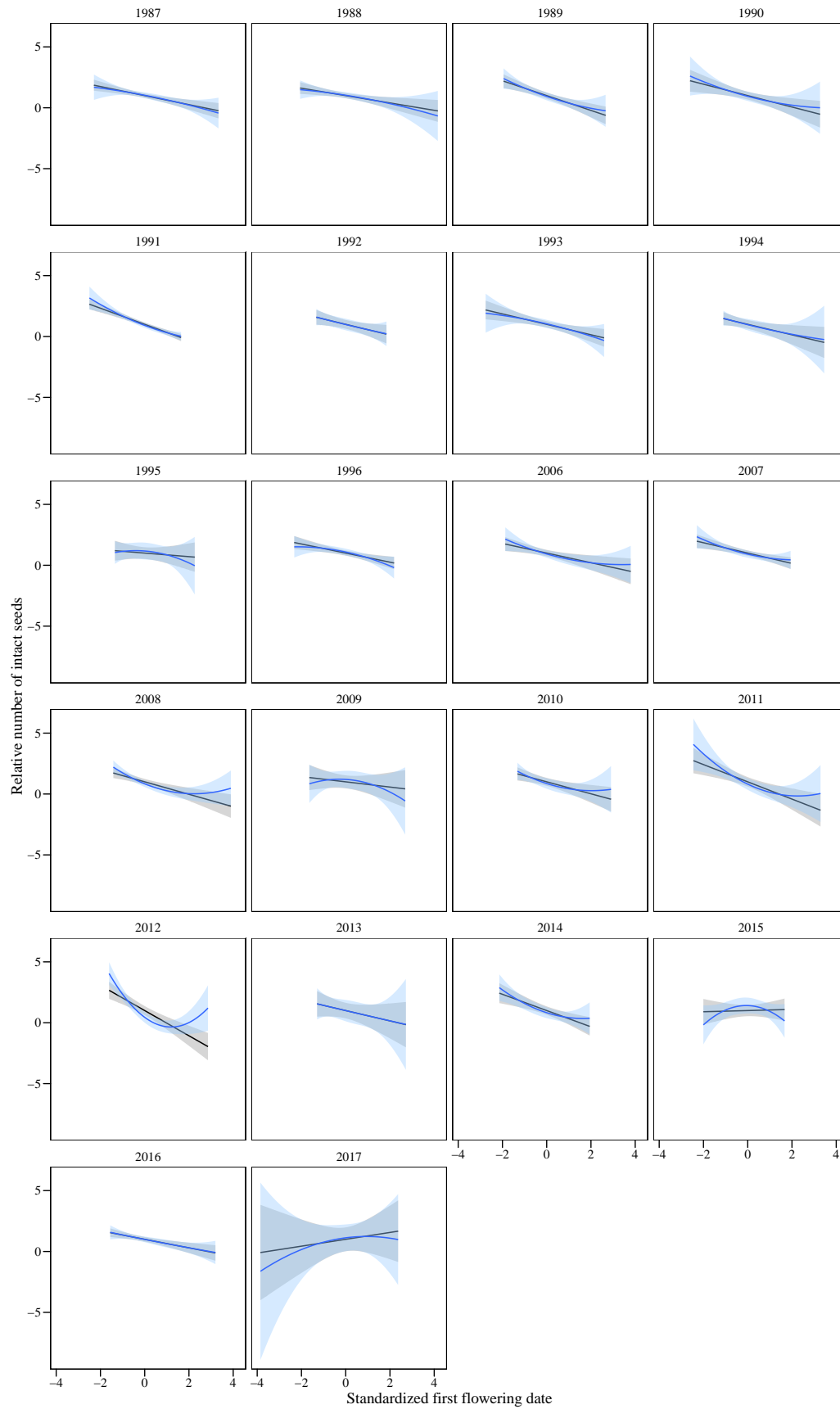


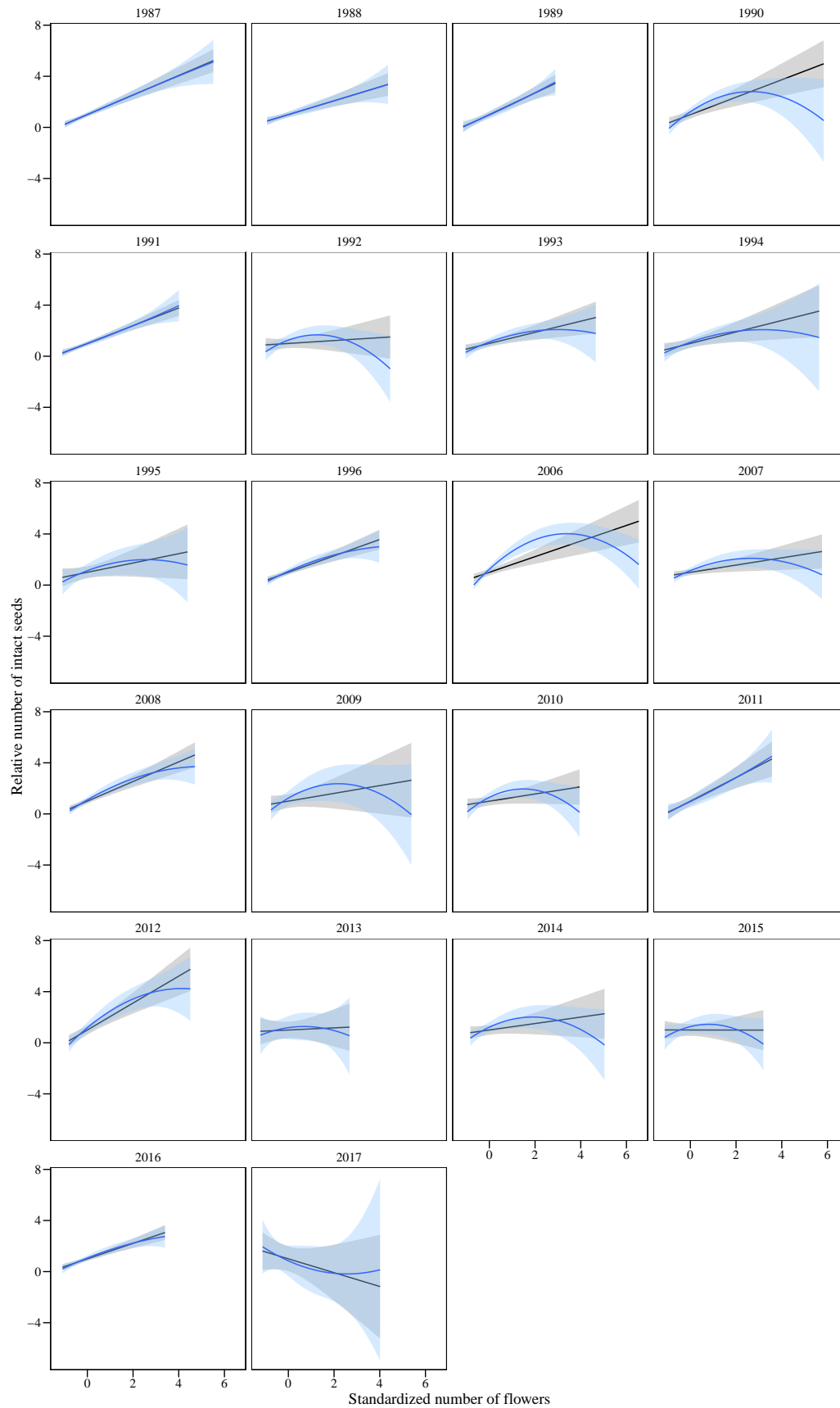
B)











## Selection gradients for each year

### FFD, linear

```
selgrads_FFD<-data.frame(data_sel %>% group_by(year) %>%
  do(model = lm(n_intact_seeds_rel ~ FFD_std+n_fl_std, data = .)) %>% tidy(model))
selgrads_FFD$sig<-ifelse(selgrads_FFD$p.value<0.05,"*","")
kable(subset(selgrads_FFD,term=="FFD_std"),digits=3) #Linear selection gradients for FFD
```

	year	term	estimate	std.error	statistic	p.value	sig
2	1987	FFD_std	-0.078	0.088	-0.883	0.378	
5	1988	FFD_std	-0.088	0.111	-0.789	0.431	
8	1989	FFD_std	-0.144	0.143	-1.010	0.315	
11	1990	FFD_std	-0.240	0.169	-1.418	0.159	
14	1991	FFD_std	-0.398	0.087	-4.564	0.000	*
17	1992	FFD_std	-0.463	0.199	-2.323	0.022	*
20	1993	FFD_std	-0.300	0.144	-2.084	0.039	*
23	1994	FFD_std	-0.300	0.194	-1.545	0.124	
26	1995	FFD_std	0.018	0.266	0.069	0.945	
29	1996	FFD_std	-0.170	0.101	-1.684	0.095	
32	2006	FFD_std	-0.228	0.132	-1.733	0.086	
35	2007	FFD_std	-0.383	0.131	-2.922	0.004	*
38	2008	FFD_std	-0.210	0.112	-1.873	0.065	
41	2009	FFD_std	-0.070	0.321	-0.218	0.828	
44	2010	FFD_std	-0.478	0.195	-2.459	0.016	*
47	2011	FFD_std	-0.301	0.218	-1.379	0.172	
50	2012	FFD_std	-0.665	0.210	-3.174	0.002	*
53	2013	FFD_std	-0.426	0.331	-1.284	0.204	
56	2014	FFD_std	-0.777	0.211	-3.676	0.001	*
59	2015	FFD_std	0.083	0.315	0.264	0.794	
62	2016	FFD_std	-0.055	0.097	-0.563	0.575	
65	2017	FFD_std	-0.020	0.595	-0.034	0.973	

