Sympy_Cheet_Sheet

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0.0.1 Import
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from sympy import init_printing
# initializing LaTex printing
init_printing()
```

0.0.2 Creating (one or more than one) symbol

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from sympy import symbols
x, y = symbols('x y')
z = symbols('z')
# also we can specify the type of values that a mathematical symbol can hold
x, y = symbols('x y', positive = True)
a, b = symbols('a b', real = True)
# this function recognizes special characters such as alpha
```

```
0.0.3 Math
from sympy import Rational, sqrt, log, exp, sin, pi, I
# Rational: calculates an exact solution for fraction
# evalf() method still allows us to get a numerical approximation
(Rational(5, 3)).evalf(3)
# square root
sqrt(8)
# euler number
exp(1).evalf(40)
# others
sin(pi / 6)
log(exp(1))
# substitutions
<expression>.subs(x, 3)
\left( \left( \left( x, 2 \right), \left( y, 5 \right) \right) \right)
<expression>.evalf(subs = \{x:2, y:5\})
```

```
# lambdify()
from numpy import arange
from sympy import lambdify
my_domain = arange(-3, 4, 1)
f = lambdify(x, <expression>, 'numpy')
f(my_domain)
0.0.4 Equation
# Simplify a expression ()
from sympy import simplify
simplify(<expression>)
# Factoring ()
(<expression>).factor()
(<expression>).expand()
# or
from sympy import factor, expand
factor(<expression>)
expand(<expression>)
# Collect: the results is an expression with descending powers of
from sympy import collect
collect(<expression>, x)
# for example
collect(x * y - 2 + 2 * x**2 - z * x**2 + x**3, x)
# we get
x**3+**2*(z+2)+x*y2
# Cancel: puts a rational function in canonical form
from sympy import cancel
cancel(<expression 1> / <expression 2>)
# the difference from
(<expression 1> / <expression 2>).factor
# is the later one also factoring the polynomials
# Apart: It calculates partial fraction decomposition ()
from sympy import apart
apart(<expression>)
0.0.5 Trigonometric
# Trigonometric simplification
from sympy import trigsimp, sin, cos
theta = symbols('theta')
trigsimp((sin(theta))**2 + (cos(theta))**2)
```