two dimensional data

March 4, 2021

Let's use matplotlib to explore a bit of data. I'm going to focus here on just using the library to build basic charts you are probably already familiar with, and then we'll go on to some more in depth examples of how to do visual exploration of data and data analysis.

```
[1]: # First, let's bring in matplotlib and turn off the Jupyter display figure

→ magic.

%matplotlib inline
import matplotlib.pyplot as plt
from IPython.display import set_matplotlib_close
set_matplotlib_close(False)

# And of course we'll bring in pandas and numpy
import pandas as pd
import numpy as np
```

```
# Now, the data I'm going to use is something called Anscombe's quartet. It's

an interesting historic dataset

# that was used to demonstrate the important of visual exploration. You can

read more about it at wikipedia,

# and I've left the code I used to get the data from wikipedia below, but I've

commented it out and just

# left it for you to see if you're interested.

dataset=pd.read_html("https://en.wikipedia.org/wiki/Anscombe%27s_quartet",

skiprows=1)[1]

dataset.columns=["x1","y1","x2","y2","x3","y3","x4","y4"]

dataset.to_csv("quartet.csv", index=False)
```

```
[3]: df=pd.read_csv("assets/quartet.csv")
df
```

```
[3]:
                              у2
           x1
                        x2
                                     x3
                                            yЗ
                                                  x4
                                                         y4
                  y1
         10.0
                8.04 10.0 9.14 10.0
                                          7.46
                                                 8.0
                                                       6.58
          8.0
                6.95
                       8.0 8.14
                                   8.0
                                          6.77
                                                 8.0
                                                       5.76
     1
     2
         13.0
                7.58 13.0 8.74 13.0
                                         12.74
                                                 8.0
                                                       7.71
     3
          9.0
                8.81
                       9.0 8.77
                                   9.0
                                          7.11
                                                 8.0
                                                       8.84
     4
                                                       8.47
         11.0
                8.33 11.0 9.26 11.0
                                          7.81
                                                 8.0
     5
         14.0
                9.96 14.0 8.10 14.0
                                          8.84
                                                 8.0
                                                       7.04
          6.0
                7.24
                       6.0 6.13
                                          6.08
                                                 8.0
                                                       5.25
                                   6.0
```

```
12.0 10.84 12.0 9.13 12.0
                                                     5.56
                                         8.15
                                              8.0
     9
          7.0
               4.82 7.0 7.26
                                  7.0
                                         6.42
                                                 8.0
                                                       7.91
          5.0
               5.68
                       5.0 4.74
                                   5.0
                                         5.73
                                                       6.89
     10
                                                8.0
[4]: | # So, the point of Anscombe's quartet is to demonstrate that certain summary
     →statistics might look the same or
     # nearly the same between different values, but that when we graphically \Box
     → examine them they look quite different.
     # For instance, let's calculate the mean of each column
     df.agg(np.mean)
[4]: x1
           9.000000
           7.500909
    y1
    x2
          9.000000
          7.500909
    y2
          9.000000
    xЗ
    yЗ
          7.500000
          9.000000
    x4
     v4
           7.500909
     dtype: float64
[5]: # So we see that the mean of the X values is all identical, at 9.0, and that
     \hookrightarrow the mean of Y values are all
     # identical as well, at just a smidge over 7.5 Let's check how correlated the X_{\sqcup}
     →and Y values are between our
     # four series of data
     import scipy.stats as stats
     for i in range(1,5):
         print("pearson for {} values is {}".format(i,stats.pearsonr(df['x{}'.
      →format(i)],df['y{}'.format(i)])))
    pearson for 1 values is (0.8164205163448399, 0.0021696288730787927)
    pearson for 2 values is (0.8162365060002427, 0.0021788162369108027)
    pearson for 3 values is (0.8162867394895982, 0.002176305279228025)
    pearson for 4 values is (0.8165214368885029, 0.002164602347197218)
[6]: \# Ok, so even the correlation between the X and Y values across each series is
     →almost identical! And it turns
     # out that a number of other statistical properties, such as the variance, on
     → the fit of a regression line,
     # are very similar as well. However, we can often visualize many different \Box
     \hookrightarrow kinds of variation at once, and
     # plotting these points can produce more insight.
```

