

DMIA TRENDS

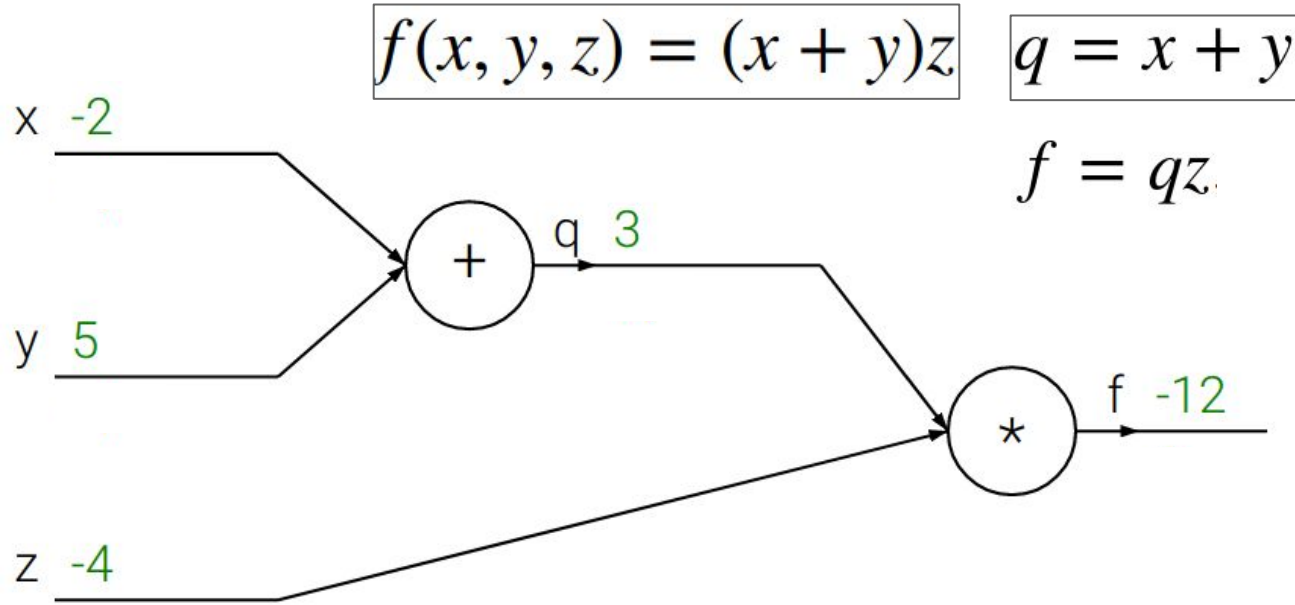


PLAN

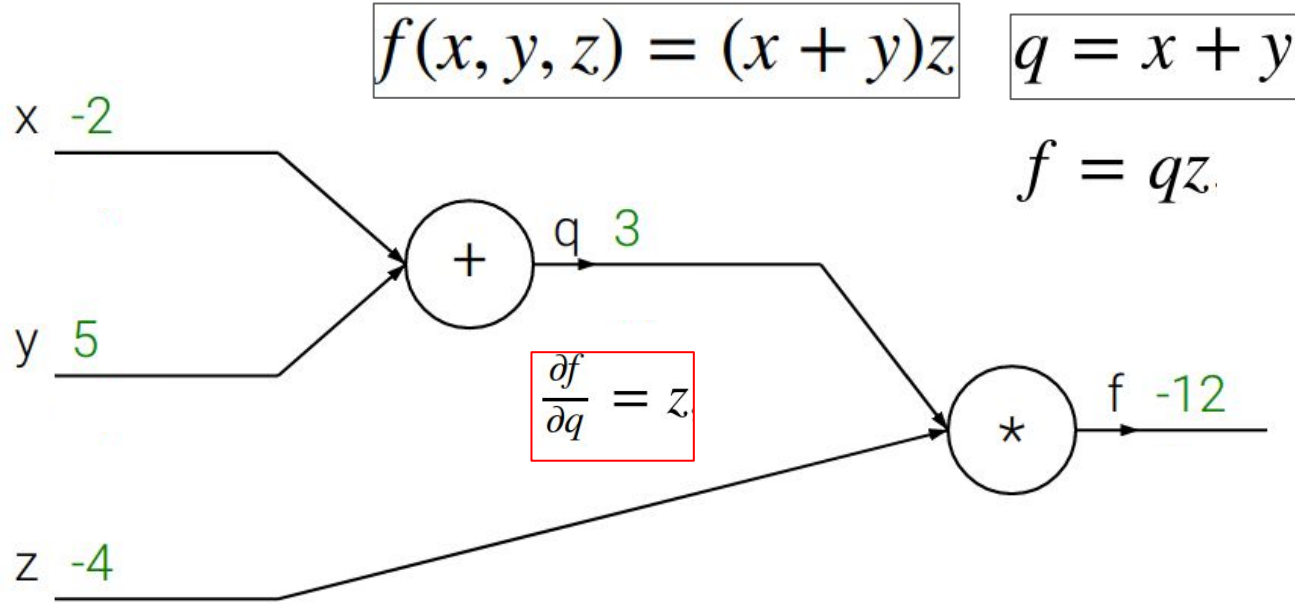
- Backprop
- Embeddings
- RNN
- LSTM, GRU
- Recurrent generative models



