

# CSC7072: Databases, fall 2015

Dr. Kim Bauters



set/logic/probability introduction

# set/logic/probability introduction

## class test information

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the class test will take place on:

Friday 13<sup>th</sup> November

test will be on ER modelling

test will take place during normal  
lecture hours, so 11am – noon

tutorial on 3<sup>th</sup> November



# set/logic/probability introduction

## sets and set notations

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what is a set?

collection of *well-defined, distinct* objects

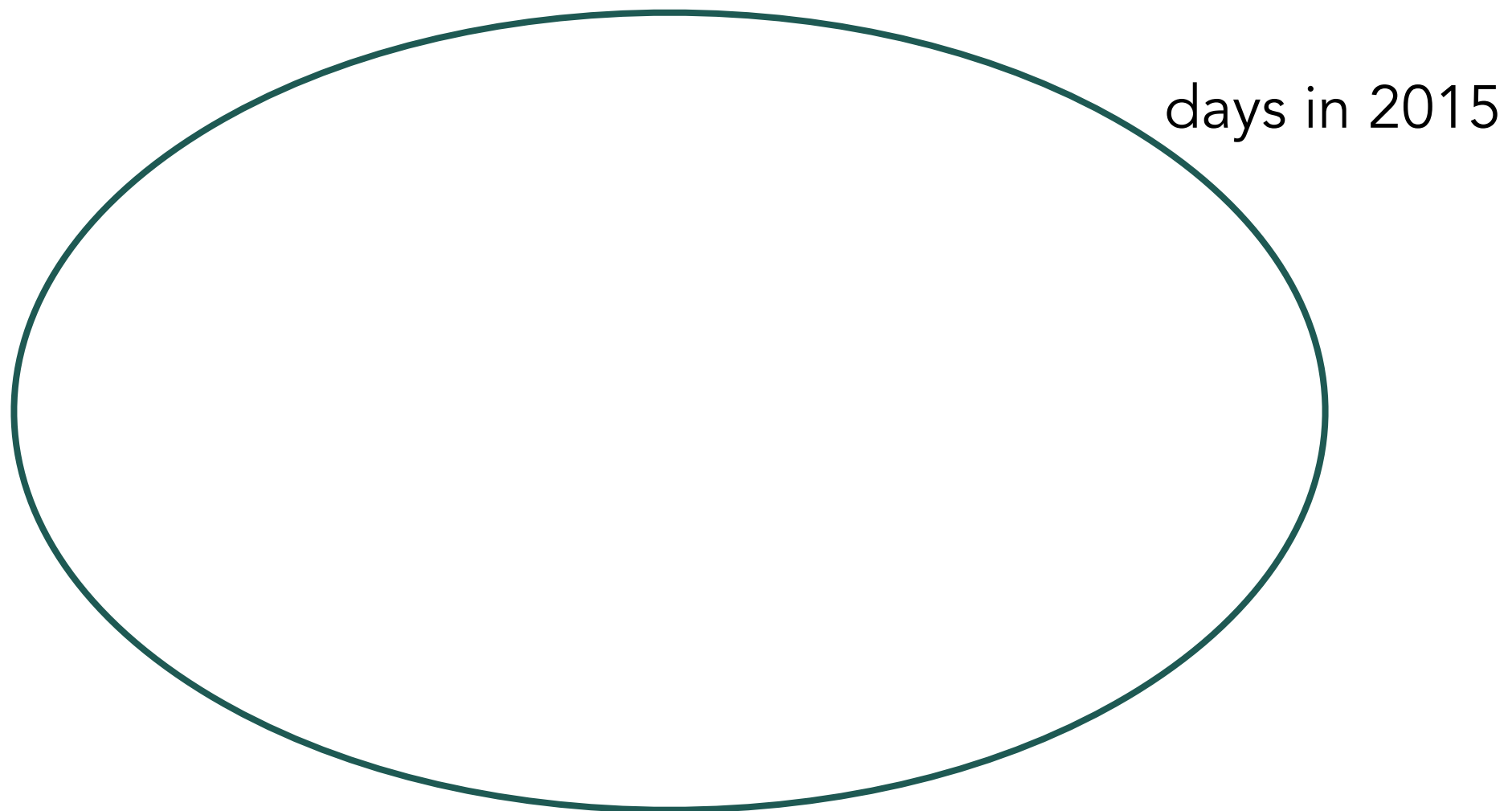
# set/logic/probability introduction

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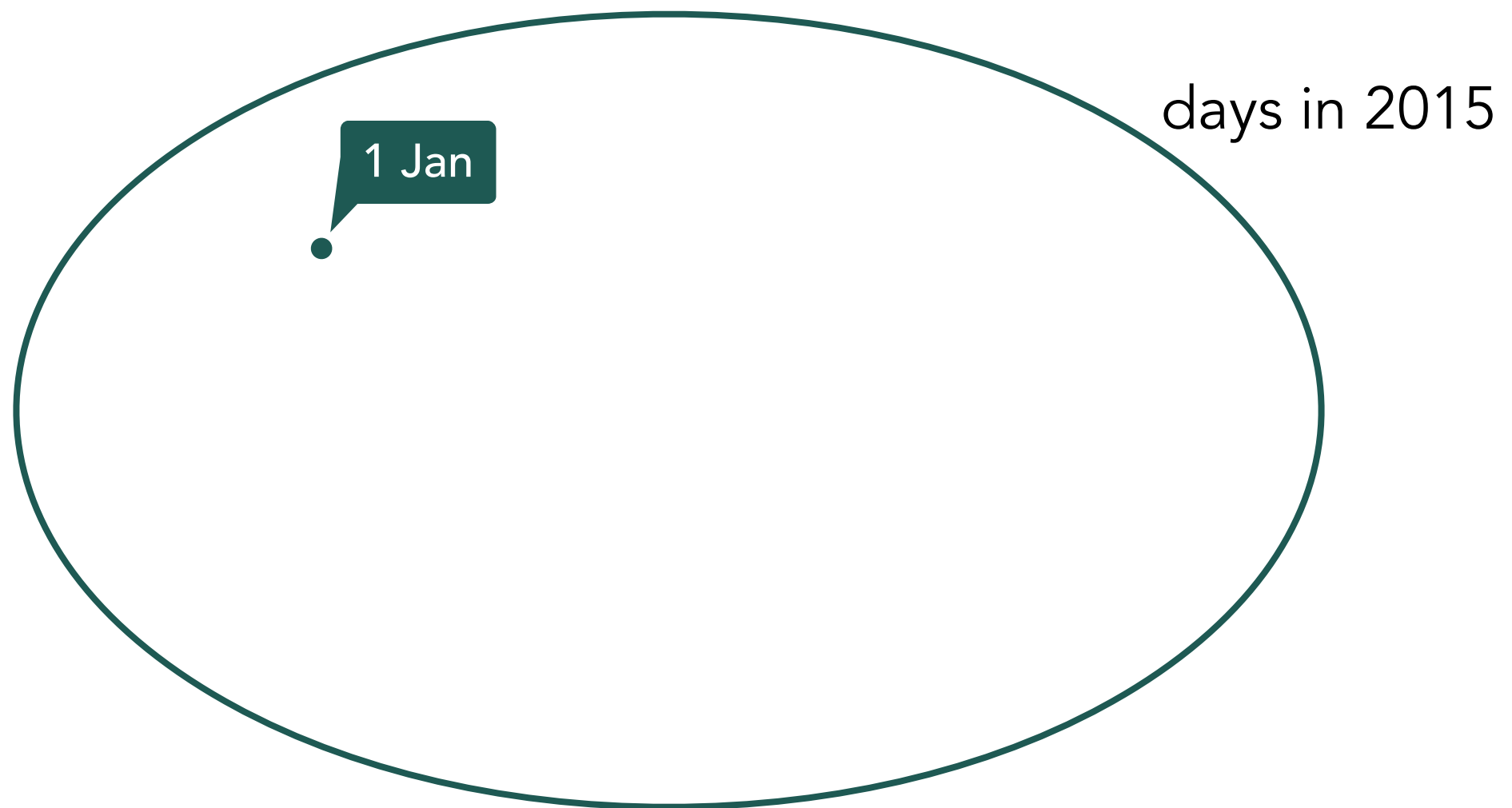
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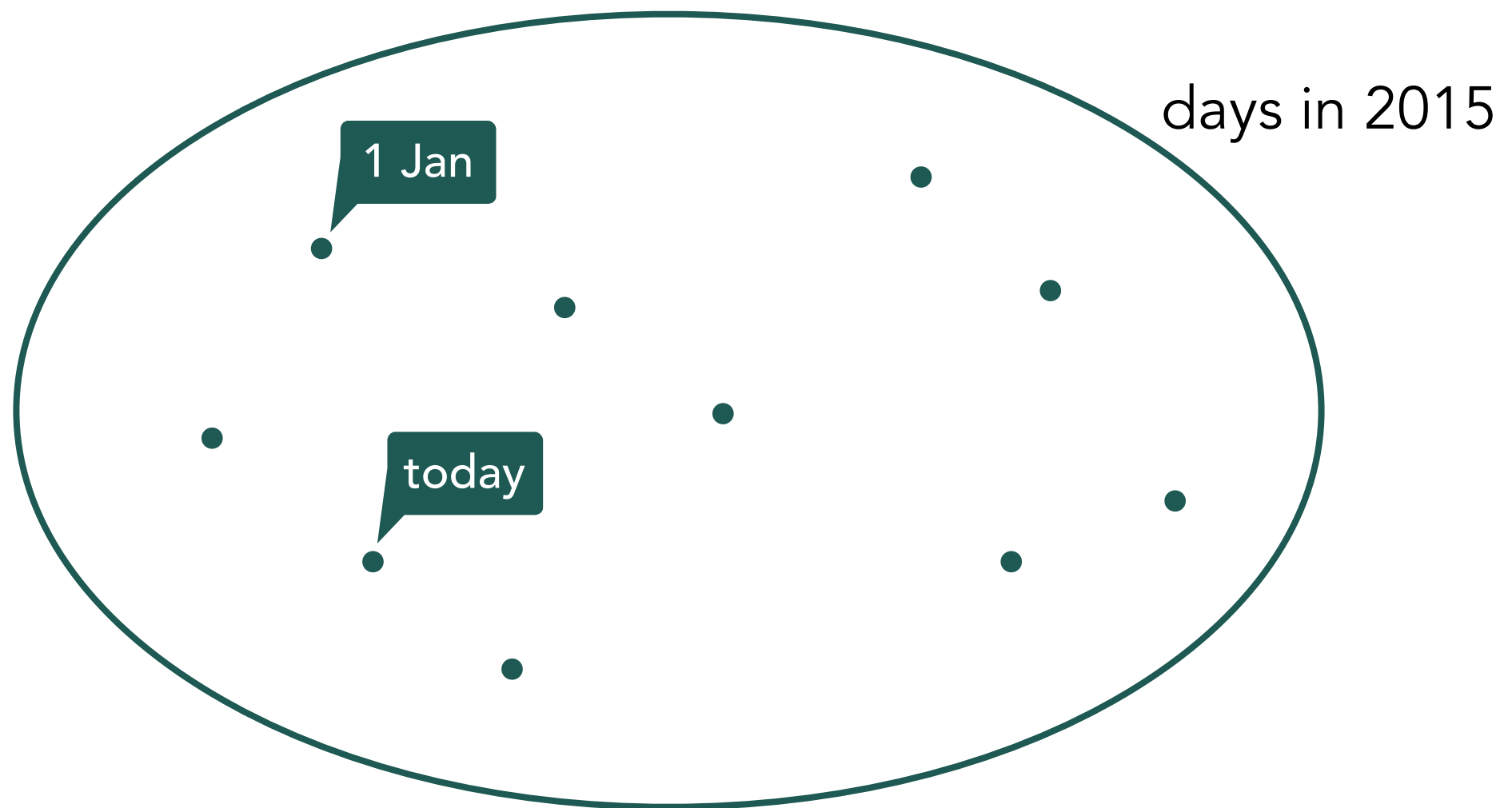
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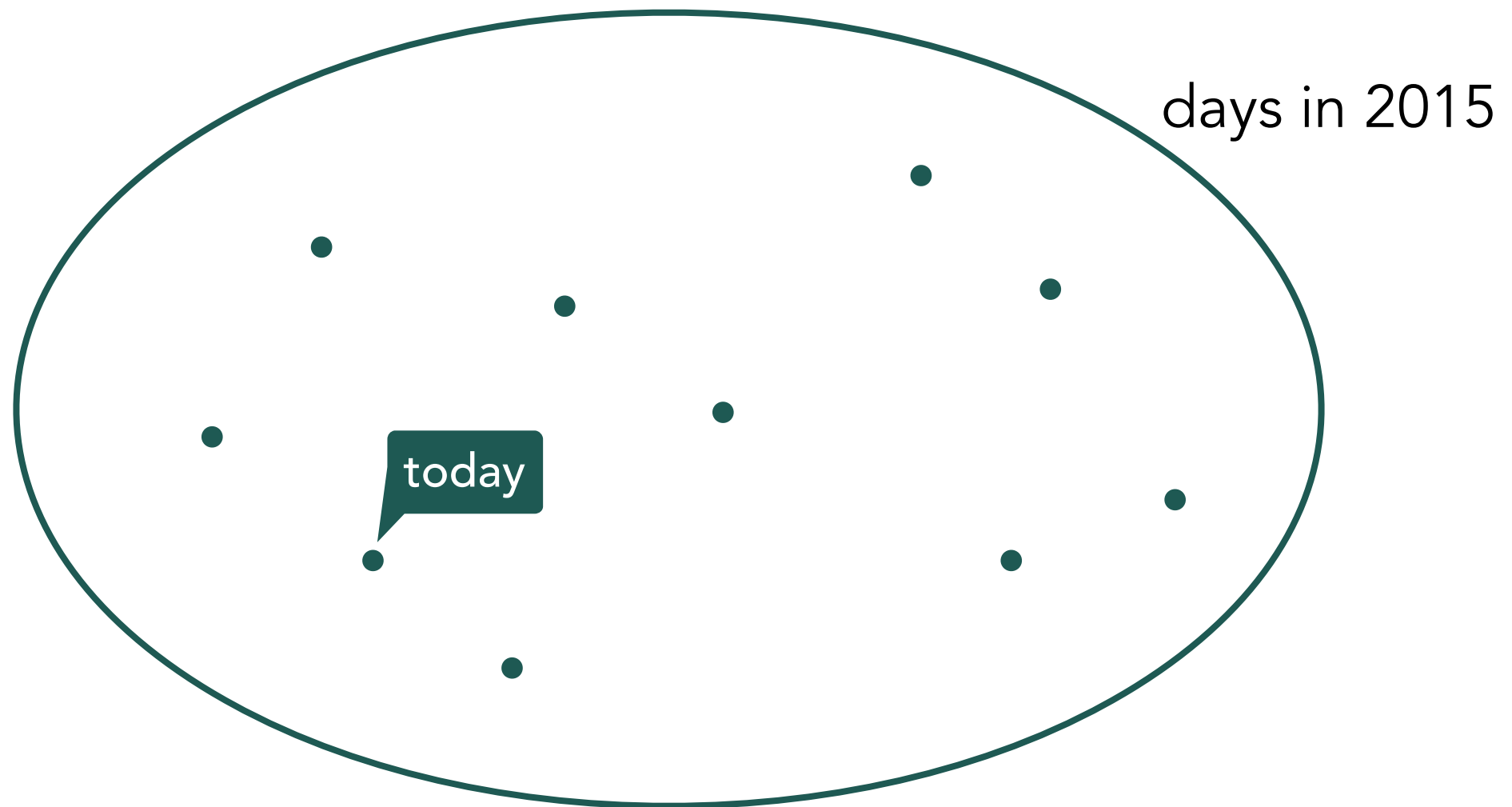
# set/logic/probability introduction

## sets and set notations

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what is a subset?

