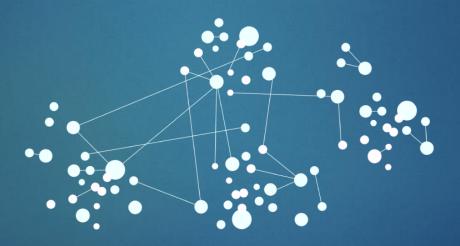


Deep Learning from Scratch

Session #1: Introduction



by: Ali Tourani – Summer 2021

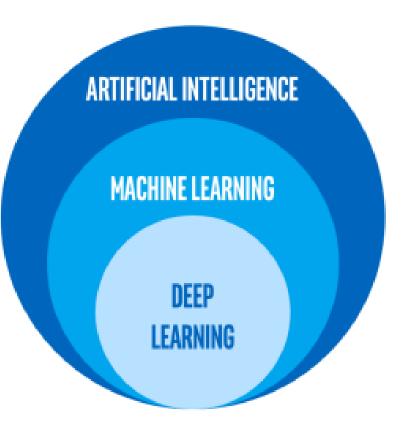
Agenda

- What is Deep Learning?
- Fundamental Concepts
- Neural Networks
- Training the Network
- Use cases of ANNs
- Assignment & Homework

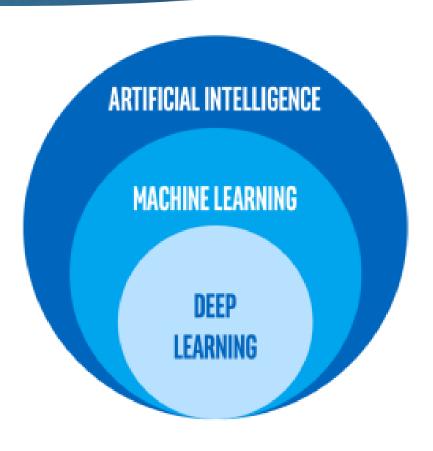
How to enable computers to mimic advanced human capabilities?

Learning AI rules by analyzing a collection of known examples

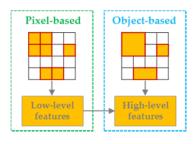
A type of machine learning with need to be told about the important features



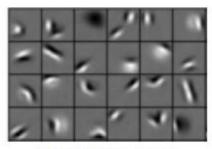
- Machine Learning (ML):
 - Using parameters from known and important features of data
 - Predict the outcomes on similar data
 - Final tool: a Model
- Deep Learning (DL):
 - Using Artificial Neural Networks
 - Learn tasks directly from law data
 - Needs better hardware and datasets



- How to learn data?
 - Using the features existing in data (like images, sounds, etc.)
 - Trying to find the rules and patterns
 - Decomposing existing features for this purpose

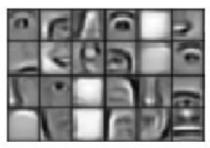


Low level features



Edges, dark spots

Mid level features

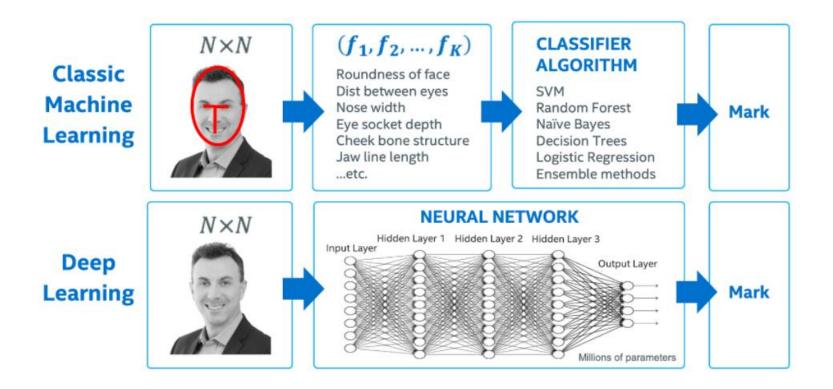


Eyes, ears, nose

High level features



Facial structure

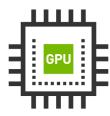


- ▶ What are the requirements to employ Deep Learning?
 - Big Data
 - ▶ To extract the features, we need to have all variations of data
 - Large datasets with thousands and millions of samples



Powerful Hardware

- ▶ Highly parallelizable hardware are needed to process big data
- ► Graphics Processing Units (GPUs) are the best options



Efficient Software

Different toolboxes and platforms that enable us to process big data using GPUs

What are the requirements to employ Deep Learning?

Big Data + Powerful Hardware + Efficient Software



What are the requirements to employ Deep Learning?

Big Data + Powerful Hardware + Efficient Software



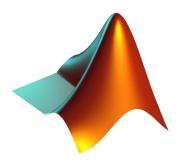


What are the requirements to employ Deep Learning?