#FFD \* (selection for early flowering) in 1991,1992,1993,2007,2010,2012,2014

### FFD, quadratic and correlational

```
selgrads_FFD_q<-data.frame(data_sel %>% group_by(year) %>%
  do(model = lm(n_intact_seeds_rel ~ FFD_std+I(FFD_std^2)+n_fl_std+I(n_fl_std^2)+FFD_std:n_fl_std, data = .)) %>% tidy(model))
selgrads_FFD_q$sig<-ifelse(selgrads_FFD_q$p.value<0.05,"*","")
kable(subset(selgrads_FFD_q,term=="I(FFD_std^2)"),digits=3)
```

	year	term	estimate	std.error	statistic	p.value	sig
3	1987	I(FFD_std^2)	-0.071	0.085	-0.836	0.404	
9	1988	I(FFD_std^2)	0.091	0.075	1.208	0.229	
15	1989	I(FFD_std^2)	0.035	0.134	0.259	0.796	
21	1990	I(FFD_std^2)	-0.049	0.120	-0.410	0.682	
27	1991	I(FFD_std^2)	0.039	0.086	0.450	0.653	
33	1992	I(FFD_std^2)	0.096	0.184	0.525	0.600	

	year	term	estimate	std.error	statistic	p.value	sig
39	1993	I(FFD_std^2)	0.021	0.119	0.173	0.863	
45	1994	I(FFD_std^2)	-0.018	0.171	-0.104	0.917	
51	1995	I(FFD_std^2)	-0.229	0.308	-0.743	0.462	
57	1996	I(FFD_std^2)	-0.049	0.093	-0.529	0.598	
63	2006	I(FFD_std^2)	0.113	0.075	1.517	0.133	
69	2007	I(FFD_std^2)	0.243	0.150	1.626	0.108	
75	2008	I(FFD_std^2)	0.073	0.067	1.093	0.278	
81	2009	I(FFD_std^2)	-0.063	0.303	-0.207	0.837	
87	2010	I(FFD_std^2)	0.196	0.165	1.183	0.241	
93	2011	I(FFD_std^2)	0.052	0.171	0.302	0.763	
99	2012	I(FFD_std^2)	0.370	0.187	1.976	0.051	
105	2013	I(FFD_std^2)	0.178	0.362	0.491	0.625	
111	2014	I(FFD_std^2)	0.340	0.207	1.645	0.105	
117	2015	I(FFD_std^2)	-0.975	0.364	-2.679	0.012	*
123	2016	I(FFD_std^2)	0.005	0.076	0.062	0.951	
129	2017	I(FFD_std^2)	-0.206	0.406	-0.507	0.613	

*#Quadratic selection gradients for FFD*

*#I(FFD\_std^2) \* (stabilizing selection - decreases variance) in 2015*

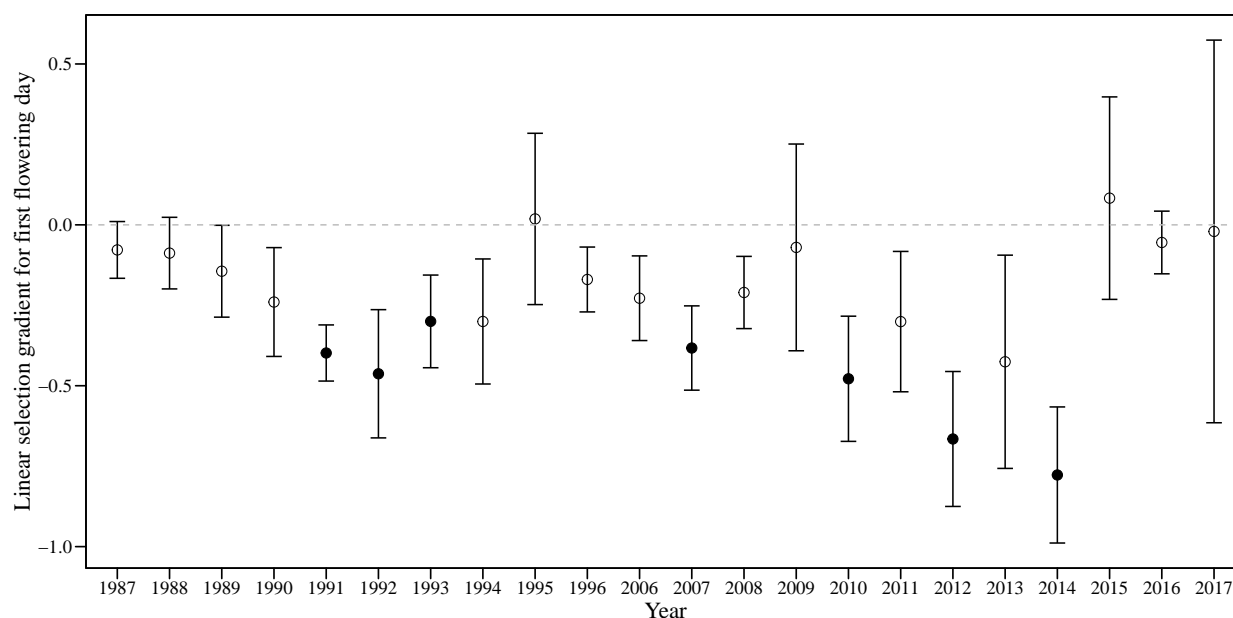
`kable(subset(selgrads_FFD_q,term=="FFD_std:n_fl_std"),digits=3)`

	year	term	estimate	std.error	statistic	p.value	sig
6	1987	FFD_std:n_fl_std	0.010	0.180	0.058	0.954	
12	1988	FFD_std:n_fl_std	0.578	0.179	3.236	0.001	*
18	1989	FFD_std:n_fl_std	0.061	0.225	0.271	0.787	
24	1990	FFD_std:n_fl_std	-0.352	0.278	-1.264	0.209	
30	1991	FFD_std:n_fl_std	0.122	0.165	0.742	0.459	
36	1992	FFD_std:n_fl_std	0.172	0.252	0.681	0.497	
42	1993	FFD_std:n_fl_std	0.153	0.194	0.787	0.432	
48	1994	FFD_std:n_fl_std	-0.081	0.236	-0.344	0.731	
54	1995	FFD_std:n_fl_std	-0.154	0.443	-0.347	0.730	
60	1996	FFD_std:n_fl_std	-0.006	0.139	-0.041	0.967	
66	2006	FFD_std:n_fl_std	0.360	0.210	1.713	0.090	
72	2007	FFD_std:n_fl_std	0.394	0.266	1.481	0.142	
78	2008	FFD_std:n_fl_std	-0.096	0.246	-0.393	0.696	
84	2009	FFD_std:n_fl_std	1.285	0.794	1.619	0.111	
90	2010	FFD_std:n_fl_std	0.379	0.358	1.061	0.293	
96	2011	FFD_std:n_fl_std	-0.318	0.507	-0.629	0.531	
102	2012	FFD_std:n_fl_std	-0.335	0.430	-0.778	0.438	
108	2013	FFD_std:n_fl_std	0.455	0.449	1.013	0.315	
114	2014	FFD_std:n_fl_std	0.315	0.351	0.896	0.374	
120	2015	FFD_std:n_fl_std	-1.041	0.555	-1.875	0.071	
126	2016	FFD_std:n_fl_std	0.500	0.189	2.640	0.010	*
132	2017	FFD_std:n_fl_std	-0.006	0.759	-0.008	0.994	

*#Correlational selection gradients*

*#FFD\_std:n\_fl\_std\* (correlational selection) in 1988 and 2016*

## Plots



Calculate BCa confidence intervals for model estimates? (selection differentials and gradients)

## Results 1: Among-year variation and trends

### Trends

#### Trend in spring temperature

All years

```
with(summarySE(weather_45, measurevar="mean", groupvars=c("year")), tidy(lm(mean~year))) #NS
```

```
## # A tibble: 2 x 5
##   term      estimate std.error statistic p.value
##   <chr>      <dbl>    <dbl>    <dbl>   <dbl>
## 1 (Intercept) -58.0      38.1     -1.52   0.144
## 2 year         0.0331   0.0190     1.74   0.0974
```

First set of years

```
with(subset(summarySE(weather_45, measurevar="mean", groupvars=c("year")),
  year<2006), tidy(lm(mean~year))) #NS
```

```
## # A tibble: 2 x 5
##   term      estimate std.error statistic p.value
##   <chr>      <dbl>    <dbl>    <dbl>   <dbl>
## 1 (Intercept) 129.      266.      0.486   0.640
## 2 year       -0.0609   0.133     -0.456   0.660
```

Second set of years

```
with(subset(summarySE(weather_45, measurevar="mean", groupvars=c("year")),
  year>1996), tidy(lm(mean~year))) #NS
```

```
## # A tibble: 2 x 5
##   term          estimate std.error statistic p.value
##   <chr>          <dbl>     <dbl>     <dbl>   <dbl>
## 1 (Intercept)  27.5        114.         0.241   0.815
## 2 year         -0.00938     0.0568     -0.165   0.872
```

## Trend in FFD

All years

```
data_sel$year_int<-as.integer(as.character(data_sel$year))
with(summarySE(data_sel, measurevar="FFD", groupvars=c("year_int")),tidy(lm(FFD~year_int))) **
```

```
## # A tibble: 2 x 5
##   term          estimate std.error statistic p.value
##   <chr>          <dbl>     <dbl>     <dbl>   <dbl>
## 1 (Intercept)  583.        217.         2.69   0.0141
## 2 year_int     -0.262     0.108     -2.42   0.0250
```

First set of years

```
with(subset(summarySE(data_sel, measurevar="FFD", groupvars=c("year_int")),
  year_int<2006),tidy(lm(FFD~year_int))) #NS
```

```
## # A tibble: 2 x 5
##   term          estimate std.error statistic p.value
##   <chr>          <dbl>     <dbl>     <dbl>   <dbl>
## 1 (Intercept) -1694.        1307.     -1.30   0.231
## 2 year_int      0.882     0.656      1.34   0.216
```

Second set of years

```
with(subset(summarySE(data_sel, measurevar="FFD", groupvars=c("year_int")),
  year_int>1996),tidy(lm(FFD~year_int))) #NS
```

```
## # A tibble: 2 x 5
##   term          estimate std.error statistic p.value
##   <chr>          <dbl>     <dbl>     <dbl>   <dbl>
## 1 (Intercept) -250.         622.     -0.402   0.696
## 2 year_int      0.152     0.309      0.490   0.634
```