a set contained in another set, denoted  $A \subseteq B$



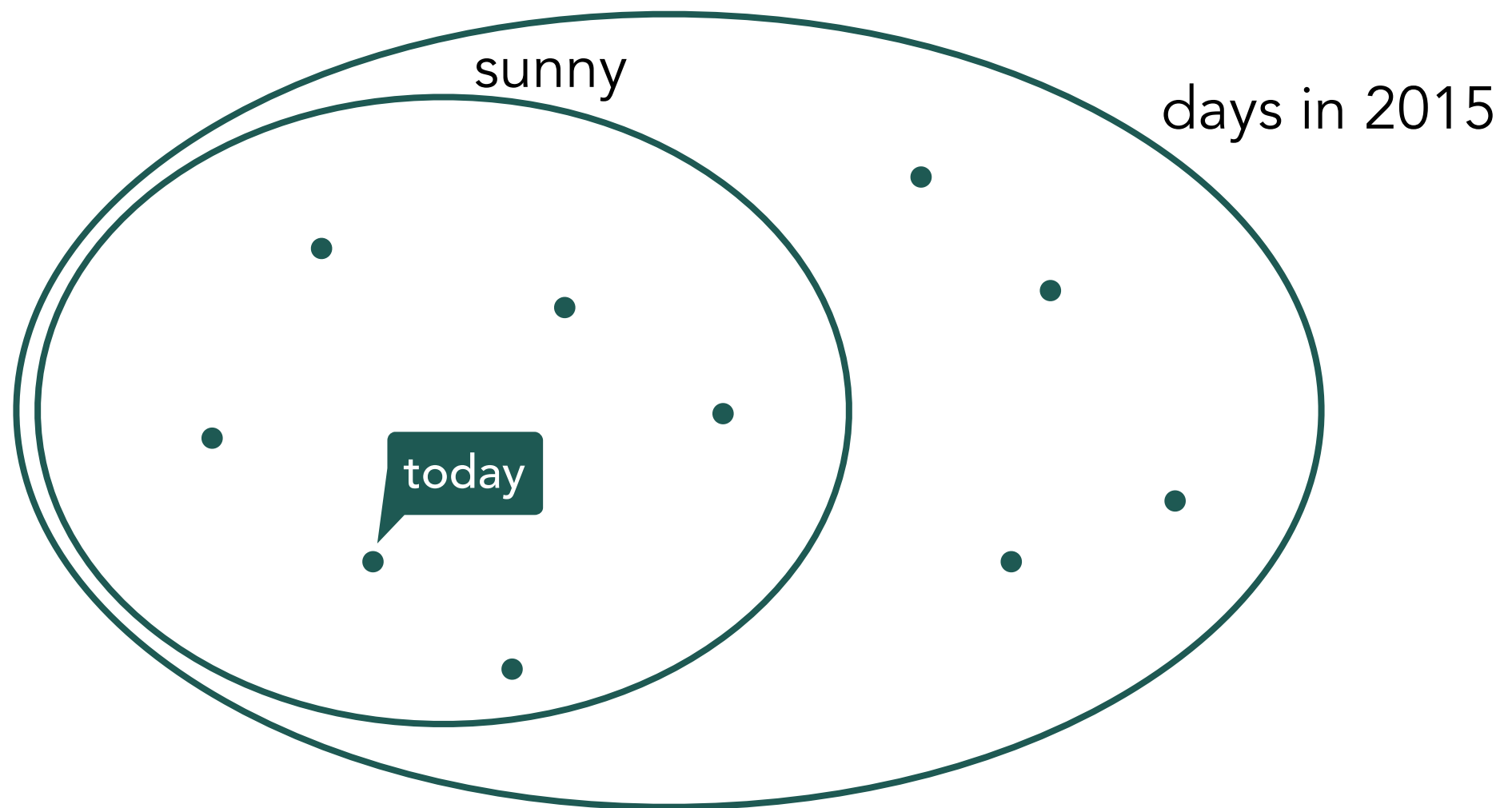
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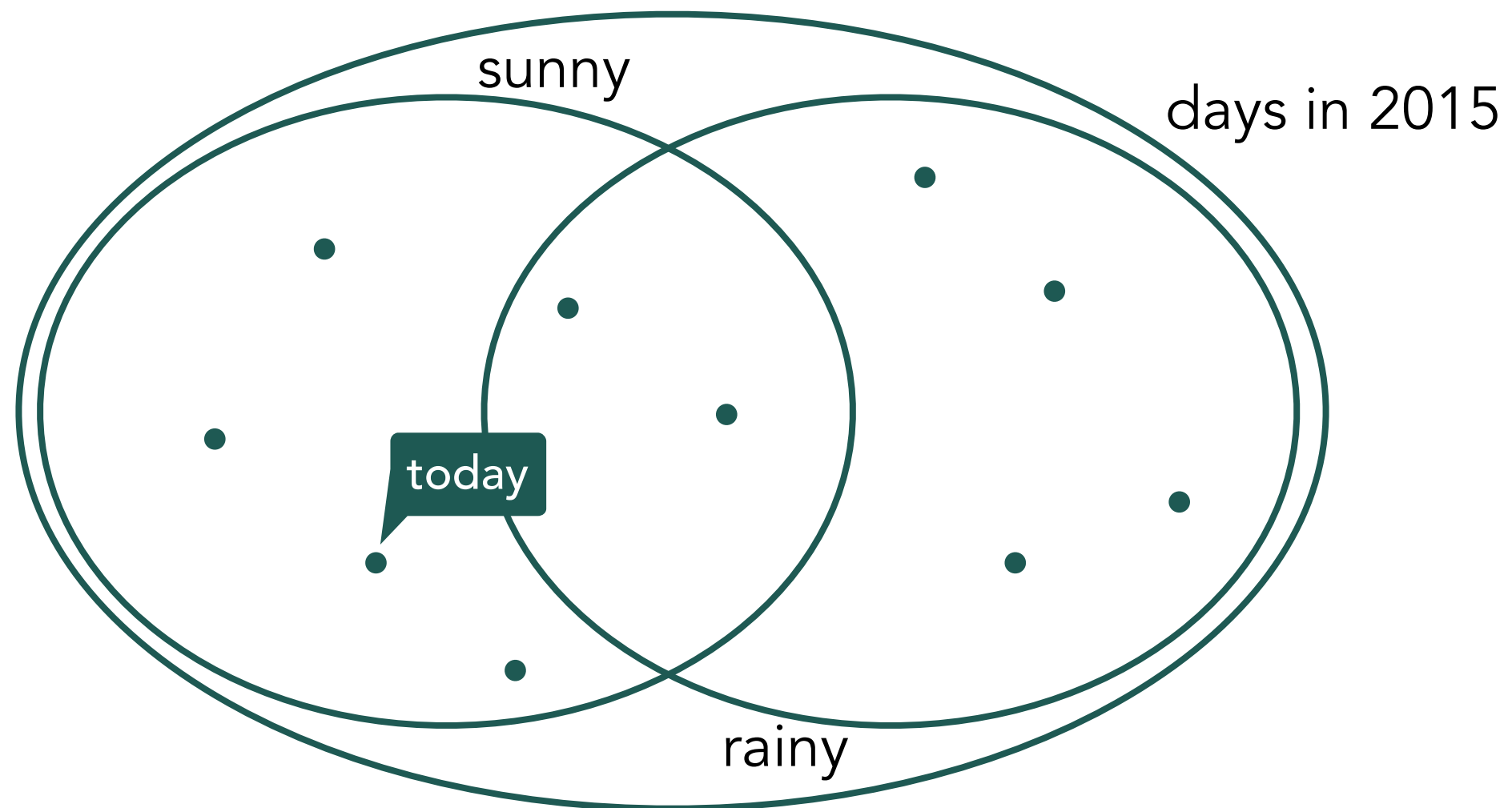
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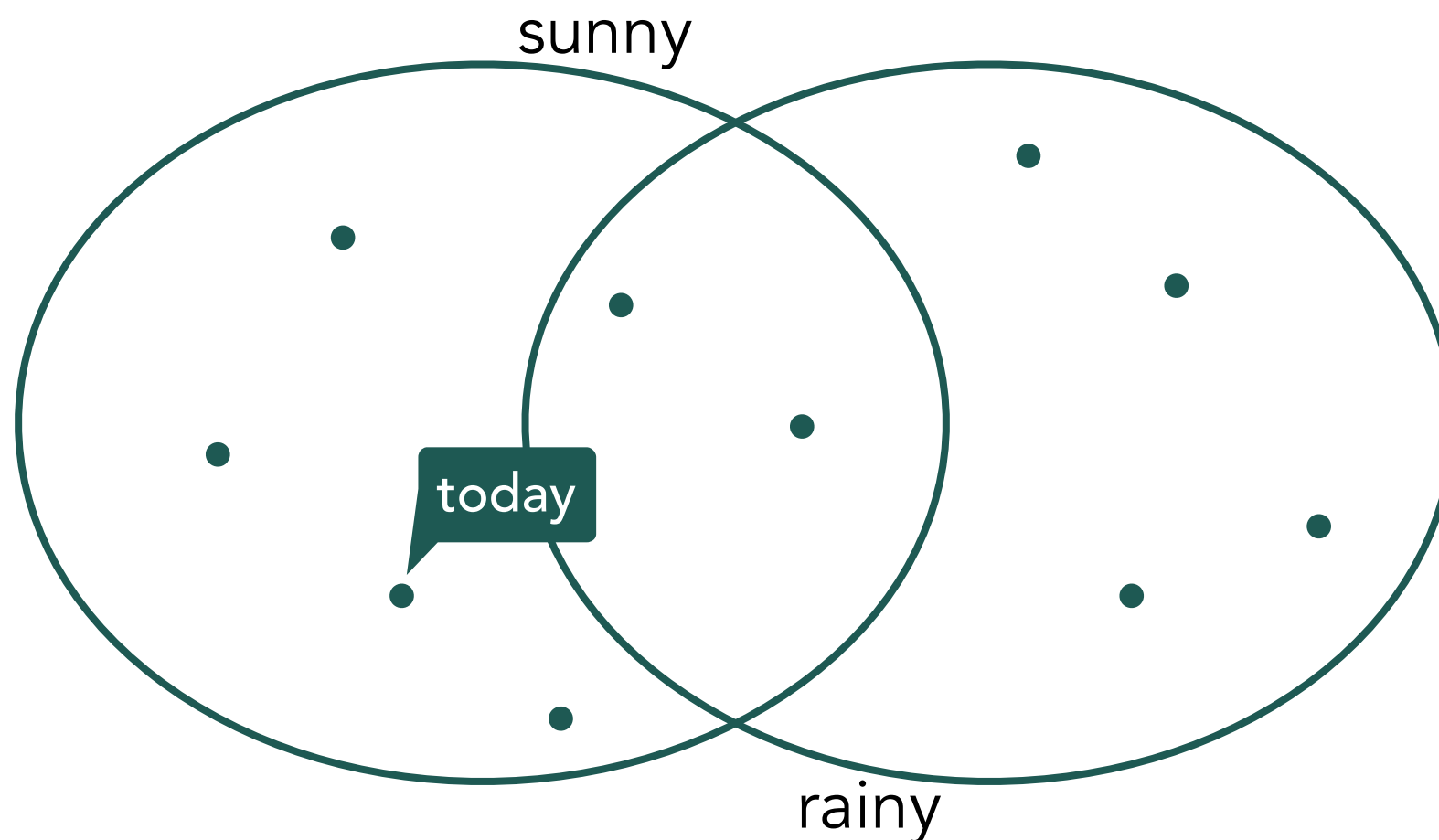
# set/logic/probability introduction

