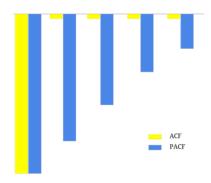


## **READING ACF AND PACF PLOTS:**

From this youtube post (https://www.youtube.com/watch?v=-vSzKfqcTDg). Also, here is a more extensive document with simulations (https://drive.google.com/file/d/0Bwl-HpVJ\_5PeSDdnX3IEWENidE0/view?usp=sharing) found online.

	ACF	PACF
AR	Geometric	p significant lags (order)
MA	q significant lags (order)	Geometric
ARMA	Geometric	Geometric

## Examples:

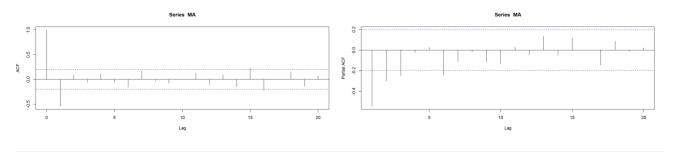


On this plot the ACF is significant only once (in reality the first entry in the ACF is always significant, since there is no lag in the first entry - it's the correlation with itself), while the PACF is geometric. Hence it is an MA(1) process.

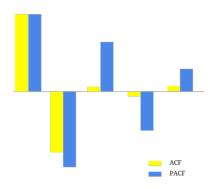
The negative values in the plot respond to a process of the form  $y_t = k - \theta \, \epsilon_{t-1} + \epsilon_t.$ 

Here is a simulation of an MA(1) process with  $\theta=-0.7$ :

```
set.seed(2017)
MA = arima.sim(model=list(ma = - 0.7), n = 100)
par(mfrow = c(1,2)); acf(MA); pacf(MA)
```



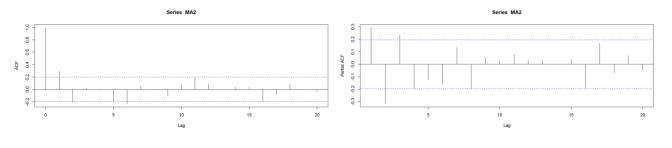
1 of 3 5/4/18, 10:39 PM

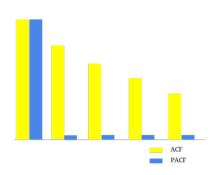


In this example the ACF is significant in the first and second lags, while the PACF follows a geometric decay. It is again a MA process, but this time an MA(2) of the form:  $y_t=k+\theta_1\,\epsilon_{t-1}-\theta_2\,\epsilon_{t-2}+\epsilon_t$ .

Here's an R simulation with  $heta_1=0.9$  and  $heta_2=-0.2$  :

```
set.seed(2017)
MA2 = arima.sim(list(ma= c(0.9, - 0.2)), n = 100)
par(mfrow = c(1,2));acf(MA2);pacf(MA2)
```



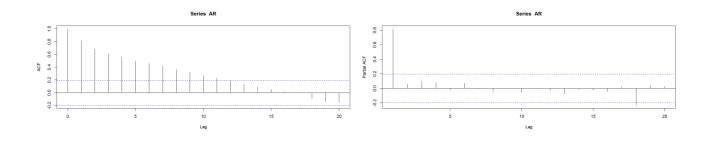


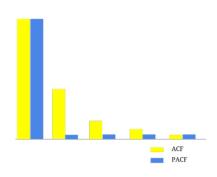
Here the ACF decays geometrically, and the PACF shows only one significant lag. This is a AR(1) process of the form:  $y_t=c+\rho\,y_{t-1}+\epsilon_t$ .

Here is the simulation in R with ho=0.9 :

```
set.seed(2017)
AR = arima.sim(model=list(ar = .9), n = 100)
par(mfrow = c(1,2));acf(AR);pacf(AR)
```

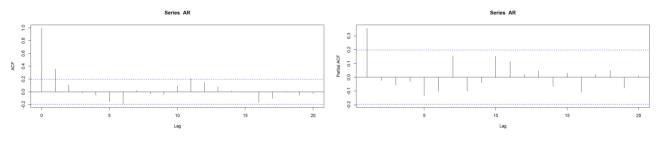
2 of 3 5/4/18, 10:39 PM





This is again an AR(1) process, but with a faster decay, ho=0.5 :





Home Page (http://rinterested.github.io/statistics/index.html)

3 of 3 5/4/18, 10:39 PM