## RESIDUALS FFD~TEMP UNRELATED TO YEAR

```
with(merge(summarySE(data_sel, measurevar="FFD", groupvars=c("year_int")),
  summarySE(data_sel, measurevar="mean_45", groupvars=c("year_int"))[c(1,3)]),
  tidy(lm(residuals(lm(FFD~mean_45))~year_int)))
```

```
## # A tibble: 2 x 5
##   term          estimate std.error statistic p.value
##   <chr>          <dbl>     <dbl>     <dbl>   <dbl>
## 1 (Intercept)  173.        110.         1.57   0.132
## 2 year_int     -0.0865     0.0550     -1.57   0.132
```

## RESIDUALS FFD RELATED TO RESIDUALS TEMP

```
with(merge(summarySE(data_sel, measurevar="FFD", groupvars=c("year_int")),
  summarySE(data_sel, measurevar="mean_45", groupvars=c("year_int"))[c(1,3)]),
  tidy(lm(residuals(lm(FFD~year_int))~residuals(lm(mean_45~year_int)))))
```

```
## # A tibble: 2 x 5
##   term                estimate std.error statistic    p.value
##   <chr>                <dbl>    <dbl>    <dbl>    <dbl>
## 1 (Intercept)         6.54e-16    0.570  1.15e-15  10.00e-1
## 2 residuals(lm(mean_45 ~ year_in~ -4.91e+ 0    0.640 -7.67e+ 0    2.22e-7
```

### Trend in fitness

All years

```
with(summarySE(data_sel, measurevar="n_intact_seeds",groupvars=c("year_int")),
  tidy(lm(n_intact_seeds~year_int))) #NS
```

```
## # A tibble: 2 x 5
##   term                estimate std.error statistic p.value
##   <chr>                <dbl>    <dbl>    <dbl>    <dbl>
## 1 (Intercept)      27.3      177.        0.154    0.879
## 2 year_int        -0.0112    0.0883    -0.127    0.901
```

First set of years

```
with(subset(summarySE(data_sel, measurevar="n_intact_seeds",groupvars=c("year_int")),year_int<2006),
  tidy(lm(n_intact_seeds~year_int))) #NS
```

```
## # A tibble: 2 x 5
##   term                estimate std.error statistic p.value
##   <chr>                <dbl>    <dbl>    <dbl>    <dbl>
## 1 (Intercept)      821.      526.        1.56    0.157
## 2 year_int        -0.410    0.264    -1.55    0.159
```

Second set of years

```
with(subset(summarySE(data_sel, measurevar="n_intact_seeds",groupvars=c("year_int")),year_int>1996),
  tidy(lm(n_intact_seeds~year_int))) #NS
```

```
## # A tibble: 2 x 5
##   term                estimate std.error statistic p.value
##   <chr>                <dbl>    <dbl>    <dbl>    <dbl>
## 1 (Intercept)      850.      903.        0.941    0.369
## 2 year_int        -0.420    0.449    -0.935    0.372
```

### Trend in selection gradients for FFD

All years

```
selgrads_FFD$year_int<-as.integer(as.character(selgrads_FFD$year))
with(subset(selgrads_FFD,term=="FFD_std"),tidy(lm(estimate~year_int))) #NS
```

```
## # A tibble: 2 x 5
##   term                estimate std.error statistic p.value
```

```
##   <chr>          <dbl>      <dbl>      <dbl>      <dbl>
## 1 (Intercept)  5.80        9.05        0.641      0.529
## 2 year_int     -0.00303    0.00452     -0.670     0.511
```

First set of years

```
with(subset(selgrads_FFD,term=="FFD_std"&year_int<2006),tidy(lm(estimate~year_int))) #NS
```

```
## # A tibble: 2 x 5
##   term          estimate std.error statistic p.value
##   <chr>          <dbl>      <dbl>      <dbl>      <dbl>
## 1 (Intercept)  13.2        34.9        0.377      0.716
## 2 year_int     -0.00672     0.0175     -0.384      0.711
```

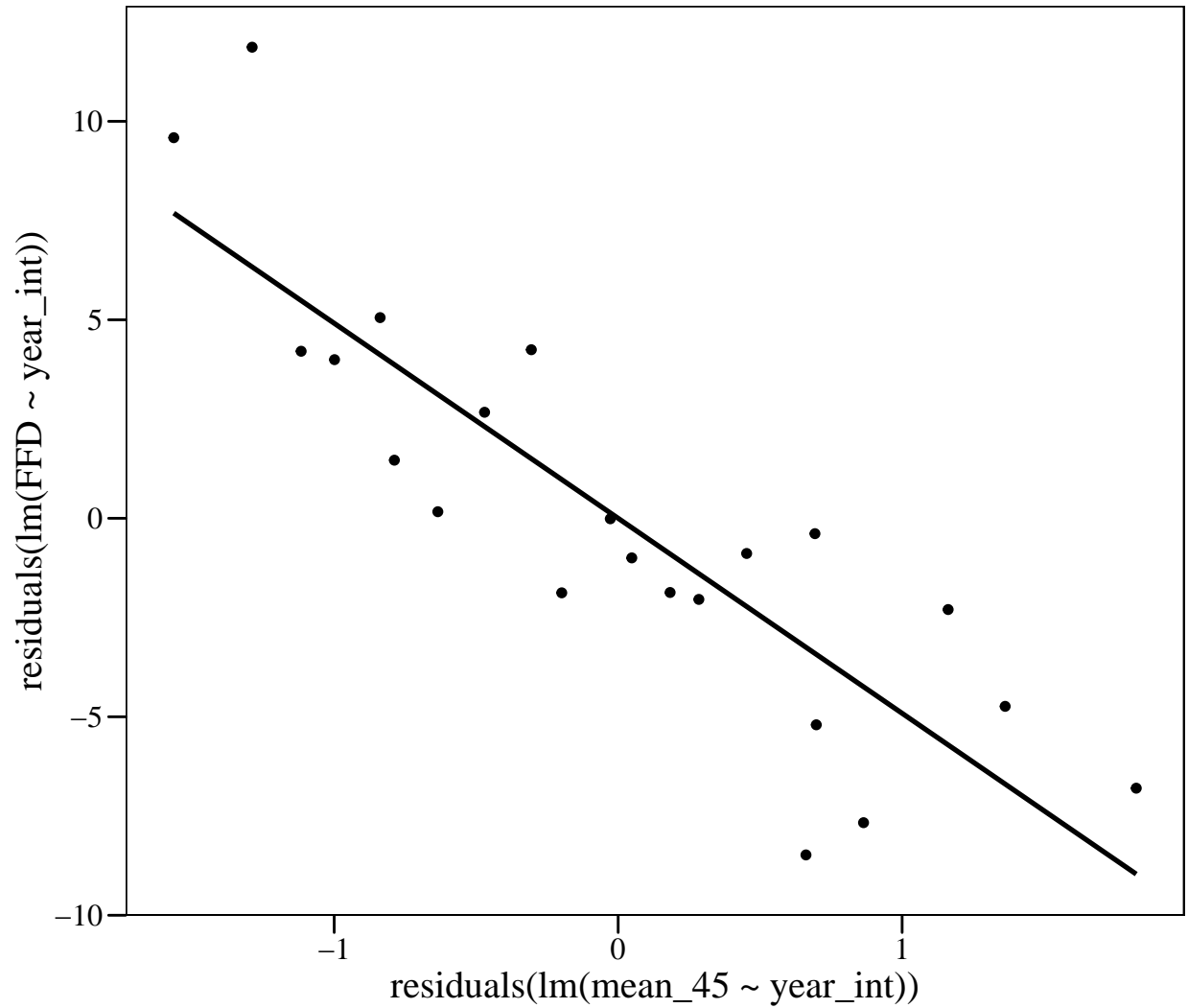
Second set of years

```
with(subset(selgrads_FFD,term=="FFD_std"&year_int>1996),tidy(lm(estimate~year_int))) #NS
```

```
## # A tibble: 2 x 5
##   term          estimate std.error statistic p.value
##   <chr>          <dbl>      <dbl>      <dbl>      <dbl>
## 1 (Intercept) -25.2        45.9       -0.550      0.595
## 2 year_int      0.0124      0.0228      0.543      0.599
```



## PLOT RESIDUALS FFD AGAINST RESIDUALS TEMP



Proprtion of variation explained by year

FFD

```
with(data_sel,summary(lm(FFD~year))) ## Linear model, year=factor, Adjusted R-squared: 0.5836

##
## Call:
## lm(formula = FFD ~ year)
##
## Residuals:
##      Min       1Q   Median       3Q      Max
## -15.0833  -3.3083  -0.3107   2.7421  22.7284
##
## Coefficients:
##              Estimate Std. Error t value Pr(>|t|)
```

```

## (Intercept) 66.2559      0.3066 216.070 < 2e-16 ***
## year1988    -6.3480      0.4742 -13.386 < 2e-16 ***
## year1989   -12.4002      0.5678 -21.839 < 2e-16 ***
## year1990   -11.7935      0.5121 -23.028 < 2e-16 ***
## year1991    -1.2608      0.4673  -2.698 0.00702 **
## year1992    -6.4054      0.5357 -11.958 < 2e-16 ***
## year1993   -10.5188      0.4695 -22.403 < 2e-16 ***
## year1994    -6.0558      0.4623 -13.100 < 2e-16 ***
## year1995     3.2810      0.7917   4.144 3.53e-05 ***
## year1996     5.2983      0.5239  10.112 < 2e-16 ***
## year2006    -7.7275      0.5763 -13.409 < 2e-16 ***
## year2007   -14.6554      0.5763 -25.431 < 2e-16 ***
## year2008   -18.1954      0.6085 -29.900 < 2e-16 ***
## year2009   -10.3651      0.6789 -15.268 < 2e-16 ***
## year2010    -7.5692      0.6296 -12.021 < 2e-16 ***
## year2011   -12.8012      0.5952 -21.508 < 2e-16 ***
## year2012   -10.5993      0.5454 -19.434 < 2e-16 ***
## year2013    -6.7810      0.6468 -10.484 < 2e-16 ***
## year2014   -12.2865      0.6703 -18.331 < 2e-16 ***
## year2015   -13.4203      0.8460 -15.864 < 2e-16 ***
## year2016   -13.8570      0.5437 -25.485 < 2e-16 ***
## year2017    -7.0210      0.5172 -13.575 < 2e-16 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 4.731 on 2452 degrees of freedom
## Multiple R-squared:  0.5871, Adjusted R-squared:  0.5836
## F-statistic: 166 on 21 and 2452 DF, p-value: < 2.2e-16

with(data_sel,summary(lmer(FFD~(1|year)))) ## Linear mixed model, year=factor

## Linear mixed model fit by REML ['lmerMod']
## Formula: FFD ~ (1 | year)
##
## REML criterion at convergence: 14818.3
##
## Scaled residuals:
##      Min       1Q   Median       3Q      Max
## -3.1831 -0.7083 -0.0674  0.5806  4.7878
##
## Random effects:
##   Groups   Name      Variance Std.Dev.
##   year     (Intercept) 34.45    5.869
##   Residual                22.38    4.731
## Number of obs: 2474, groups: year, 22
##
## Fixed effects:
##              Estimate Std. Error t value
## (Intercept)   58.010      1.256   46.19

r.squaredGLMM(lmer(FFD~(1|year),data_sel)) # 0.6062021

## Warning: 'r.squaredGLMM' now calculates a revised statistic. See the help
## page.
##      R2m      R2c

