10/29/2020 svm.py

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```
1 import numpy as np
2 from numpy import linal
3 import cvxopt
4 import cvxopt.solvers
5 import sys
6 import pandas as pd
7 cvxopt.solvers.options['show_progress'] = False
8
9 # Reads the data from CSV files, converts it into Dataframe and returns x and
  y dataframes
10 def getDataframe(filePath):
11
      dataframe = pd.read_csv(filePath)
12
      y = dataframe['y']
13
      x = dataframe.drop('y', axis=1)
14
      y = y*2 -1.0
15
      return x.to_numpy(), y.to_numpy()
16
17 def compute_accuracy(predicted_y, y):
18
      acc = 100.0
      acc = np.sum(predicted_y == y)/predicted_y.shape[0]
19
20
      return acc
21
22 def gaussian_kernel_point(x, y, sigma=5.0):
23
      return np.exp(-linalg.norm(x-y)**2 / (2 * (sigma ** 2)))
24
25 def linear_kernel(X, Y=None):
26
      Y = X if Y is None else Y
27
      m = X.shape[0]
28
      n = Y.shape[0]
29
      assert X.shape[1] == Y.shape[1]
30
      kernel_matrix = np.zeros((m, n))
31
      #======#
32
      # STRART YOUR CODE HERE #
33
      #======#
34
      for i in range(m):
35
          for j in range(n):
36
              kernel_matrix[i,j] = np.dot(X[i], Y[j])
37
      #======#
38
          END YOUR CODE HERE
39
      #======#
40
      return kernel_matrix
41
42 def polynomial_kernel(X, Y=None, degree=3):
43
      Y = X if Y is None else Y
44
      m = X.shape[0]
45
      n = Y.shape[0]
46
      assert X.shape[1] == Y.shape[1]
47
      kernel_matrix = np.zeros((m, n))
48
      #=======#
49
      # STRART YOUR CODE HERE #
50
      #=======#
51
      for i in range(m):
52
          for j in range(n):
53
              kernel_matrix[i,j] = (np.dot(X[i], Y[j]) + 1) ** degree
54
      #=======#
55
          END YOUR CODE HERE
56
      #======#
57
      return kernel_matrix
```

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        Y = X if Y is None else Y
 60
 61
        m = X.shape[0]
 62
        n = Y.shape[0]
        assert X.shape[1] == Y.shape[1]
 63
 64
        kernel matrix = np.zeros((m, n))
 65
        #=======#
        # STRART YOUR CODE HERE #
 66
 67
        #======#
 68
        for i in range(m):
 69
            for j in range(n):
                kernel_matrix[i,j] = gaussian_kernel_point(X[i], Y[j])
 70
 71
        #======#
 72
            END YOUR CODE HERE
        #======#
 73
 74
        return kernel matrix
 75
 76
 77 # Bonus question: vectorized implementation of Gaussian kernel
 78 # If you decide to do the bonus question, comment the gaussian_kernel
    function above,
 79 # then implement and uncomment this one.
 80 # def gaussian_kernel(X, Y=None, sigma=5.0):
 81 #
          return
 82
 83 class SVM(object):
 84
        def __init__(self):
 85
            self.train x = pd.DataFrame()
 86
            self.train_y = pd.DataFrame()
 87
            self.test_x = pd.DataFrame()
 88
            self.test_y = pd.DataFrame()
            self.kernel name = None
 89
 90
            self.kernel = None
 91
 92
        def load_data(self, train_file, test_file):
 93
            self.train_x, self.train_y = getDataframe(train_file)
 94
            self.test_x, self.test_y = getDataframe(test_file)
 95
 96
 97
        def train(self, kernel_name='linear_kernel', C=None):
 98
            self.kernel_name = kernel_name
            if(kernel name == 'linear kernel'):
 99
                self.kernel = linear_kernel
100
            elif(kernel_name == 'polynomial_kernel'):
101
102
                self.kernel = polynomial kernel
            elif(kernel_name == 'gaussian_kernel'):
103
104
                self.kernel = gaussian_kernel
105
            else:
                raise ValueError("kernel not recognized")
106
107
108
            self.C = C
            if self.C is not None:
109
                self.C = float(self.C)
110
111
112
            self.fit(self.train_x, self.train_y)
113
114
        # predict labels for test dataset
115
        def predict(self, X):
            if self.w is not None: ## linear case
116
117
                n = X.shape[0]
```

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119
              #=======#
120
              # STRART YOUR CODE HERE #
121
              #======#
              predicted_y = np.dot(X, self.w) + self.b
122
123
              #======#
124
                  END YOUR CODE HERE #
125
              #=======#
126
               return predicted_y
127
128
           else: ## non-linear case
129
              n = X_shape[0]
              predicted_y = np.zeros(n)
130
131
              #======#
132
              # STRART YOUR CODE HERE #
133
              #======#
134
              kernel_matrix = self.kernel(X, self.sv)
              predicted_y = np.dot(kernel_matrix * self.sv_y, self.a) + self.b
135
136
              #======#
                  END YOUR CODE HERE
137
138
              #======#
139
               return predicted_y
140
141
       # Please DON'T change any code below this line! #
142
       143
       def fit(self, X, y):
144
145
           n_samples, n_features = X.shape
146
           # Kernel matrix
           K = self.kernel(X)
147
148
149
           # dealing with dual form quadratic optimization
           P = cvxopt.matrix(np.outer(v,v) * K)
150
151
           q = cvxopt.matrix(np.ones(n_samples) * -1)
           A = cvxopt.matrix(y, (1,n_samples),'d')
152
153
           b = cvxopt.matrix(0.0)
154
           if self.C is None:
155
156
              G = cvxopt.matrix(np.diag(np.ones(n_samples) * -1))
157
              h = cvxopt.matrix(np.zeros(n_samples))
158
           else:
159
               tmp1 = np.diag(np.ones(n samples) * -1)
              tmp2 = np.identity(n_samples)
160
161
              G = cvxopt.matrix(np.vstack((tmp1, tmp2)))
162
              tmp1 = np.zeros(n samples)
              tmp2 = np.ones(n_samples) * self.C
163
164
              h = cvxopt.matrix(np.hstack((tmp1, tmp2)))
165
166
           # solve QP problem
           solution = cvxopt.solvers.qp(P, q, G, h, A, b)
167
           # Lagrange multipliers
168
169
           a = np.ravel(solution['x'])
170
171
           # Support vectors have non zero lagrange multipliers
172
           sv = a > 1e-5
173
           ind = np.arange(len(a))[sv]
174
           self.a = a[sv]
           self.sv = X[sv]
175
```

176

self.sv_y = y[sv]

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             print("%d support vectors out of %d points" % (len(self.a),
178
    n_samples))
179
180
             # Intercept via average calculating b over support vectors
181
             self.b = 0
             for n in range(len(self.a)):
182
                 self.b += self.sv_y[n]
183
                 self.b -= np.sum(self.a * self.sv_y * K[ind[n],sv])
184
185
             self.b /= len(self.a)
186
             # Weight vector
187
             if self.kernel_name == 'linear_kernel':
188
                 self.w = np.zeros(n_features)
189
190
                 for n in range(len(self.a)):
                     self.w += self.a[n] * self.sv y[n] * self.sv[n]
191
192
             else:
193
                 self.w = None
194
195
196
        def test(self):
197
             accuracy = self.classify(self.test_x, self.test_y)
198
             return accuracy
199
        def classify(self, X, y):
200
             predicted_y = np.sign(self.predict(X))
201
202
             accuracy = compute_accuracy(predicted_y, y)
203
             return accuracy
```