

# AUTOMATIC CONTROL

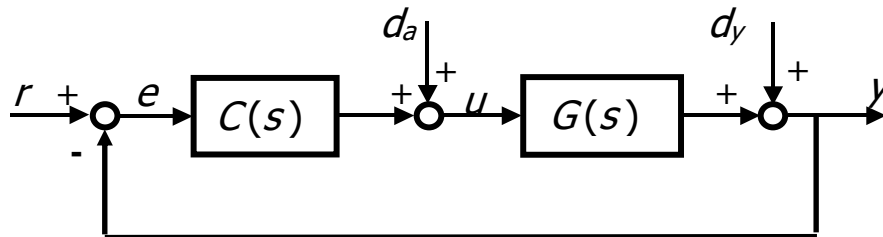
Computer Engineering and Electronic and Communications Engineering

## Laboratory practice n. 6

Objectives: Steady state analysis and design, loop shaping design.

### Problem 1 : loop shaping design of feedback control systems

Consider the feedback control system below



where:

$$G(s) = \frac{10}{s(s+5)(s+10)}, d_a(t) = \delta_a \varepsilon(t), |\delta_a| \leq 0.3, d_y(t) = \delta_y \sin(t), |\delta_y| \leq 0.3$$

Design a cascade controller  $C(s)$  to meet the following requirements:

1.  $|e_r^\infty| \leq 1$  in the presence of a linear ramp reference signal with unitary slope;
2.  $|y_{d_a}^\infty| \leq 0.1$ ;
3.  $\hat{S} \leq 8.5\%$ ;
4.  $t_{s,2\%} \leq 0.75 s$ .

Evaluate through time domain simulation

- requirements satisfaction;
- the maximum magnitude of the input signal  $u(t)$  in the presence of a step reference signal with amplitude 0.1;
- the maximum magnitude of the output signal  $y(t)$  in the presence of both a step reference signal with amplitude 0.1 and the disturbance  $d_a$

After the design evaluate

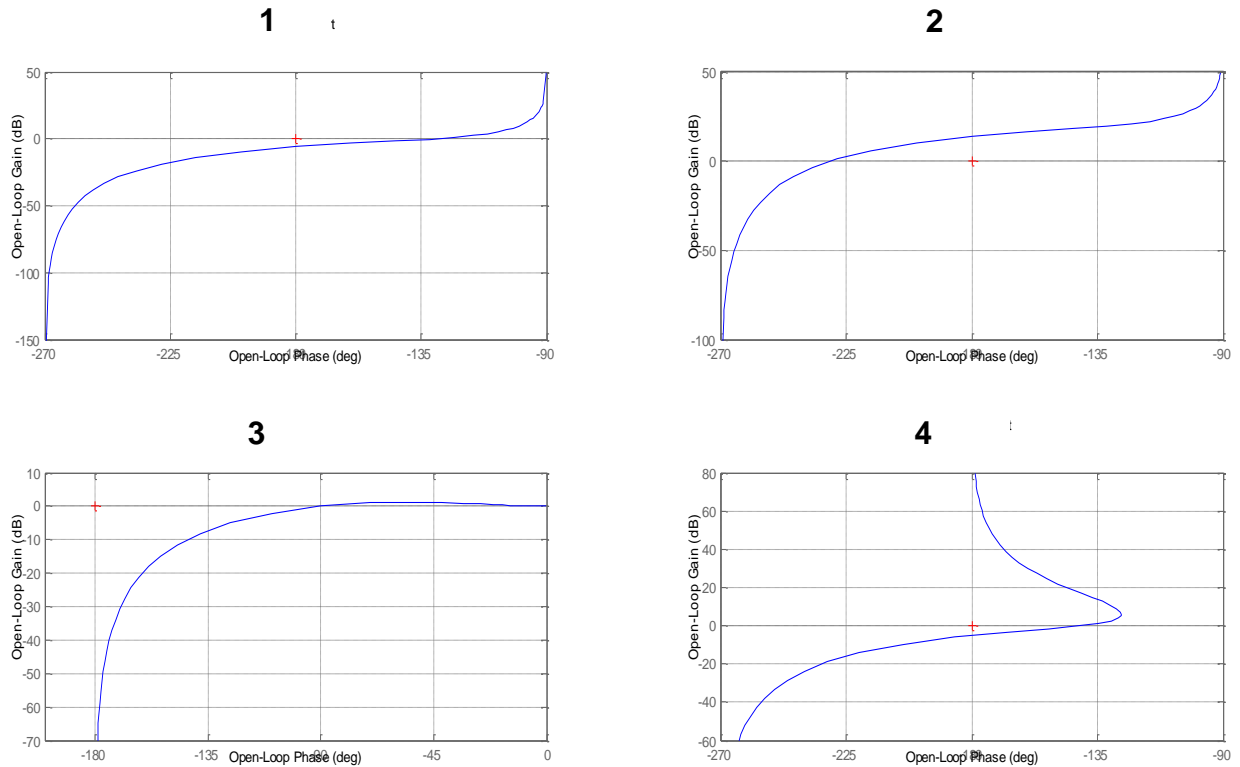
- the resonant peak  $T_p$  (in dB) of the complementary sensitivity function as well as its bandwidth  $\omega_B$ ;
- the resonant peak  $S_p$  (in dB) of the sensitivity function as well as its bandwidth  $\omega_{BS}$ .

Write the expression of the final controller in the dc-gain form.

### Conceptual problem

#### Problem 2: steady state analysis

Consider the following Nichols plots of four different loop functions  $L(s)$  of a unitary negative feedback, cascade compensation control system architecture



Suppose that, for each  $L(s)$ , the generalized dc-gain is such that  $K_g = \lim_{s \rightarrow 0} s^q L(s) > 0$ , then, based on the Nichols plot only, determine which of the four

1. corresponds to a closed loop stable system
2. guarantees a finite value of  $|e_r^\infty|$  in the presence of a constant reference signal
3. guarantees  $|e_r^\infty| = 0$  in the presence of a constant reference signal
4. guarantees a finite value of  $|e_r^\infty|$  in the presence of a linear ramp reference signal
5. guarantees  $|e_r^\infty| = 0$  in the presence of a linear ramp reference signal
6. surely guarantees  $|y_{d_a}^\infty| = 0$  in the presence of a constant actuator disturbance signal  $d_a(t)$

(Answer:

1.  $\rightarrow$  1,3,4    2.  $\rightarrow$  1,3,4    3.  $\rightarrow$  1,4    4.  $\rightarrow$  1,4    5.  $\rightarrow$  4    6.  $\rightarrow$  none )