7

4.0

4.26 4.0 3.10

4.0

5.39 19.0 12.50

```
# Let's check the first series, I'm going to plot this as a scatter plot. To do

→ so we just pass in our X and Y

# values as the first two parameters. We can also add a third parameter for the

→ format of the points to use.

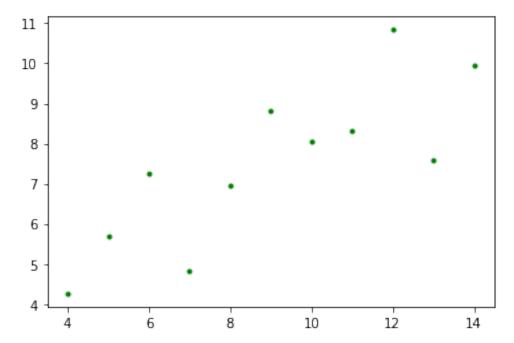
# This follows a sort of mini programming language, right now I'll just use g.

→ which means a green dot

plt.figure()

plt.plot(df['x1'],df['y1'],'g.')

plt.show()
```



```
[7]: # Ok, great, a bunch of seemingly random plots. I'm going to plot the next

→ three series as well, and change

# the color and the marker type, then rerender the plot. You can check the docs

→ for more details on color

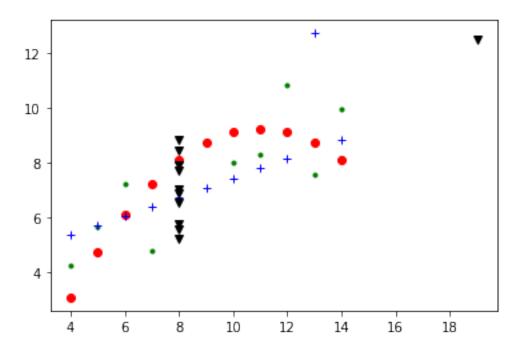
# and marker shapes

plt.plot(df['x2'],df['y2'],'ro')

plt.plot(df['x3'],df['y3'],'b+')

plt.plot(df['x4'],df['y4'],'kv')

plt.show()
```



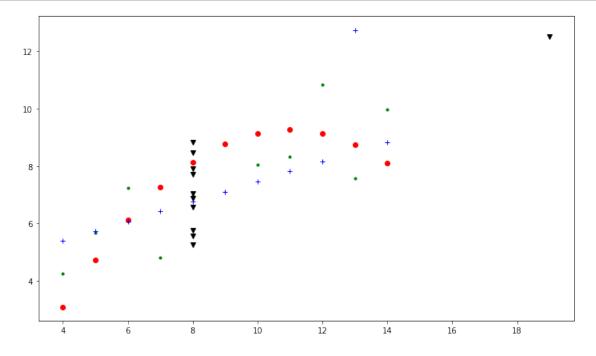
[8]: # Wow, this looks quite different! Let's change the size of that figure to get⊔

→ a better sense of what has

happened

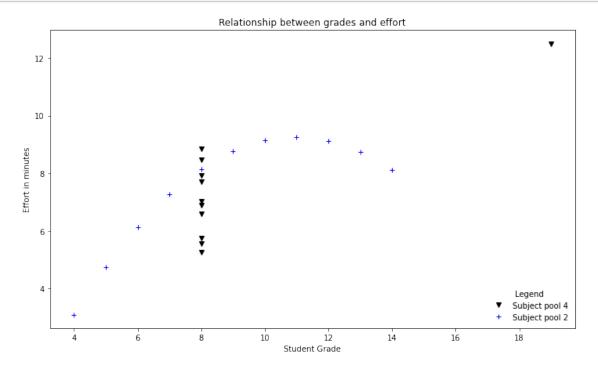
plt.gcf().set_size_inches(12,7)