```

```
## [1,] 0 0.6062021
r.squaredLR(lmer(FFD~(1|year),data_sel)) # 0.5650669

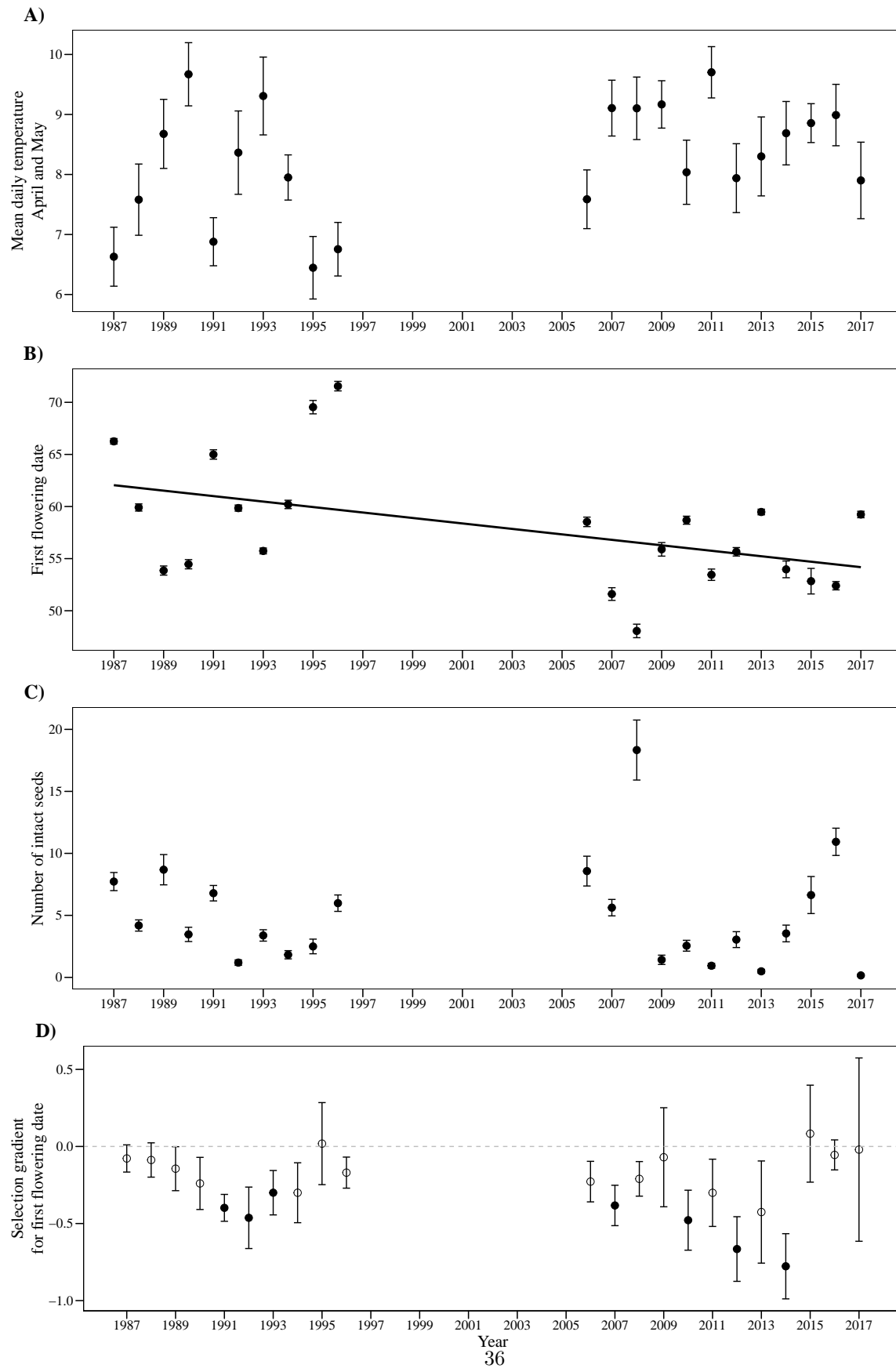
## [1] 0.564451
## attr(,"adj.r.squared")
## [1] 0.5650669
```

## Fitness

```
with(data_sel,summary(lm(n_intact_seeds~year))) ## Linear model, year=factor, Adjusted R-squared: 0.16

##
## Call:
## lm(formula = n_intact_seeds ~ year)
##
## Residuals:
##      Min       1Q   Median       3Q      Max
## -18.332  -3.540  -1.415   1.618  88.274
##
## Coefficients:
##              Estimate Std. Error t value Pr(>|t|)
## (Intercept)   7.7259     0.5358  14.418 < 2e-16 ***
## year1988      -3.5421     0.8287  -4.274 1.99e-05 ***
## year1989       0.9577     0.9922   0.965 0.334499
## year1990      -4.2609     0.8949  -4.761 2.04e-06 ***
## year1991      -0.9378     0.8166  -1.148 0.250890
## year1992      -6.5356     0.9361  -6.982 3.73e-12 ***
## year1993      -4.3438     0.8205  -5.294 1.30e-07 ***
## year1994      -5.9031     0.8078  -7.308 3.66e-13 ***
## year1995      -5.2326     1.3835  -3.782 0.000159 ***
## year1996      -1.7421     0.9155  -1.903 0.057188 .
## year2006       0.8449     1.0070   0.839 0.401530
## year2007      -2.1040     1.0070  -2.089 0.036784 *
## year2008      10.6065     1.0634   9.974 < 2e-16 ***
## year2009      -6.3109     1.1863  -5.320 1.13e-07 ***
## year2010      -5.1741     1.1003  -4.703 2.71e-06 ***
## year2011      -6.7883     1.0401  -6.527 8.13e-11 ***
## year2012      -4.6805     0.9531  -4.911 9.66e-07 ***
## year2013      -7.2380     1.1303  -6.404 1.81e-10 ***
## year2014      -4.1862     1.1712  -3.574 0.000358 ***
## year2015      -1.0870     1.4783  -0.735 0.462203
## year2016       3.2049     0.9501   3.373 0.000755 ***
## year2017      -7.5673     0.9038  -8.373 < 2e-16 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 8.267 on 2452 degrees of freedom
## Multiple R-squared:  0.176, Adjusted R-squared:  0.1689
## F-statistic: 24.93 on 21 and 2452 DF, p-value: < 2.2e-16
```

**Fig. 1**



## Results 2: Response of FFD for each plant, mean position and duration of flowering to temperature

### FFD for each plant

```
tidy(lm(FFD ~ mean_45,data = data_sel))

## # A tibble: 2 x 5
##   term          estimate std.error statistic p.value
##   <chr>          <dbl>    <dbl>    <dbl>    <dbl>
## 1 (Intercept)    99.6      0.895     111.      0
## 2 mean_45       -5.01     0.109    -45.8      0

glance(lm(FFD~mean_45,data=data_sel))$adj.r.squared # Rsquare

## [1] 0.4587361

predict(lm(FFD_mean~mean_45,data=data_sel),
  data.frame(mean_45=with(data_sel,min(mean_45)))) # Coldest

##          1
## 67.25939

predict(lm(FFD_mean~mean_45,data=data_sel),
  data.frame(mean_45=with(data_sel,max(mean_45)))) # Warmest

##          1
## 50.95233

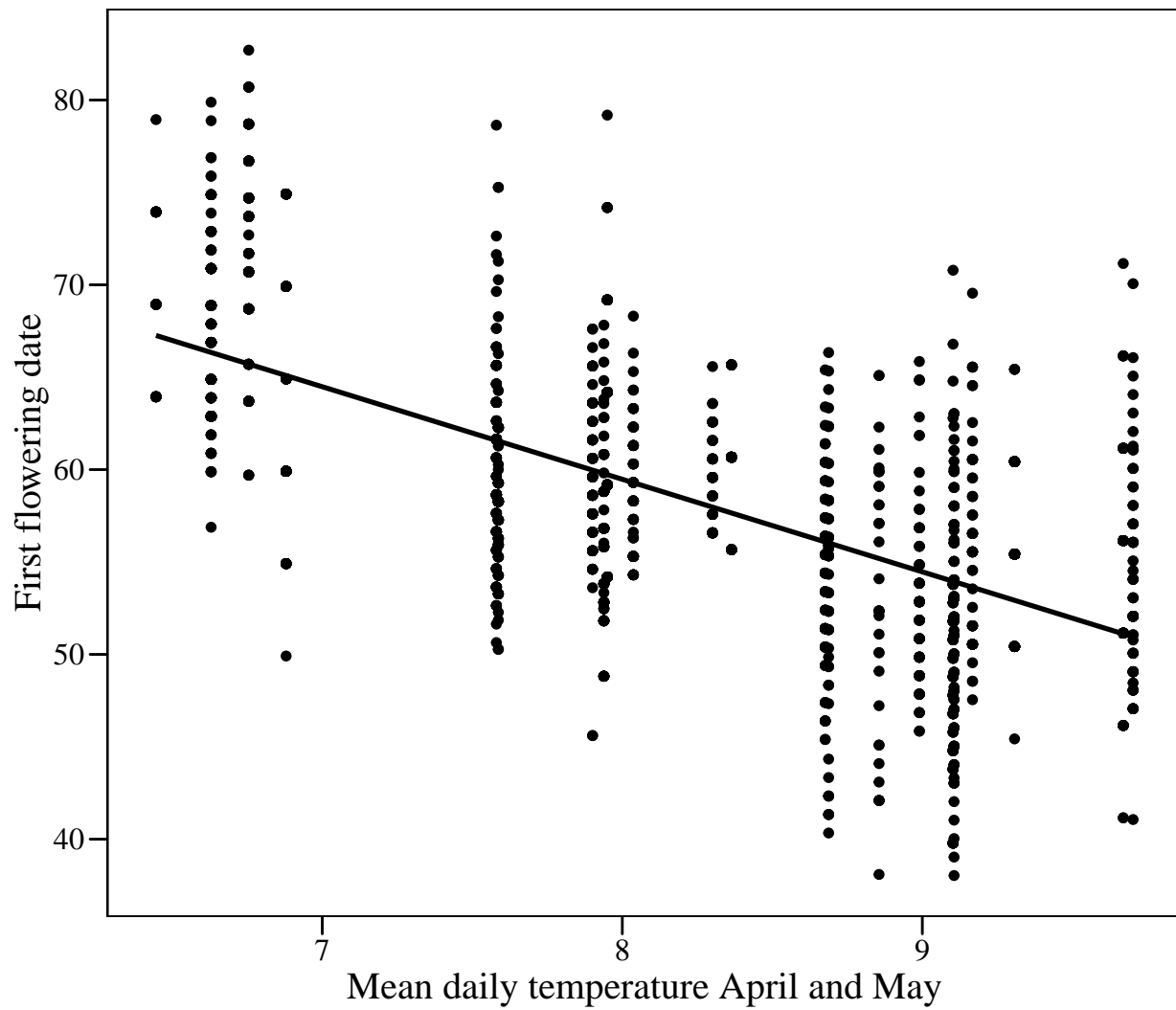
## FFD also related to temp when including year (Supp. mat)
tidy(lm(FFD ~ mean_45+as.integer(year),data = data_sel))

## # A tibble: 3 x 5
##   term          estimate std.error statistic  p.value
##   <chr>          <dbl>    <dbl>    <dbl>    <dbl>
## 1 (Intercept)    98.6      0.901     109.     0.
## 2 mean_45       -4.77     0.116    -41.2 2.54e-283
## 3 as.integer(year) -0.107   0.0175    -6.10 1.20e- 9

glance(lm(FFD~mean_45+as.integer(year),data=data_sel))$adj.r.squared # Rsquare

## [1] 0.4665613
```

