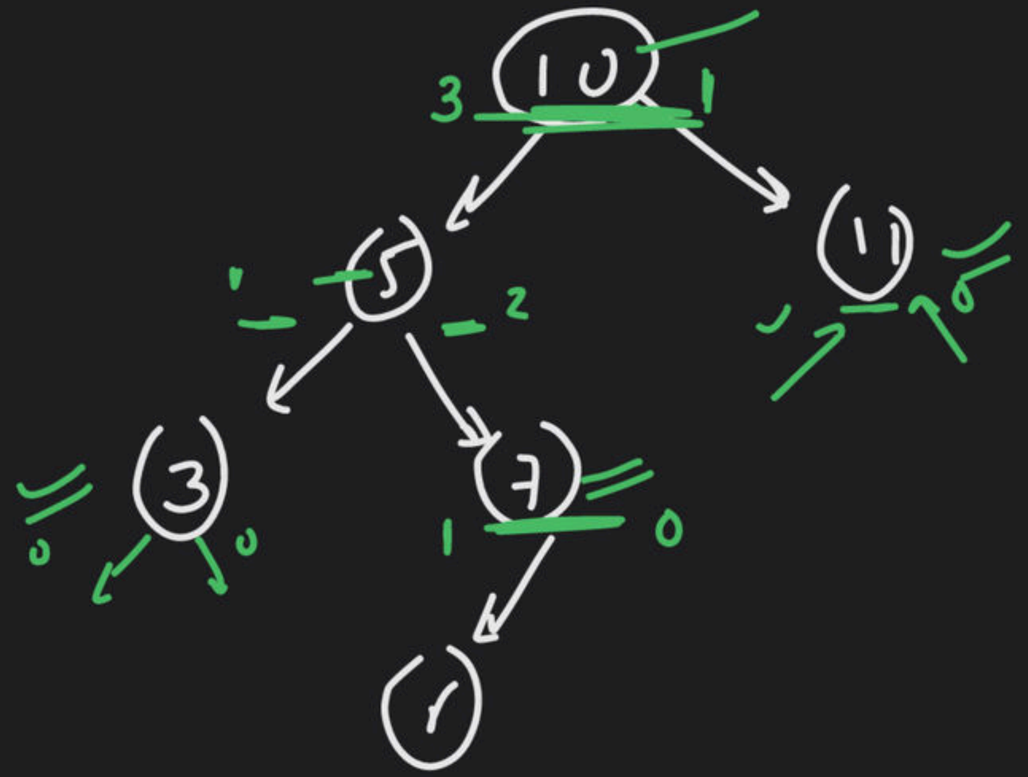
Binary Tree - I

Foundation Course on Data Structures & Algorithms - Part II

Love Babbar • Lesson 7 • July 9, 2022

→ Balanced tree or not



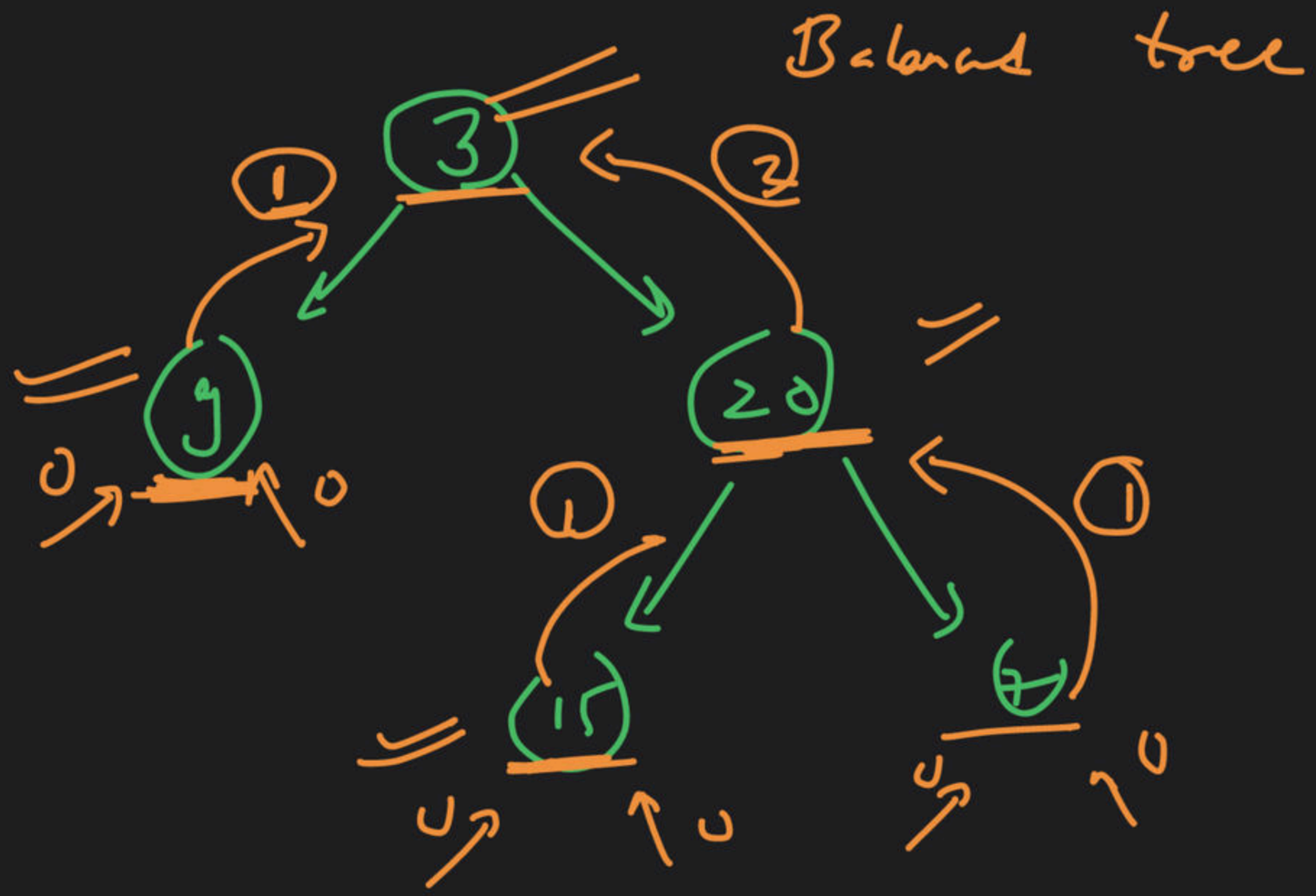
Balanced tree

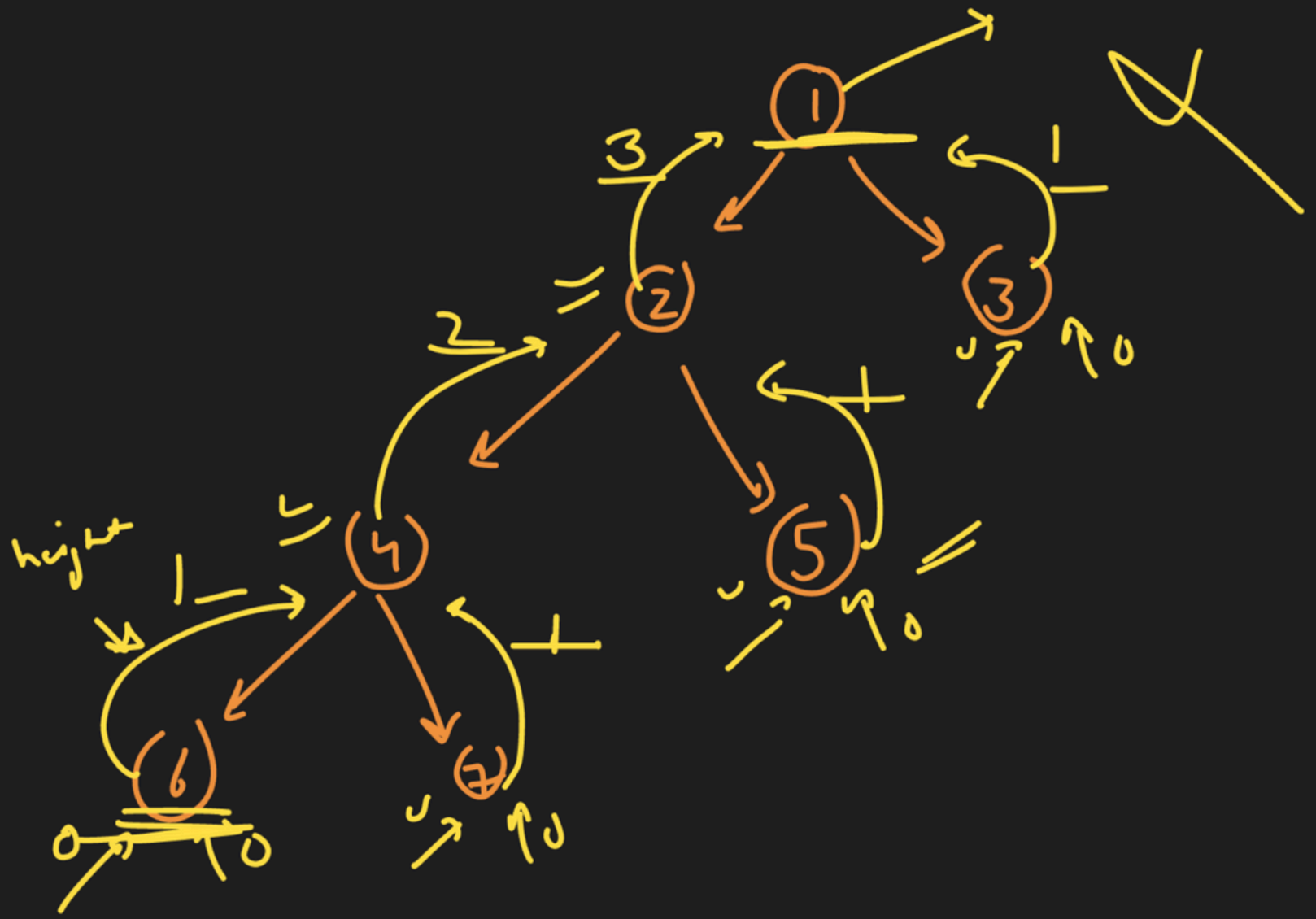
abs(lh - rh) <= 1

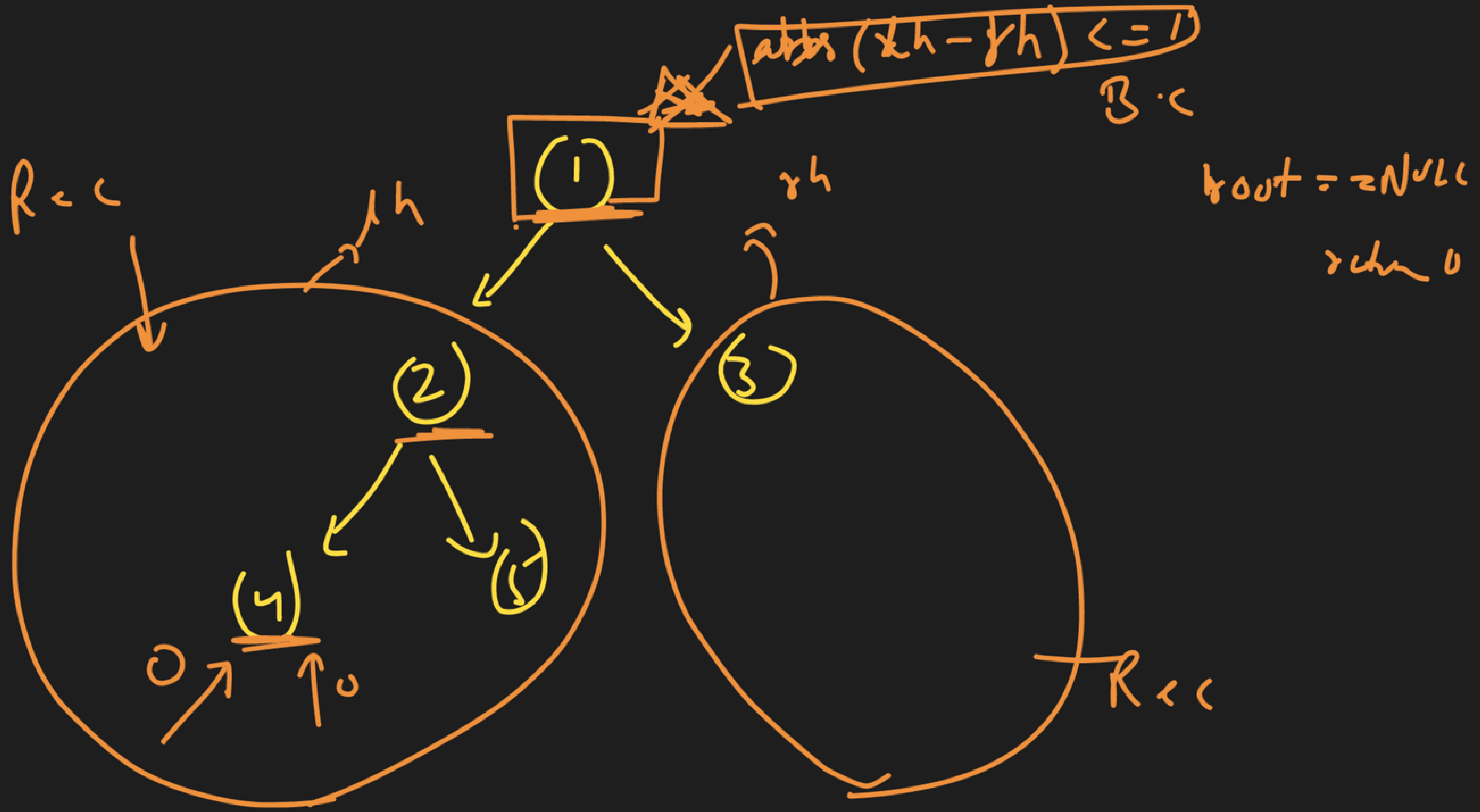
