

# DATA MINING

## ASSIGNMENT 1

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### Abstract

In this assignment, several paramount concepts of *Data Analysis* will be explained. we'll discuss the importance of metrics in the first theoretical problem. A quick review on the *Apriori* algorithm for the *Association Rule Mining* will be explained also. We'll also show how *Weka* can be used for *Association Rule Mining*. Furthermore, The effectiveness of *Normalization* concept is proposed. Finally, an *Statistical* point of view will help us to demonstrate and rationalize the relationship between the *Performance* of the *Learning Algorithm* and the amount of *Data* available. A chief section of this assignment is dedicated to solve the *Titanic* problem, which is a great practice of data mining concepts in production. We'll use *Python* programming language and three main libraries; *Scikit-Learn*, *Pandas* and *Numpy* to tackle this problem.

**Keywords.** *Apriori, Association Rule Mining, Normalization, Generalization, Preprocessing, Feature Engineering, Scikit-Learn, Pandas, Numpy, Python 3.5.*

## 1 Performance Metrics Analysis

Given the following *Confusion Matrix* for a prediction about cancer.

		Predicted Class		Total
		Cancer = Yes	Cancer = No	
Actual Class	Cancer = Yes	60	290	350
	Cancer = No	150	9500	9650
Total		210	9790	10000

Table 1.1: Confusion matrix of cancer prediction.

Compute each of these performance metrics.

- (a) Accuracy
- (b) Sensitivity

- (c) Precision
- (d) Specificity
- (e) F-measure

## Solution

Before getting into the computations, we'll review the *nicknames* and *formulas* to calculate each of these metrics. We have computed each of these metrics in front of them.

$$Accuracy = \frac{TP + TN}{TP + TN + FN + FP} = \frac{60 + 9500}{60 + 9500 + 290 + 150} = 0.956 \quad (1.1)$$

$$TPR = Recall = Sensitivity = \frac{TP}{P} = \frac{TP}{TP + FN} = \frac{60}{60 + 290} = 0.171 \quad (1.2)$$

$$PPV = Precision = \frac{TP}{TP + FP} = \frac{60}{60 + 150} = 0.285 \quad (1.3)$$

$$TNR = Specificity = \frac{TN}{N} = \frac{TN}{TN + FP} = \frac{9500}{9500 + 150} = 0.984 \quad (1.4)$$

$$F - measure = \frac{2 * TP}{2 * TP + FP + FN} = \frac{2 * 60}{2 * 60 + 150 + 290} = 0.214 \quad (1.5)$$

Our mission is done! Nevertheless, we continue the explanation for almost each of these metrics. We'll discuss why *Accuracy* itself would be a bad metric in most of the challenging cases.

### Why Performance Metrics Are Important

Metrics are important because they allow us to judge about models ability in prediction task. Without metrics we won't be able to compare models; Thus we won't be able to improve each.

### What Kind of Performance Metrics Are Useful

Not all of metrics describe this ability correctly in different conditions. Generally speaking, we need an *Objective* metric. A metric could exhibit a great number for a classifier that classifies data as *True* always. This can happen in *Imbalanced Datasets*. The important thing is that, we need to establish a *Baseline* before getting into these numbers. We need

to measure the performance for a simple system before start tuning these numbers up. The absolute maximum performance that a machine learning system can achieve, is called *Ceiling*. The performance we get with respect to the numbers(*like numbers calculated above*), is bound between *Baseline* and *Ceiling* values.

$$Baseline < Performance < Ceiling \quad (1.6)$$

### Possibility of Getting Complete Performance

No, its not possible! Even using 2 humans to classify some data, *they might not agree 100% of the times*.

### Accuracy Paradox

Accuracy is the proportion of the correct results that a classifier achieved. Assume a classifier who classifies its inputs as *true* always. The denominator for the *Accuracy* formula is the size of the dataset, which is a constant. The numerator while, contains  $TP + TN$ . This classifier predicts a great number of  $TP$  and a small number of  $TN$ . If the assumption changes to be that classification always turns out to be *false*, we'll get a huge value for  $TN$  and a small value for  $TP$ . The addition is the same by the way. Thus the accuracy of a *dummy* model can be amazing in both criteria. Thus, *Accuracy* is not a reliable metric in machine learning problems. We call this *Accuracy Paradox*.

### Recall

This metric describes that, out of all the positive examples there were, what fraction did the classifier pick up?

### Precision

This metric states that, out of all the examples the classifier labeled as positive, what fraction were correct?

### Combination of Recall & Precision

Combination of these metrics, causes the results to be *balanced*.

### $F_\beta$ Score

$F_\beta$  combines *Precision* and *Recall*. We'll talk about its advantages later in this assignment.

## 2 The Concept of Normalization

Describe the term *Normalization* in data engineering. What do we mean by *Normalizing* the data?

## Solution

As the word implies, *Normalization* is the process of adjusting values into alignment. The *transformation* of values in order to represent them in a uniform range, is also called *Normalization*. This topic can have different meaning in different applications.

### Normalization of Inputs in Neural Networks

The inputs must have same range of values, otherwise we'll be left with an *ill-conditioned* model after the training.

### Convergence of Weights & Biases in Distance Based Classifiers

While using *Distance Based* classifiers, it is important not to get conditioned by features with wider range of possible values. *Normalization* is used to guarantee the *Convergence* of *Weights and Biases* in such conditions. We often call this, the *Convergence of Gradient Descent*, since the gradient descent is used most of the times to optimize the loss.