Fig. 2: Response of FFD for each plant to spring temperature



## Position

```
tidy(lm(FFD_mean~mean_45,data=mean_weather7))

## # A tibble: 2 x 5
##   term          estimate std.error statistic  p.value
##   <chr>         <dbl>    <dbl>    <dbl>   <dbl>
## 1 (Intercept)   102.      5.30     19.2 2.36e-14
## 2 mean_45       -5.31    0.638    -8.32 6.38e- 8

glance(lm(FFD_mean~mean_45,data=mean_weather7))$adj.r.squared # Rsquare

## [1] 0.7644192

predict(lm(FFD_mean~mean_45,data=mean_weather7),
  data.frame(mean_45=with(mean_weather7,min(mean_45)))) # Coldest
```

```
##          1
## 67.6142

predict(lm(FFD_mean~mean_45,data=mean_weather7),
        data.frame(mean_45=with(mean_weather7,max(mean_45)))) # Warmest

##          1
## 50.33326

## FFD_mean also related to temp when including year (Supp. mat)
tidy(lm(FFD_mean~mean_45+year,data=mean_weather7))

## # A tibble: 3 x 5
##   term          estimate std.error statistic    p.value
##   <chr>          <dbl>    <dbl>    <dbl>    <dbl>
## 1 (Intercept)   297.      118.      2.52 0.0210
## 2 mean_45       -4.91      0.657    -7.48 0.000000448
## 3 year          -0.0993    0.0600    -1.66 0.114

glance(lm(FFD_mean~mean_45+year,data=mean_weather7))$adj.r.squared # Rsquare

## [1] 0.7833063

tidy(lm(date_10~mean_45,data=mean_weather7))

## # A tibble: 2 x 5
##   term          estimate std.error statistic    p.value
##   <chr>          <dbl>    <dbl>    <dbl>    <dbl>
## 1 (Intercept)   98.7      6.70     14.7 3.40e-12
## 2 mean_45       -5.74      0.807    -7.11 6.85e- 7

glance(lm(date_10~mean_45,data=mean_weather7))$adj.r.squared # Rsquare

## [1] 0.7023764

predict(lm(date_10~mean_45,data=mean_weather7),
        data.frame(mean_45=with(mean_weather7,min(mean_45)))) # Coldest

##          1
## 61.72497

predict(lm(date_10~mean_45,data=mean_weather7),
        data.frame(mean_45=with(mean_weather7,max(mean_45)))) # Warmest

##          1
## 43.04561

## date_10 also related to temp when including year (Supp. mat)
tidy(lm(date_10~mean_45+year,data=mean_weather7))

## # A tibble: 3 x 5
##   term          estimate std.error statistic    p.value
##   <chr>          <dbl>    <dbl>    <dbl>    <dbl>
## 1 (Intercept)   261.      155.      1.68 0.109
## 2 mean_45       -5.41      0.863    -6.26 0.00000516
## 3 year          -0.0826    0.0789    -1.05 0.308

glance(lm(date_10~mean_45+year,data=mean_weather7))$adj.r.squared # Rsquare

## [1] 0.7038144
```

```

tidy(lm(date_90~mean_45,data=mean_weather7))

## # A tibble: 2 x 5
##   term          estimate std.error statistic  p.value
##   <chr>          <dbl>    <dbl>    <dbl>   <dbl>
## 1 (Intercept)   103.      5.13     20.1  9.56e-15
## 2 mean_45       -4.89     0.617    -7.93  1.35e- 7

glance(lm(date_90~mean_45,data=mean_weather7))$adj.r.squared # Rsquare

## [1] 0.7464281

predict(lm(date_90~mean_45,data=mean_weather7),
  data.frame(mean_45=with(mean_weather7,min(mean_45)))) # Coldest

##          1
## 71.67857

predict(lm(date_90~mean_45,data=mean_weather7),
  data.frame(mean_45=with(mean_weather7,max(mean_45)))) # Warmest

##          1
## 55.7576

## date_90 also related to temp when including year (Supp. mat)
tidy(lm(date_90~mean_45+year,data=mean_weather7))

## # A tibble: 3 x 5
##   term          estimate std.error statistic  p.value
##   <chr>          <dbl>    <dbl>    <dbl>   <dbl>
## 1 (Intercept)   158.     122.      1.30  0.209
## 2 mean_45       -4.78     0.675    -7.07  0.000000990
## 3 year          -0.0280    0.0617   -0.453 0.656

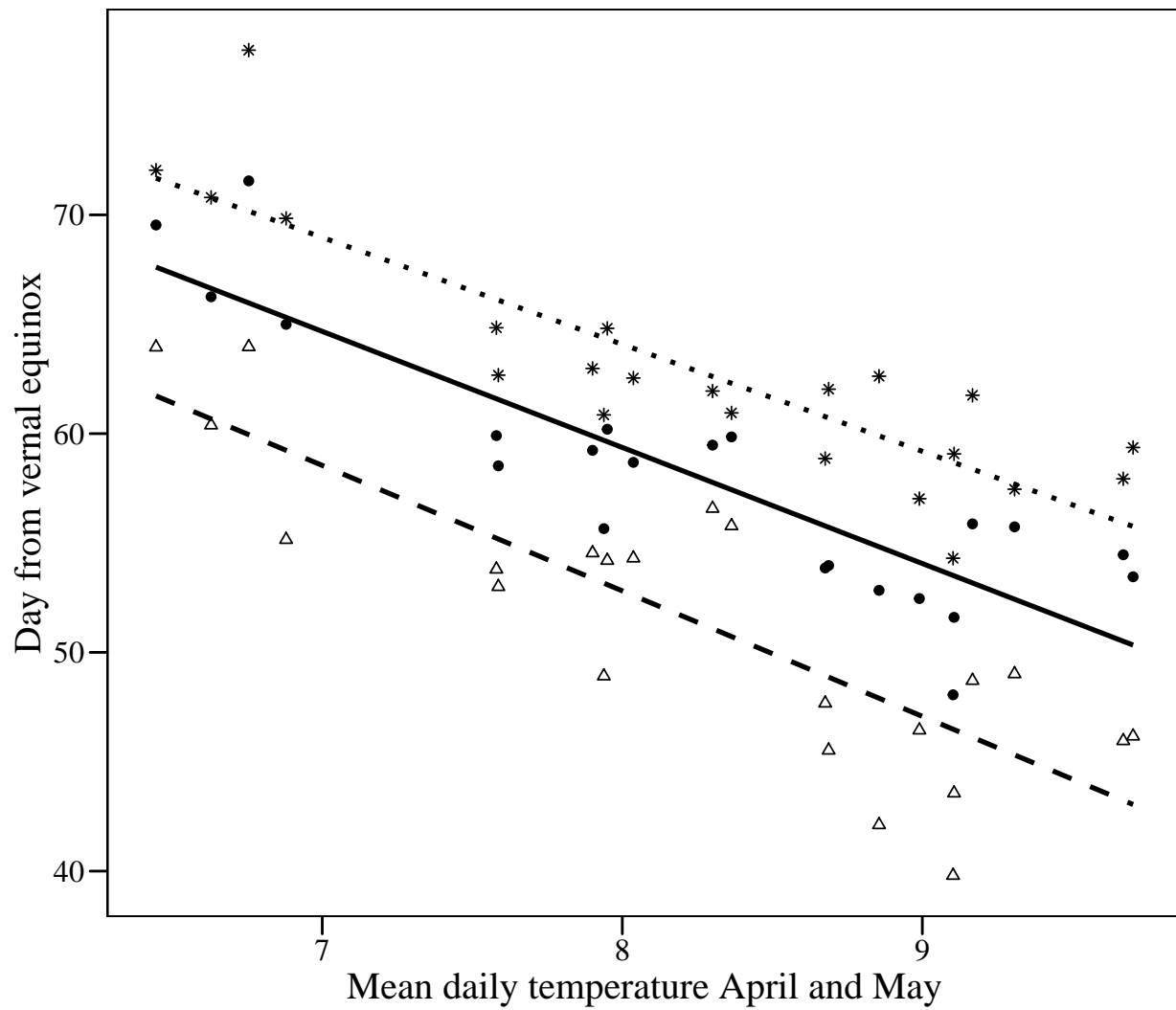
glance(lm(date_90~mean_45+year,data=mean_weather7))$adj.r.squared # Rsquare

## [1] 0.7359362