Big Data + Powerful Hardware + Efficient Software









Artificial Neural Networks (ANNs, or simply, NNs)

- Inspired from neurons in human brain
- Contains at least one Artificial Neuron (AN)
 - Receives an input signal, process it, and generates and output signal

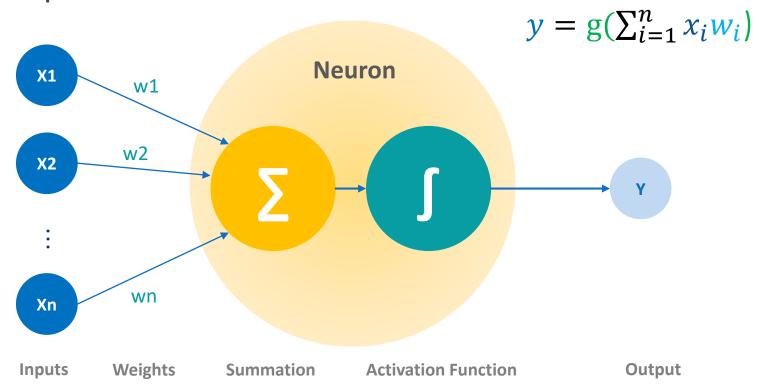


- Now, lets connect several Ans:
 - The output of neuron A will be the input of neuron B
 - ► They will shape an ANN that are organized into different layers

The Perceptron

- The simplest architecture of an ANN
 - At least one input signal X with an corresponding weight W
 - ▶ The weight shows the importance/priority of the input signal
 - Calculating the summation of each input signal multiplied by its weight
 - ► The output will be a single number
 - Passing the sum value to a non-linear function, called Activation Function (AF)
 - Now, the final output signal Y is ready!

The Perceptron



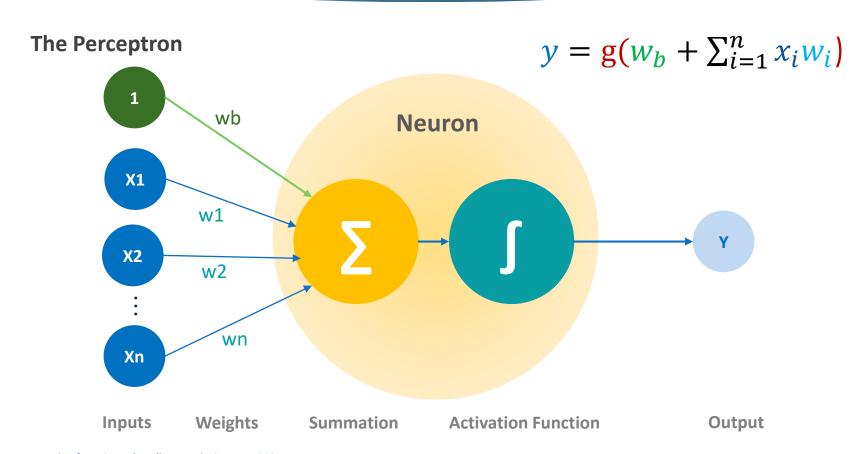
The Perceptron

- But how to make the AF independent from the input signals
 - **Solution:** adding a Bias node



What is a Bias?

- ► A weighted input signal with value of 1
- Using this, and by providing proper weight, we can shift our AFs to left and right

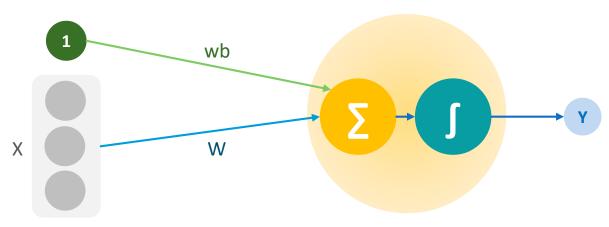


The Perceptron

Now, we can mathematically define the output as

$$y = g(w_b + X^T W)$$

Where X and W are the vector of inputs and weights, respectively



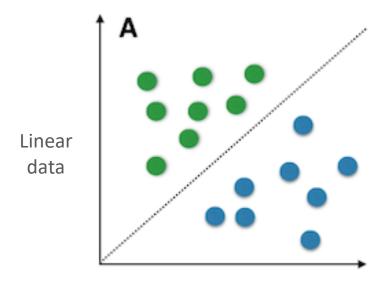
 $y = g(w_b + X^T W)$

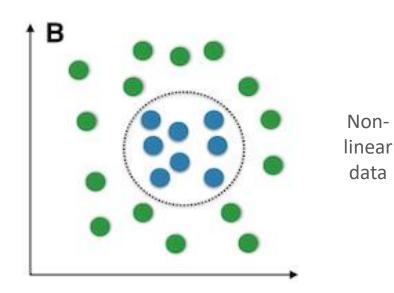
Fundamental Concepts

Activation Functions

- Now, why do we need AFs?
 - ► To provide **non linearity** and ...

But Why?

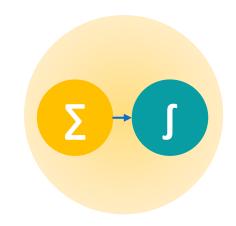




Activation Functions

$$y = g(w_b + X^T W)$$

- Now, why do we need AFs?
 - ► To provide **non linearity** and use the ANNs in real-world scenarios
 - ▶ To define how the weighted sum is transformed into an output
 - ▶ To get access to much richer hypothesis space (especially, deep ones)
 - We need to choose them carefully in our ANNs!
 - ▶ There are many of them!
 - Technically, the same for all nodes in a layer of an ANN



Activation Functions

- Some of the popular AFs
 - Linear
 - **Unit step**
 - Sign (signum)
 - **ReLU (Rectified Linear Activation)**
 - **Hyperbolic Tangent (Tanh)**
 - Sigmoid/Logistic (maps real numbers to [0, 1])
 - Gaussian

$$f(x) = x$$

$$f(x) = \begin{cases} -1, \\ 0, \\ 1, \end{cases}$$

$$f(x) = x$$

$$f(x) = \begin{cases} x < 0 \\ x < 0 \\ x = 0 \end{cases}$$

$$f(x) = \begin{cases} -1, & x = 0 \\ 0, & x > 0 \end{cases}$$

$$f(x) = \begin{cases} 1, & x < 0 \\ 1, & x > 0 \end{cases}$$

$$f(x) = \max(0, z)$$

$$f(x) = \frac{e^x}{e^x} - \frac{e^{-x}}{e^{-x}}$$

$$f(x) = \frac{1}{1 + e^{-x}}$$

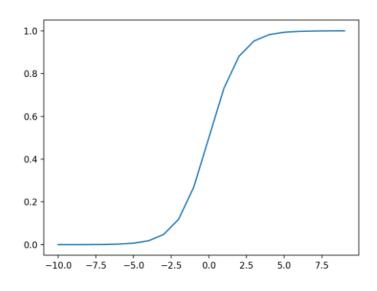
$$f(x) = \frac{1}{\sqrt{2\pi\sigma}} e^{\frac{-(x-\mu)^2}{2\delta^2}}$$