for all nodes

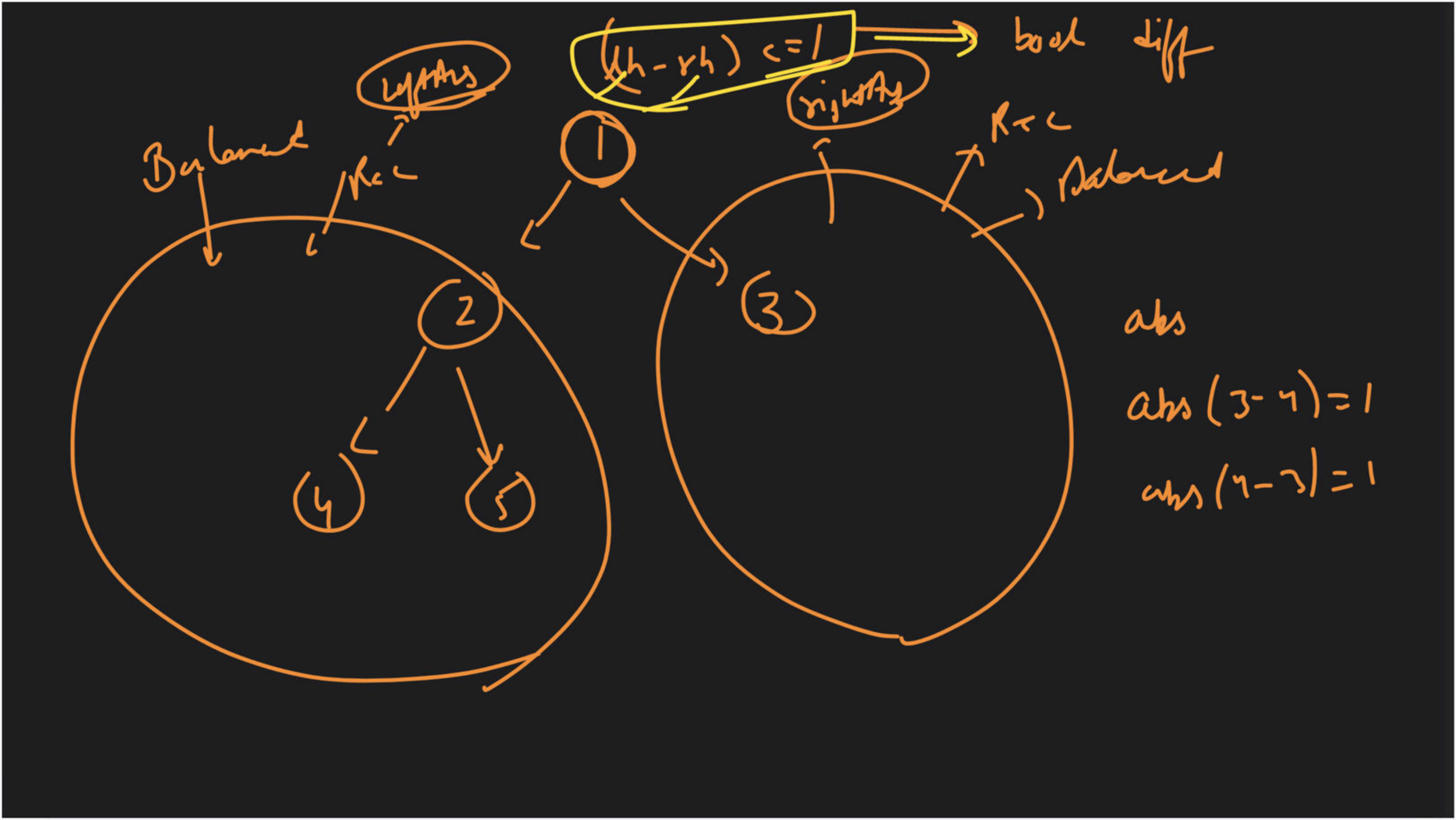
lh → Left sub tree height

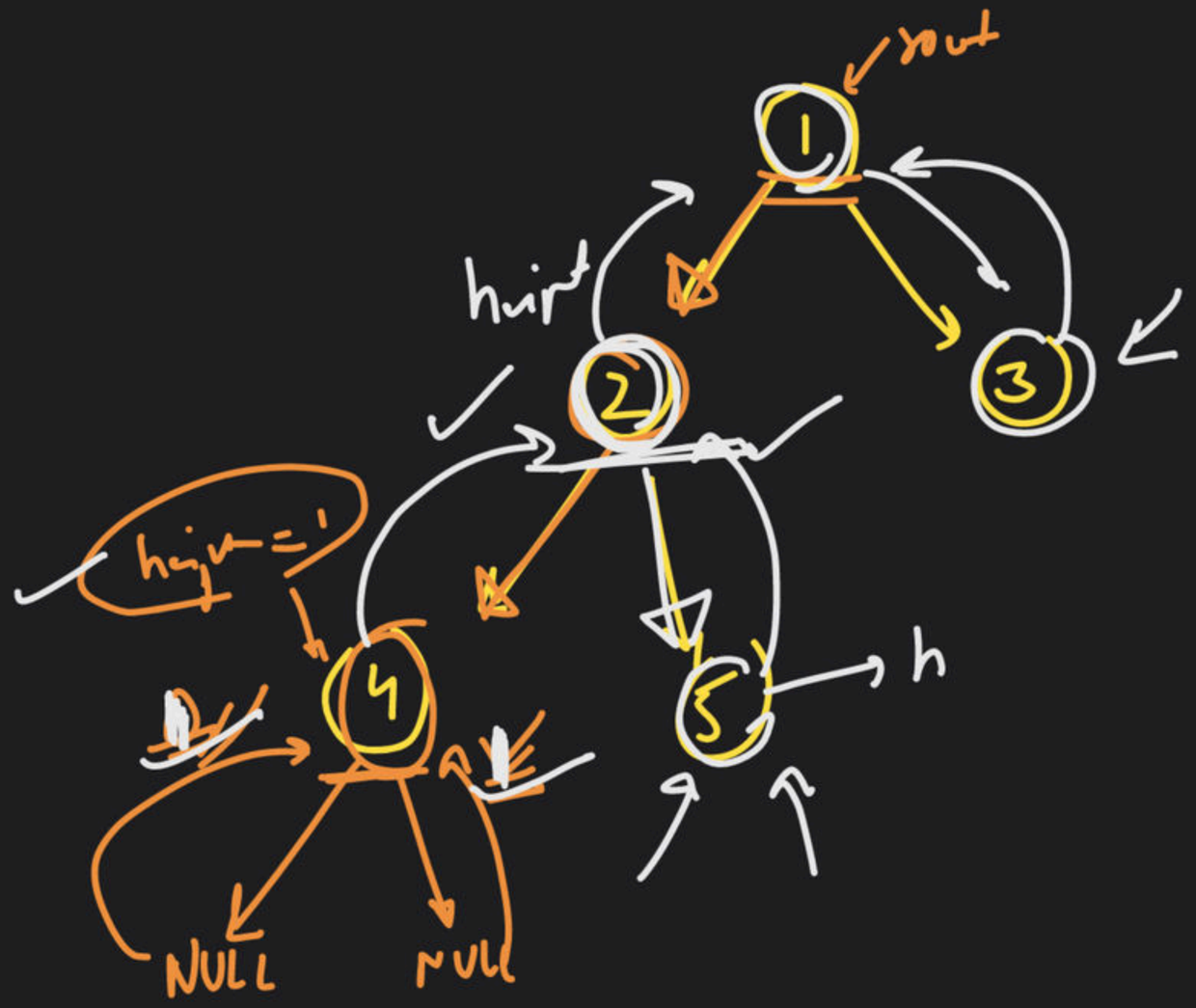
rh → right sub-tree height


Balanced tree
3
1
2
9
20
0
0
1
1
15
7
0
0
0
0


1
2
3
4
5
6
7
height
3
2
1
1
1
0
0
0
0

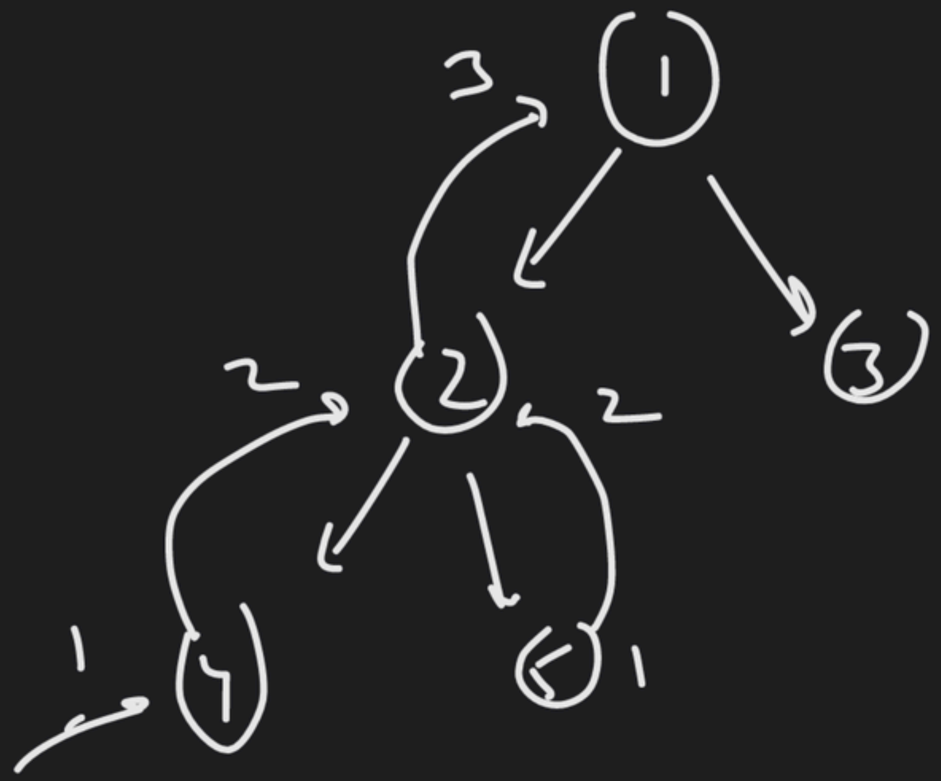

abs (lh - rh) <= 1
B.C
root == NULL
R.C
lh
rh
1
2
