

### Question 1

The most basic way of representing structure in linguistic expressions is bracketing. Some examples:

- (1) a. Black coffee machine.  
b. *Reading 1*: ((Black coffee) machine)  
c. *Reading 2*: (Black (coffee machine))
- (2) a. Old dogs and cats are happy.  
b. ((Old (dogs and cats)) (are happy)).  
c. (((Old dogs) and cats) (are happy)).
- (3) a. She wished John knew some poems.  
b. *Only reading*: (She (wished (John (knew (some poems))))).
- (4) a. She asked John to read some poems.  
b. *Only reading*: (She ((asked John) (to (read (some poems))))).

Provide brackets for the following sentences (some are from Winter 2016, p. 37, ex. 2):

- (a) I read that Dan published an article in the newspaper.
- (b) Sue is blond or tall and thin.
- (c) I saw the man with the telescope.
- (d) Sue told some man that Dan liked the story.
- (e) Because the man that the police interrogated didn't call his lawyer was concerned.
- (f) It's safe to believe the people the people you believe are smart believe are smart are smart, but not safe to trust the people the people you trust trust. (Hint: look for structures of the form *the man the woman likes*).

### Question 2

Wouldn't it be nice to generate a random model for a given domain of entities (Winter's set  $E$ ) and a vocabulary – a set of individual and predicate names? For such a task, you will need some utility functions that construct set-theoretic objects. You are asked to write some of these this week. (If you are using Python, don't use its set type; quite incredibly, Python sets are not recursive: you can't have sets as elements of sets.)

Implement the following:

- A predicate that checks whether a given list is a set (=no repetitions).
- A function that returns a random element from a set;
- A function that returns a random subset from a set; give user the option to specify the size of the list, if she doesn't want to pick a random size.
- A function that returns a random set of  $n$ -tuples generated from a given set. It might be handy to have a function taking the Cartesian product of all the sets in a set of sets; then you can randomly pick a subset from this product.

Find a sample interaction on the next page.

```
* (defparameter *test* '(a b c d))

*TEST*
* (random-pick *test*)

C
* (pick-a-subset *test*)

(A B)
* (pick-a-subset *test*)

(B D C)
* (pick-a-subset *test* 3)

(B A C)

* (cartesian-product '((a b c) (1 2 3)))

((B 3) (B 2) (B 1) (A 1) (A 2) (A 3) (C 1) (C 2) (C 3))
* (cartesian-product '((a b c) (1 2 3) (x y)))

((C 2 Y) (C 2 X) (A 3 Y) (A 3 X) (A 1 Y) (A 1 X) (B 2 Y) (B 2 X) (B 3 X)
 (B 3 Y) (B 1 X) (B 1 Y) (A 2 X) (A 2 Y) (C 1 X) (C 1 Y) (C 3 X) (C 3 Y))

* (generate-tuples *test* 2)

((D A) (C D) (C A) (A A) (B A) (A D) (D D) (C C) (A C) (D B) (B B) (D C))
* (generate-tuples *test* 3)

((A C C) (D D B) (A D D) (D A B) (D C D) (A D C) (B A A) (B C C) (B D D)
 (D B D) (B B D) (D A A) (D B A) (D D A) (B A C) (C C C) (C C A) (C D D)
 (C B B) (A B A) (A A A) (D B C) (B D B) (A B C) (C C B))
* (generate-tuples *test* 3)

((D B A) (B D B) (B B A) (A A D) (D D B) (B A C))
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