Activation Functions - Sigmoid

- Takes a real number as input
- Generates a number in the range 0 to 1
 - ► Larger input → closer to 1
- A common use case: probabilities

```
# Applying the sigmoid function and
# storing the result in 'b'
b = tf.nn.sigmoid(a, name = 'sigmoid')
```

$$g(x) = \frac{1}{1 + e^{-x}}$$



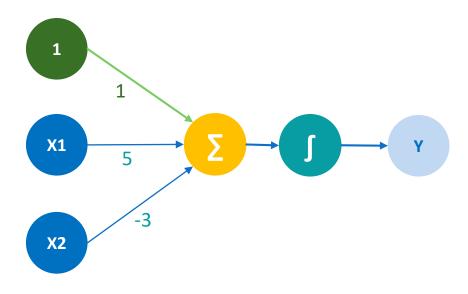
Let's see an example of Perceptron with Sigmoid AF

- Suppose we have this AN:
 - ► The vector of weights is:

$$W_0 = 1, \qquad W^T = [5 \quad -3]$$

▶ The summation function provides:

$$y = g(w_b + X^T W)$$
$$= g(1 + 5x_1 - 3x_2)$$



Let's see an example of Perceptron with Sigmoid AF

Thus, we will have:

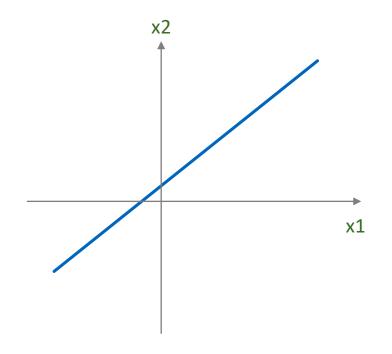
$$y = g(1 + 5x_1 - 3x_2)$$

Some points:

$$x = \begin{bmatrix} -2 \\ 2 \end{bmatrix} \Rightarrow y = g(-15) = 0.03$$

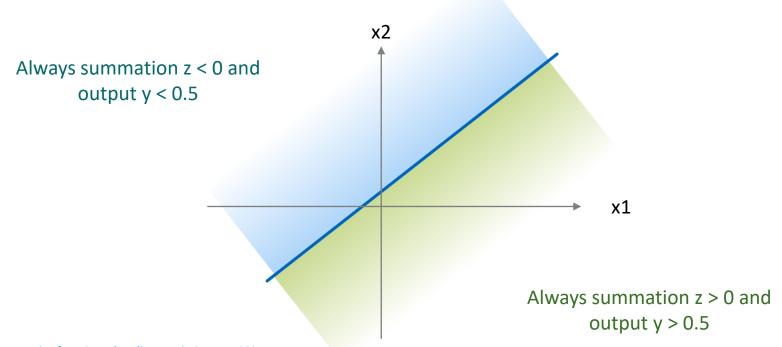
$$x = \begin{bmatrix} 1 \\ 2 \end{bmatrix} \Rightarrow y = g(0) = 0.5$$

$$x = {2 \brack 2} \Rightarrow y = g(5) = 0.99$$



Let's see an example of Perceptron with Sigmoid AF

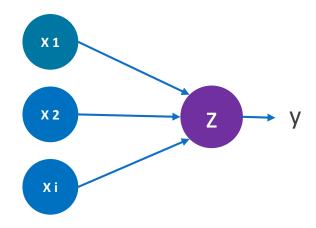
► Thus, generally we can conclude that:



Now, let's simplify the diagram:

$$z = w_b + \sum_{i=1}^m x_i w_i$$

$$y = g(z)$$

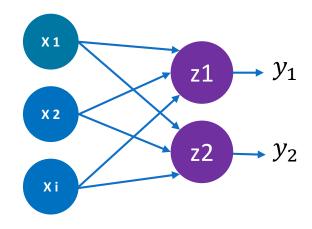


- What if our Perceptron provides multiple outputs?
 - Or, can we connect two Perceptron networks to provide two different outputs?

We can extend it to Multi Output Perceptron (MOP):