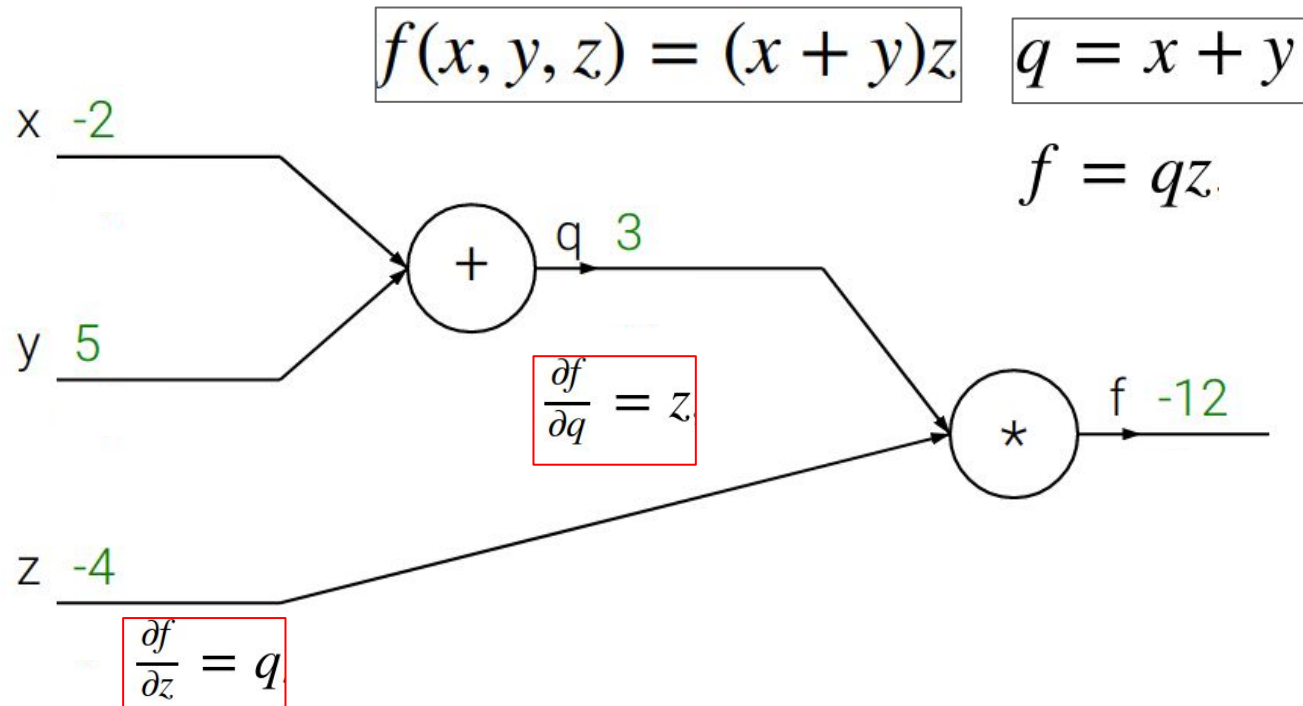
Backprop



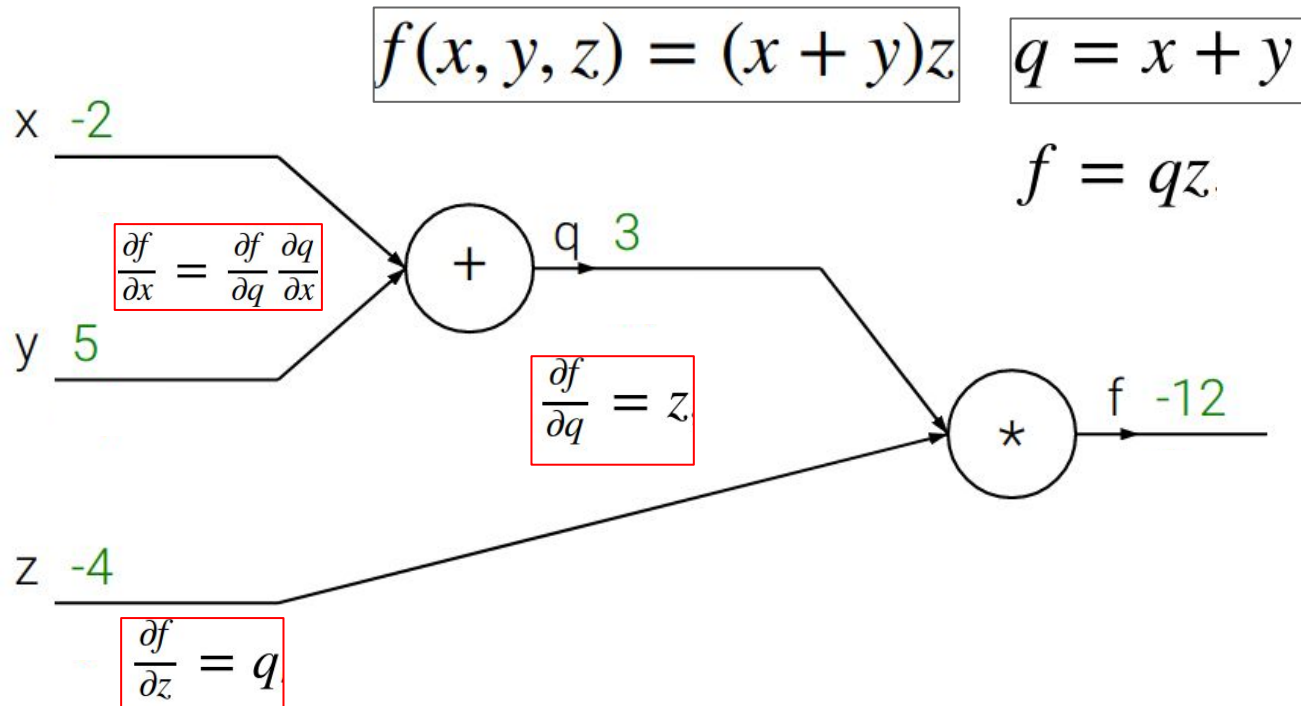
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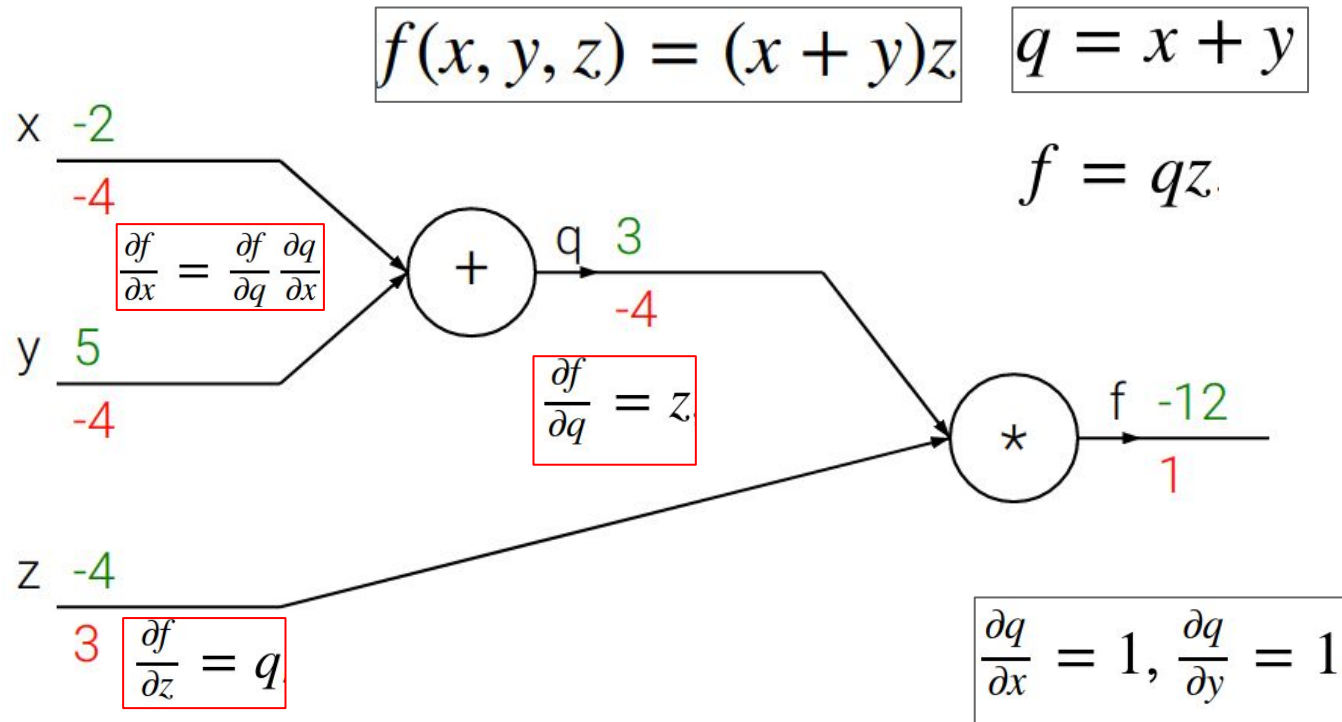
Backprop