## sets and set notations

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what is an intersection?

a set containing all elements in A that are also in B,  $A \cap B$



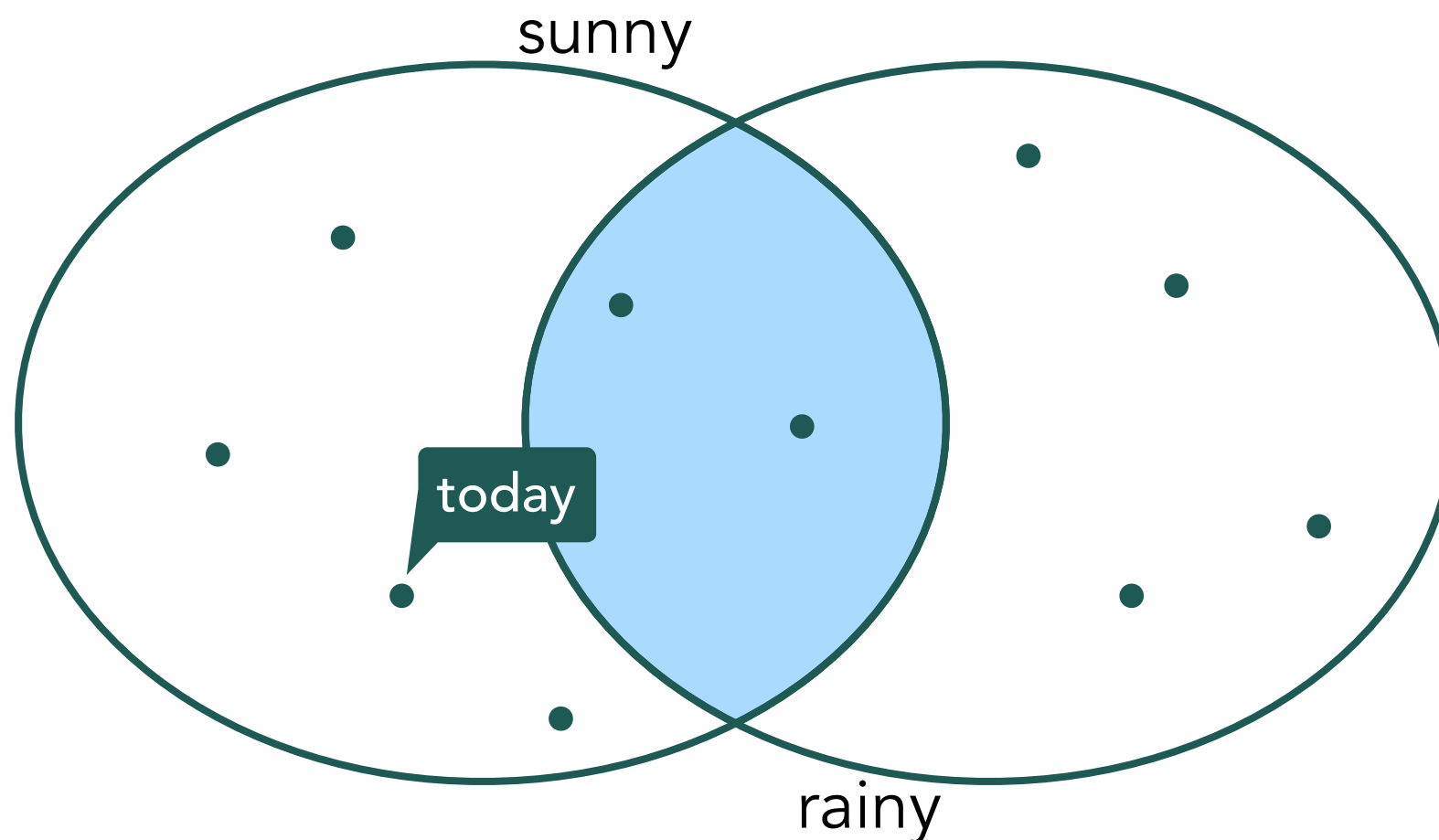
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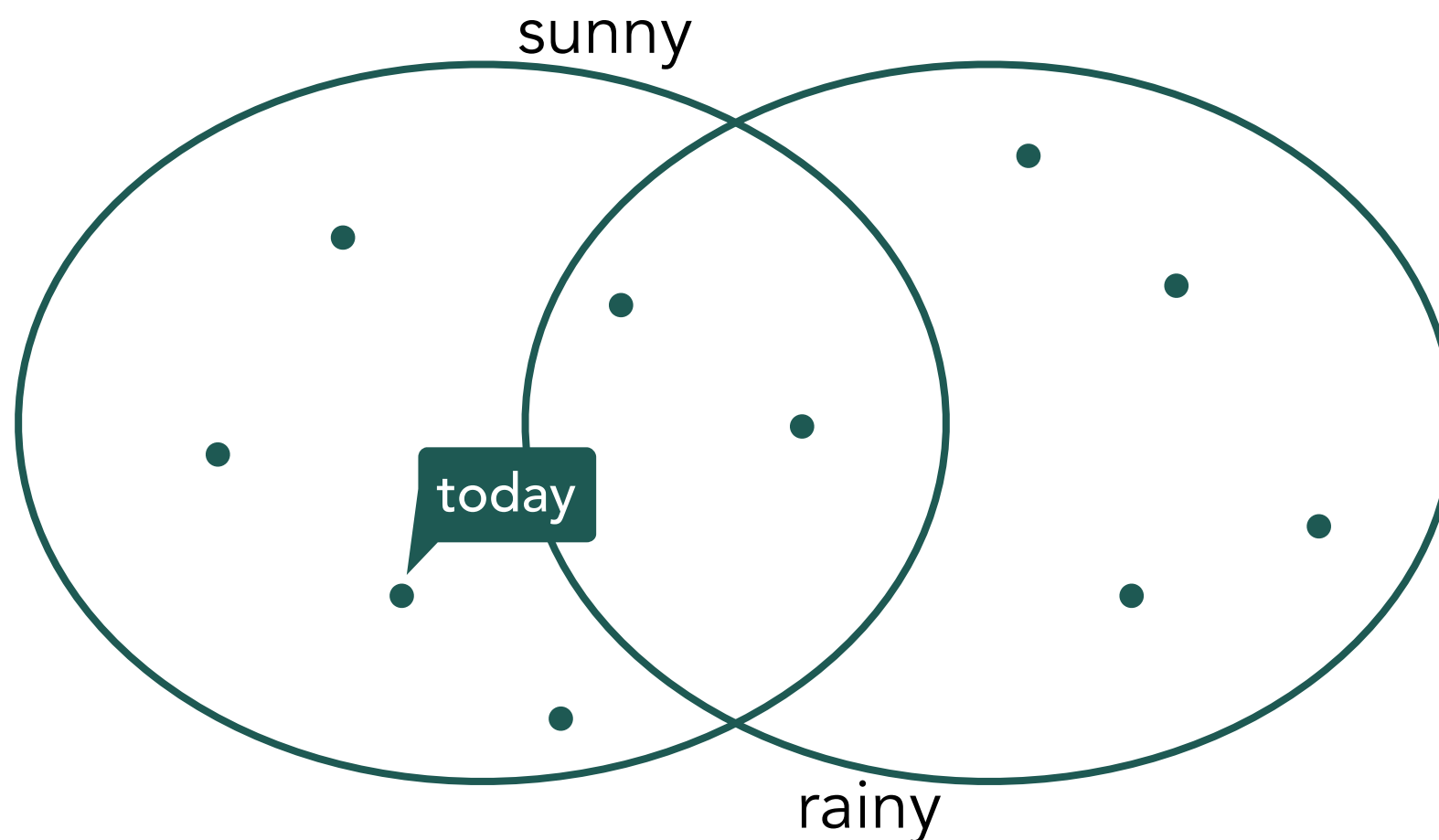
# set/logic/probability introduction