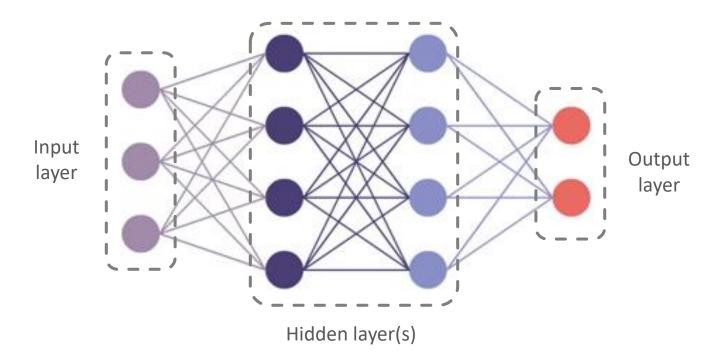
$$z_{j} = w_{b,j} + \sum_{i=1}^{m} x_{i} w_{i,j}$$

$$y_i = g(z_i)$$

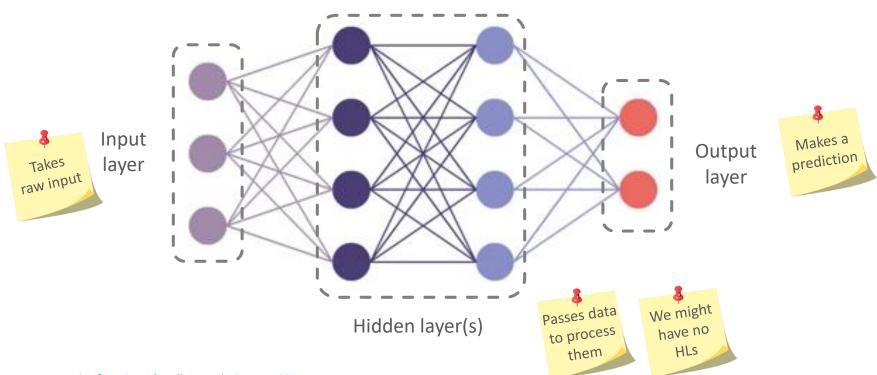


- Dense Layers
 - ► All inputs are connected to all outputs

Let's connect several single nodes (Perceptron) together:

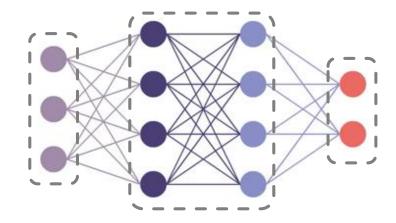


Let's connect several single nodes (Perceptron) together:



Some Useful Notes

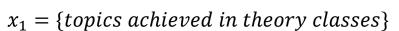
- ► If there is only one layer in HL, we call it a **Single Layer NN**
- If the number of layers in HL is more than five (usually), we call it a **Deep NN**



We can always find sequential dense layers in NNs, like the image above with 3x4, 4x4, and 4x2 dense layers

Sample#1: passing a driving test

Assume we need to pass both <u>theory</u> and <u>practical</u> tests

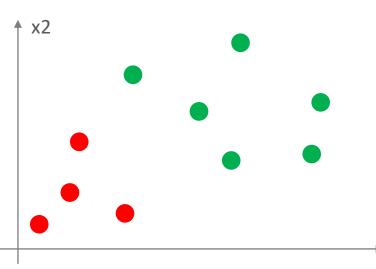


 $x_2 = \{hours \ spent \ on \ practical \ tests\}$



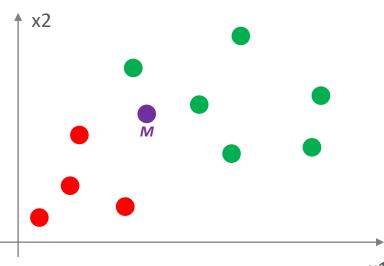
- Distribution of people who have passed or failed the test
- ► The chart is 2D, as we have two features





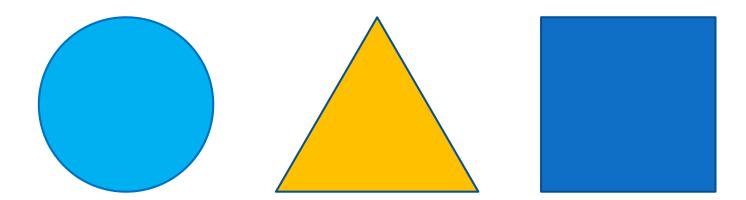
Sample#1: passing a driving test

- Now, the question is will a given node *M* pass the test?
- Assume M=[10, 12], meaning that
 - ▶ 10: number of achieved topics
 - ▶ 12: hours spent training
- Answer: we need to train the ANN first
 - ► Training = adjusting the weights

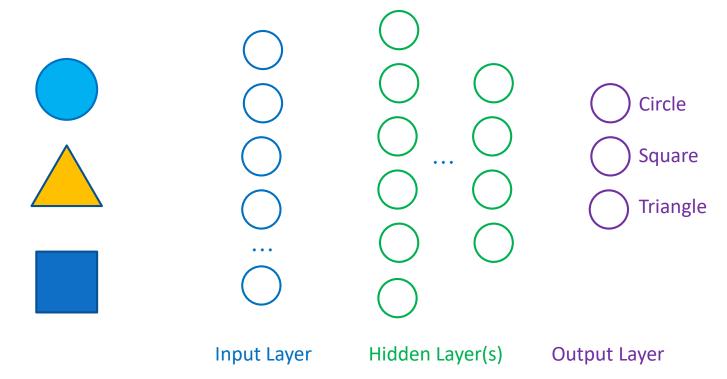


Sample#2: Classification of objects into pre-defined classes

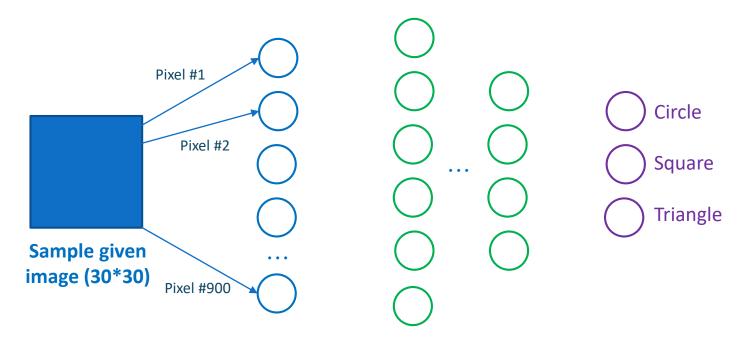
- ▶ **Inputs:** Rectangle, Circle, Triangle
- Goal: Correct classification