Backprop



Backprop



Embeddings

- Frequency based Embedding
 - Count Vector
 - TF-IDF Vector
 - Co-Occurrence Vector
- Prediction based Embedding



Embeddings

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 - Count Vector
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Word2Vec

...an efficient method for learning high quality distributed vector ...

The diagram illustrates the Word2Vec learning process. The phrase "...an efficient method for learning high quality distributed vector ..." is shown. The word "learning" is highlighted in yellow. A blue arrow points upwards from the words "focus word" to "learning". Two green curly braces are positioned below the text: one under "an efficient method for" and another under "high quality distributed vector", both labeled "context" in green. The entire diagram is set against a background of a blue and green pixelated pattern on the right side.

Word2Vec

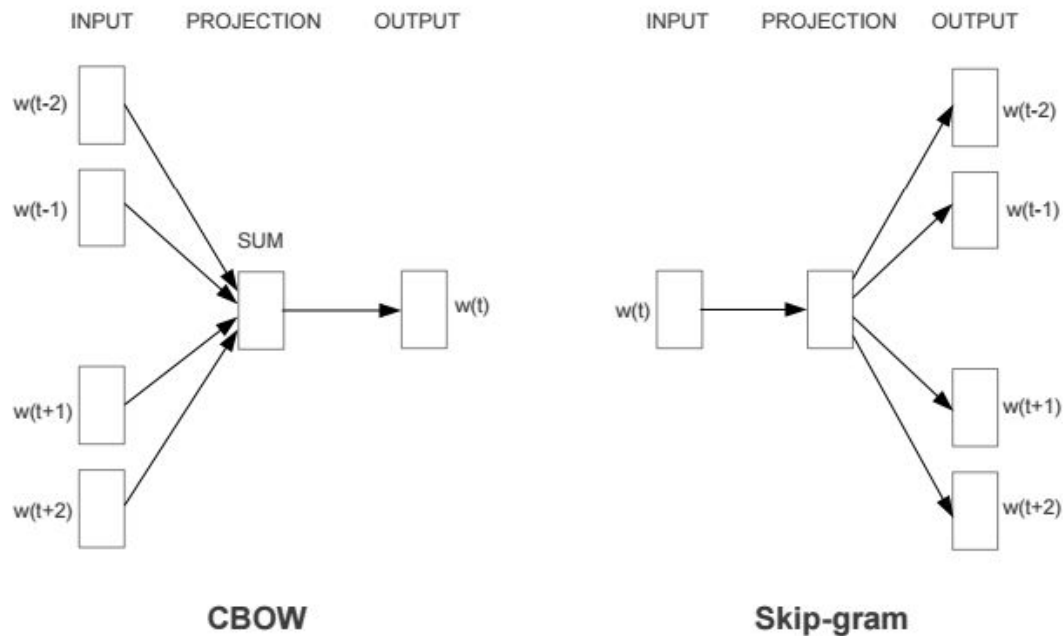


Figure 1: New model architectures. The CBOW architecture predicts the current word based on the context, and the Skip-gram predicts surrounding words given the current word.

Word2Vec

$$p(w_h | w_i) = \frac{\exp(s(v_i, v_h))}{\sum_{w=1}^W \exp(s(v_w, v_i))}$$

- w_i -- input focus word
- w_h -- hypothetically context word for a given focus word w_i
- v_i and v_h input-word and hypothesis-word vector representations (for w_i, w_h)
- $s(v_i, v_h) = v_h^T \cdot v_i$
- W is the number of words in vocabulary

CBOW (Continuous bag of words)

$$E = -\log p(w_h | w_1, w_2, \dots, w_c)$$

Skip-Gram

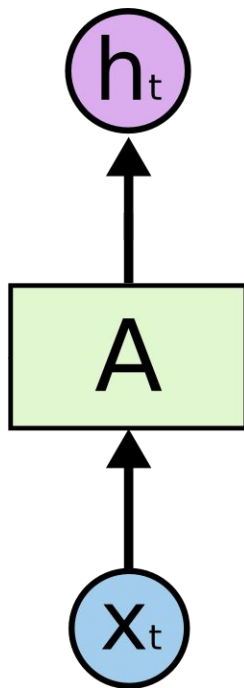
$$\text{AverageLogProbability} = \frac{1}{T} \sum_{t=1}^T \sum_{-c \leq j \leq c, j \neq 0} \log p(w_{t+j} | w_t)$$

