



## 2. 解:

由题意知,  $\sigma$  未知, 故采用  $t$  检验, 当  $n = 20, \bar{x} = 0.6605, s = 0.0925, \alpha = 0.05, t_{\frac{\alpha}{2}}(n-1) = 2.093$ , 故拒绝域为

$$|t| = \left| \frac{\bar{x} - \mu}{s/\sqrt{n}} \right| \geq t_{0.025}(19) = 2.093$$

观察值

$$|t| = \left| \frac{0.6605 - 0.618}{0.0925/\sqrt{20}} \right| = 2.055 < 2.093$$

故接受  $H_0$

## 11. 解:

设  $H_0: \sigma \geq 14, H_1: \sigma < 14$

采用  $\chi^2$  检验, 拒绝域为

$$\chi^2 = \frac{(n-1)s^2}{\sigma_0^2} \leq \chi_{1-\alpha}^2(9)$$

当  $n = 10, \chi_{1-0.01}^2(9) = 2.088, s^2 = 24.233$  时,

$$\chi^2 = \frac{218.4}{14^2} = 1.11 < 2.088$$

故拒绝  $H_0$ , 认为提纯后比原群体更整齐。