```



Fig. 3: Response of position to spring temperature



## Duration

```
tidy(lm(days_90_10~mean_4,data=mean_weather7))
```

```
## # A tibble: 2 x 5
##   term      estimate std.error statistic  p.value
##   <chr>      <dbl>    <dbl>    <dbl>    <dbl>
## 1 (Intercept)  0.928    2.42     0.383  0.706
## 2 mean_4      1.87    0.417     4.48  0.000229
```

```
tidy(lm(days_90_10~mean_45,data=mean_weather7))
```

```
## # A tibble: 2 x 5
##   term      estimate std.error statistic  p.value
##   <chr>      <dbl>    <dbl>    <dbl>    <dbl>
## 1 (Intercept)  4.49    6.72     0.669  0.511
## 2 mean_45     0.847    0.808     1.05  0.307
```

```

tidy(lm(days_90_10~mean_5,data=mean_weather7))

## # A tibble: 2 x 5
##   term          estimate std.error statistic p.value
##   <chr>          <dbl>    <dbl>    <dbl>   <dbl>
## 1 (Intercept)    21.3      5.81      3.66 0.00157
## 2 mean_5        -0.906    0.535     -1.69 0.106

glance(lm(days_90_10~mean_4,data=mean_weather7))$adj.r.squared # Rsquare

## [1] 0.475937

glance(lm(days_90_10~mean_45,data=mean_weather7))$adj.r.squared # Rsquare

## [1] 0.004676164

glance(lm(days_90_10~mean_5,data=mean_weather7))$adj.r.squared # Rsquare

## [1] 0.08172378

predict(lm(days_90_10~mean_4,data=mean_weather7),
  data.frame(mean_4=with(mean_weather7,min(mean_4)))) # Coldest

##           1
## 7.636388

predict(lm(days_90_10~mean_4,data=mean_weather7),
  data.frame(mean_4=with(mean_weather7,max(mean_4)))) # Warmest

##           1
## 16.69564

## days_90_10 also related to temp when including year (Supp. mat)
tidy(lm(days_90_10~mean_4+year,data=mean_weather7))

## # A tibble: 3 x 5
##   term          estimate std.error statistic p.value
##   <chr>          <dbl>    <dbl>    <dbl>   <dbl>
## 1 (Intercept)    20.5     117.      0.176 0.862
## 2 mean_4          1.90     0.457      4.15 0.000542
## 3 year          -0.00985  0.0586     -0.168 0.868

tidy(lm(days_90_10~mean_45+year,data=mean_weather7))

## # A tibble: 3 x 5
##   term          estimate std.error statistic p.value
##   <chr>          <dbl>    <dbl>    <dbl>   <dbl>
## 1 (Intercept) -103.     158.     -0.652 0.522
## 2 mean_45       0.630     0.879      0.717 0.482
## 3 year          0.0547    0.0803      0.681 0.504

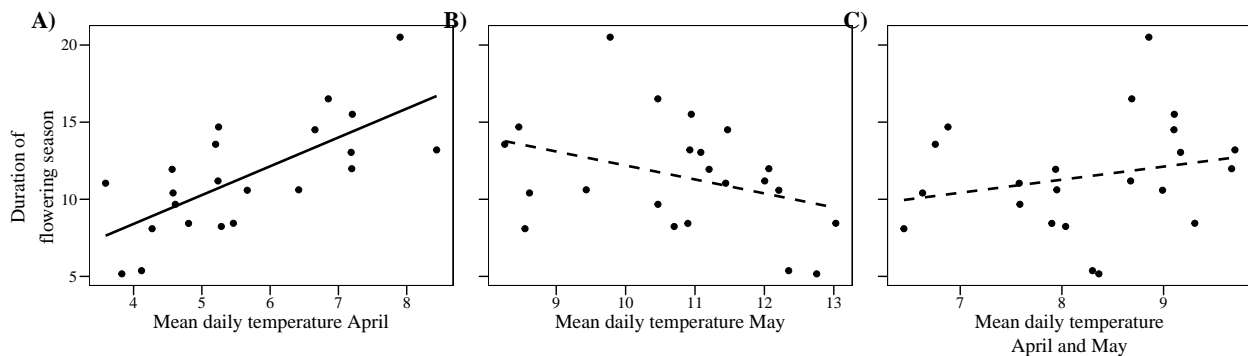
tidy(lm(days_90_10~mean_5+year,data=mean_weather7))

## # A tibble: 3 x 5
##   term          estimate std.error statistic p.value
##   <chr>          <dbl>    <dbl>    <dbl>   <dbl>
## 1 (Intercept) -173.     140.     -1.24 0.231
## 2 mean_5       -1.03     0.530     -1.94 0.0679
## 3 year          0.0976    0.0702      1.39 0.181

```

```
glance(lm(days_90_10~mean_4+year,data=mean_weather7))$adj.r.squared # Rsquare
## [1] 0.4491733
glance(lm(days_90_10~mean_45+year,data=mean_weather7))$adj.r.squared # Rsquare
## [1] -0.0227632
glance(lm(days_90_10~mean_5+year,data=mean_weather7))$adj.r.squared # Rsquare
## [1] 0.1226226
```

Fig. 4: Response of duration of the flowering season to spring temperature



## Results 3 NEW: Response of fitness to spring temperature, mean position and duration of flowering

### Spring temperature

```
tidy(lm(n_intact_seeds ~ mean_45+n_fl,data = data_sel)) ##
## # A tibble: 3 x 5
##   term          estimate std.error statistic  p.value
##   <chr>         <dbl>    <dbl>    <dbl>    <dbl>
## 1 (Intercept)    7.43      1.39      5.35 9.54e- 8
## 2 mean_45       -0.628    0.170     -3.69 2.30e- 4
## 3 n_fl           0.195    0.00936    20.8 1.65e-88
glance(lm(n_intact_seeds ~ mean_45+n_fl,data = data_sel))$adj.r.squared # Rsquare
## [1] 0.1493946
```

### Position

```
tidy(lm(n_intact_seeds~FFD_mean+n_fl,data=data_sel)) #NS
## # A tibble: 3 x 5
##   term          estimate std.error statistic  p.value
##   <chr>         <dbl>    <dbl>    <dbl>    <dbl>
```

```
## 1 (Intercept)  2.09      1.83      1.14 2.54e- 1
## 2 FFD_mean     0.00470  0.0305     0.154 8.77e- 1
## 3 n_fl         0.192    0.00950   20.2  2.06e-84
```

```
glance(lm(n_intact_seeds~FFD_mean+n_fl,data=data_sel))$adj.r.squared # Rsquare
```

```
## [1] 0.1447179
```

## Duration

```
tidy(lm(n_intact_seeds~days_90_10+n_fl,data=data_sel)) #*
```

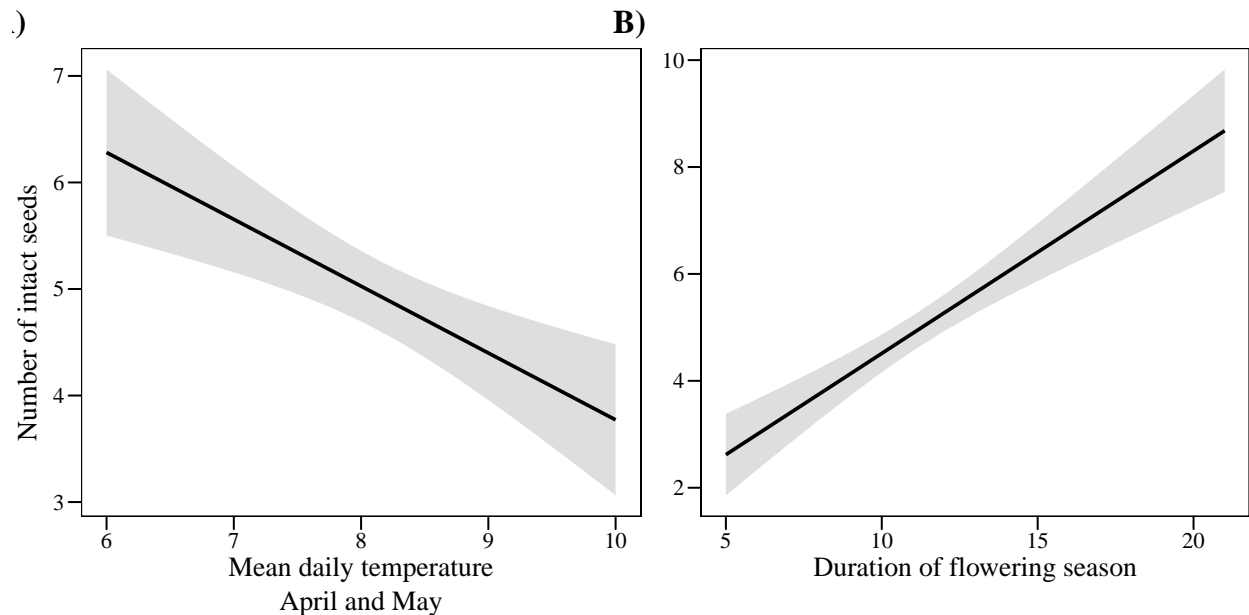
```
## # A tibble: 3 x 5
##   term      estimate std.error statistic  p.value
##   <chr>      <dbl>     <dbl>     <dbl>   <dbl>
## 1 (Intercept) -1.78    0.657     -2.70 6.88e- 3
## 2 days_90_10  0.379   0.0569     6.65 3.54e-11
## 3 n_fl        0.186   0.00933    19.9 8.42e-82
```

```
glance(lm(n_intact_seeds~days_90_10+n_fl,data=data_sel))$adj.r.squared # Rsquare
```

```
## [1] 0.159758
```