- where c is a context length.
- w_t -- focus word

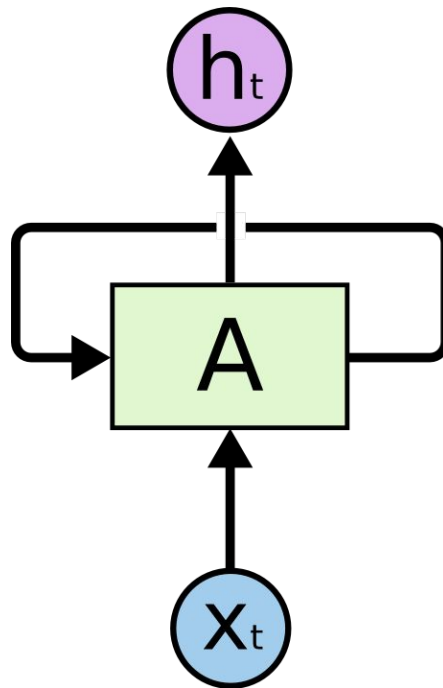
Feedforward

$$h_t = f(x_t)$$

$$f(x_t) = n(W_x x_t + b)$$



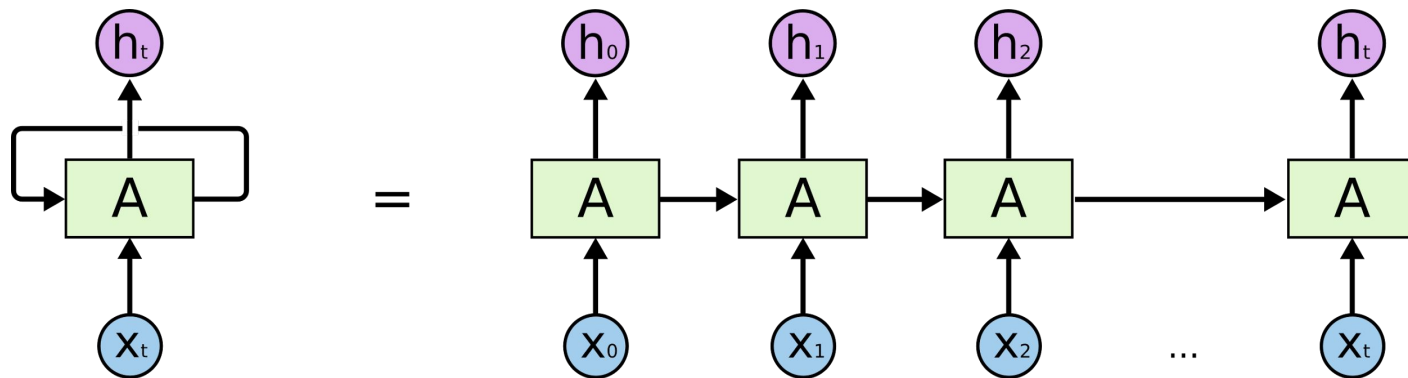
RNN



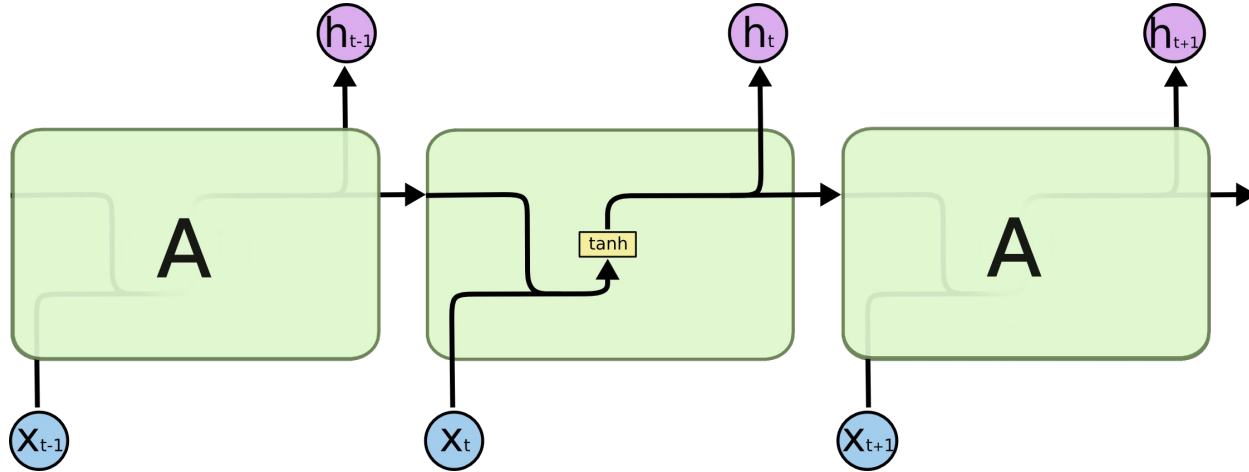
$$h_t = f(x_t + h_{t-1})$$

