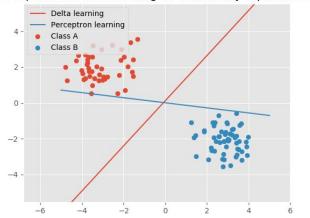
## Group 15 - LAB 1

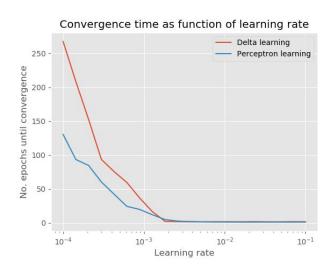
Mustafa Al-Janabi | Einar Lennelöv | Akanshu Mahajan

## 3.1 Single Layer Perceptron



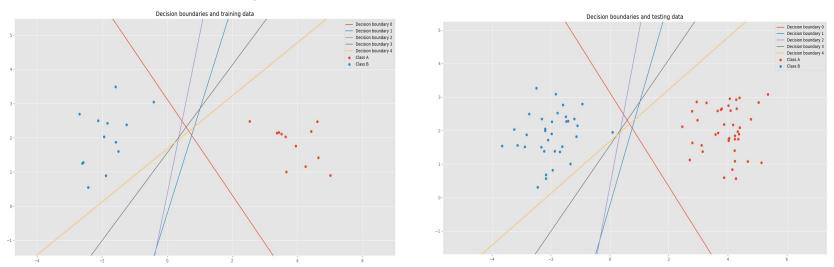
#### Perceptron and delta learning on non-linearly separable set





Comparison between delta learning and perceptron learning on a single dataset.

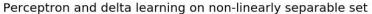
## Delta rule Sequential Learning

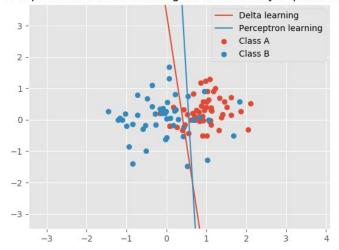


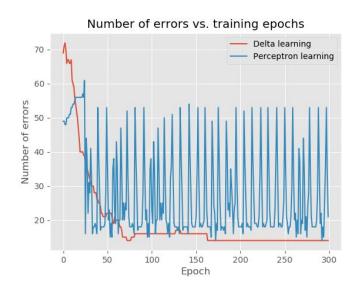
Delta learning rule applied to a single layer network using sequential learning rule instead of batch learning. (Epochs = 100 and learning rate = 0.001).

**Conclusions:** The network performed well in terms of classifying both the train data as well as the test data with an accuracy of 100%.

#### Non linearly separable







Comparison between perceptron learning and delta learning on linearly non-separable dataset.

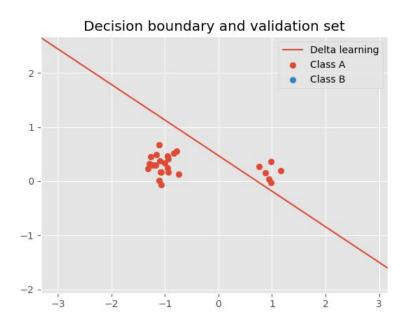
#### Subsampling

Part of A	Part of B	Mean accuracy* ± 1std.
25%	25%	0.76 ± 0.06
50%	0%	0.58 ± 0.09
0%	50%	0.43 ± 0.08
{20% A[0] > 0} U {80% A[0] < 0}	0%	0.23 ± 0.00

<sup>\*</sup>Averaged over 100 runs.