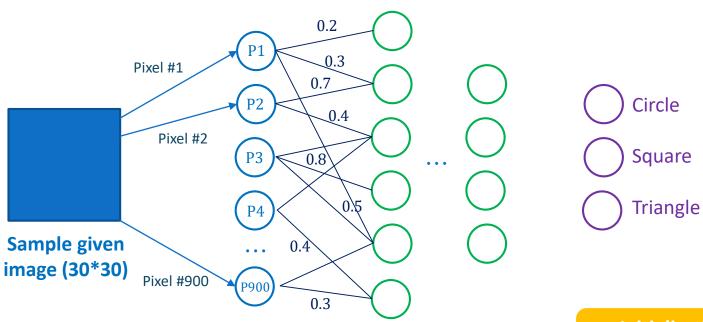
Sample#2: Classification of objects into pre-defined classes



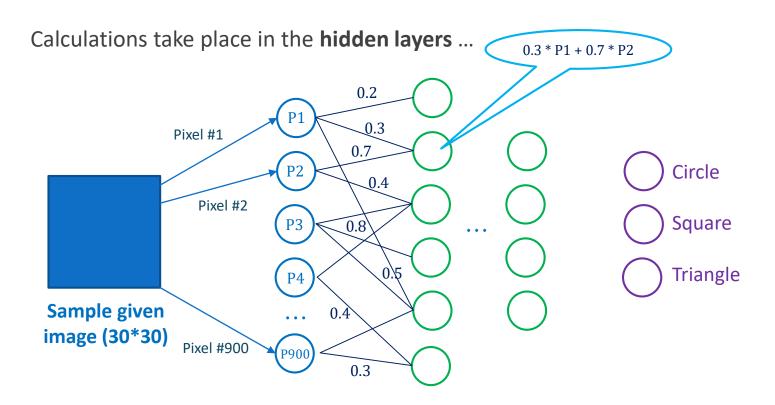
Each pixel should be mapped to a single neuron from the input layer

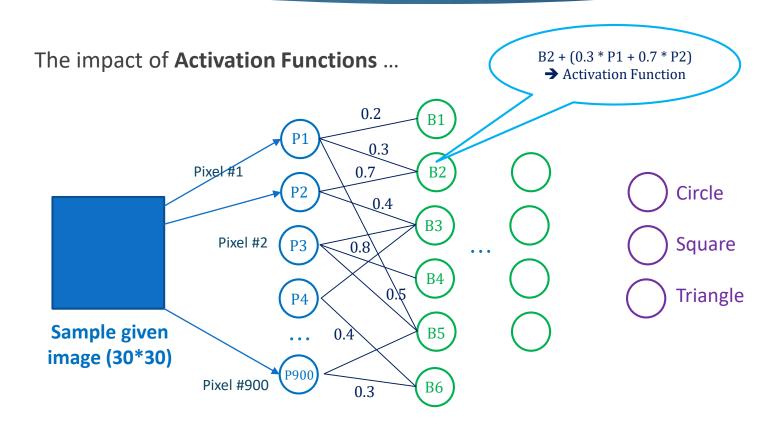


Calculations take place in the **hidden layers** ...

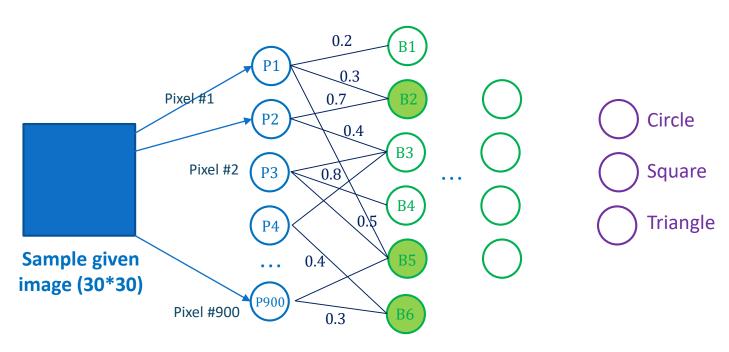


Initialization: Random weights



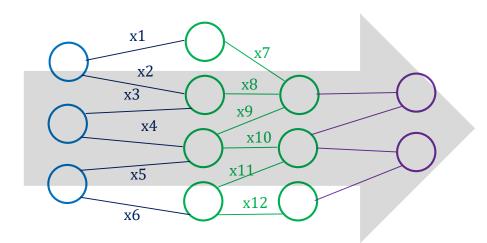


The impact of **Activation Functions** (Active nodes with **green** backgrounds) ...