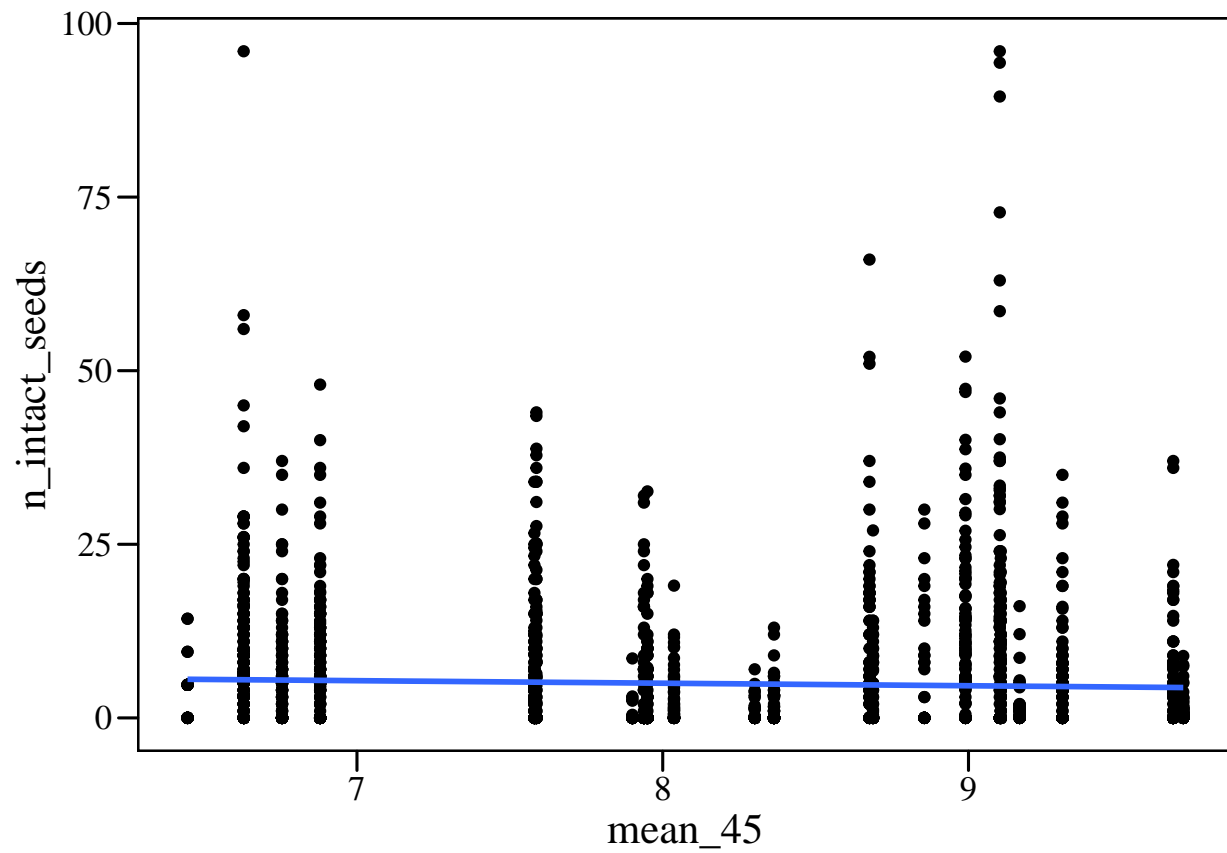
**Fig. 5: Response of fitness to spring temperature, mean position and duration of flowering**

Graphs of the effect of variables taking into account that number of flowers is included in the model

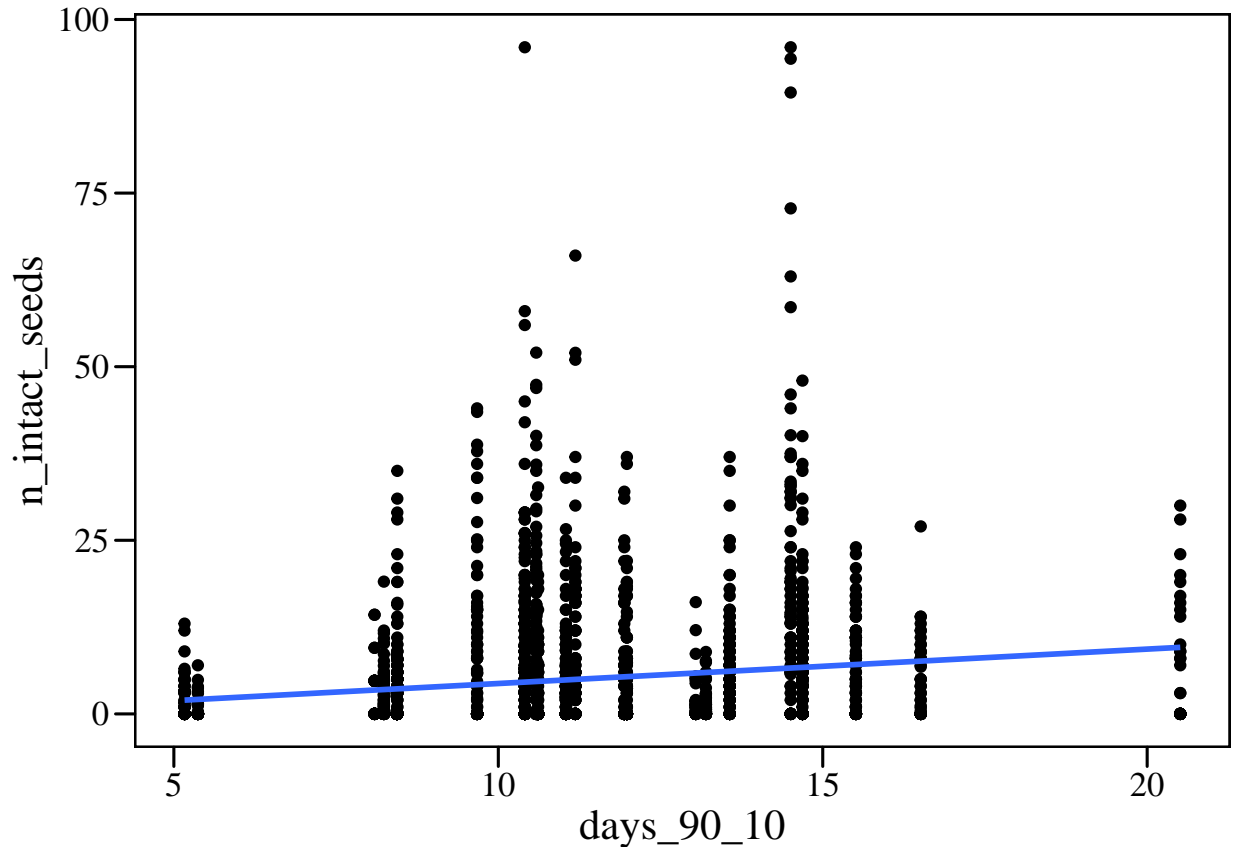


Graphs with raw data

```
# Spring temperature, fitness for each plant
ggplot(data_sel,aes(x=mean_45,y=n_intact_seeds))+
  geom_point()+geom_smooth(method="lm",se=F)+my_theme()
```



```
# Duration
ggplot(data_sel, aes(x=days_90_10, y=n_intact_seeds)) +
  geom_point() + geom_smooth(method="lm", se=F) + my_theme()
```



## Results 4: Differences in selection among years

### Indirect selection (selection differentials)

```
Anova(lm(n_intact_seeds_rel ~ FFD_std+FFD_std:year,data = data_sel),type="II")
```

```
## Anova Table (Type II tests)
##
## Response: n_intact_seeds_rel
##              Sum Sq   Df F value    Pr(>F)
## FFD_std         446.8    1 107.6082 < 2e-16 ***
## FFD_std:year     147.4   21   1.6906 0.02561 *
## Residuals      10177.0 2451
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

*#Indirect selection for early flowering differs among years*

### Direct selection (selection gradients)

```
Anova(lm(n_intact_seeds_rel ~ FFD_std+FFD_std:year+n_fl_std,data = data_sel),type="II")
```

```
## Anova Table (Type II tests)
```

```
##
## Response: n_intact_seeds_rel
##           Sum Sq   Df F value    Pr(>F)
## FFD_std      121.7    1 30.1748 4.355e-08 ***
## n_fl_std      294.1    1 72.9143 < 2.2e-16 ***
## FFD_std:year  147.4   21  1.7404  0.01961 *
## Residuals    9882.9 2450
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
#Direct selection for early flowering differs among years
```

## Results 5: Are differences in selection among years related to climatic conditions?

Response of selection to spring temperature, position and duration of flowering season.

```
mean_weather8<-merge(mean_weather7,subset(selgrads_FFD,term=="FFD_std")[c(1,3)])
names(mean_weather8)[241]<-"selgrad_FFD"
mean_weather8<-merge(mean_weather8,subset(seldiffs_FFD,term=="FFD_std")[c(1,3)])
names(mean_weather8)[242]<-"seldiff_FFD"
```

### Analysis with selection gradients (not used)

#### Spring temperature

```
tidy(lm(selgrad_FFD~mean_45,data=mean_weather8))

## # A tibble: 2 x 5
##   term          estimate std.error statistic p.value
##   <chr>          <dbl>    <dbl>    <dbl>    <dbl>
## 1 (Intercept)  -0.0169    0.412    -0.0410   0.968
## 2 mean_45      -0.0293    0.0496    -0.590    0.562
glance(lm(selgrad_FFD~mean_45,data=mean_weather8))$adj.r.squared # Rsquare

## [1] -0.03201525
```

#### Position of the flowering season

```
tidy(lm(selgrad_FFD~date_10,data=mean_weather8))

## # A tibble: 2 x 5
##   term          estimate std.error statistic p.value
##   <chr>          <dbl>    <dbl>    <dbl>    <dbl>
## 1 (Intercept)  -0.479     0.379     -1.26    0.221
## 2 date_10       0.00429   0.00732     0.586    0.564
glance(lm(selgrad_FFD~date_10,data=mean_weather8))$adj.r.squared # Rsquare