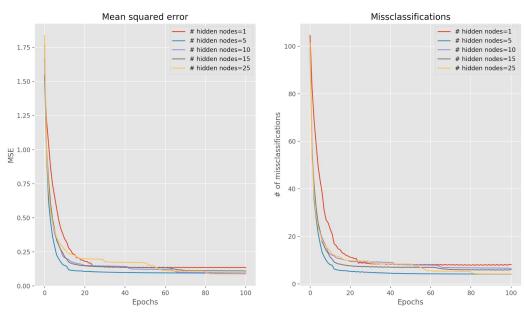
## Subsampling





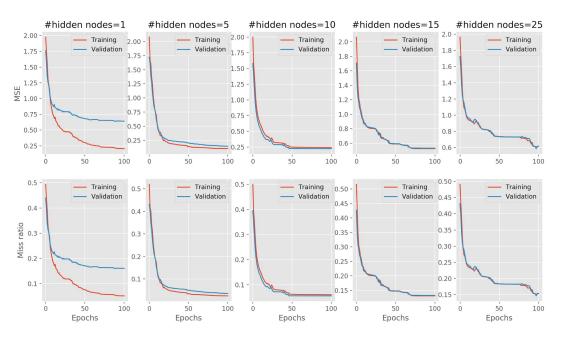
## 3.2 Multi layer perceptron

#### Classification of non linearly separable



Average over 100 runs for different number of nodes in the hidden layer. **Conclusions:** Fastest convergence and best performance with 5 hidden nodes.

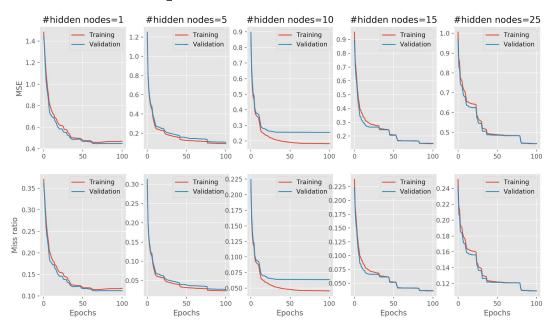
#### Generalisation



Average over 50 runs for different number of nodes in the hidden layer for training and validation sets.

Conclusions: Generalization is achieved for more than 10 hidden nodes.

#### Batch vs sequential



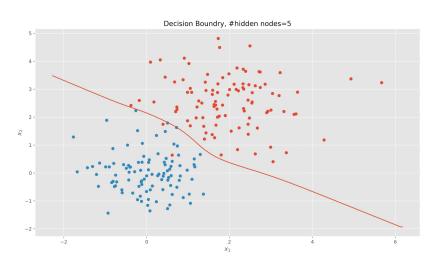
Same as previous slide, but using sequential learning.

Conclusions: Difficult to deduce differences.

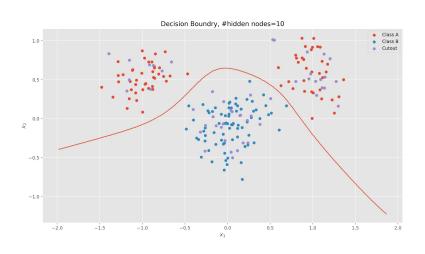


#### **Decision boundary**

With 5 hidden nodes and learning rate  $\eta$ =0.01 we get

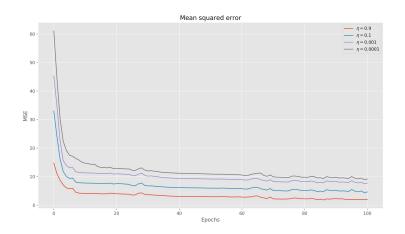






0 misclassifications with MSE=0 for training data and MSE=0 for the special case

#### Encoder problem 3 hidden layers



$$X = [-1, -1, 1, -1, -1, -1, -1, -1]$$
  
 $H = [-1, -1, -1]$ 

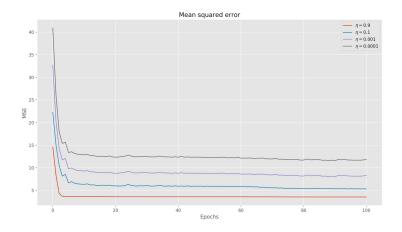
$$X = [-1, -1, -1, -1, -1, 1, -1, -1]$$
  
 $H = [1, 1, -1]$ 

$$X = [1, -1, -1, -1, -1, -1, -1, -1]$$
  
 $H = [1, 1, 1]$ 

Converges for high  $\eta$ .

Conclusions: Fastest convergence and best performance with 5 hidden nodes.

