

As we all know, integers have no upper bound. This makes it sometimes hard for the computer to store a very large integer due to memory limits of data types. In order to represent such big number, we will represent it by 2 arrays:

$$A=[a_1, a_2, a_3, \dots, a_n]$$
$$B=[b_1, b_2, b_3, \dots, b_n]$$

These arrays represent the number $x = a_1^{b_1} * a_2^{b_2} * a_3^{b_3} * \dots * a_n^{b_n}$

For example, $A=[1,4,3]$ and $B=[2,1,2]$ represent the number $1^2 * 4^1 * 3^2 = 36$.

You are now given two integers m and n and two big integers, a and b , following the given representation. You have to find out whether $a^m = b^n$ or not.

Example: if $m=3$ and $n=2$, suppose that $A_1=[1,4,3]$ and $B_1=[2,1,2]$, then $a=36$. Suppose that $A_2=[2,3]$ and $B_2=[3,3]$, then $b=216$. $a^m = 36^3 = 46656$ and $b^n = 216^2 = 46656$. Thus, in this case the equality is satisfied.

Input format:

- The first line contains p , the length of the 2 arrays representing a . ($0 < p < 10^5$)
- The two following lines represent the arrays representing the number a , each element of the arrays is an integer between 1 and 10^5 .
- The following line contains q , the length of the arrays representing b . ($0 < q < 10^5$)
- The two following lines represent the arrays representing the number b , each element of the arrays is an integer between 1 and 10^5 .
- Finally, m and n are given being both inclusively between 2 and 1000.

Output format: print Yes if the required equality is satisfied, else print No.

Sample Input:

```
3
1 4 3
2 1 2
2
2 3
3 3
3 2
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Sample Output: Yes