plt.show()



```
[9]: # So we can see here that the fourth series, the black triangles, have one
      ⇒strong outlier. The red circles,
     # which were the second series, form a gentle curve. The first series was u
     ⇒scattered all around, and the blue
     # plus signs, which were our third series, are mostly in a horizontal line.
     # Despite the summary statistics looking very similar, we see there are very
      → much different relationships
     # between data points, and that's one of the reasons we engage in exploratory ____
     \hookrightarrow data analysis. Now, what does
     # this mean for a given analysis? That really depends on what the analysis is_{\sqcup}
     \hookrightarrow of. If the x axis was the
     # predicted grade of a student and the y axis was the amount of time they have
      ⇒spent on a given task, I would
     # probably come to different conclusions if I were looking at the black \Box
     → triangles (which suggests that time on
     # task is pretty meaningless, except for that one individual in the upper
     \hookrightarrow right) than if I were looking at the
     # blue plus signs (which suggests that for the most part people benefit from
     →even a small increase in time on
     # task)
     # Here are a couple of things I might do to improve this visual if I were
     \hookrightarrow looking at it. First I would clear
     # the axis
     plt.cla()
     # Then I would plot my data, here I'll also add a label for my data which is \Box
     \rightarrowmore meaningful
     plt.plot(df['x4'],df['y4'],'kv', label="Subject pool 4")
     plt.plot(df['x2'],df['y2'],'b+', label="Subject pool 2")
     # Then I would add some descriptive text
     plt.title('Relationship between grades and effort')
     plt.xlabel("Student Grade")
     plt.ylabel("Effort in minutes")
     # Next I might want to make sure the legend is rendered, in this case I'll set _{\sqcup}
     \rightarrow its location and some of the
     # graphical framing for the legend. a Value of 4, which you can read about in_{\square}
     → the docs, means the legend
     # should appear in the lower right hand corner
     plt.legend(loc=4, frameon=False, title='Legend')
```

```
# Now let's render it
plt.show()
```



```
[]: # Nice! This plot is looking meaningful and useful. You can see though, there⊔
→ are a lot of different little
# options to matplotlib in order to build the kind of plots you might be⊔
→ interested in.
```

```
[10]: # Let's move on to discuss another kind of two dimensional data plot, the line_
→plot. Now in the matplotlib

# scripting interface this is the same thing as a scatter plot, it's just that_
→the points in your series are

# connected by lines. Let's close our previous figure and create a new figure
plt.close()
plt.figure()

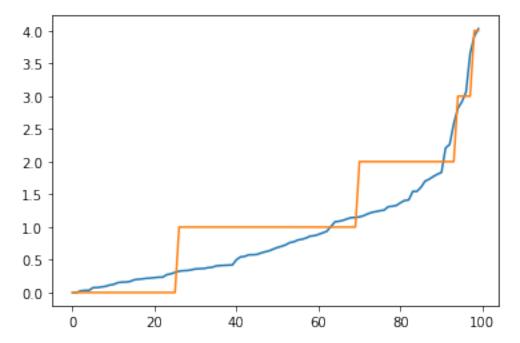
# Now let's bring in a set of datapoints. Here I'm going to create the set_
→using numpy distributions for my

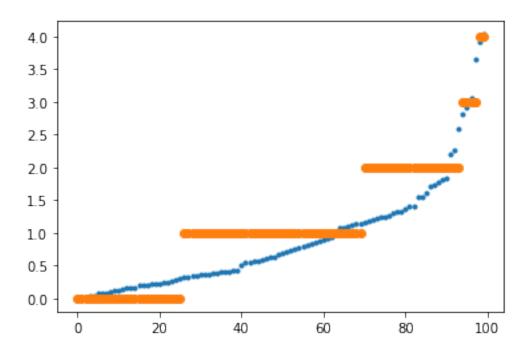
# y values. First, I'll pull in some exponential values, and I'll sort them_
→from lowest to highest
y1=sorted(np.random.exponential(size=100))

# Then we can use the poisson distribution, again I'll sort
y2=sorted(np.random.poisson(size=100))
```

```
# The x values will be the same for both of the plots, just a set of linearly
increasing values
x=np.arange(100)

# Now we'll just try and plot them
plt.plot(x,y1)
plt.plot(x,y2)
plt.show()
```





```
[12]: # Let's look at a more realistic example, let's say I wanted to compare the temperature in January and

# February of 2018 2019 in Ann Arbor. First we need to get the data, I headed to over to the NOAA site and

# downloaded it from there https://www.ncdc.noaa.gov

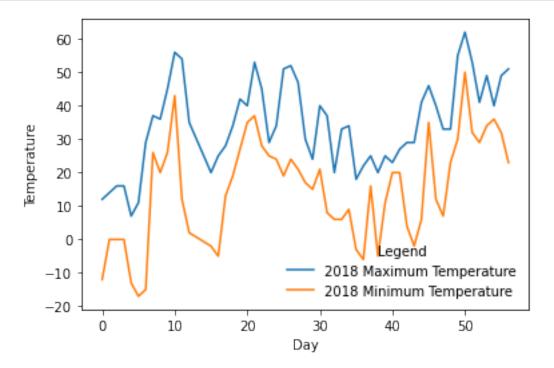
# Next we need to bring in the two datasets, let's use pandas df18=pd.read_csv("assets/1892728.csv") df19=pd.read_csv("assets/1892713.csv") df19-head()
```

```
[12]:
              STATION
                                                                              AWND
                                                                                    PGTM
                                                         NAME
                                                                      DATE
      0 USW00094889
                       ANN ARBOR MUNICIPAL AIRPORT, MI US
                                                               2019-01-01
                                                                              6.93