## sets and set notations

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what is a difference?

a set containing all elements in A that are not in B,  $A \setminus B$



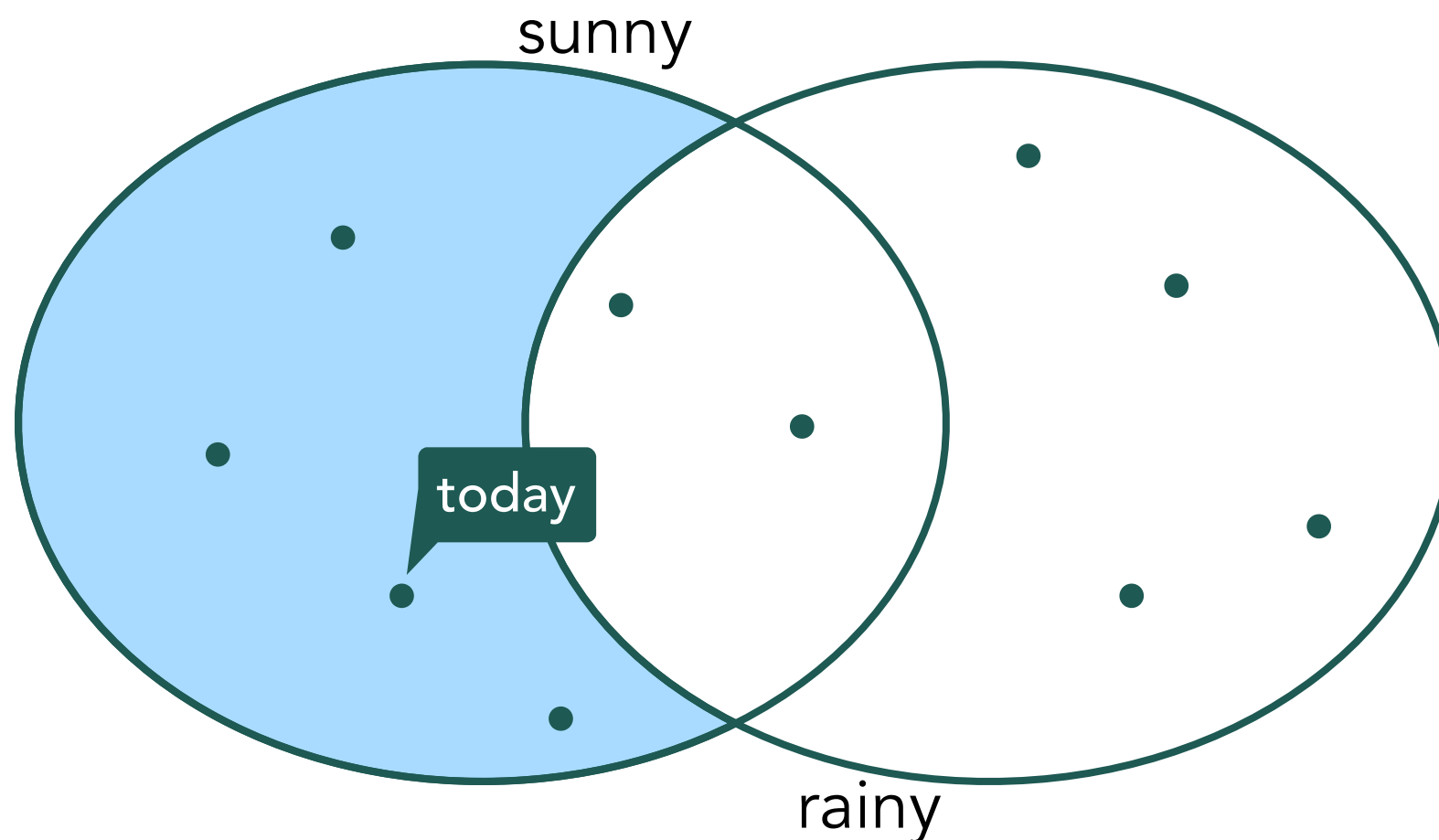
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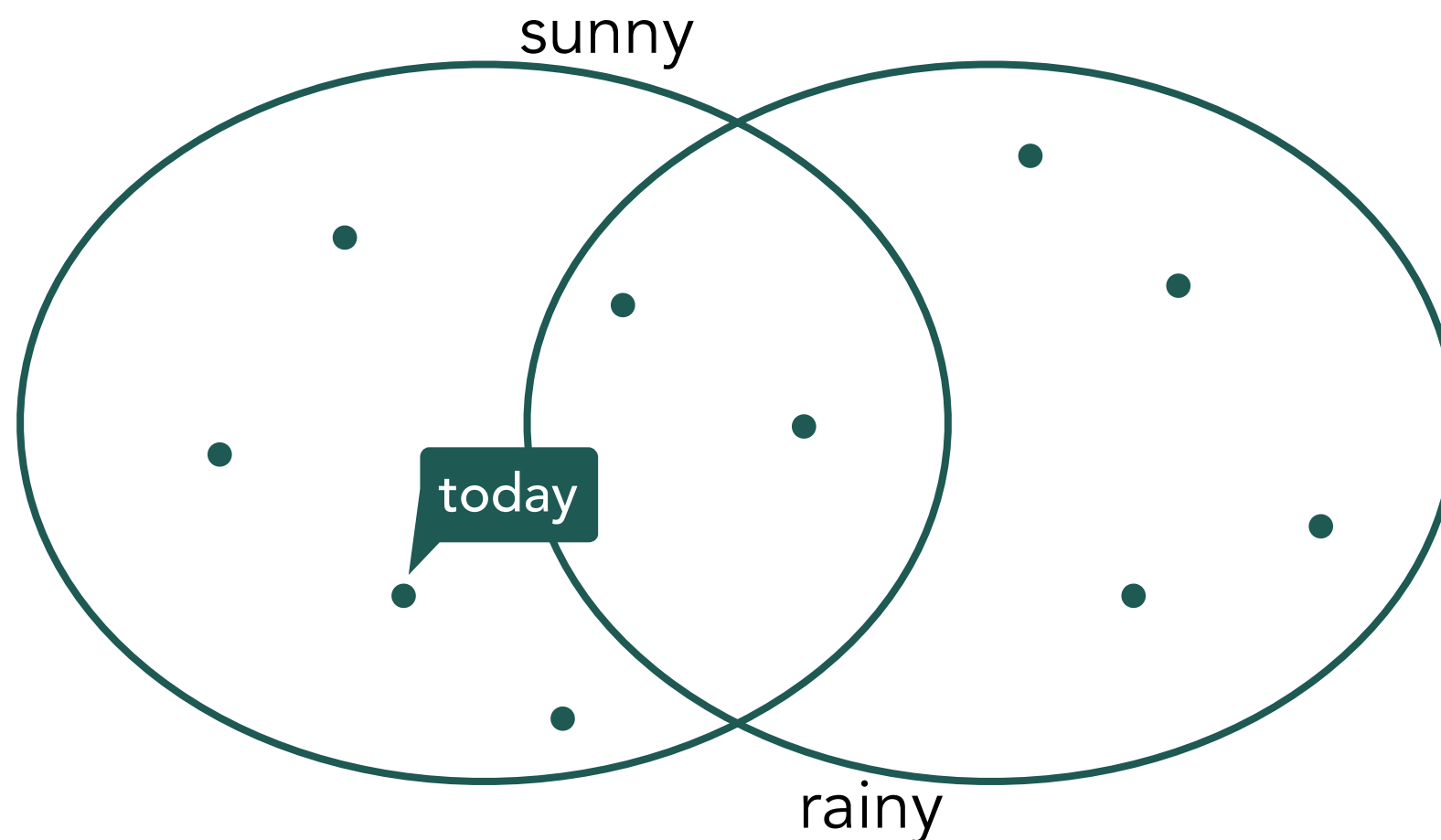
# set/logic/probability introduction