3
4
5
0
0
R.C

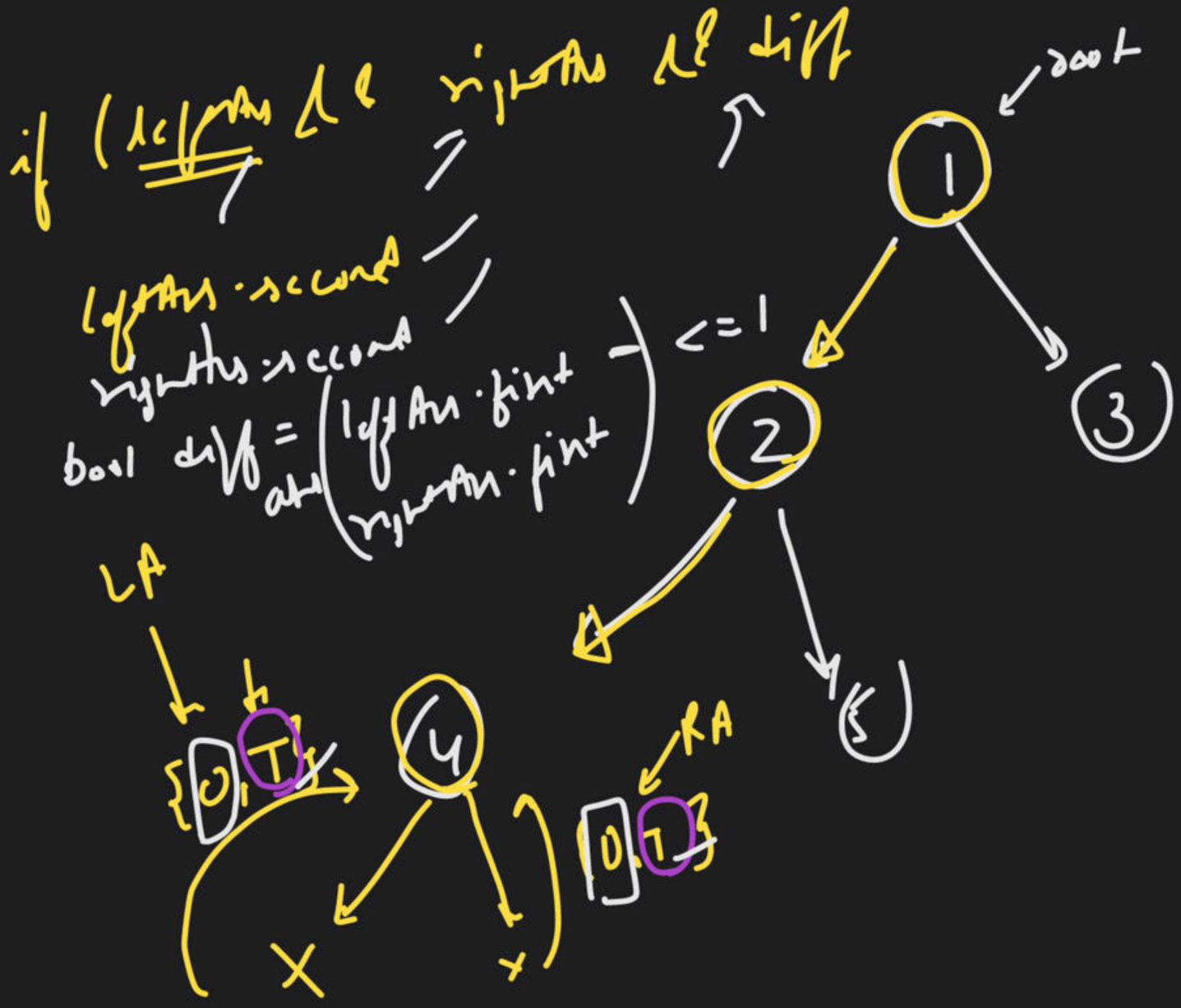

(lh - rh) <= 1
bool diff
leftAns
rightAns
Balanced
Rec
Rec
Balanced
1
2
3
4
5
abs
abs(3-4)=1
abs(4-3)=1

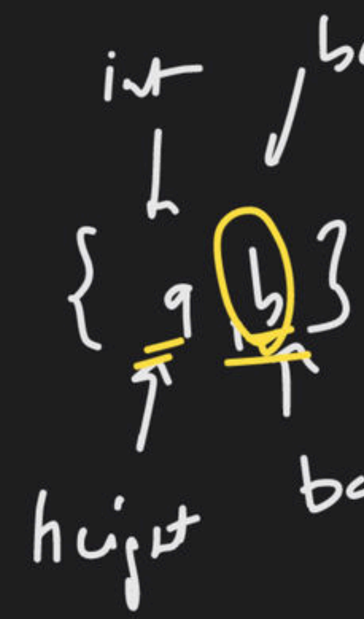


$T.C \Rightarrow n^2$

α

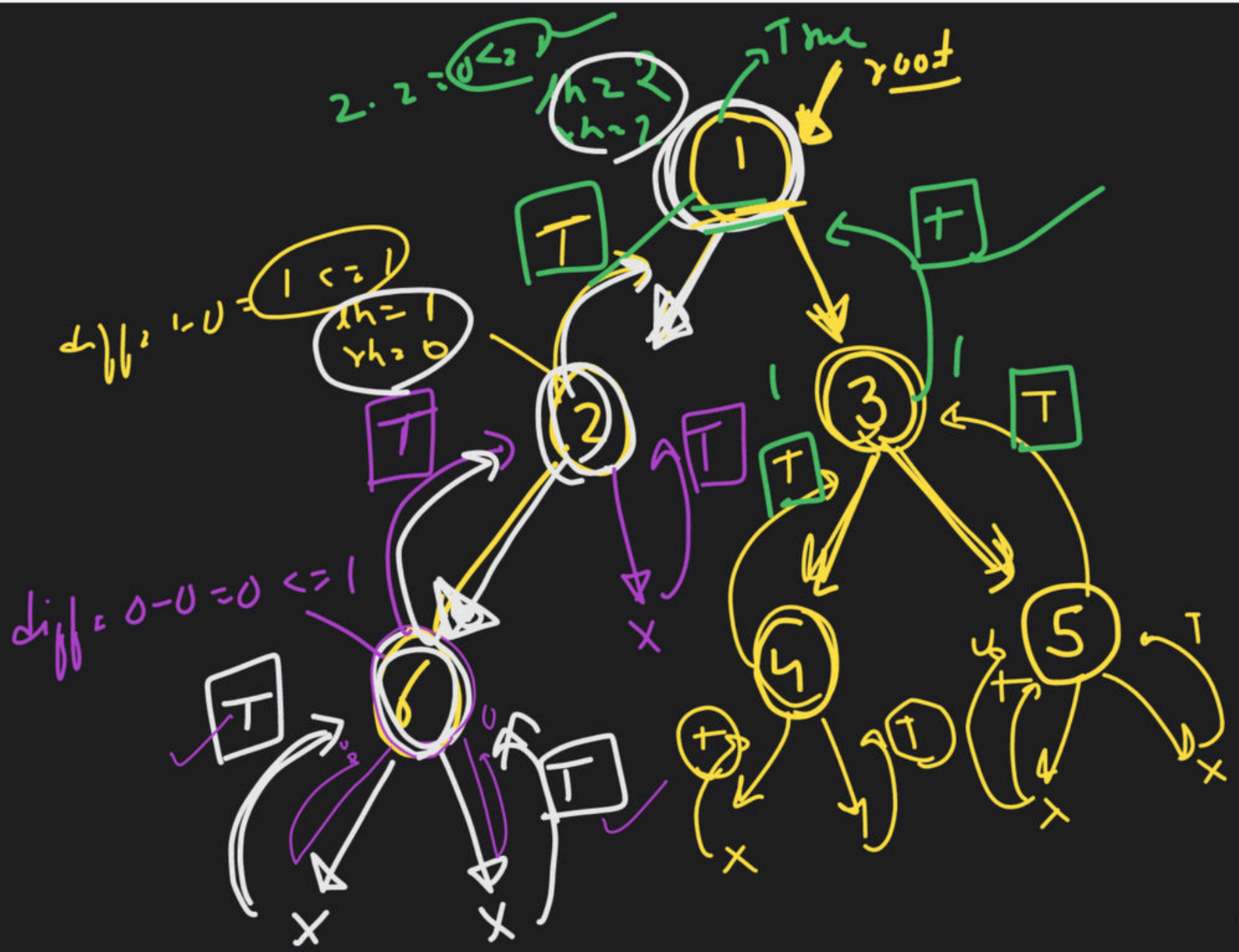

1
3
2
2
2
3
1
1
1





pair <int, bool>

p = make_pair(1,1);