                                                                                     229
      1 USW00094889
                       ANN ARBOR MUNICIPAL AIRPORT, MI US
                                                               2019-01-02
                                                                              6.93
                                                                                    2320
      2 USW00094889
                        ANN ARBOR MUNICIPAL AIRPORT, MI US
                                                               2019-01-03
                                                                             11.41
                                                                                     230
      3 USW00094889
                        ANN ARBOR MUNICIPAL AIRPORT, MI US
                                                               2019-01-04
                                                                              5.37
                                                                                    1344
      4 USW00094889
                        ANN ARBOR MUNICIPAL AIRPORT, MI US
                                                               2019-01-05
                                                                                   2249
                                                                              7.16
         PRCP
                TAVG
                      XAMT
                             TMIN
                                          WDF5
                                                 WSF2
                                                       WSF5
                                                              WT01
                                                                     WT02
                                                                           WT03
                                                                                  WT08
                                    WDF2
          0.0
      0
                 NaN
                         37
                               27
                                     270
                                           290
                                                 18.1
                                                        23.9
                                                               1.0
                                                                      NaN
                                                                            NaN
                                                                                   NaN
      1
          0.0
                 NaN
                         33
                               26
                                     230
                                           240
                                                 23.0
                                                       29.1
                                                               1.0
                                                                      NaN
                                                                            NaN
                                                                                   NaN
      2
          0.0
                               29
                                                 19.9
                                                       28.0
                 NaN
                         37
                                     240
                                           260
                                                               {\tt NaN}
                                                                      {\tt NaN}
                                                                            NaN
                                                                                   NaN
      3
          0.0
                 NaN
                         49
                               26
                                     200
                                            190
                                                 15.0
                                                       19.0
                                                               {\tt NaN}
                                                                      NaN
                                                                            NaN
                                                                                   NaN
          0.0
                               23
                                     280