## [1] -0.03227546
```

```
tidy(lm(selgrad_FFD~FFD_mean,data=mean_weather8))
```

```
## # A tibble: 2 x 5
##   term          estimate std.error statistic p.value
##   <chr>          <dbl>    <dbl>    <dbl>   <dbl>
## 1 (Intercept) -0.616      0.478     -1.29    0.212
## 2 FFD_mean      0.00616    0.00819     0.752   0.461
```

```
glance(lm(selgrad_FFD~FFD_mean,data=mean_weather8))$adj.r.squared # Rsquare
```

```
## [1] -0.02112519
```

```
tidy(lm(selgrad_FFD~date_90,data=mean_weather8))
```

```
## # A tibble: 2 x 5
##   term          estimate std.error statistic p.value
##   <chr>          <dbl>    <dbl>    <dbl>   <dbl>
## 1 (Intercept) -0.739      0.552     -1.34    0.195
## 2 date_90       0.00765    0.00875     0.874   0.392
```

```
glance(lm(selgrad_FFD~date_90,data=mean_weather8))$adj.r.squared # Rsquare
```

```
## [1] -0.01135115
```

## Duration of the flowering season

```
tidy(lm(selgrad_FFD~days_90_10,data=mean_weather8))
```

```
## # A tibble: 2 x 5
##   term          estimate std.error statistic p.value
##   <chr>          <dbl>    <dbl>    <dbl>   <dbl>
## 1 (Intercept) -0.295      0.162     -1.83    0.0829
## 2 days_90_10   0.00319    0.0135     0.237   0.815
```

```
glance(lm(selgrad_FFD~days_90_10,data=mean_weather8))$adj.r.squared # Rsquare
```

```
## [1] -0.04705471
```

## Analysis with selection differentials (not used)

### Spring temperature

```
tidy(lm(seldiff_FFD~mean_45,data=mean_weather8))
```

```
## # A tibble: 2 x 5
##   term          estimate std.error statistic p.value
##   <chr>          <dbl>    <dbl>    <dbl>   <dbl>
## 1 (Intercept) -0.132      0.501     -0.262   0.796
## 2 mean_45      -0.0343    0.0603     -0.569   0.576
```

```
glance(lm(seldiff_FFD~mean_45,data=mean_weather8))$adj.r.squared # Rsquare
```

```
## [1] -0.03328917
```



## Position of the flowering season

```
tidy(lm(seldiff_FFD~date_10,data=mean_weather8))
```

```
## # A tibble: 2 x 5
##   term          estimate std.error statistic p.value
##   <chr>          <dbl>    <dbl>    <dbl>   <dbl>
## 1 (Intercept) -0.810      0.456     -1.78   0.0909
## 2 date_10      0.00769    0.00881     0.873  0.393
```

```
glance(lm(seldiff_FFD~date_10,data=mean_weather8))$adj.r.squared # Rsquare
```

```
## [1] -0.01147158
```

```
tidy(lm(seldiff_FFD~FFD_mean,data=mean_weather8))
```

```
## # A tibble: 2 x 5
##   term          estimate std.error statistic p.value
##   <chr>          <dbl>    <dbl>    <dbl>   <dbl>
## 1 (Intercept) -0.886      0.579     -1.53   0.141
## 2 FFD_mean     0.00812    0.00993     0.818  0.423
```

```
glance(lm(seldiff_FFD~FFD_mean,data=mean_weather8))$adj.r.squared # Rsquare
```

```
## [1] -0.01599007
```

```
tidy(lm(seldiff_FFD~date_90,data=mean_weather8))
```

```
## # A tibble: 2 x 5
##   term          estimate std.error statistic p.value
##   <chr>          <dbl>    <dbl>    <dbl>   <dbl>
## 1 (Intercept) -0.991      0.671     -1.48   0.155
## 2 date_90      0.00916    0.0106     0.862  0.399
```

```
glance(lm(seldiff_FFD~date_90,data=mean_weather8))$adj.r.squared # Rsquare
```

```
## [1] -0.01241985
```

## Duration of the flowering season

```
tidy(lm(seldiff_FFD~days_90_10,data=mean_weather8))
```

```
## # A tibble: 2 x 5
##   term          estimate std.error statistic p.value
##   <chr>          <dbl>    <dbl>    <dbl>   <dbl>
## 1 (Intercept) -0.361      0.197     -1.84   0.0809
## 2 days_90_10 -0.00466    0.0163     -0.285  0.779
```

```
glance(lm(seldiff_FFD~days_90_10,data=mean_weather8))$adj.r.squared # Rsquare
```

```
## [1] -0.04575463
```

## GLMMs (not used)

```
Anova(lmer(n_intact_seeds_rel ~ FFD_std+FFD_std:mean_45+n_fl_std+(1|year),data = data_sel),type="II")
```

```

## Analysis of Deviance Table (Type II Wald chisquare tests)
##
## Response: n_intact_seeds_rel
##              Chisq Df Pr(>Chisq)
## FFD_std      29.9759  1  4.375e-08 ***
## n_fl_std     72.2770  1  < 2.2e-16 ***
## FFD_std:mean_45 0.1552  1    0.6936
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
#No influences of spring temperature on selection on FFD

Anova(lmer(n_intact_seeds_rel ~ FFD_std+FFD_std:date_10+n_fl_std+(1|year),data = data_sel),type="II")

## Analysis of Deviance Table (Type II Wald chisquare tests)
##
## Response: n_intact_seeds_rel
##              Chisq Df Pr(>Chisq)
## FFD_std      29.986  1  4.352e-08 ***
## n_fl_std     71.521  1  < 2.2e-16 ***
## FFD_std:date_10 0.984  1    0.3212
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
#No influences of date_10 on selection on FFD

Anova(lmer(n_intact_seeds_rel ~ FFD_std+FFD_std:FFD_mean+n_fl_std+(1|year),data = data_sel),type="II")

## Analysis of Deviance Table (Type II Wald chisquare tests)
##
## Response: n_intact_seeds_rel
##              Chisq Df Pr(>Chisq)
## FFD_std      29.9784  1  4.369e-08 ***
## n_fl_std     71.9743  1  < 2.2e-16 ***
## FFD_std:FFD_mean 0.3614  1    0.5477
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
#No influences of FFD_mean on selection on FFD

Anova(lmer(n_intact_seeds_rel ~ FFD_std+FFD_std:date_90+n_fl_std+(1|year),data = data_sel),type="II")

## Analysis of Deviance Table (Type II Wald chisquare tests)
##
## Response: n_intact_seeds_rel
##              Chisq Df Pr(>Chisq)
## FFD_std      29.9772  1  4.372e-08 ***
## n_fl_std     72.2185  1  < 2.2e-16 ***
## FFD_std:date_90 0.2619  1    0.6088
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
#No influences of date_90 on selection on FFD

Anova(lmer(n_intact_seeds_rel ~ FFD_std+FFD_std:days_90_10+n_fl_std+(1|year),data = data_sel),type="II")

## Analysis of Deviance Table (Type II Wald chisquare tests)
##

```

```
## Response: n_intact_seeds_rel
##               Chisq Df Pr(>Chisq)
## FFD_std       29.987  1 4.349e-08 ***
## n_fl_std      71.278  1 < 2.2e-16 ***
## FFD_std:days_90_10 1.096  1 0.2951
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
#No influences of days_90_10 on selection on FFD
```

## GLMs

```
Anova(lm(n_intact_seeds_rel ~ FFD_std+FFD_std:mean_45+n_fl_std,data = data_sel),type="II")
```

```
## Anova Table (Type II tests)
##
## Response: n_intact_seeds_rel
##               Sum Sq   Df F value    Pr(>F)
## FFD_std       121.7    1 29.9759 4.816e-08 ***
## n_fl_std      293.5    1 72.2770 < 2.2e-16 ***
## FFD_std:mean_45  0.6    1  0.1552  0.6937
## Residuals     10029.7 2470
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
#No influences of spring temperature on selection on FFD
```

```
Anova(lm(n_intact_seeds_rel ~ FFD_std+FFD_std:date_10+n_fl_std,data = data_sel),type="II")
```

```
## Anova Table (Type II tests)
##
## Response: n_intact_seeds_rel
##               Sum Sq   Df F value    Pr(>F)
## FFD_std       121.7    1 29.986 4.792e-08 ***
## n_fl_std      290.3    1 71.521 < 2.2e-16 ***
## FFD_std:date_10  4.0    1  0.984  0.3213
## Residuals     10026.3 2470
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
#No influences of date_10 on selection on FFD
```

```
Anova(lm(n_intact_seeds_rel ~ FFD_std+FFD_std:FFD_mean+n_fl_std,data = data_sel),type="II")
```

```
## Anova Table (Type II tests)
##
## Response: n_intact_seeds_rel
##               Sum Sq   Df F value    Pr(>F)
## FFD_std       121.7    1 29.9784 4.81e-08 ***
## n_fl_std      292.2    1 71.9743 < 2.2e-16 ***
## FFD_std:FFD_mean  1.5    1  0.3614  0.5478
## Residuals     10028.8 2470
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

*#No influences of FFD\_mean on selection on FFD*

```
Anova(lm(n_intact_seeds_rel ~ FFD_std+FFD_std:date_90+n_fl_std,data = data_sel),type="II")
```

## Anova Table (Type II tests)

##

## Response: n\_intact\_seeds\_rel

	Sum Sq	Df	F value	Pr(>F)
FFD_std	121.7	1	29.9772	4.813e-08 ***
n_fl_std	293.2	1	72.2185	< 2.2e-16 ***
FFD_std:date_90	1.1	1	0.2619	0.6089
Residuals	10029.2	2470		

## ---

## Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1

*#No influences of date\_90 on selection on FFD*

```
Anova(lm(n_intact_seeds_rel ~ FFD_std+FFD_std:days_90_10+n_fl_std,data = data_sel),type="II")
```

## Anova Table (Type II tests)

##

## Response: n\_intact\_seeds\_rel

	Sum Sq	Df	F value	Pr(>F)
FFD_std	121.7	1	29.987	4.788e-08 ***
n_fl_std	289.3	1	71.278	< 2.2e-16 ***
FFD_std:days_90_10	4.4	1	1.096	0.2953
Residuals	10025.9	2470		

## ---

## Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1

*#No influences of days\_90\_10 on selection on FFD*

Fig. 6: Response of selection gradients to spring temperature, position and duration of flowering season