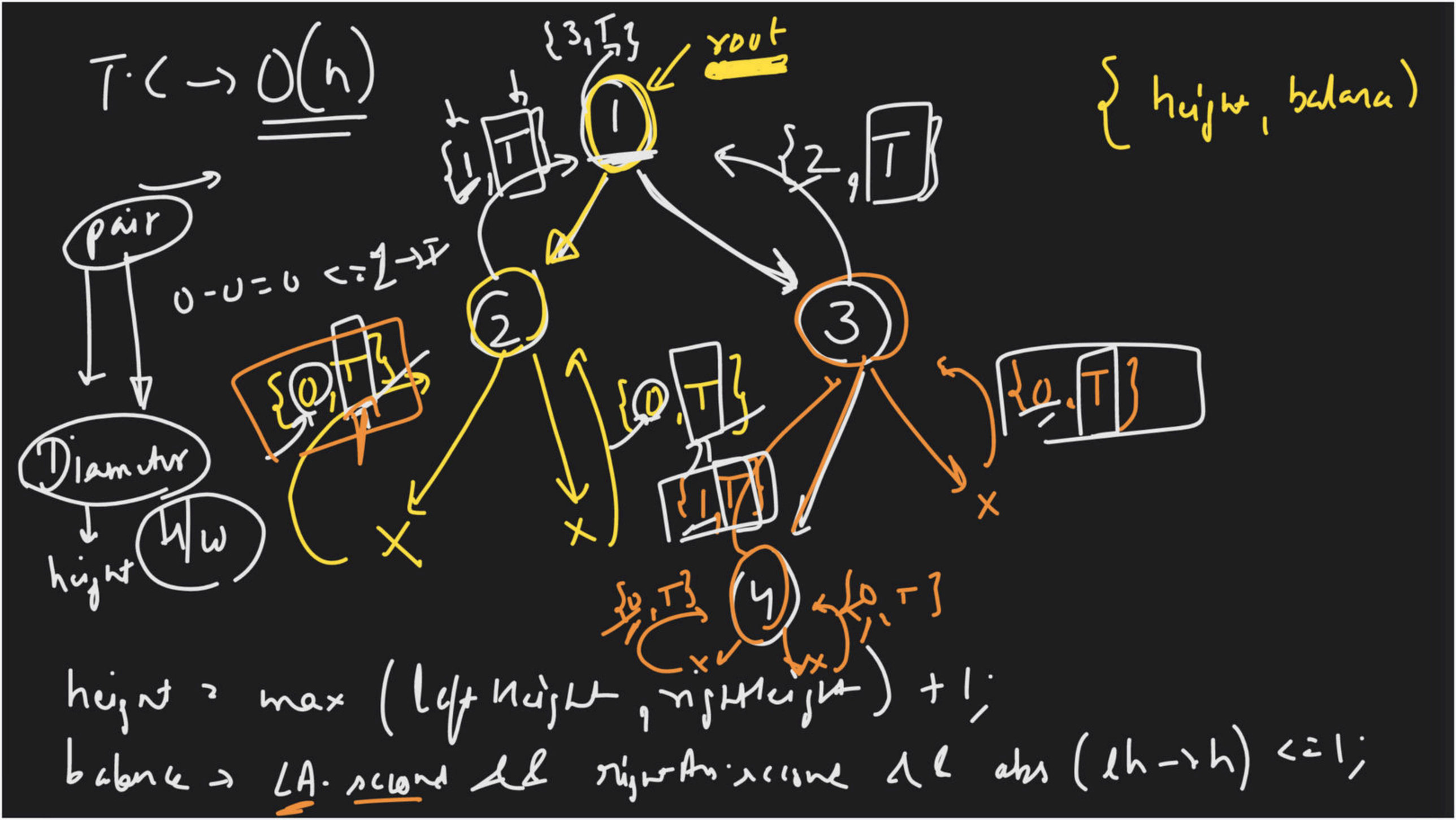
3 cond

(1) Left SubTree Balanced

(2) Right Subtree Balanced

(3) abs (lh - rh) <= 1

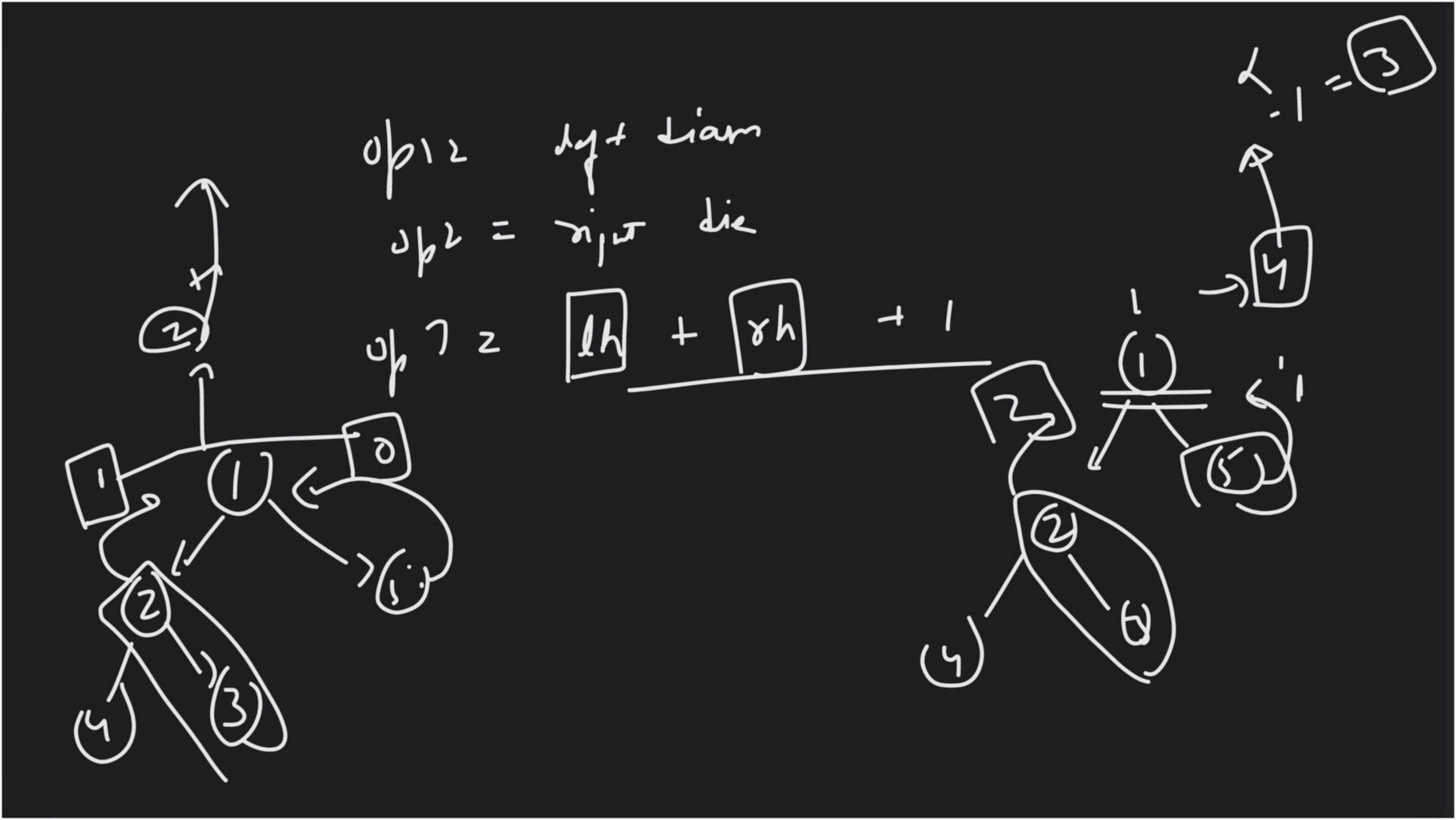
1 Balanced tree or not


T.C -> O(h)
{height, balance}
root
{3,T}
{1,T}
{2,T}
pair
0-0=0 <=> Z->T
Diameter
height
H/W
{0,T}
{0,T}
{0,T}
{1,T}
{0,T}
{0,T}
1
2
3
4
X
X
X
X
height = max(leftHeight, rightHeight) + 1;
balance -> LA. second && rightAns.second && abs(lh->h) <= 1;