                                           290
                                                 17.0 23.9
                                                               1.0
                                                                                   1.0
                 {\tt NaN}
                         50
                                                                      {\tt NaN}
                                                                            {\tt NaN}
```

```
[13]: # So these are just dataframes from a weather station at the airport. We see,
      → there is a bunch of missing data
      # as well as our TMAX and TMIN for maximum and minimum data. Lets join these
      \rightarrow dataframes together
      df=pd.concat([df18, df19])
      # And let's reset the index, since concat() will use the original indicies \Box
      →which are meaningless now
      df=df.reset_index()
      # Now lets pull the year out of the date. You might remember this is actually \Box
      →easy for us to do with the
      # str.extract function of the dataframe, which takes in a regex, then we can
      → just merge those across
      df=pd.merge(df,df["DATE"].str.extract("(?P<year>.{4}).(?P<month_day>.{5})"),__
      →left_index=True, right_index=True)
      # 0k, let's now just keep our max and min columns for temperature, as well as \Box
      →our new date info
      df=df[["year","month_day","TMAX","TMIN"]]
      # Let's take a look at what we have
      df.head()
        year month_day TMAX TMIN
[13]:
      0 2018
                  01-01 12.0 -12.0
      1 2018
                  01-02 14.0 0.0
      2 2018
                  01-03 16.0 0.0
      3 2018
                  01-04 16.0 0.0
      4 2018
                  01-05
                        7.0 - 13.0
[14]: # And now let's setup our figure. We'll do one year at a time, let's make a new
      \hookrightarrow function
      def plot_temp(year):
          # first let's close the existing figure if there is one, since we're using
       → the scripting interface
          plt.close()
          plt.plot(df.where(df["year"] == year).dropna()["TMAX"], label="{} Maximum_
       →Temperature".format(year))
          plt.plot(df.where(df["year"] == year).dropna()["TMIN"], label="{} Minimum_
       →Temperature".format(year))
          # Now let's add a legend
          plt.legend(loc=4, frameon=False, title='Legend')
          # And some axis labels
```

```
plt.ylabel("Temperature")
plt.xlabel("Day")
plt.show()
```

```
[15]: # Now let's see what that looks like for 2018
plot_temp("2018")
```



```
[16]: # Not bad! A couple of adjustments. Let's make a few tweaks to the display

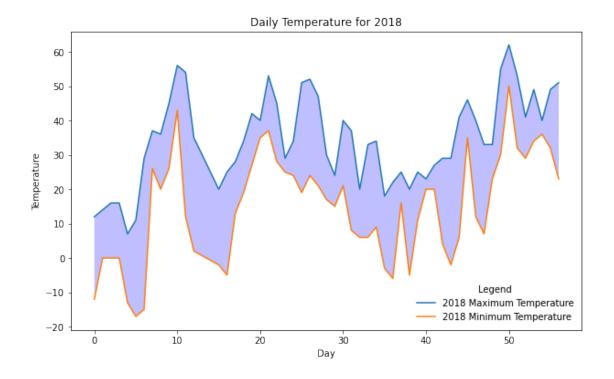
def plot_temp(year):
    # first let's close the existing figure if there is one, since we're using__
    → the scripting interface
    plt.close()

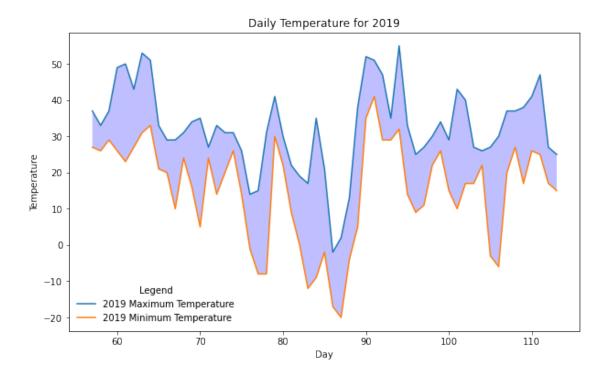
# Let's manually create the figure so we can set the size
    plt.figure(figsize=(10,6))

# and we'll still plot the data on it like we did before
    plt.plot(df.where(df["year"]==year).dropna()["TMAX"], label="{} Maximum__
    → Temperature".format(year))
    plt.plot(df.where(df["year"]==year).dropna()["TMIN"], label="{} Minimum__
    → Temperature".format(year))

# Now let's give matplotlib some freedom to put the legend wherever it__
    → feels appropriate
```

```
plt.legend(loc=0, frameon=False, title='Legend') # 0 means "best"
    # And some axis labels
    plt.ylabel("Temperature")
    plt.xlabel("Day")
    # As well as a title
    plt.title("Daily Temperature for {}".format(year))
    # There's a handy function on the axis which allows us to shade the area_
 ⇒between two series of data, this
    # will really help us see the size of the daily min/max swing. The general \Box
 → function signature is
    # fill_between(x, y1, y2), so to do this we need a list of the x axis_{\bot}
 →values (our day), the minimum val,
    # and our maximum value. This is actually pretty easy, since we can just \Box
 \rightarrowuse the dataframe index for our
    # x values.
    plt.gca().fill_between(df.where(df["year"]==year).dropna().index,
                            df.where(df["year"] == year).dropna()["TMIN"],
                            df.where(df["year"] == year).dropna()["TMAX"],
                            facecolor='blue', alpha=0.25)
    # Now let's render it
    plt.show()
# Let's give it a try with 2018 and 2019 data
plot_temp("2018")
plot_temp("2019")
```