$$f(x_t, h_{t-1}) = n(W_x x_t + W_h h_{t-1} + b)$$

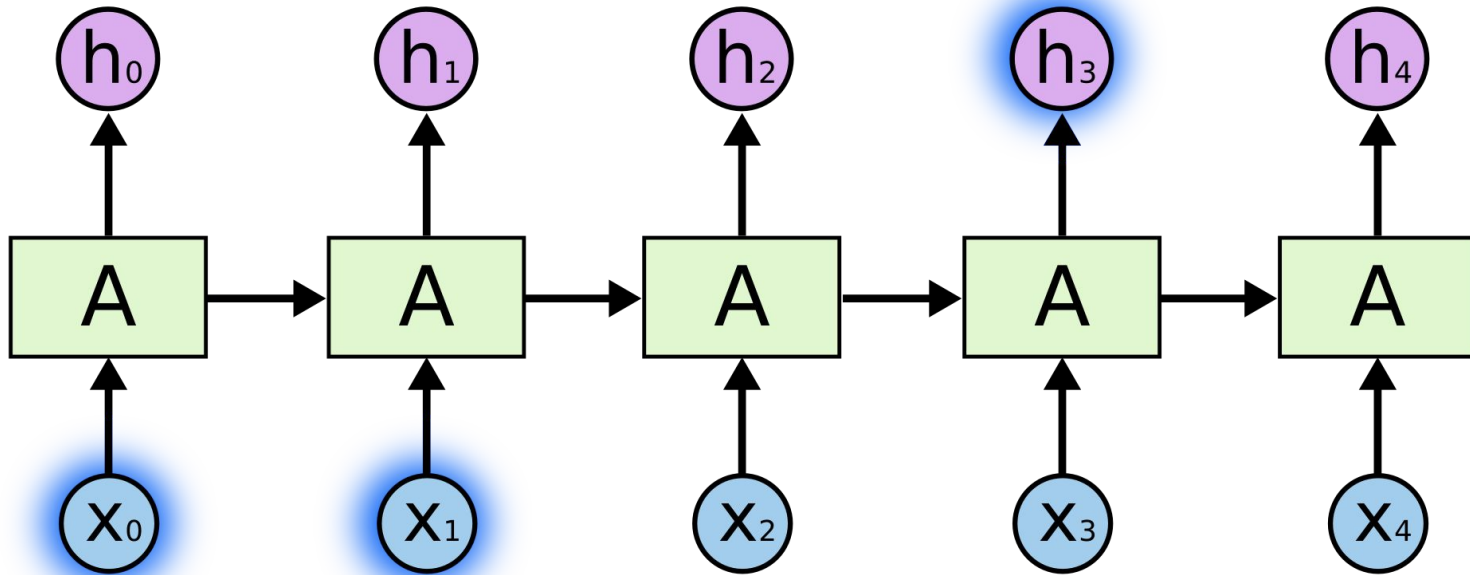
RNN



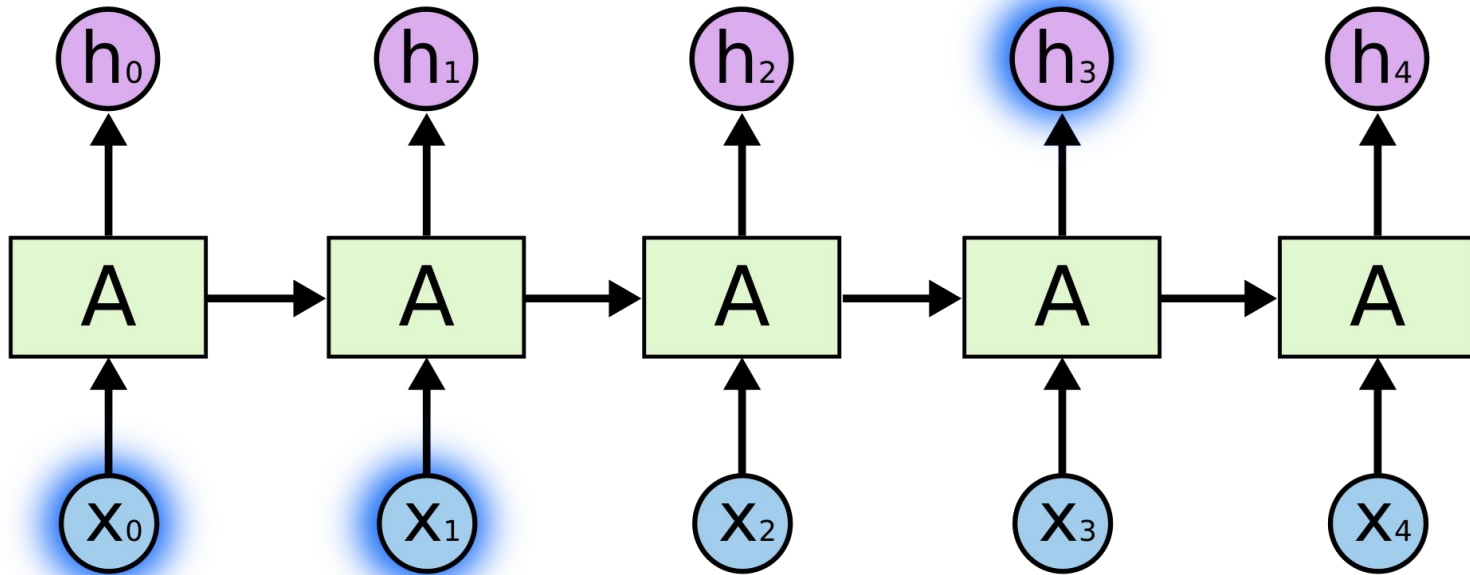
RNN



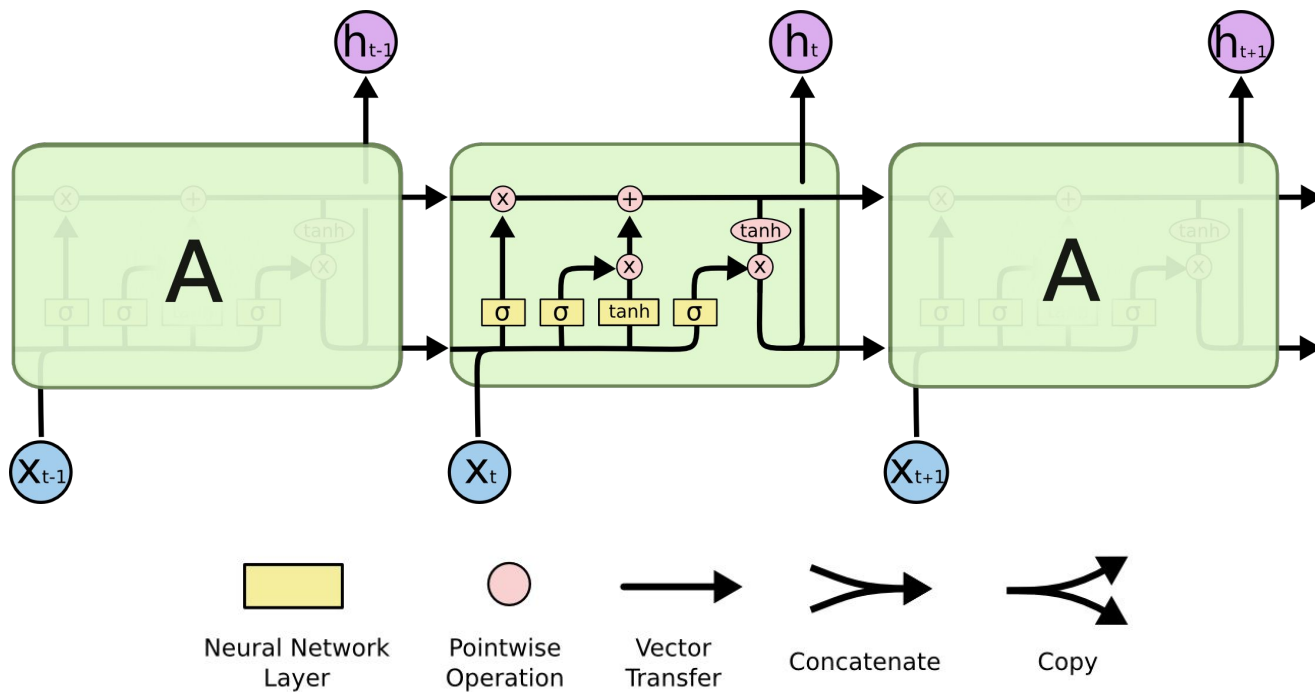
RNN



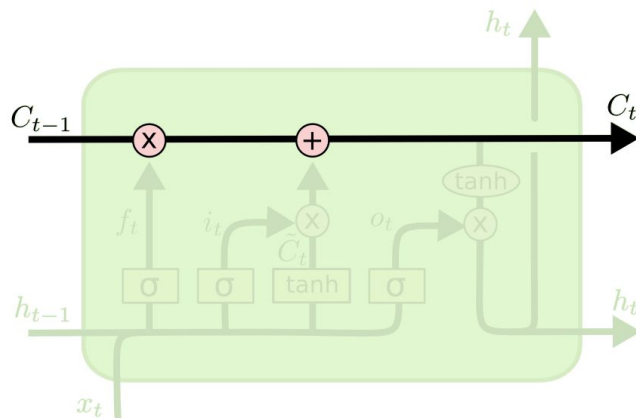
RNN



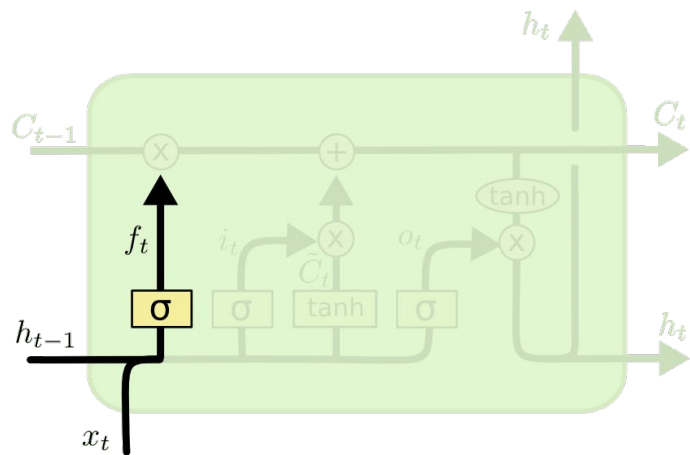
LSTM



LSTM