lh – rh

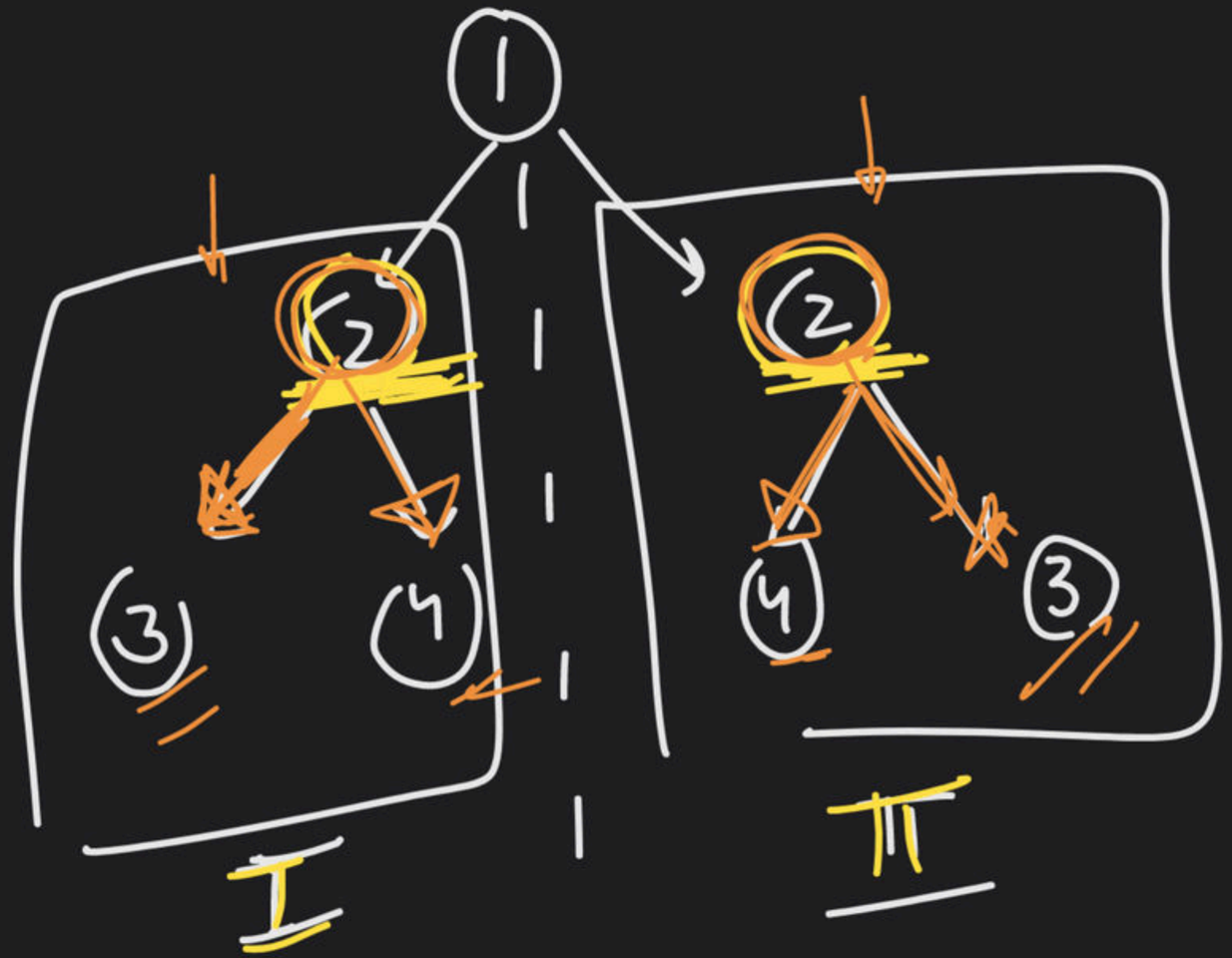
3 — 4 → 1

2 — 3 → 1


dp12 dyt diam
dp2 = rijst die
dp72 lh + rh + 1

→ Lateral Inversion

Dosa
in
Explorer



Recursion

a

'NULL && = NUL

false

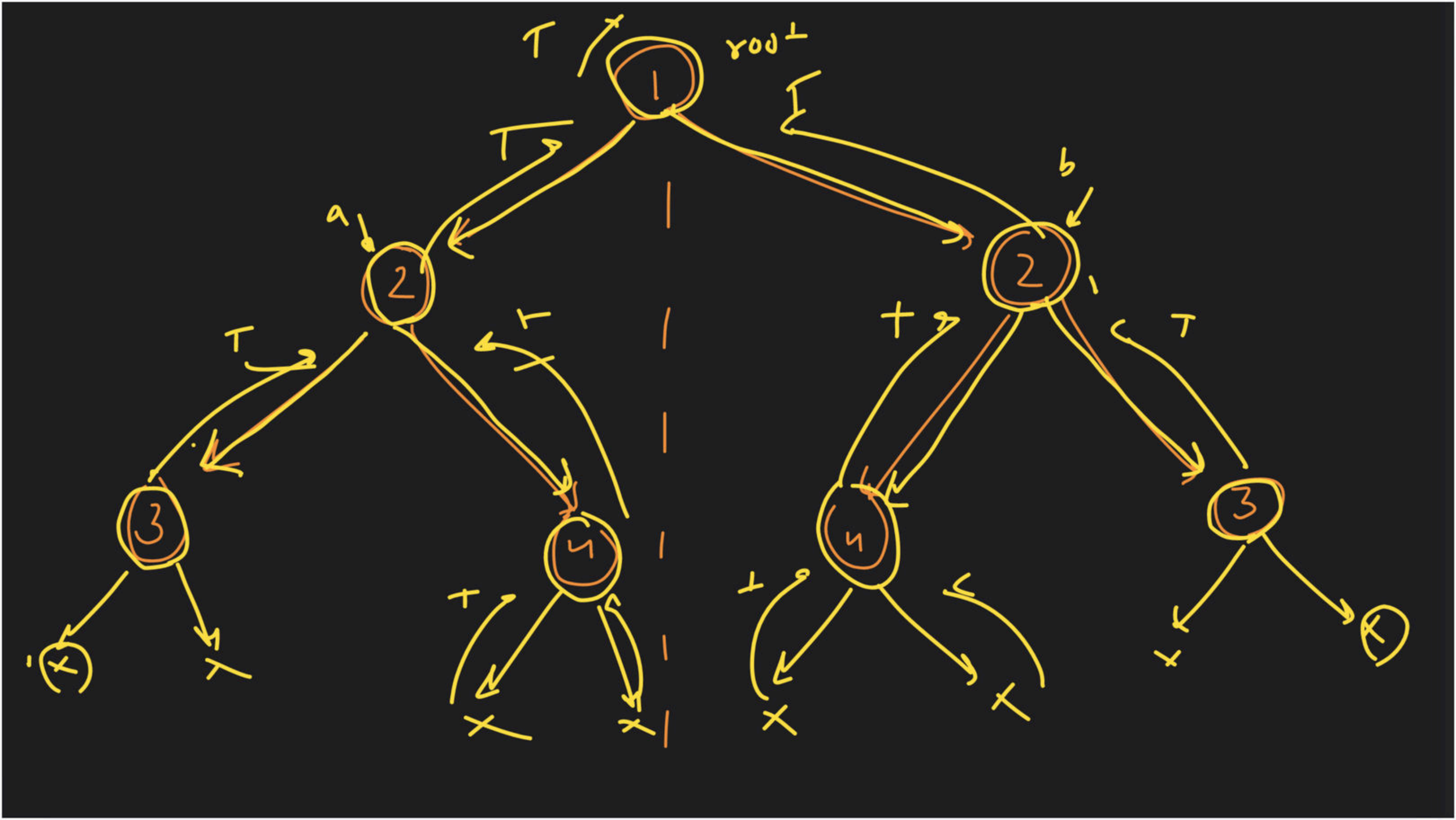
=N && !N

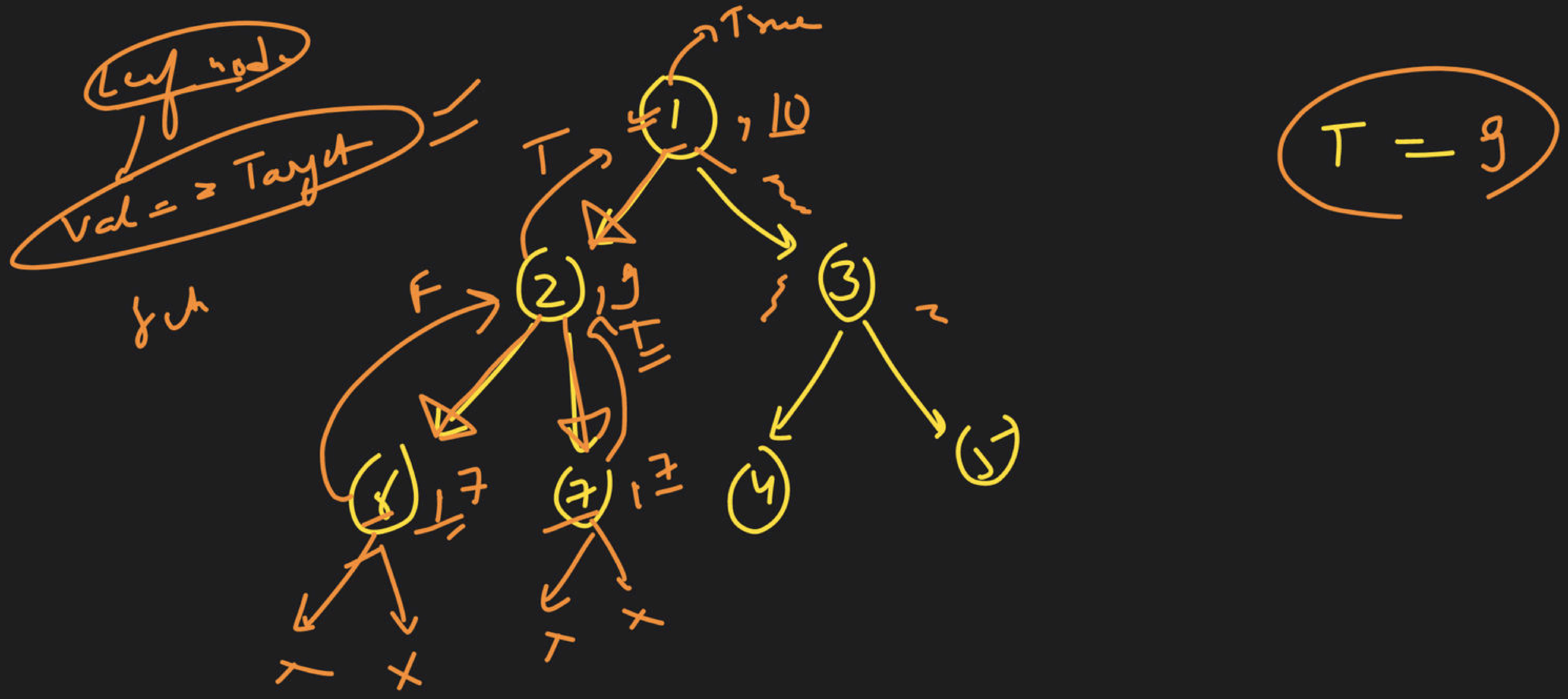
F

=N && <= N

T

