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## Building Tree

### Description

Namron ★ is a student who loves plants, especially the binary search tree. In the Data Structure and Algorithm class, Namron ★ is taught about preorder traversal of a binary tree. Now Namron ★ is curious, if given the results of preorder traversal from a binary search tree, how was the tree structure initially? Furthermore, Namron ★ is also interested in the sum of each element's multiplication with the depth of the element in the tree.

### Input

The first line contains an integer  $N$ , which is the binary search tree nodes in the beginning.

The second line contains an array of length  $N$  which is the result of preorder traversal of a binary search tree. Guaranteed elements in unique arrays.

### Output

A number that is the sum of each element's multiplication with the depth of the element in the tree.

### Limitation

$$1 \leq N \leq 1.000$$

$$1 \leq v_i \leq 10^9 \text{ (} v_i \text{ is the value of the element in the tree)}$$

$$v_i = v_j \text{ if and only if } i = j$$

Hint:

The solution to this problem can be implemented with complexity  $O(N^2)$ . To get a value of 100 in this WS, your solution must have an  $O(N)$  complexity

### Input Example 1

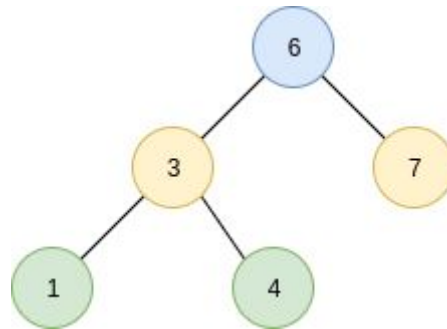
5
6 3 1 4 7

### Output Example 1

20
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### Explanation

Tree on this problem shown below.



Thus, the requested number value is  $\sum_{i=1}^n (depth_i \times value_i) = 0*6 + 1*3 + 1*7 + 2*1 + 2*4 = 20$

### Input Example 2

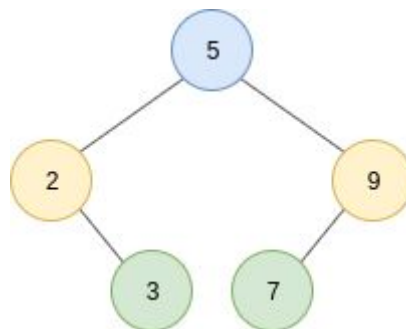
5  
5 2 3 9 7

### Output Example 2

31

### Explanation

Tree on this problem shown below.



Thus, the requested number value is  $\sum_{i=1}^n (depth_i \times value_i) = 0*5 + 1*2 + 1*9 + 2*3 + 2*7 = 31$