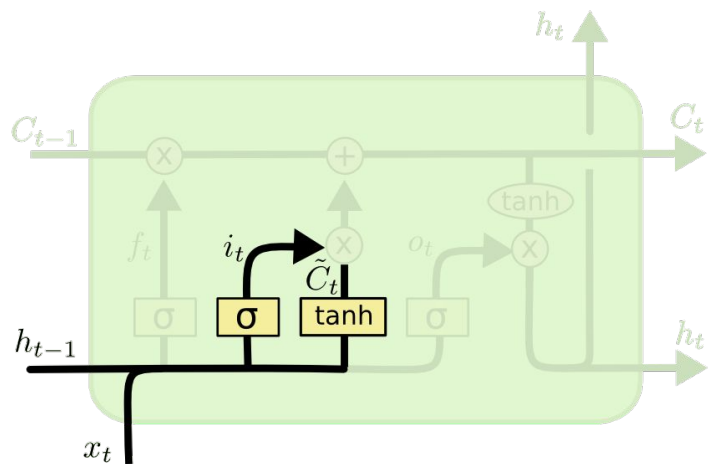


LSTM



$$f_t = \sigma (W_f \cdot [h_{t-1}, x_t] + b_f)$$

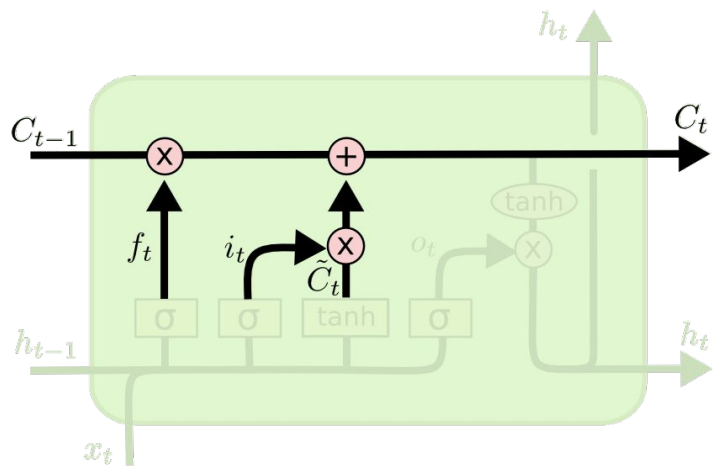
LSTM



$$i_t = \sigma (W_i \cdot [h_{t-1}, x_t] + b_i)$$

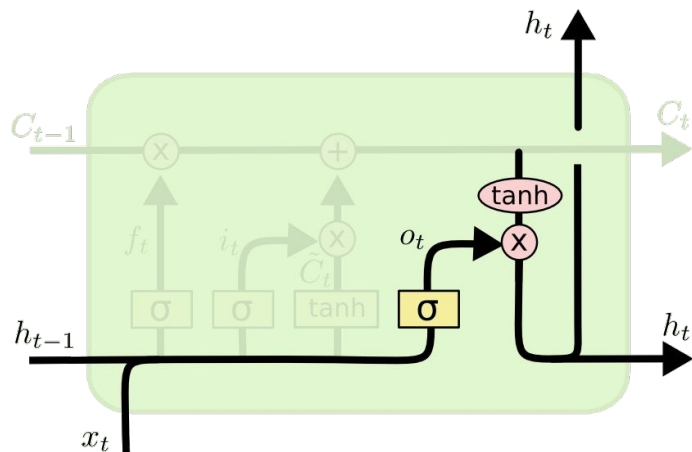
$$\tilde{C}_t = \tanh(W_C \cdot [h_{t-1}, x_t] + b_C)$$