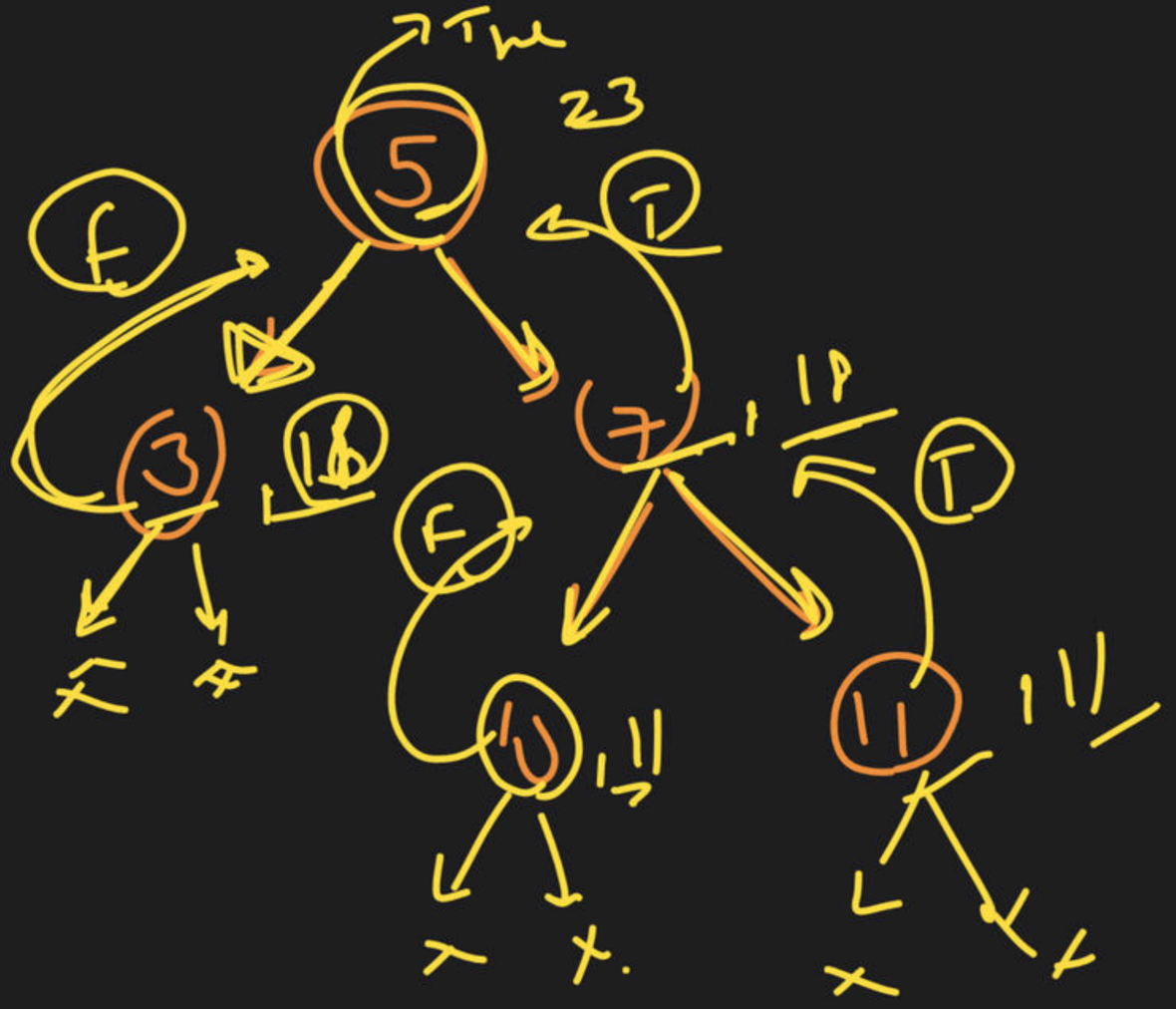
→ null !: val
↳ False


root
a
b
1
2
2
3
4
4
3



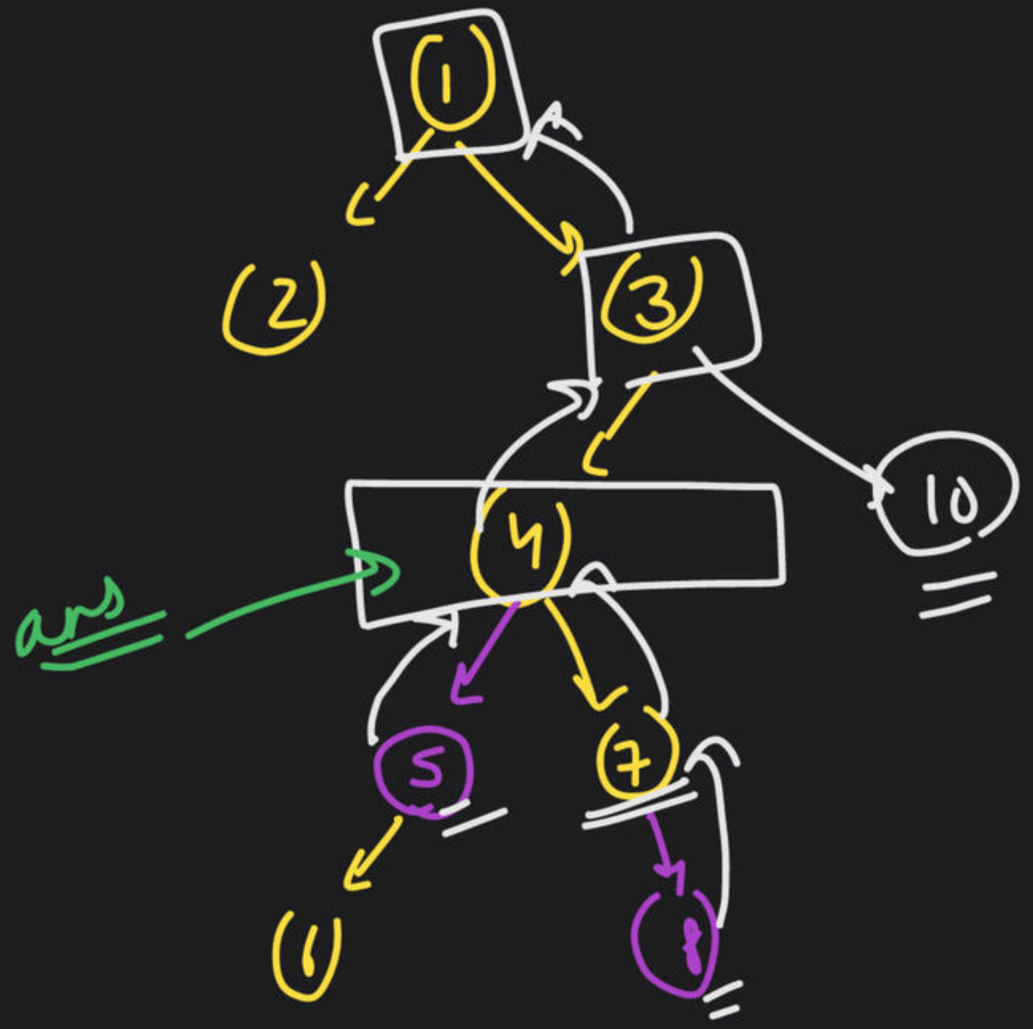
Leaf node
Val == Target
True
T
F
T = 9

L.N
↳ imp



T = 23

→ Lowest Common Ancestor :-

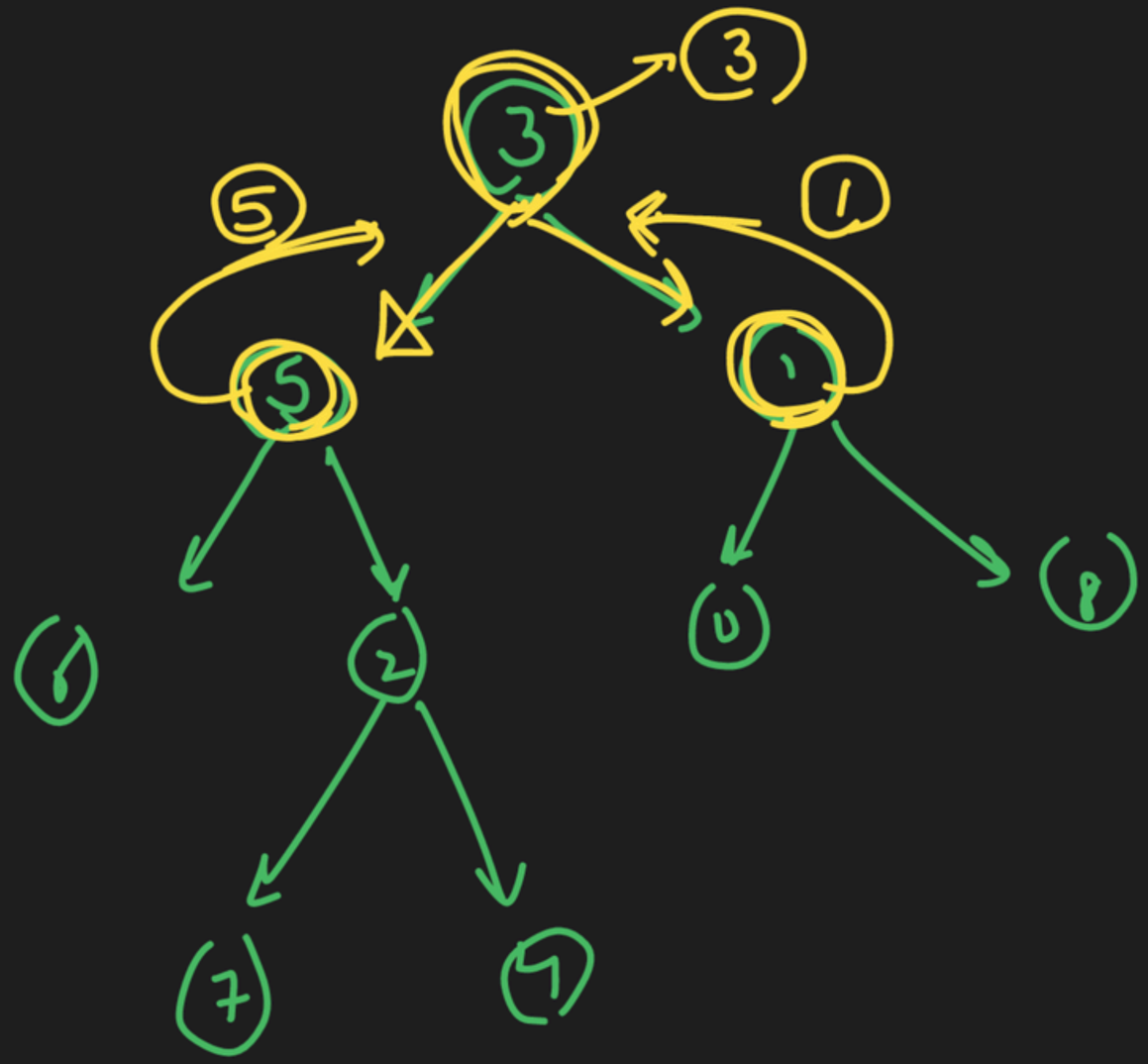


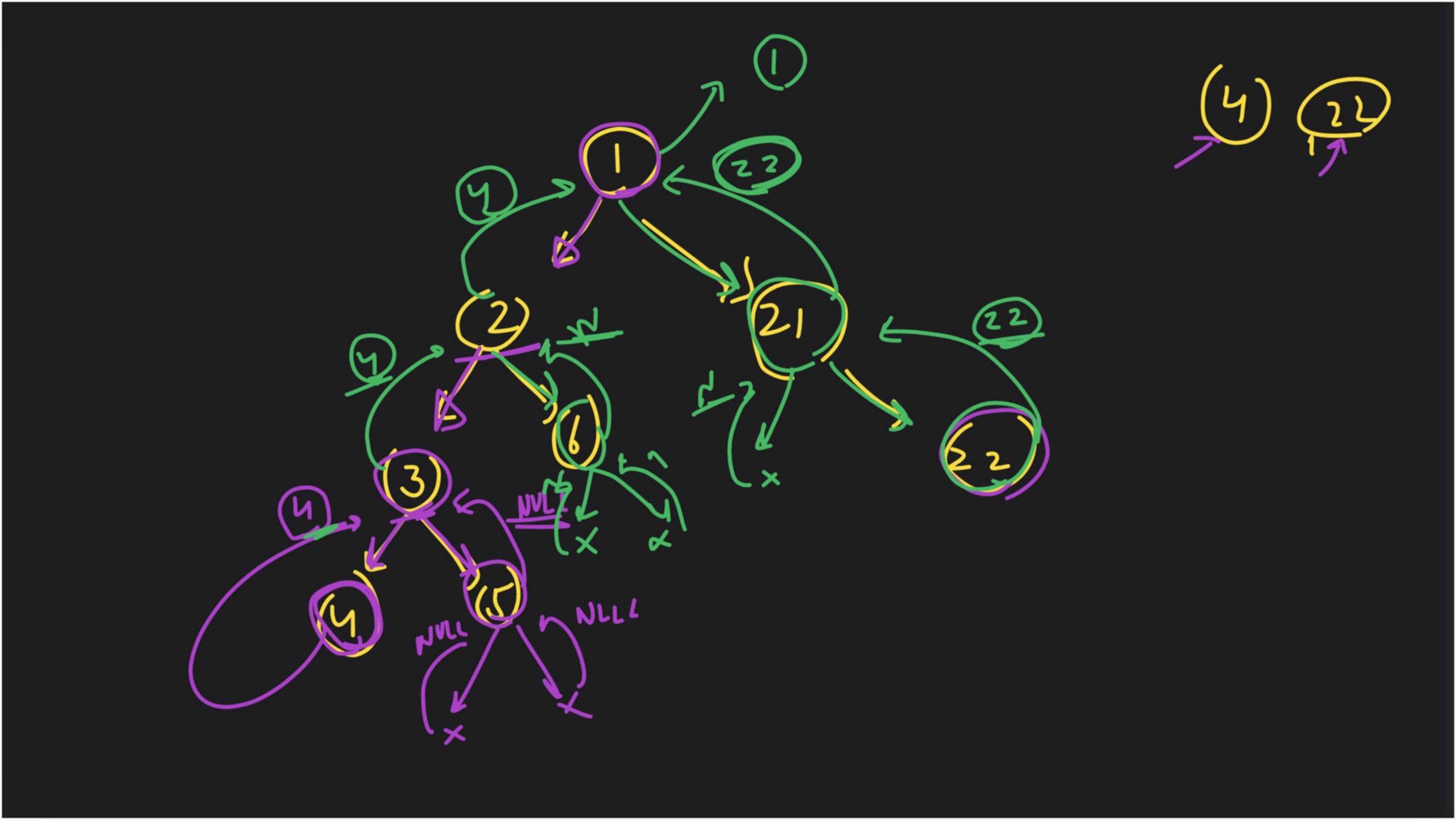
5 (8)