## sets and set notations

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what is a union?

a set containing all elements in A as well as B,  $A \cup B$



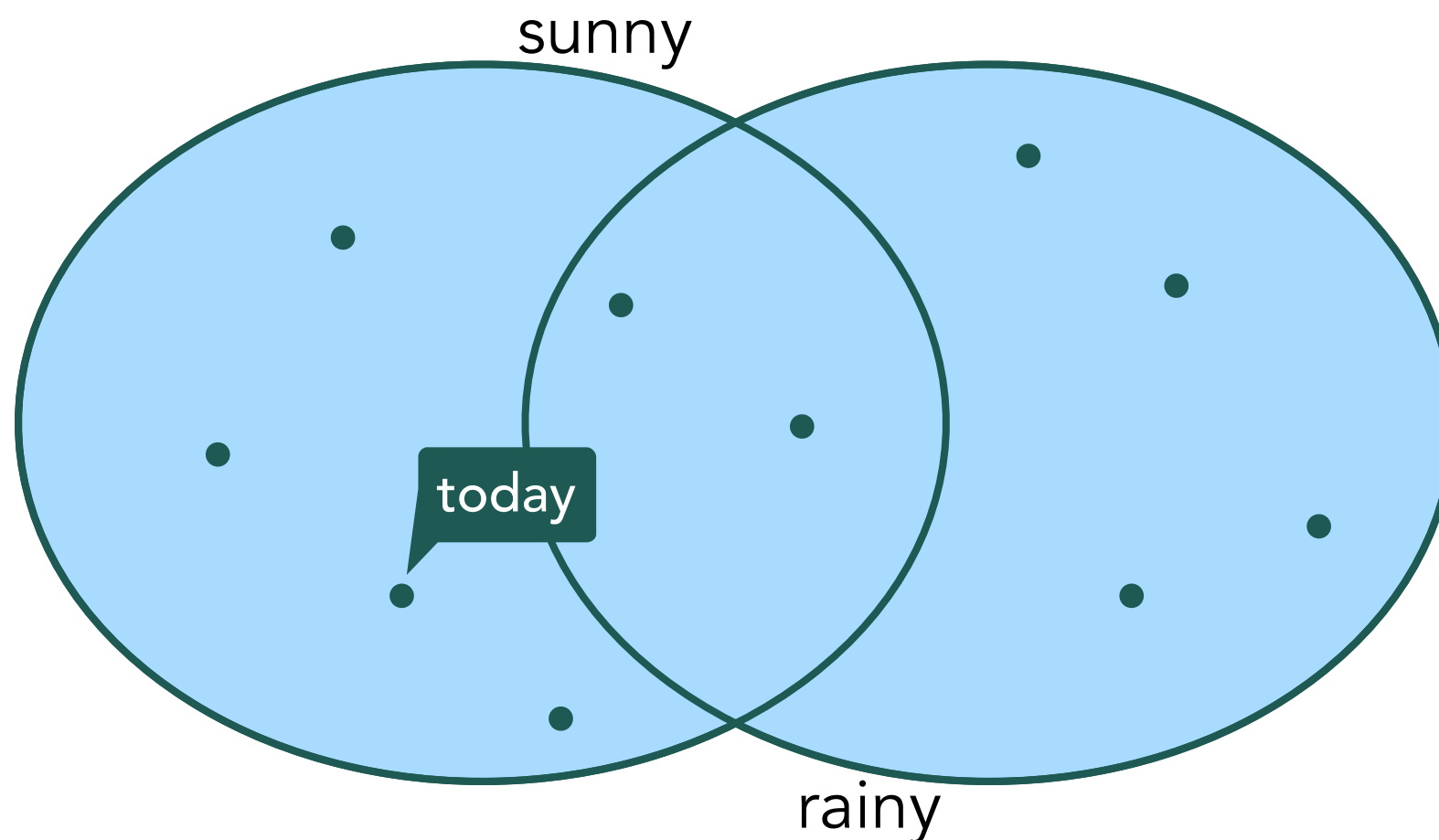
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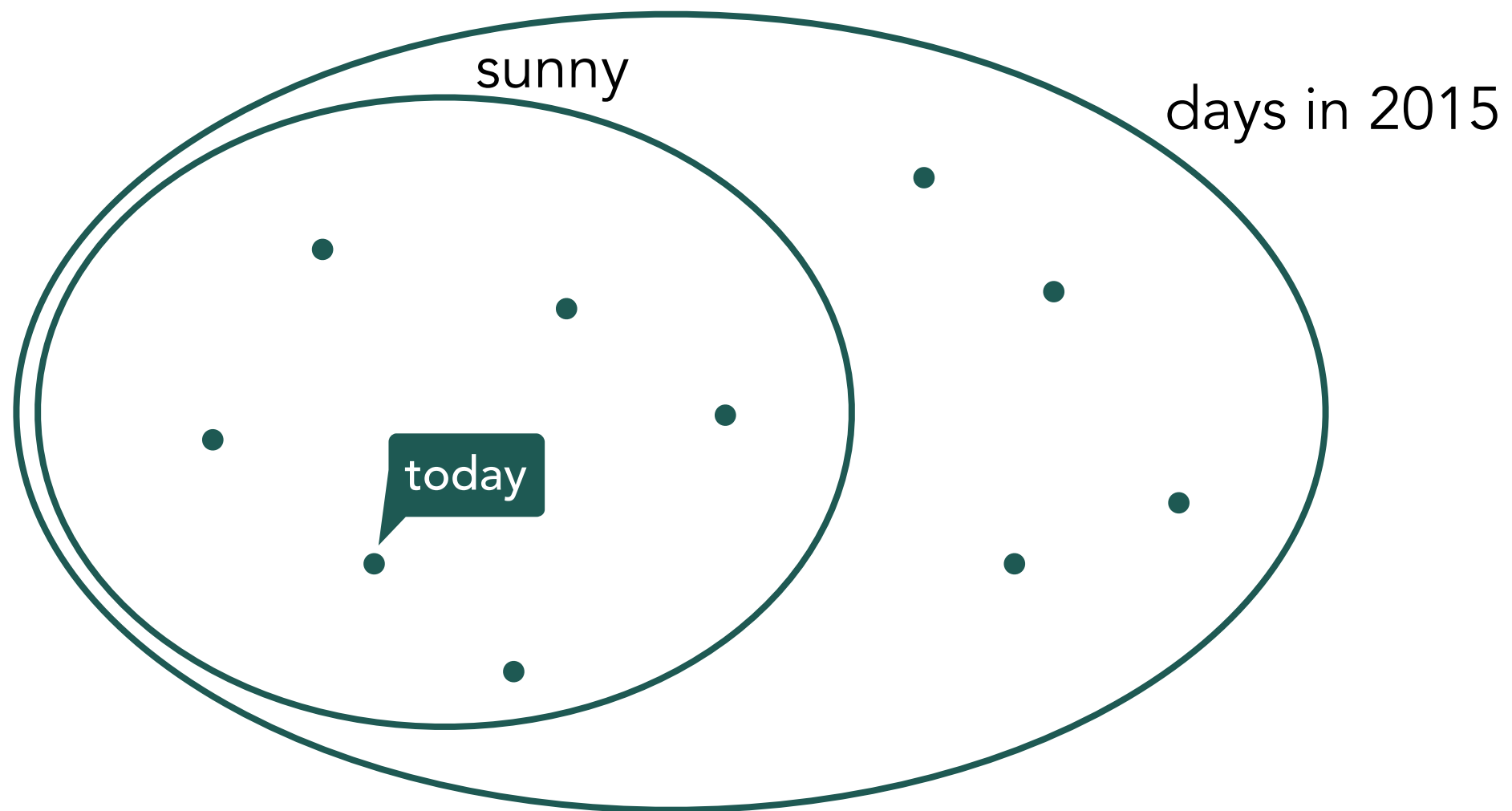
# set/logic/probability introduction

## sets and set notations

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what is a complement?