LSTM



$$C_t = f_t * C_{t-1} + i_t * \tilde{C}_t$$

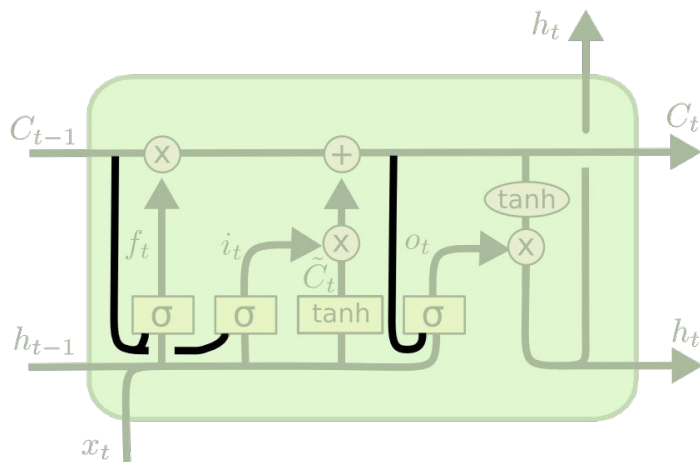
LSTM



$$o_t = \sigma(W_o [h_{t-1}, x_t] + b_o)$$

$$h_t = o_t * \tanh(C_t)$$

LSTM peep-hole connections

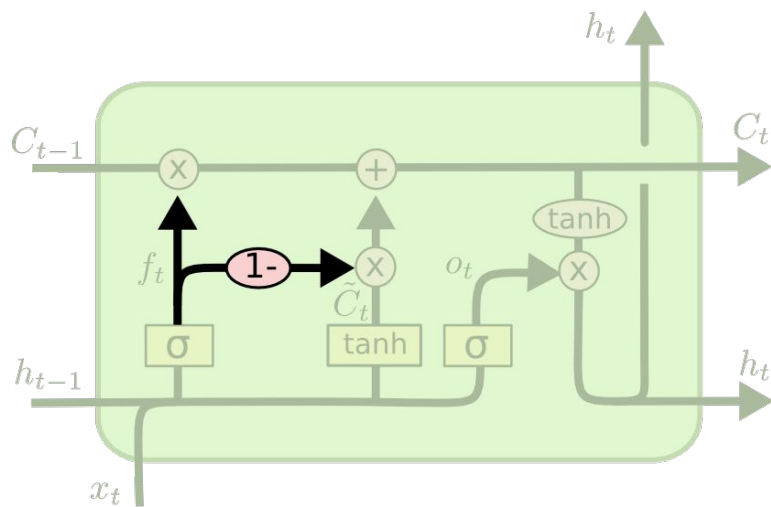


$$f_t = \sigma (W_f \cdot [C_{t-1}, h_{t-1}, x_t] + b_f)$$

$$i_t = \sigma (W_i \cdot [C_{t-1}, h_{t-1}, x_t] + b_i)$$

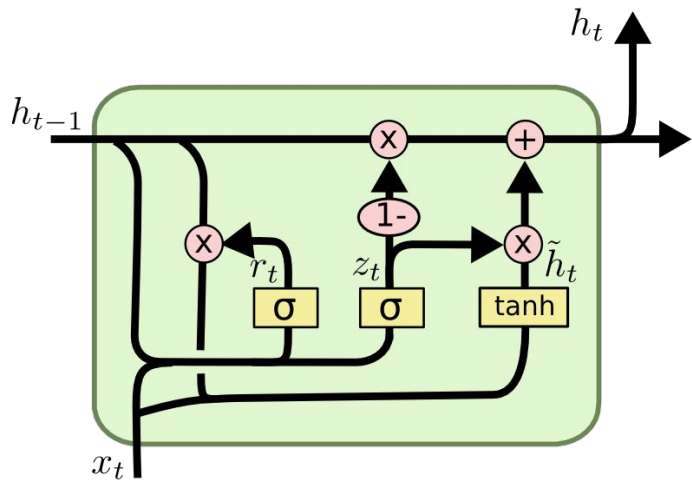
$$o_t = \sigma (W_o \cdot [C_t, h_{t-1}, x_t] + b_o)$$

LSTM peep-hole connections



$$C_t = f_t * C_{t-1} + (1 - f_t) * \tilde{C}_t$$

GRU



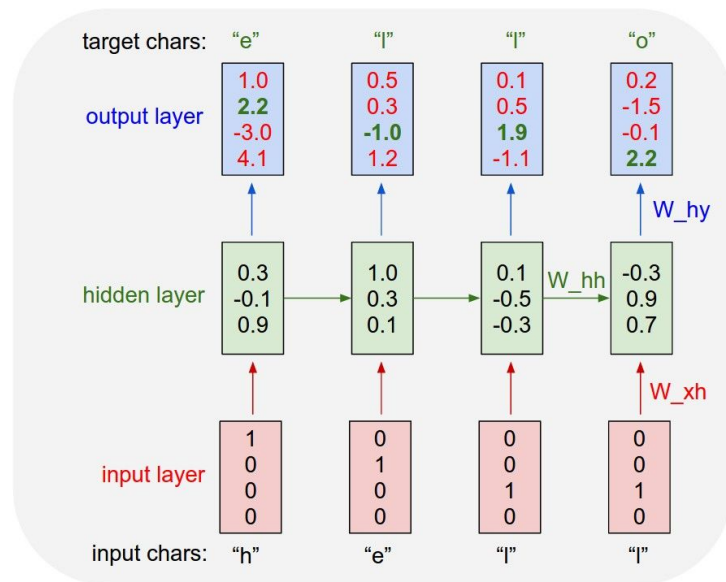
$$z_t = \sigma(W_z \cdot [h_{t-1}, x_t])$$

$$r_t = \sigma(W_r \cdot [h_{t-1}, x_t])$$

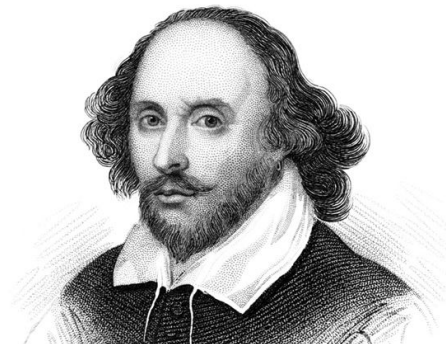
$$\tilde{h}_t = \tanh(W \cdot [r_t * h_{t-1}, x_t])$$

$$h_t = (1 - z_t) * h_{t-1} + z_t * \tilde{h}_t$$

Generative RNN



Generative RNN



PANDARUS:

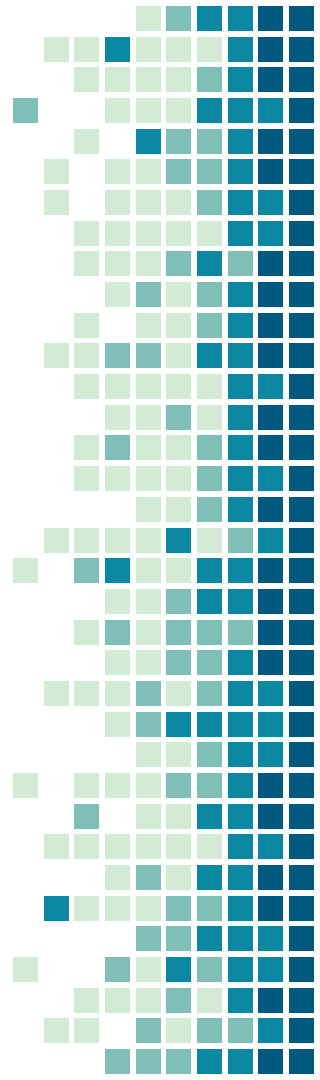
Alas, I think he shall be come approached and the day
When little strain would be attain'd into being never fed,
And who is but a chain and subjects of his death,
I should not sleep.

Second Senator:

They are away this miseries, produced upon my soul,
Breaking and strongly should be buried, when I perish
The earth and thoughts of many states.

DUKE VINCENTIO:

Well, your wit is in the care of side and that.



