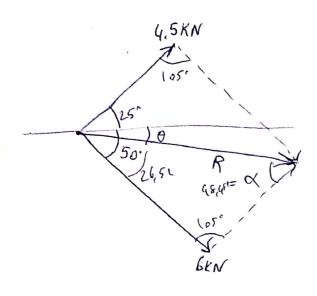
a) Parallelogram law

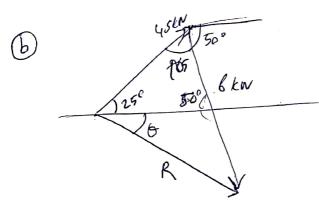


$$R = \sqrt{(4,5)^2 + 6^2 - 2, 4,5,6,\cos(05^\circ)}$$

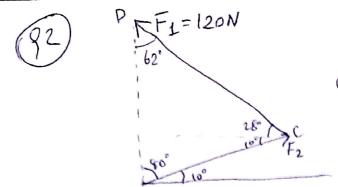
$$= 6,85$$

$$\frac{6.85}{\sin 105^{\circ}} = \frac{6}{\sin 4}$$

$$\sin 10^{3}$$
 $\sin 10^{3}$ = 0.85
 $\sin 10^{3}$ = 0.85
 $\sin 10^{3}$ = 0.85
 $\cos 10^{3}$ = 0.85
 $\cos 10^{3}$ = 0.85
 $\cos 10^{3}$ = 0.85
 $\cos 10^{3}$ = 0.85



$$R = \frac{(4.5)^2 + 6^2 - 2.4.5.6. \text{ cortos}^{\circ}}{6.85}$$



apply the law of sines

$$\frac{120}{\sin 80^\circ} = \frac{F_2}{\sin 62^\circ} = \frac{R}{\sin 38^\circ}$$

$$F_2 = \frac{120 \sin 62^{\circ}}{\sin 80^{\circ}}$$
 $R = \frac{120 \sin 38}{\sin 80^{\circ}}$ $R = \frac{7.5 \text{ N}}{1.20 \text{ N}}$

a.)
$$P.\cos 35^\circ = 960N$$

 $P = \frac{960}{\cos 35} = 1171,94N$

6.)
$$P_{x} = P_{x} \sin 35^{\circ}$$

= 1171,94 × sin 35°
= (672,2 N)

$$F_x = (3/5)100 = -60$$
 b
 $F_y = (4/5)100 = -801$ b

For
$$15666$$
 force
 $F_{x} = (12/13)156 = 14416$

$$F_x = \frac{(12/13)^{130}}{5/13} = -60b$$

For
$$1451b$$
 force
 $F_X = (84/116).145 = -(051b)$
 $F_Y = (80/116).145 = 1001b$

Sum all
$$F_x = -60+144-105 = -216$$

at $F_y = -80-60+100 = -406$
then $F_y = -80-60+100 = -406$