[17]: # Nice! Ok, let's touch on one more thing with matplotlib in Jupyter. Remember

→how we are starting each

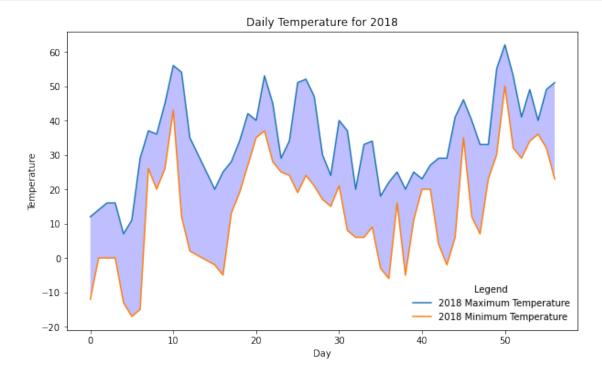
notebook telling Jupyter to set_matplotlib_close to False? What happens if we

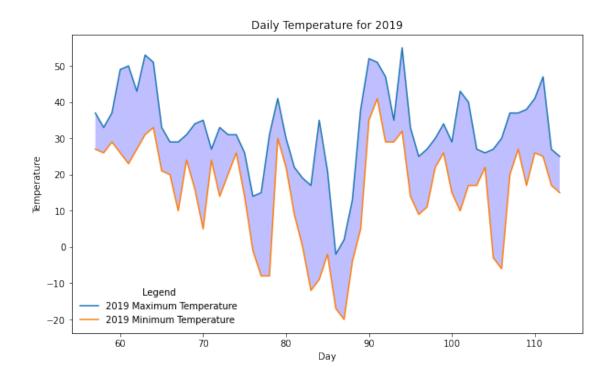
→leave it as the default, True?

set_matplotlib_close(True)

plot_temp("2018")

plot_temp("2019")





```
[18]: # Well, in this case, not much! Everything works well and as expected. But⊔

underneath Jupyter has closed

# off the figures and they are no longer available for editing. For instance, □

if we look at the available

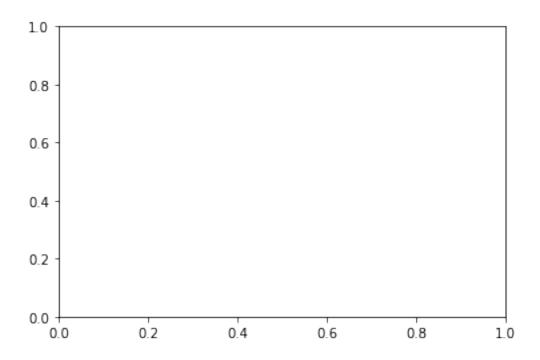
# fignums we get an empty list

plt.get_fignums()
```

[18]: []

[19]: # Similarly, this means that the current axis and current figure now no longer → exist, so we can't update
the figure, and when we try and get the axis a new plot is created by default plt.gca()

[19]: <AxesSubplot:>



```
[20]: # This can all be a source of frustration if you're iteratively trying to build

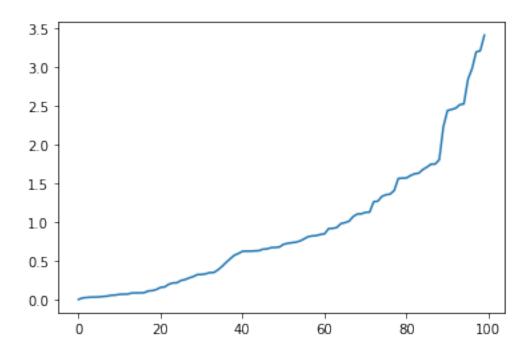
up the display of a plot,

# but the upside is it eliminates the need to call show() and you can plot data

in just one line

plt.plot(range(0,100), sorted(np.random.exponential(size=100)))
```

[20]: [<matplotlib.lines.Line2D at 0x1d551cb5700>]



[]: # Something to be aware of as you move forward using matplotlib.

In this video you've been given a brief introduction to using matplotlib for⊔

two dimensional data using

scatter plots. We've actually covered a lot - from the methodological showing⊔

why you would want to engage

in visual exploration of data, using Anscombe's quartet as an example, down⊔

to the brass tacks of how to

engage in this exploration using the matplotlib toolkit.

As you've seen, there are a lot of different parameters you can use with⊔

matplotlib to control the way

figures are rendered. To explore this, I highly recommend the docs, or a good⊔

reference book.