Generative RNN

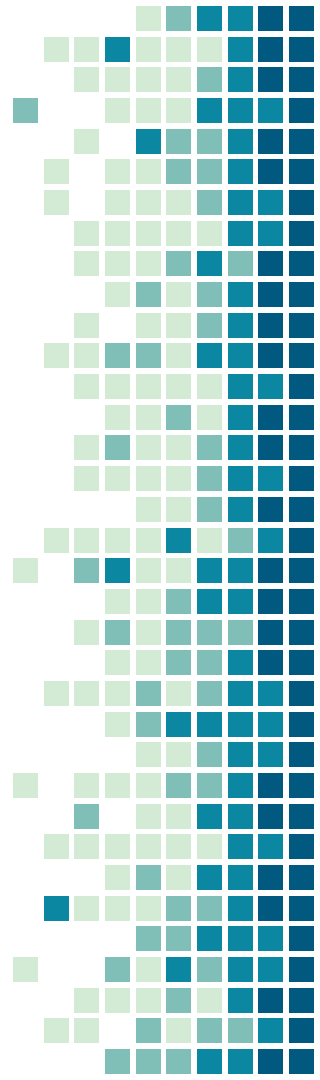


Naturalism and decision for the majority of Arab countries' capitalide was grounded by the Irish language by [[John Clair]], [[An Imperial Japanese Revolt]], associated with Guangzham's sovereignty. His generals were the powerful ruler of the Portugal in the [[Protestant Immineners]], which could be said to be directly in Cantonese Communication, which followed a ceremony and set inspired prison, training. The emperor travelled back to [[Antioch, Perth, October 25|21]] to note, the Kingdom of Costa Rica, unsuccessful fashioned the [[Thrales]], [[Cynth's Dajoard]], known in western [[Scotland]], near Italy to the conquest of India with the conflict.

(PJS)[<http://www.humah.yahoo.com/guardian.cfm/7754800786d17551963s89.htm>]

Generative RNN

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Generative RNN

For $\bigoplus_{n=1, \dots, m}$ where $\mathcal{L}_m = 0$, hence we can find a closed subset \mathcal{H} in \mathcal{H} and any sets \mathcal{F} on X , U is a closed immersion of S , then $U \rightarrow T$ is a separated algebraic space.

Proof. Proof of (1). It also start we get

$$S = \text{Spec}(R) = U \times_X U \times_X U$$

and the comparably in the fibre product covering we have to prove the lemma generated by $\prod Z \times_U U \rightarrow V$. Consider the maps M along the set of points Sch_{fppf} and $U \rightarrow U$ is the fibre category of S in U in Section, ?? and the fact that any U affine, see Morphisms, Lemma ?? . Hence we obtain a scheme S and any open subset $W \subset U$ in $\text{Sh}(G)$ such that $\text{Spec}(R') \rightarrow S$ is smooth or an

$$U = \bigcup U_i \times_{S_i} U_i$$

which has a nonzero morphism we may assume that f_i is of finite presentation over S . We claim that $\mathcal{O}_{X,x}$ is a scheme where $x, x', s' \in S'$ such that $\mathcal{O}_{X,x'} \rightarrow \mathcal{O}'_{X',s'}$ is separated. By Algebra, Lemma ?? we can define a map of complexes $\text{GL}_{S'}(x'/s'')$ and we win. \square

To prove study we see that $\mathcal{F}|_U$ is a covering of \mathcal{X}' , and \mathcal{T}_i is an object of $\mathcal{F}_{X/S}$ for $i > 0$ and \mathcal{F}_p exists and let \mathcal{F}_i be a presheaf of \mathcal{O}_X -modules on \mathcal{C} as a \mathcal{F} -module. In particular $\mathcal{F} = U/\mathcal{F}$ we have to show that

$$\tilde{M}^* = \mathcal{I}^* \otimes_{\text{Spec}(k)} \mathcal{O}_{S,s} - i_X^{-1} \mathcal{F}$$

is a unique morphism of algebraic stacks. Note that

$$\text{Arrows} = (\text{Sch}/S)_{fppf}^{\text{opp}} \cdot (\text{Sch}/S)_{fppf}$$

and

$$V = \Gamma(S, \mathcal{O}) \rightarrow (U, \text{Spec}(A))$$

is an open subset of X . Thus U is affine. This is a continuous map of X is the inverse, the groupoid scheme S .

Proof. See discussion of sheaves of sets. \square

The result to prove any open covering follows from the less of Example ?? . It may replace S by $X_{spaces, \text{etale}}$ which gives an open subspace of X and T equal to S_{Zar} , see Descent, Lemma ?? . Namely, by Lemma ?? we see that R is geometrically regular over S .

Lemma 0.1. Assume (3) and (3) by the construction in the description.

Suppose $X = \lim |X|$ (by the formal open covering X and a single map $\text{Proj}_X(\mathcal{A}) = \text{Spec}(B)$ over U compatible with the complex

$$\text{Set}(\mathcal{A}) = \Gamma(X, \mathcal{O}_{X, \mathcal{O}_X}).$$

When in this case of to show that $\mathcal{Q} \rightarrow \mathcal{C}_{Z/X}$ is stable under the following result in the second conditions of (1), and (3). This finishes the proof. By Definition ?? (without element is when the closed subschemes are catenary. If T is surjective we may assume that T is connected with residue fields of S . Moreover there exists a closed subspace $Z \subset X$ of X where U in X' is proper (some defining as a closed subset of the uniqueness it suffices to check the fact that the following theorem

(1) f is locally of finite type. Since $S = \text{Spec}(R)$ and $Y = \text{Spec}(R)$.

Proof. This is form all sheaves of sheaves on X . But given a scheme U and a surjective étale morphism $U \rightarrow X$. Let $U \cap U = \prod_{i=1, \dots, n} U_i$ be the scheme X over S at the schemes $X_i \rightarrow X$ and $U = \lim_i X_i$. \square

The following lemma surjective retrocomposes of this implies that $\mathcal{F}_{x_0} = \mathcal{F}_{x_0} = \mathcal{F}_{x_{\dots, 0}}$.

Lemma 0.2. Let X be a locally Noetherian scheme over S , $E = \mathcal{F}_{X/S}$. Set $\mathcal{I} = \mathcal{I}_1 \subset \mathcal{I}_n$. Since $T^n \subset T^n$ are nonzero over $i_0 \leq \mathfrak{p}$ is a subset of $\mathcal{J}_{n,0} \circ \bar{A}_2$ works.

Lemma 0.3. In Situation ?? . Hence we may assume $\mathfrak{q}' = 0$.

Proof. We will use the property we see that \mathfrak{p} is the next functor (??). On the other hand, by Lemma ?? we see that

$$D(\mathcal{O}_{X'}) = \mathcal{O}_X(D)$$

where K is an F -algebra where δ_{n+1} is a scheme over S . \square

Generative RNN

```
/*  
 * Increment the size file of the new incorrect UI_FILTER group information  
 * of the size generatively.  
 */  
static int indicate_policy(void)  
{  
    int error;  
    if (fd == MARN_EPT) {  
        /*  
         * The kernel blank will coeld it to userspace.  
         */  
        if (ss->segment < mem_total)  
            unblock_graph_and_set_blocked();  
        else  
            ret = 1;  
        goto bail;  
    }  
}
```