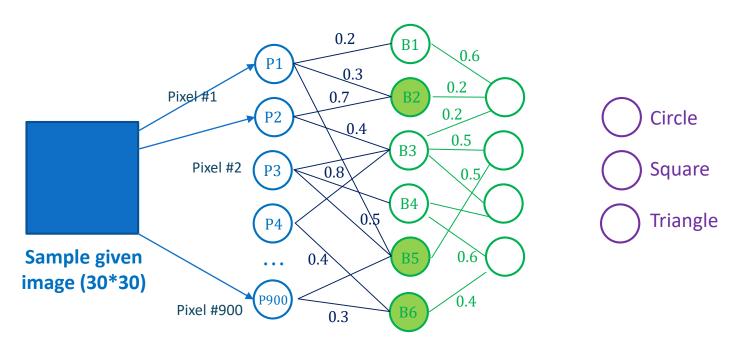


Forward pass

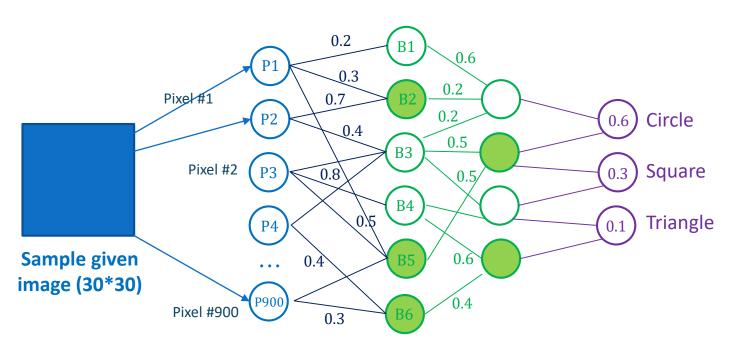
- the main flow of calculations
 - ► Take the inputs from the previous layer
 - Process them (Summation + AF)
 - Generate outputs
 - Pass them to the next layer
 - Do while generating the F.O



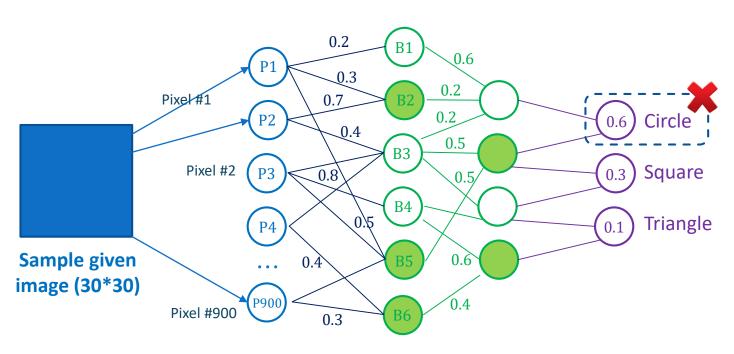
Forward pass



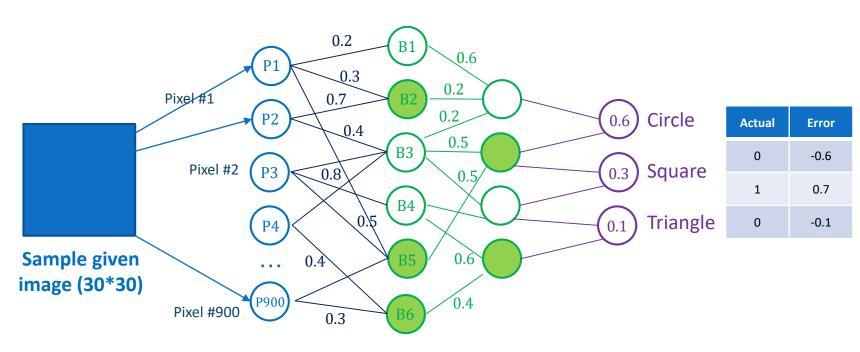
Forward pass



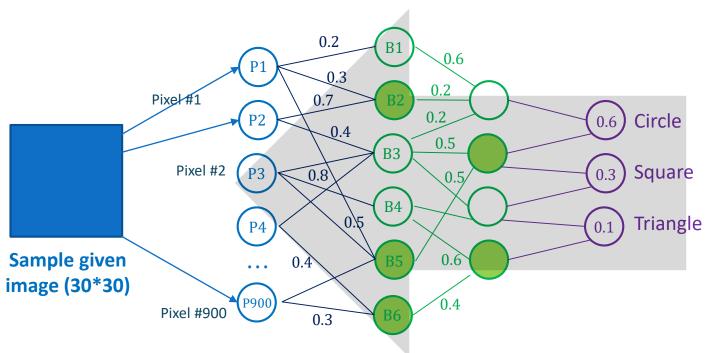
Wrong prediction! (The highest probability is circle with 0.6)



How to know? By comparing to the Actual (expected) Outputs



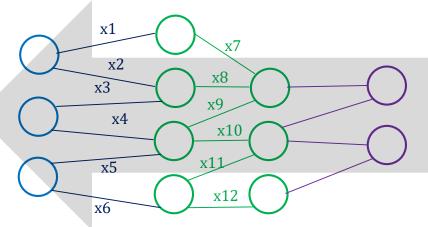
How to resolve? **Backpropagation**



Actual	Error
0	-0.6
1	0.7
0	-0.1

Backpropagation (the backward pass)

- Why do we need this?
 - ► To discover the optimal weights for neurons
 - ► To minimize the Loss Function (*)
 - ► To generate the best possible prediction
- ► How?
 - ► Gradient descent algorithm (*)



^{*} We'll talk about them soon!