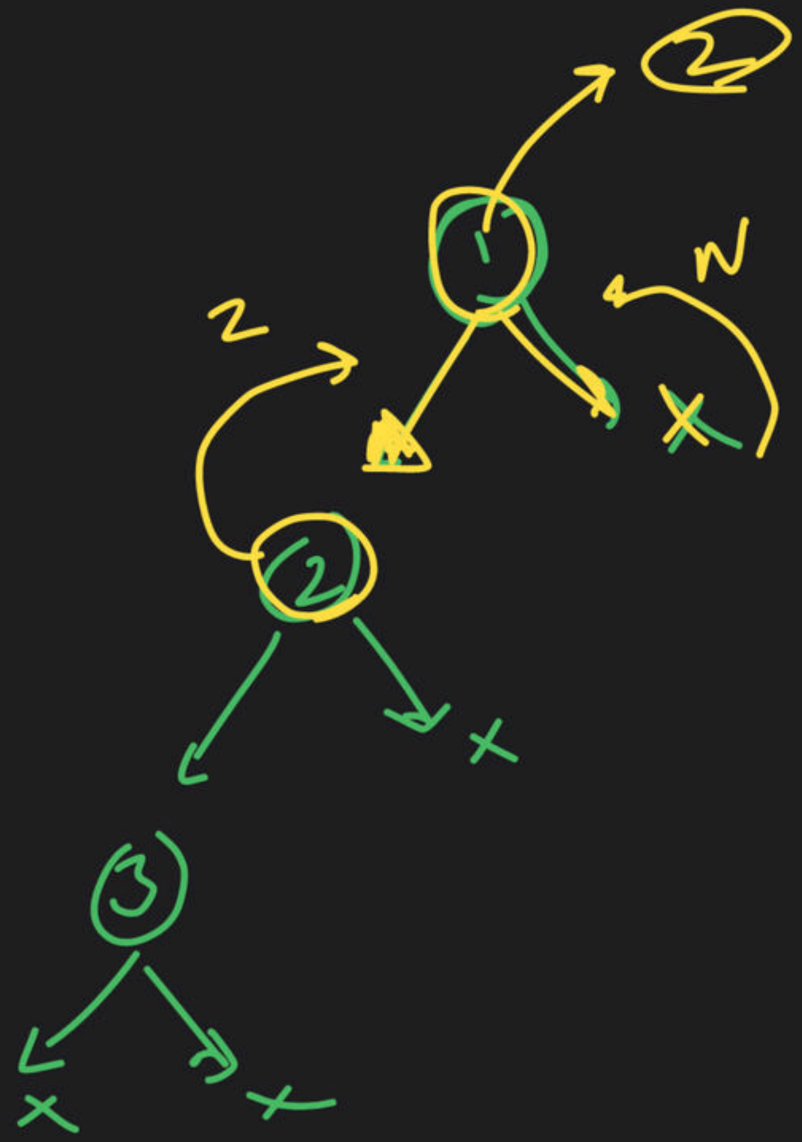
4 → 5, 6

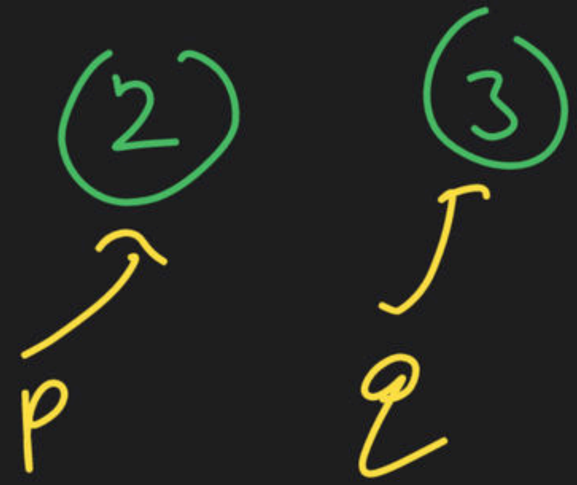
3

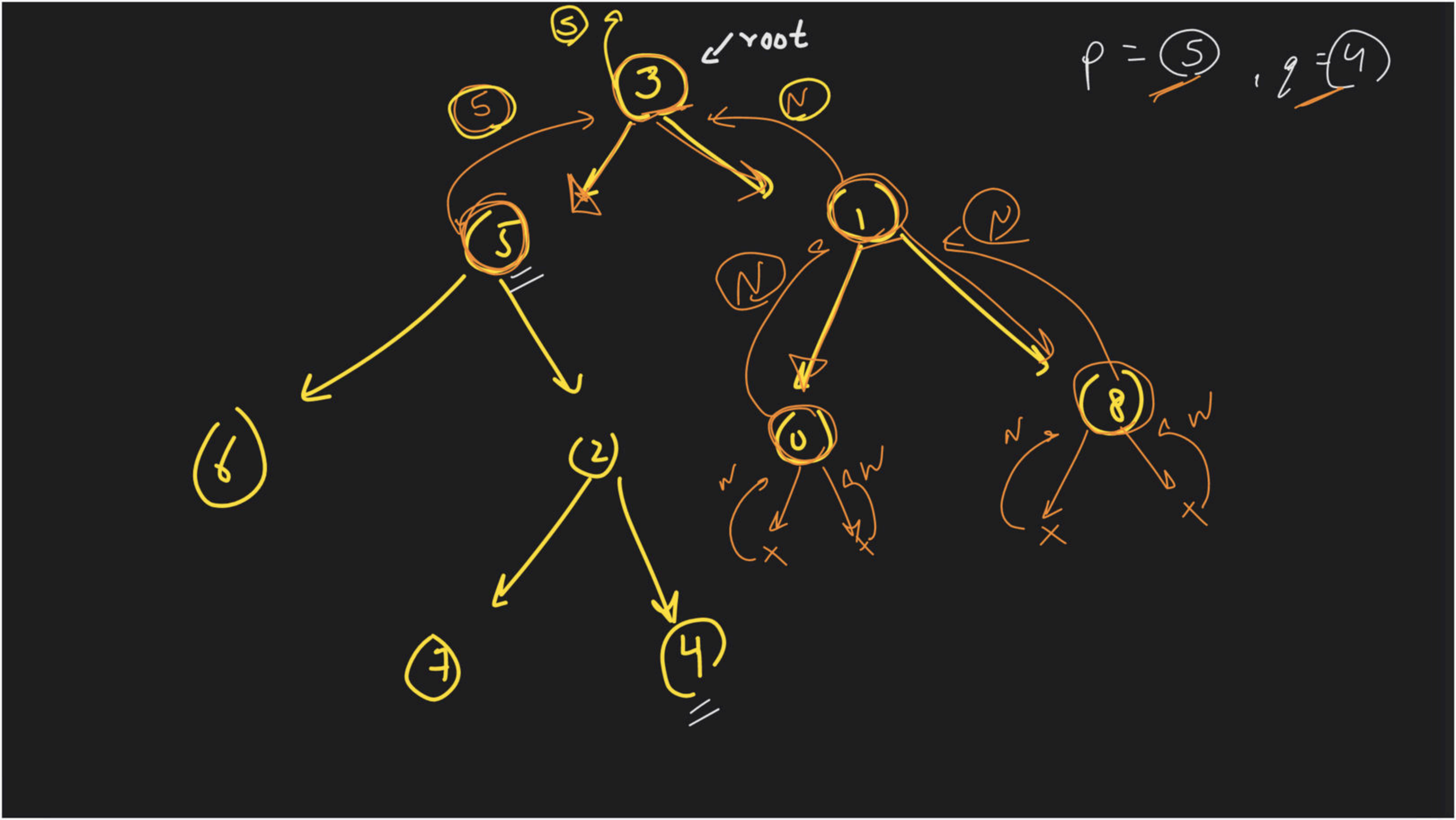
1

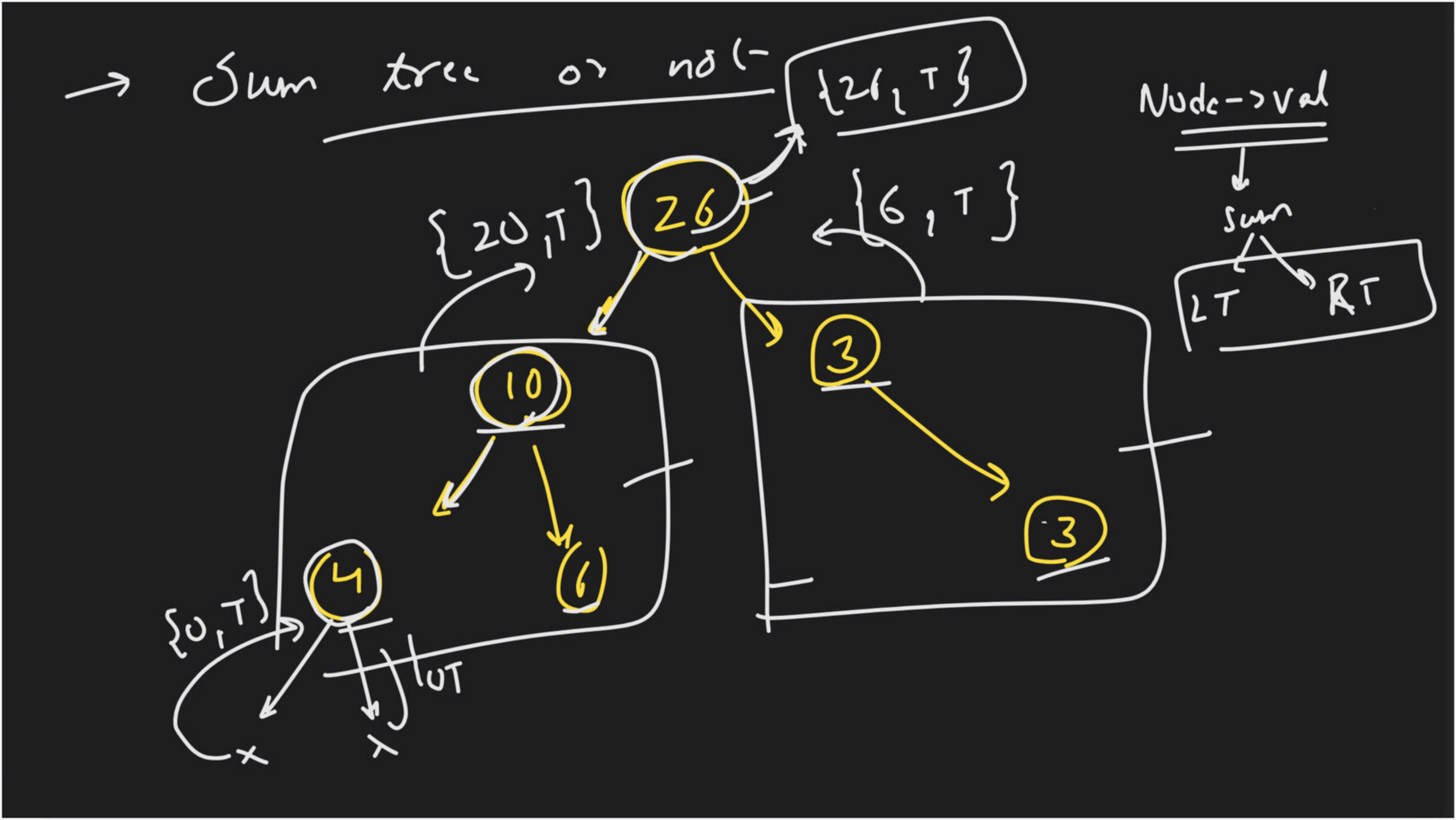

3
3
5
1
5
1
1
2
7
7

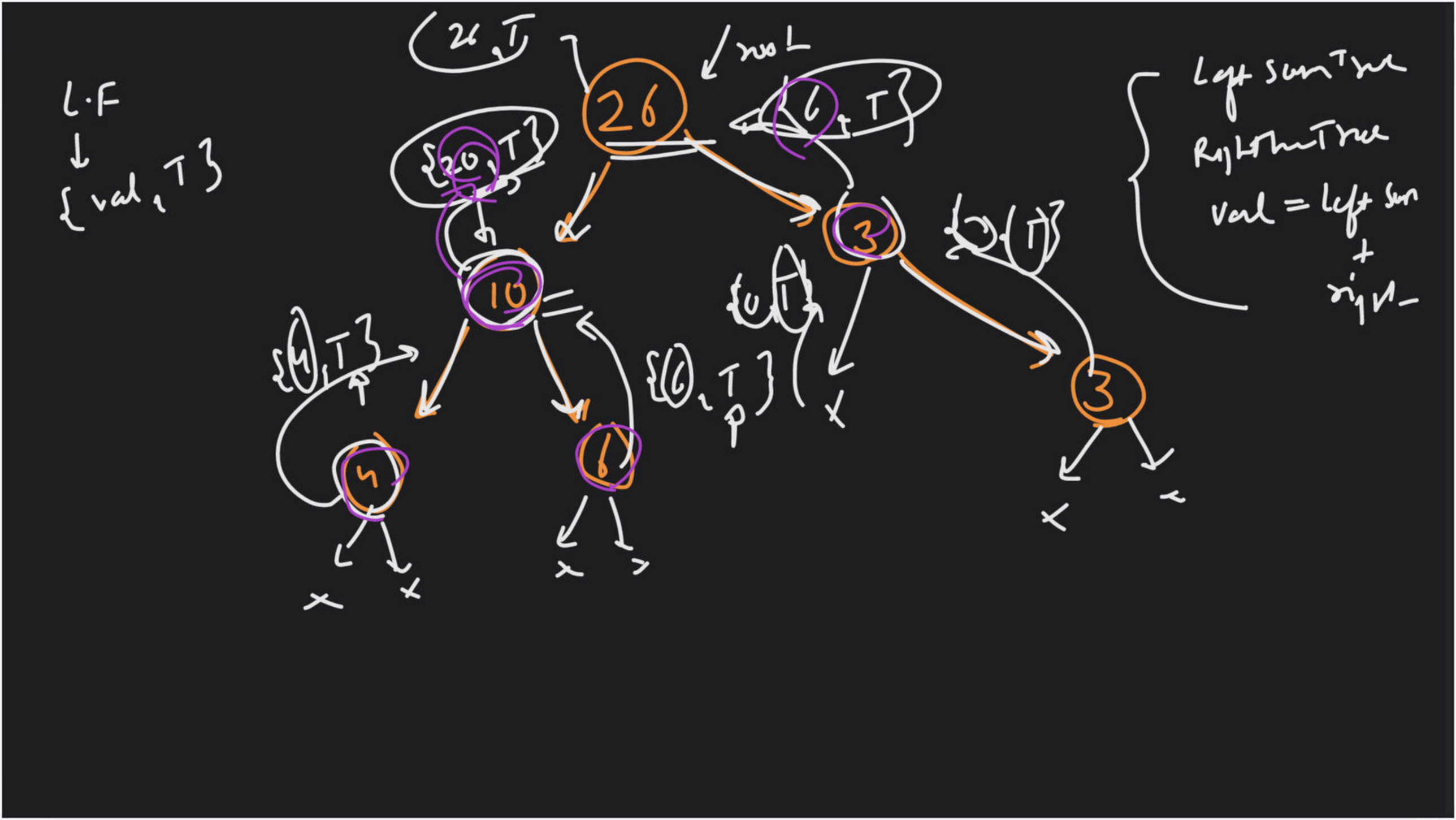

1
1
22
4
2
21
22
4
4
22
6
3
NULL
4
5
4
NULL
NULL
x
x
x
x
4
22


2
1
N
2
X
2
X
3
X
X


2
3
P
Q


root
p = 5 , q = 4
3
5
1
6
2
8
0
7
4


→ Sum tree or not
{26, T}
Node->val
sum
LT
RT
{20, T}
26
{6, T}
10
3
4
6
3
{0, T}
OUT
x
x


L·F
↓
{val, T}
{26, T}
26
{20, T}
{6, T}
10
3
{4, T}
{0, T}
{6, T}
4
1
3
Left SumTree
RightSumTree
Val = Left Sum
+
sign

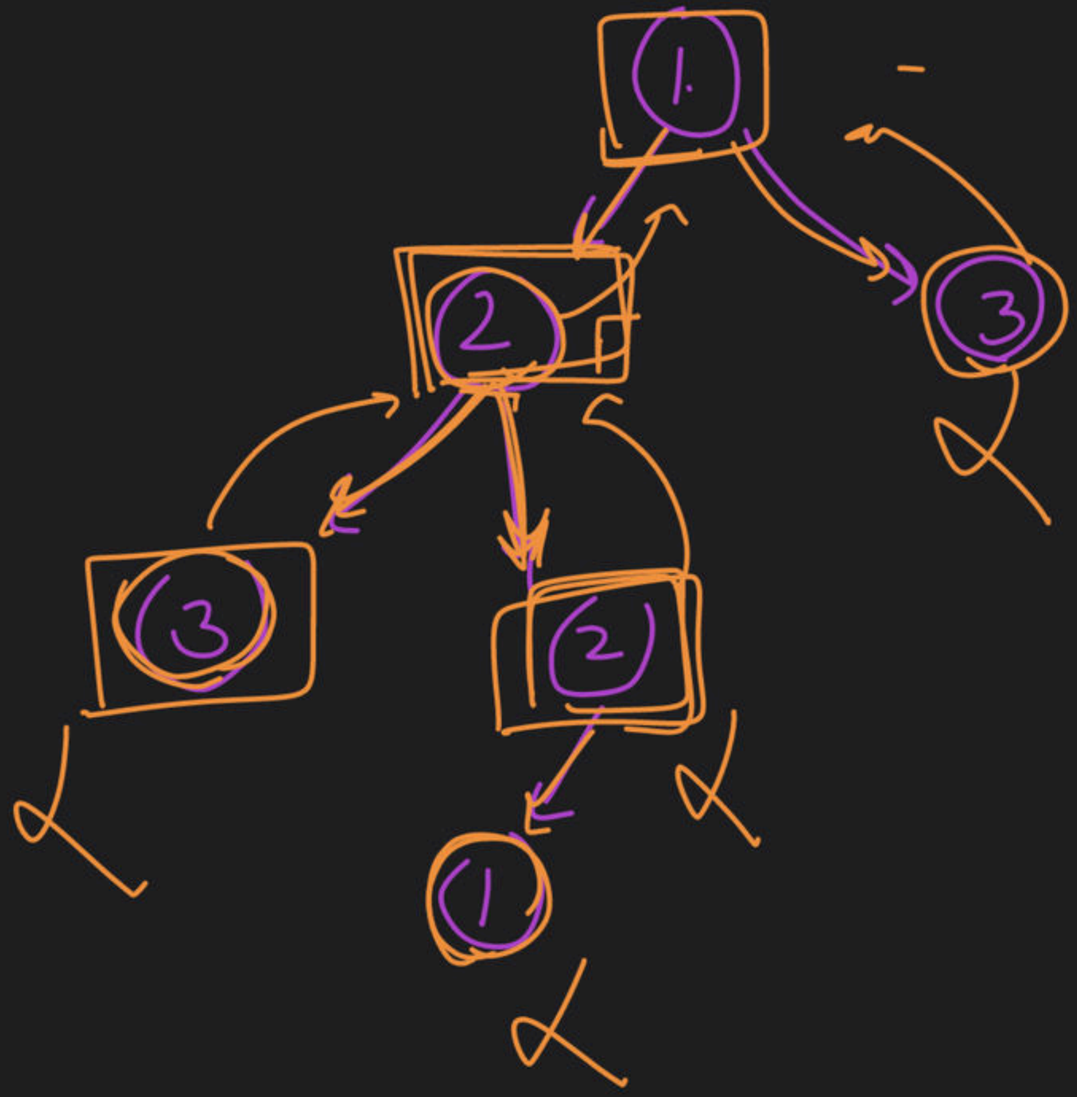
```
pair<int, bool> solve (Node* root)        {O, T};
{
    //B.C  if (root == NULL)
             return make_pair (0, True);

    //B.C  if (root->left == NULL && root->right == NULL)
             return make_pair (root->val, True);