a set contained all elements not in  $A$ , denoted  $A^c$





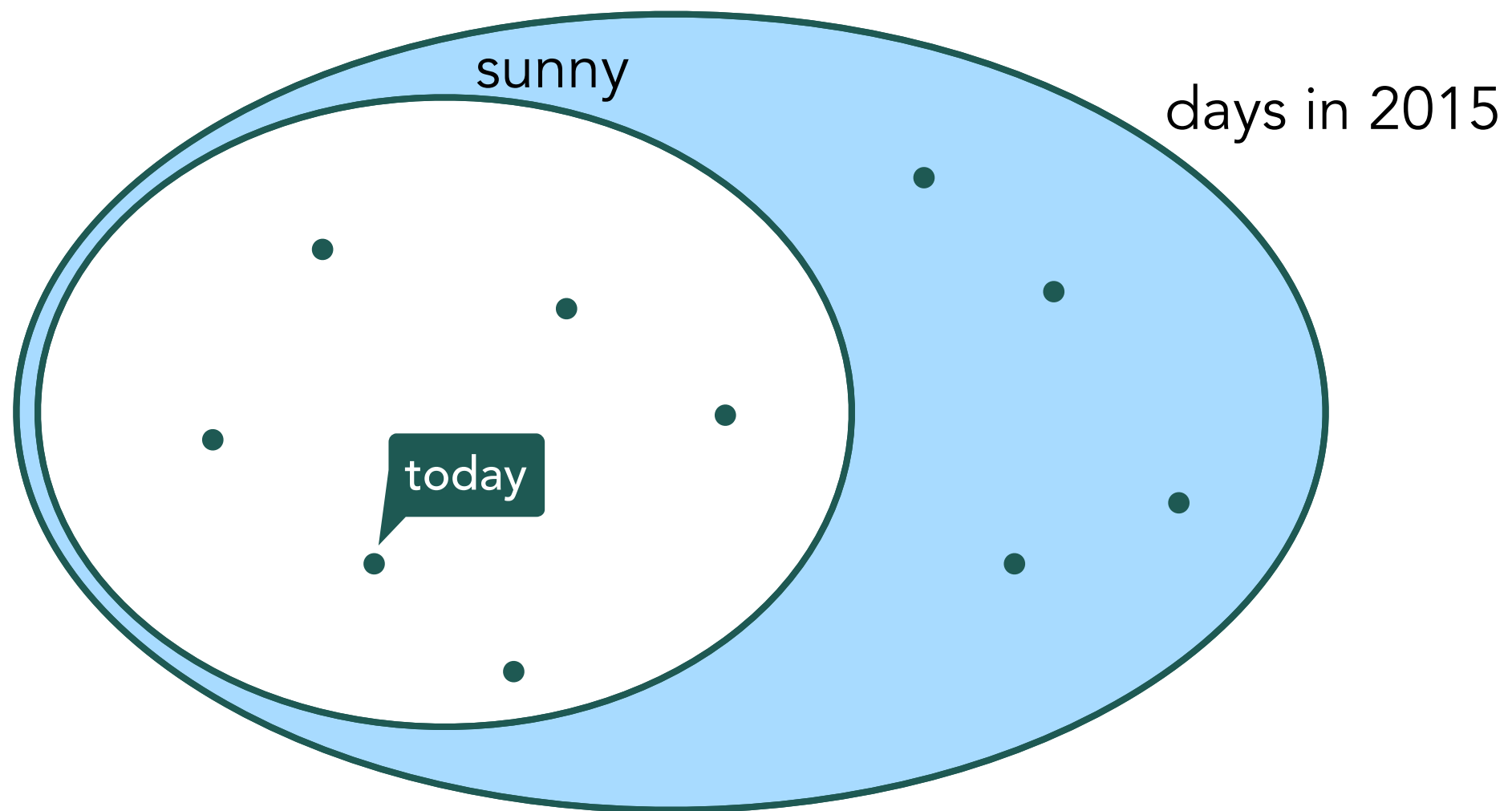
# set/logic/probability introduction

## sets and set notations

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# set/logic/probability introduction

## observation

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an interesting observation ...

every operation on sets:

- *applies to a single or a pair of sets (= input)*
- *gives a set as response (= output)*

this underlines the close link between sets and tables

# set/logic/probability introduction

## symbolic logic: essentials

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### symbolic logic

closely related to sets:

|       |  |
|-------|--|
| sunny | this is a <i>proposition</i> representing all sunny days |
| rainy | this is a <i>proposition</i> representing all rainy days |

|                                    |   |
|------------------------------------|---|
| sunny and rainy                    | <i>intuitively:</i> all days that were both |
| $\text{sunny} \wedge \text{rainy}$ | sunny as well as rainy                      |

# set/logic/probability introduction

## symbolic logic: essentials

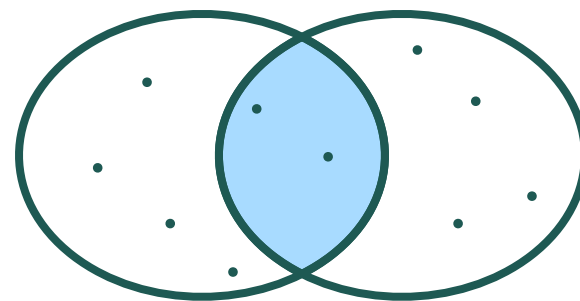
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| sunny $\vee$ rainy | either sunny or rainy                  |

# set/logic/probability introduction

## symbolic logic: essentials

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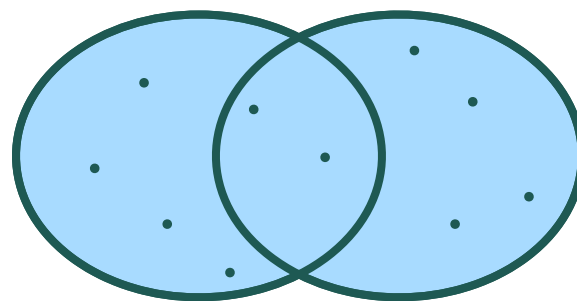
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symbolic logic

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|--------------|--|
| not sunny    | <i>intuitively:</i> all days that were |
| $\neg$ sunny | not sunny                              |

# set/logic/probability introduction

## symbolic logic: essentials

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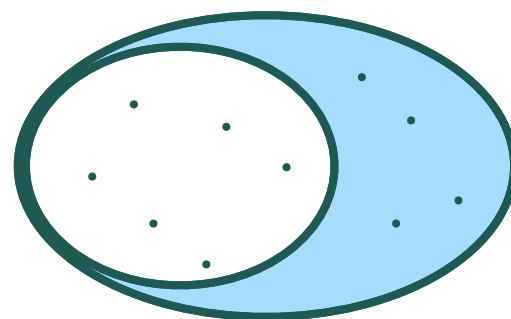
symbolic logic

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## symbolic logic: essentials

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# set/logic/probability introduction