- In training a neural network, we feed some data and the network learns how to adjust its weights based on it
- The process is Supervised
 - We already know the Correct Answers (Actual)
- By comparing Actual and Predicted results, we tell the network:
 - ▶ The result was correct, no need to change the weights!
 - ▶ The result was incorrect, change the weights and get closer to the correct answer!
- Simply we can define Loss as:
 - ► The cost of incurred from incorrect predictions



Empirical Loss (Empirical Risk Minimization)

- Actually, the average of all individual losses
 - ► Comparing the predicted and real values
- ► Total loss over all dataset samples

$$J(w) = 1/n \sum_{i=1}^{n} Loss(h(x_i), y_i)$$

Binary Cross Entropy Loss (Log Loss for Binary Classification)

- ▶ Where the predicted value is a probability between 0 and 1
- The goal is to solve a binary problem (pass or fail)
- Compare the real and estimated distributions

$$J(w) = 1/n \sum_{i=1}^{n} (y_i \cdot \log(h(x_i)) + (1 - y_i) \cdot \log(1 - h(x_i))$$

Mean Squared Error Loss

- Used in regression models that provide continuous real numbers
 - ► E.g. what will be someone's final grade? (non-binary)
- Subtracting the actual and predicted values
- ► Then, calculating the average of its squared errors

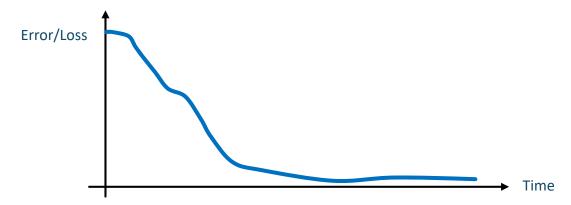
$$J(w) = 1/n \sum_{i=1}^{n} (h(x_i) - y_i)^2$$

So, we can use different types of Loss functions for different problems.

<u>Using these quantified errors</u>, we can train our ANN to find optimal weights.

How to deal with loss/error functions?

- ► They are very useful, as they show how far the Actual (expected) Output is from the current (predicted) outputs of ANN
- Our goals?
 - ► To minimize the loss function (as much as possible!)
 - ▶ To bring outputs as close as possible to the actual values

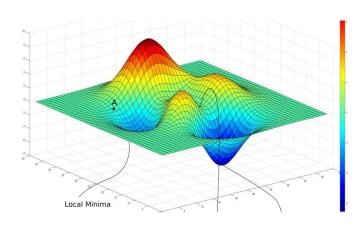


Loss Optimization

- Now, we want to minimize the loss to achieve the optimal weights
 - Actually, the goal is to achieve the lowest loss
- If W^* is optimal values for weights vector W:

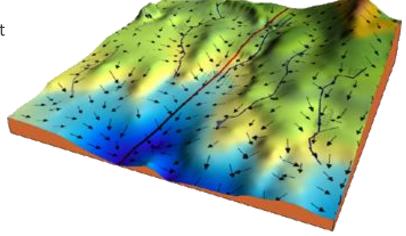
$$W^* = argmin J(W)$$

- Gets more complicated when the number of weights increases
- ► Goal: Find the minimum loss
 - Local Minima and Global Minima
- ► How? Gradient Descent Algorithm

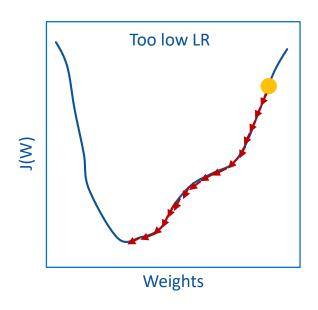


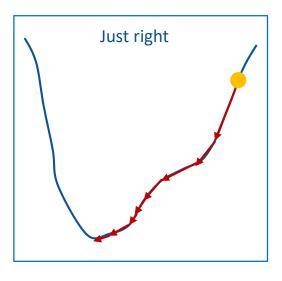
Gradient Descent Algorithm

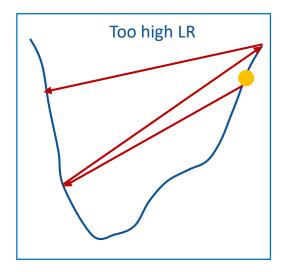
- An iterative optimization algorithm for finding a local minimum
 - ▶ By iteratively moving in the direction of the steepest descent
- Just like moving from a mountain towards the sea
 - ► An step-to-step downhill in the direction with **negative gradient**
- ► **Learning Rate:** the size of steps
 - ► High LR → We may miss the optimal point
 - ► Low LR → We may be too slow



Gradient Descent Algorithm



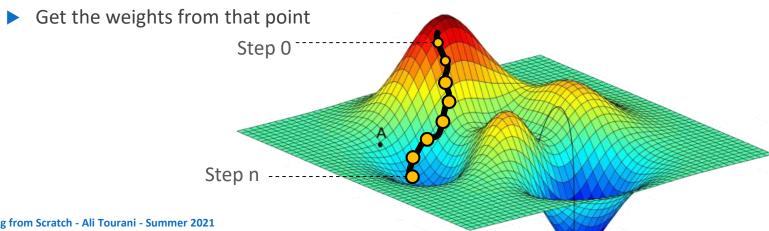




How to find proper LR? 1) trail and error, 2) Adaptive LR

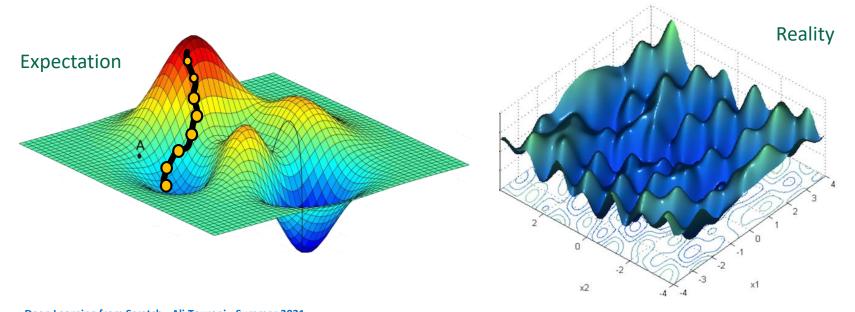
Gradient Descent Algorithm

- Pick any random point in the landscape
- Compute gradient using $\frac{\partial J(W)}{\partial W}$
- Take a small step towards the lower stages (steep)
- Repeat this process until reaching a Local Minimum