pair<int, bool> left = solve (root->left);
pair<int, bool> right = solve (root->right);

if ( left.second && right.second && (root->val == left.first + right.first))
        return make_pair (2 * root->val, True);
else    return make_pair (max(left.first, right.first) + root->val, False);
```

root->val + left.first + right.first



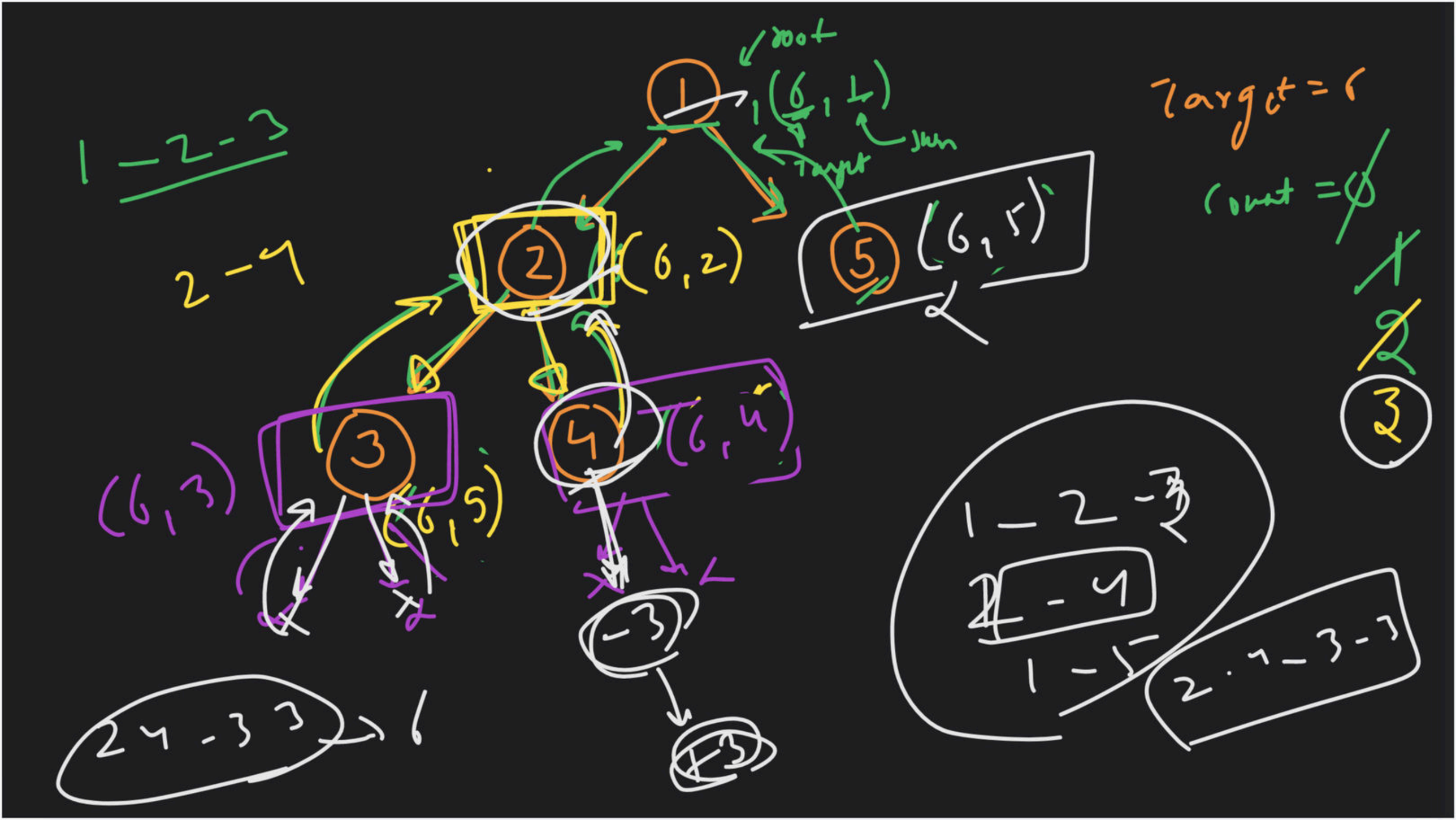
5

1 - 2 - 2

2 - 3

2 - 2 - 1

T.C → $O(n^2)$


1-2-3
2-4
root
(6,1)
target
sum
target = 6
count = 0
(6,2)
(6,5)
(6,3)
(6,4)
(6,5)
-3
-3
2
3
1-2-3
2-4
1-3
2-4-3-3

→ K - Sum path

→ K^th ancestor

→ Traversals :- Zig-Zag / Diagonal / Vertical

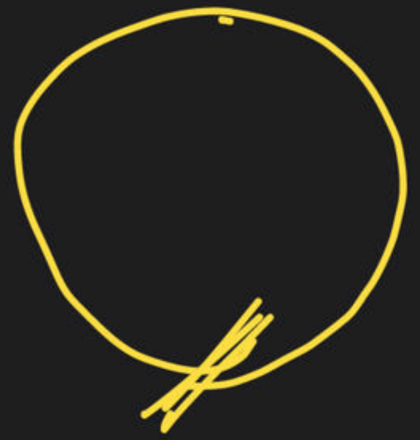
top / left / right / Bottom Views

→ Lowest Bloodline

→ Max Sum of non-adjacent nodes

→ Morris traversal → Burn the tree

→ Padhai start ho chuki hai?



→ On-Campus placement