#### Encoder problem 2 hidden layers



$$X = [-1, -1, 1, -1, -1, -1, -1, -1]$$
  
 $H = [-1, -1]$ 

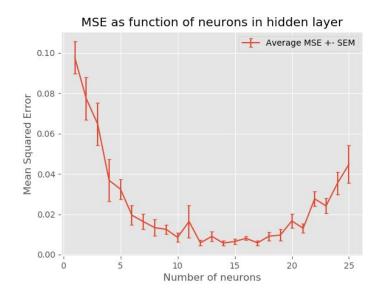
$$X = [-1, -1, -1, -1, -1, 1, -1, -1]$$
  
 $H = [-1, -1]$ 

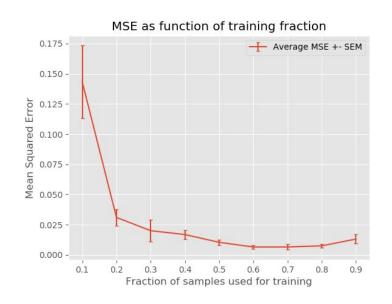
$$X = [1, -1, -1, -1, -1, -1, -1, -1]$$
  
 $H = [1, -1]$ 

Converges for high  $\eta$ .

Conclusions: Fastest convergence and best performance with 5 hidden nodes.

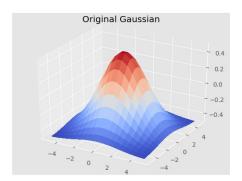
#### **Function approximation**

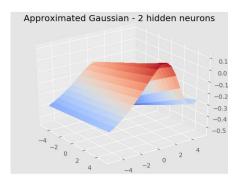


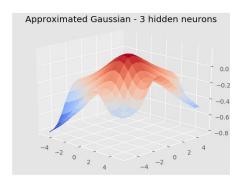


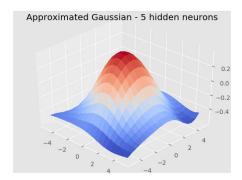
Left: Average MSE over 10 runs for different number of nodes in the hidden layer. Right: Average MSE over 10 runs for different fractions of samples in training data.

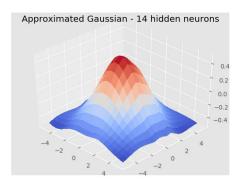
#### **Function approximation**

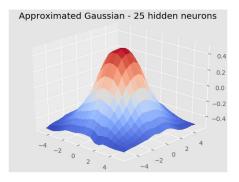








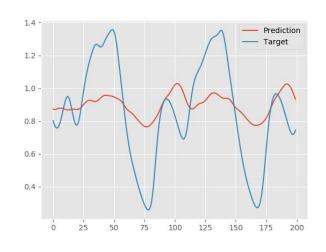


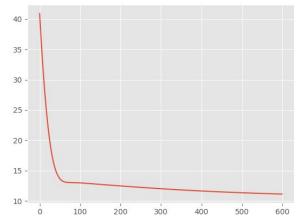


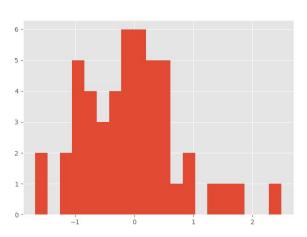
Surface plots of the approximated gaussian, with training fraction 0.7.