Gradient Descent Algorithm

- It is not always that simple!
 - ▶ In real-world scenarios, the algorithm may stuck

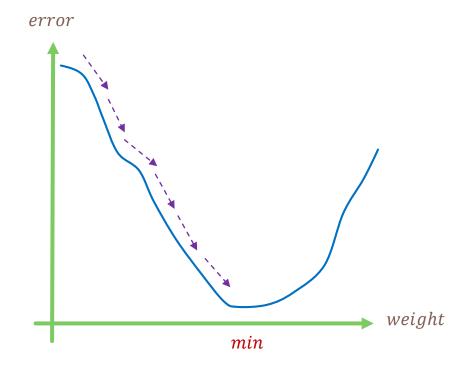


Gradient Descent Algorithm

How to update weights?

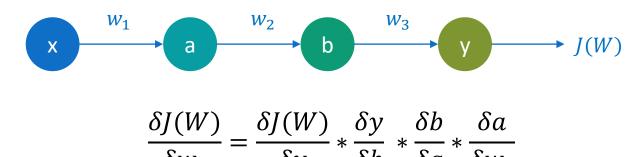
$$w_{i}(t) = w_{i}(t - 1) + \Delta w_{i}(t)$$

$$\Delta w_{i}(t) = \mu(-\frac{\delta J(W)}{\delta w})$$
Learning rate



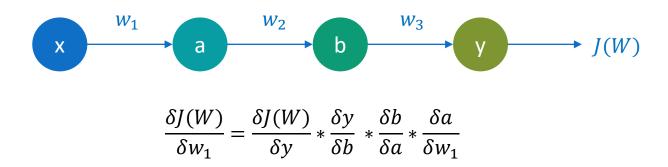
Gradient Descent Algorithm

- How do weight changes spread in the network?
 - ▶ Remember: the main goal is to decrease the final loss
 - ▶ Remember: we should use Backpropagation (Slide#48)
 - According to GDA:



Gradient Descent Algorithm

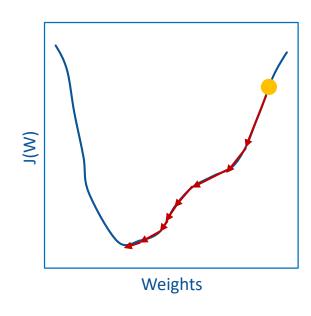
How do weight changes spread in the network?



- ▶ This way, we can calculate all the weights from output to input
- ▶ Good news: we do not need to do this practically in our applications!
 - ▶ Backpropagation is implemented in different DL frameworks

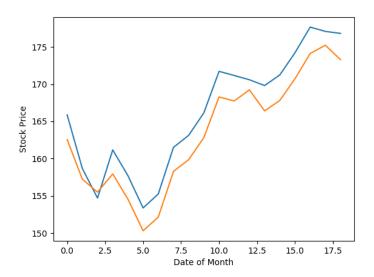
Adaptive Learning Rates

- In contrast with fixed LR, the value of LR may vary over time
 - ► It may become larger or smaller
- Factors affecting the value of LR
 - Learning speed (algorithm)
 - Size of weights
 - ► The value of gradient
- ► Algorithms (optimization)
 - Adam, AdaDelta, etc.





Google online translation tool



Stock market prediction

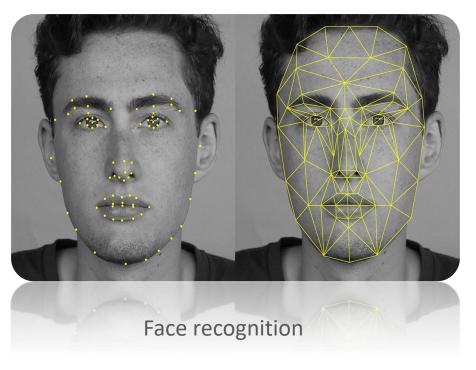








Image completion

Suggested Projects – General ideas

Image Classification

▶ Identify the class of an input image

Beginner Visual Tracking

Locate moving objects for surveillance

Face Detection

Track and visualize human faces

Image Caption Generation

Analyze the context of an image



Suggested Projects – General ideas



Generate image from a given text

Intermediate Gender/Age Detection

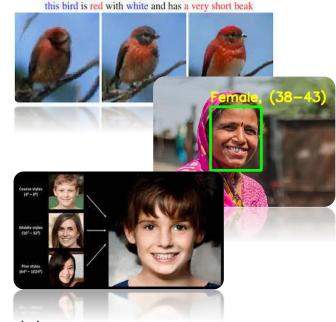
Estimate human age from facial features

Human Face Generation

Track and visualize human faces

Colorize Black & White Images

Make B&W images colorful using a deep model



Suggested Projects – Intelligent Transportation Systems Lab

Vehicles

- Vehicle detection and tracking
- ▶ Vehicle type classification
- Vehicle pose estimation

Drivers

- Face pose detection
- Driver actions detection
- Driver drowsiness detection



Assignment & Homework

Find your Field of Interest

- Google your desired field of interest
- Find issues that can be resolved using Deep Learning
- Find some academic papers about it
- Send me your titles to discuss



References

Websites

- http://www.IntroToDeepLearning.com
- https://www.towardsdatascience.com
- https://data-flair.training/blogs/deep-learning-project-ideas/
- https://www.deeplearning.ai/
- https://blog.paperspace.com/a-practical-guide-to-deep-learning-in-6-months/
- https://wiki.pathmind.com/neural-network

Questions?

