

A positive integer  $x$  is said to be  $k$ -perfect if  $x^{1/k}$  is an integer.

In other words,  $x$  is  $k$ -perfect if we can find a positive integer  $y$  such that  $x=y^k$ .

You are the competitive programming coach at your university, you have  $n$  trainees and you want to choose a team of 2 students to represent your faculty at the LUCPC. Each student has a certain power  $x$ . The team you choose must be a  $k$ -perfect team. A  $k$ -perfect team is a team where the product of powers of its members is  $k$ -perfect. Given  $n, k$  and a list of student powers, in how many possible ways can you form a  $k$ -perfect team?

Example:

Suppose  $n=4$ ,  $k=3$  and the list of powers is  $A=[1,3,8,1]$

In this case:

$A_1 \cdot A_3 = 1 \cdot 8 = 2^3$  (the first and third students can form a  $k$ -perfect team)

$A_1 \cdot A_4 = 1 \cdot 1 = 1^3$  (the first and fourth students can form a  $k$ -perfect team)

$A_3 \cdot A_4 = 8 \cdot 1 = 2^3$  (the third and fourth students can form a  $k$ -perfect team)

Any other combination of students will not form a  $k$ -perfect team.

So, in this case the answer is 3.

**Input format:**

- Two integers  $n$  and  $k$  such that  $1 \leq n \leq 10^5$  and  $2 \leq k \leq 100$
- A list of students' powers. The power of each student is between 1 and  $10^5$  inclusively.

**Output format:** Print a single integer representing the required result.

**Sample input 1:**

```
6 3
1 3 9 8 24 1
```

**Sample output 1:**

```
5
```

**Sample input 2:**

```
2 2
40 90
```

**Sample output 2:**

```
1
```