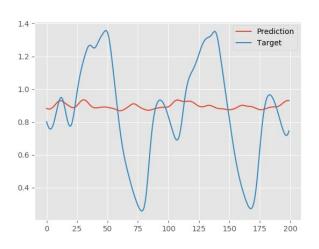
# 4 Time series prediction

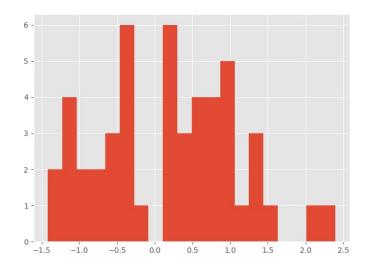


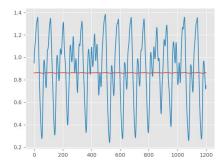


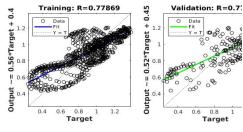


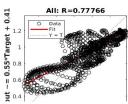


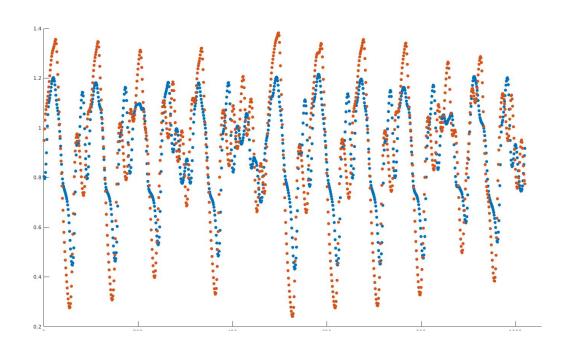


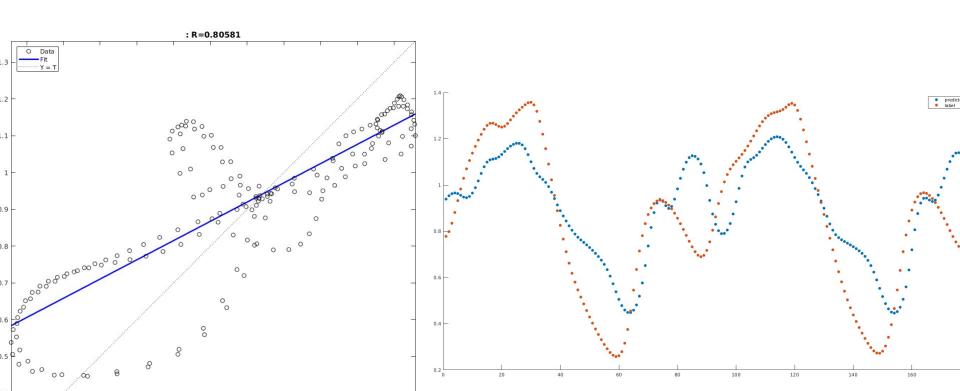


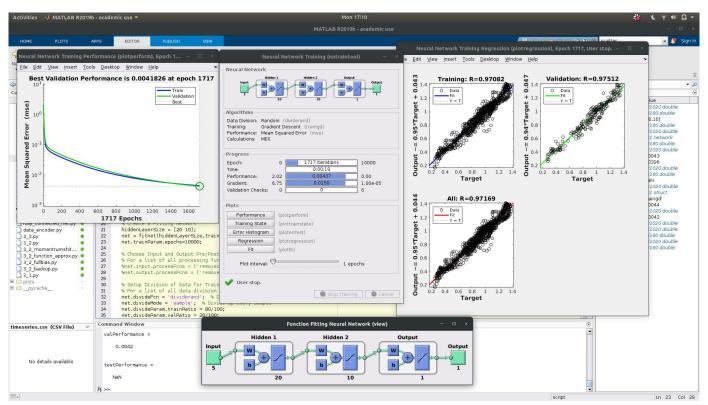


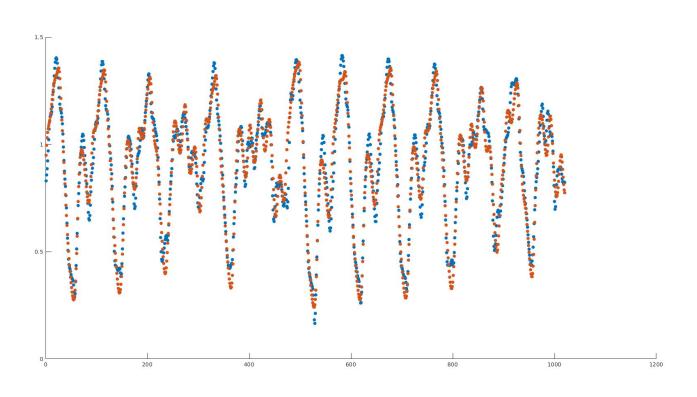


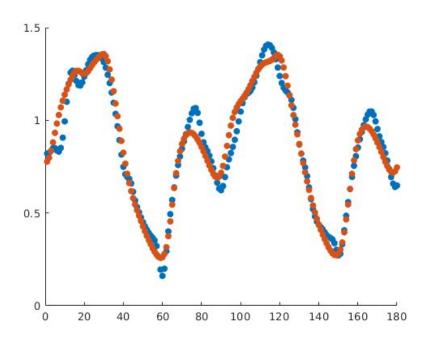


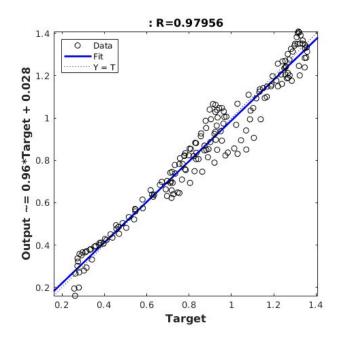
















Average over 100 runs for different number of nodes in the hidden layer.

**Conclusions:** Fastest convergence and best performance with 5 hidden nodes.