

### Solution 1

From L13

$$R(T_2) = R(T_1)[1 + (T_2 - T_1) \frac{TCR}{10^6}]$$

$$\text{So } R(300) = R(273) \left[ 1 + (27) \frac{1100}{10^6} \right] = 1029.7 \Omega$$

### Solution 2

$$300 \text{ and } 320 \text{ } R(T) = 5T + 1000 \Rightarrow R(25) = 1125 \text{ and } R(47) = 1235$$

From L13

$$1235 = 1125 \left[ 1 + (22) \frac{TCR}{10^6} \right] \Rightarrow TCR = 4444 \text{ ppm}/^\circ\text{C}$$

### Solution 3

From L13

$$R(T_2) = R(T_1)[1 + (T_2 - T_1) \frac{TCR}{10^6}]$$

$$\text{So } R_1(T_2) + R_2(T_2) = R_1(T_1) \left[ 1 + (T_2 - T_1) \frac{TCR_1}{10^6} \right] + R_2(T_1) \left[ 1 + (T_2 - T_1) \frac{TCR_2}{10^6} \right]$$

$$= R_1(T_1) + R_2(T_1) + (T_2 - T_1) \left[ R_1(T_1) \frac{TCR_1}{10^6} + R_2(T_1) \frac{TCR_2}{10^6} \right]$$

$$= 5 * 10^3 + (T_2 - T_1) \left[ 5 * 10^3 \frac{360}{10^6} \right]$$

$$= 5 * 10^3 + 5 * 10^3 (T_2 - T_1) \frac{360}{10^6} = 5 * 10^3 (1 + (T_2 - T_1) \frac{360}{10^6}) \text{ which means the equivalent}$$

TCR is 360ppm/C

### Solution 4

$\lambda = 0.3 \mu\text{m}$  and the minimum width for poly is  $2\lambda$

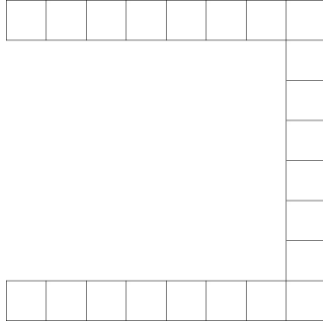
For one square  $W = L = 2 * 0.3 \mu\text{m} = 0.6 \mu\text{m}$

$$A_{\square} = 0.6 \mu\text{m} * 0.6 \mu\text{m} = 0.36 \mu\text{m}^2$$

$$\text{Sheet Resistance} = 23.5 \frac{\Omega}{\square}$$

We can start by imagining the letter “c” made from these squares. Each side should have n number of squares to add up so that the total resistance is  $500 \Omega$ .

If we take  $\frac{500}{23.5} = 21.3$  squares. If we divide by 3 to get how many we will have on each side, we roughly get 7. Since the corners will amount to less, I will check for a square where each side is 8 instead. So let us implement it and check:



Each of the squares that are not a corner are  $23.5\Omega$  and the corners are  $0.55 \times 23.5\Omega$ .

So total we have:

$$(7 + 6 + 7) * 23.5\Omega + 2 * 0.55 * 23.5\Omega = 495.85\Omega$$

### Solution 5

I will use M1, M2 and M3 layers.

From M1 to M2 the capacitance is  $31aF/\mu m^2$

From M2 to M3 the capacitance is  $35aF/\mu m^2$

If we layer all 3 layers on top of each other, we make 2 capacitors in series.

$$A_{capM1M2} = \frac{A}{31aF/\mu m^2}$$

$$A_{capM2M3} = \frac{B}{35aF/\mu m^2}$$

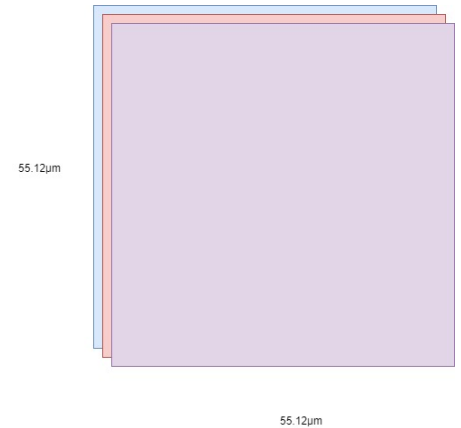
where  $A + B = 100fF$ . Since I am shooting for the areas to be the same

$$\frac{B}{35aF/\mu m^2} = \frac{A}{31aF/\mu m^2} \Rightarrow B = 1.129A$$

$$\frac{1}{A} + \frac{1}{B} = \frac{1}{100fF} \Rightarrow \frac{1.8857}{A} = \frac{1}{100fF} \Rightarrow A = 188.57fF \text{ and } B = 212.9fF$$

$$\text{So the total } A = \frac{46.97fF}{31aF/\mu m^2} + \frac{53.03fF}{35aF/\mu m^2} = 1515.16 + 1522.85 = 3038\mu m^2$$

That means each side will be  $55.12\mu m$  and the layers will be stacked on themselves with the one side of the capacitor being on Metal 1 and the other on Metal 3.



### Solution 6

Recall that the diode through a pn junction diode can be modeled as  $I_D = J_s A (e^{\frac{V_D}{V_T}} - 1)$ .

Assuming that  $V_T \approx 26mV$  at room temperature:

$$I_{D,0.5V} = [10^{-15}][75] \left( e^{\frac{0.5}{0.026}} - 1 \right) = 16.9\mu A$$

$$I_{D,0.6V} = [10^{-15}][75] \left( e^{\frac{0.6}{0.026}} - 1 \right) = 789\mu A$$

$$16.9\mu A \leq I_D \leq 789\mu A$$