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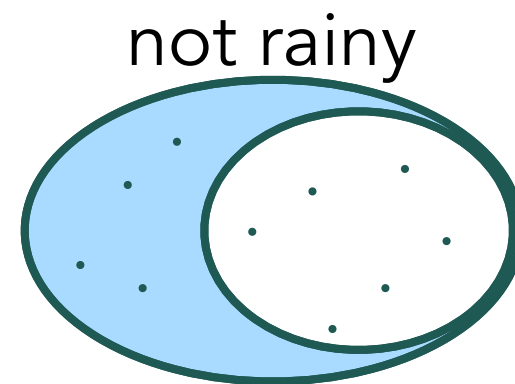
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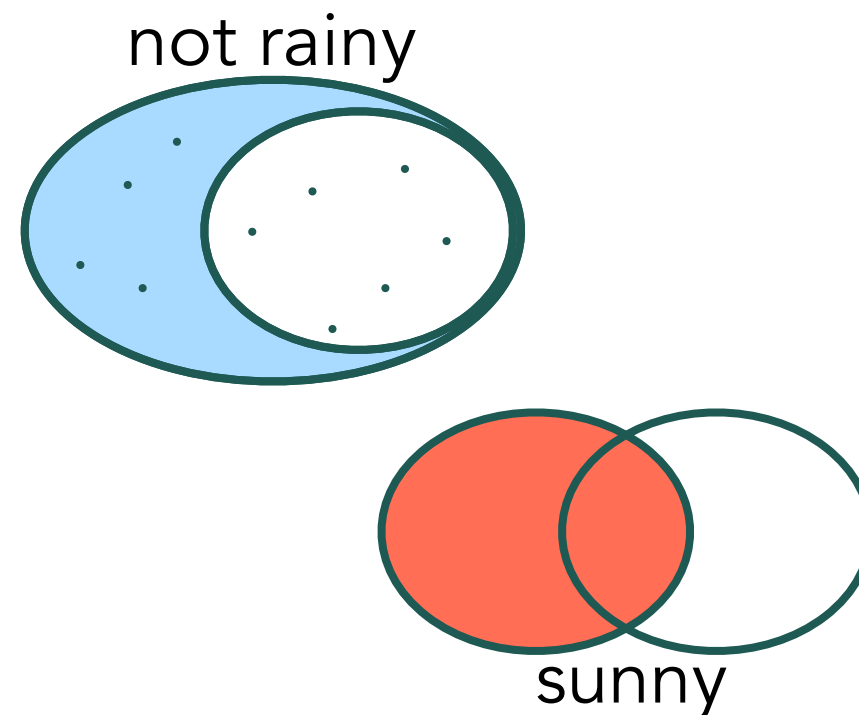
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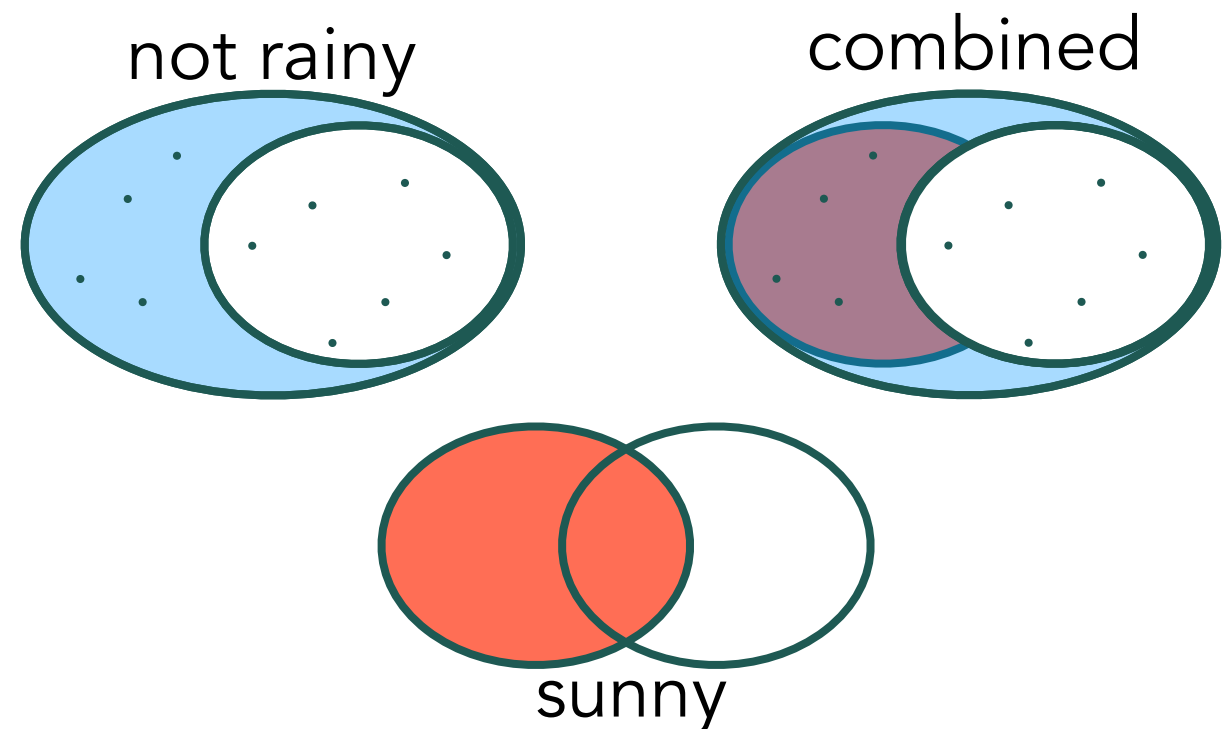
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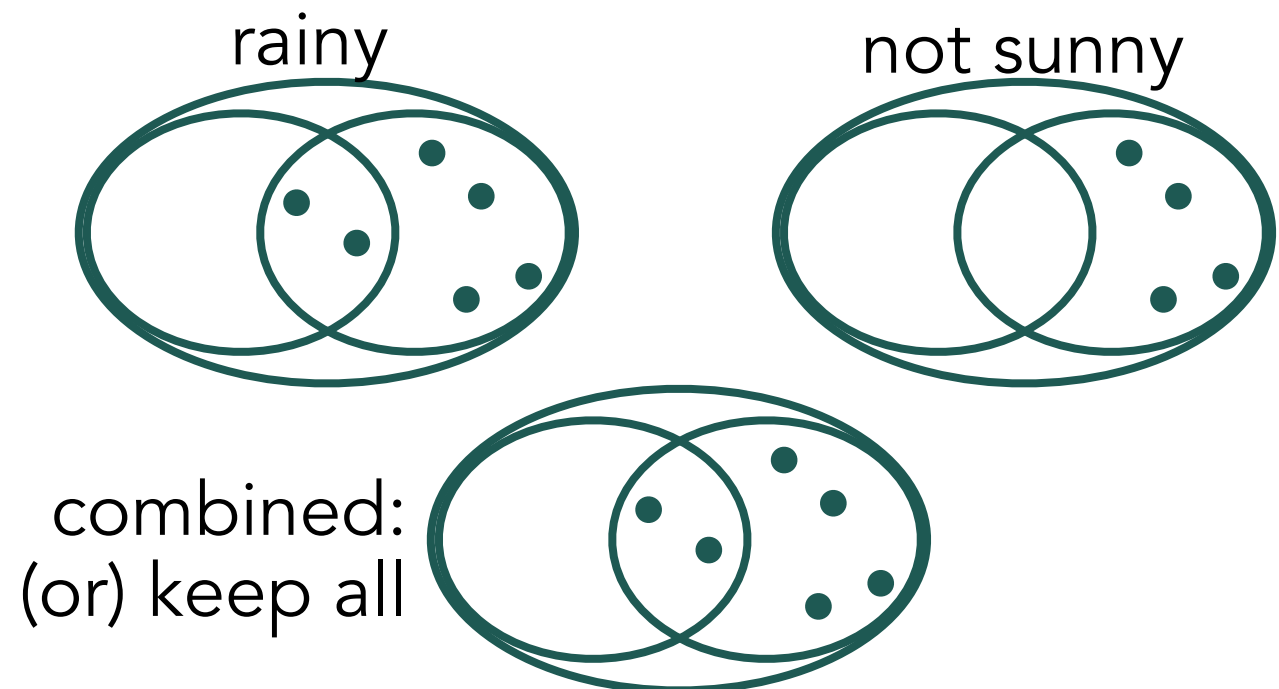
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# set/logic/probability introduction

## probability theory

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### probability

measure of the likeliness that an event will occur

$$P(1) = 1/6$$

$$P(\text{even}) = 1/2$$

$$P(\text{at least } 5) = 1/3$$



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## probability theory

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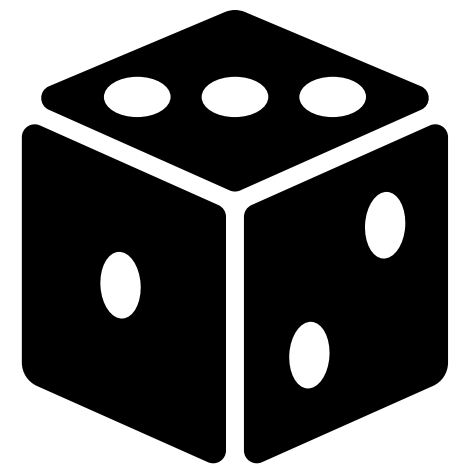
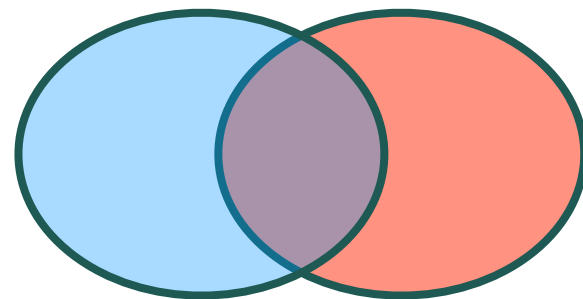
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$$P(1 \text{ or } 2) = P(1) + P(2) - P(1 \text{ and } 2)$$



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$$P(\text{at least } 5) = 1/3$$

$$P(1 \cup 2) = P(1) + P(2) - P(1 \cap 2)$$

