

Problem 1

$$\text{Transistor Area without Overhead} = A'_T = 7nm * 7nm = 49nm^2$$

$$\text{Transistor Area with Overhead} = A_T = A'_T * 10 = 490nm^2$$

$$\text{Wafer Radius} = R_w = \frac{12in}{2} = 6in = 1.524 * 10^8nm$$

$$\text{Wafer Area} = \pi R^2 = \pi (1.524 * 10^8nm)^2 = 7.297 * 10^{16}nm^2$$

$$\text{Die Area} = 1750 * 490nm^2 = 857500nm^2$$

$$\text{Number of Die} = \frac{\text{Wafer Area}}{\text{Die Area}} = 85 * 10^9 \frac{\text{dies}}{\text{wafer}}$$

Problem 2

$$\frac{\text{Cost}}{\text{die}} = \frac{3500 \frac{\$}{\text{wafer}}}{85 * 10^9 \frac{\text{dies}}{\text{wafer}}} = 4.12 * 10^{-8} \frac{\$}{\text{die}}$$

Problem 3

Assuming ink drop diameter is 100μm:

$$\text{Area of an ink drop} = A_{Ink} = \pi \left(\frac{100\mu m}{2} \right)^2 = 7.854 * 10^{-9}m^2 = 7.854 * 10^9nm^2$$

$$\text{Number of transistors} = \frac{A_{Ink}}{A_{Transistor}} = \frac{7.854 * 10^9nm^2}{490nm^2} = 1.6 * 10^7$$

Problem 4

There are a number of reasons why it is more energy efficient to use multiple cores on a die operating at a lower frequency than to use a single core operating at a high frequency. The largest reasons are that the power dissipation of a circuit increases with operating frequency and that, if multiple cores are used, unnecessary cores can be deactivated. Deactivating unused cores saves a significant amount of power.

Problem 5

A silicon atom has an atomic diameter of approximately 210pm, which is equivalent to 0.21nm. This means that a 7nm transistor is approximately 33.33 times larger than a single silicon atom.

A silicon dioxide molecule has a diameter which is roughly equal to 1nm. This means that a 7nm transistor is approximately 7 times larger than a SiO₂ molecule.

Depending on a number of factors, the width of a human hair is approximately 100μm. This means that a human hair is approximately 14,285 times larger than a 7nm transistor.

Problem 6

If your numbers don't match exactly, that is fine. The goal of this problem is to get estimates and to see the approximate size of Samsung to other large companies.

Samsung: \$222 Billion

Intel: \$33.1 Billion

Saudi Aramco: \$355.9 Billion

Nestle \$92 Billion

Problem 7

10nm

Problem 8

$$(a) I = \frac{P}{V} = \frac{95W}{1.2V} = 79.2A$$

(b) For a gold wire with $\rho = 1.16\Omega/\text{inch}$

$$R = \rho L = 0.58\Omega$$

$$V = I * R = 45.9V$$

$$(c) P = I^2 R = 3638W$$

(d) The fusing current for the defined bond wire 0.6A – 0.7A. Ten percent of this is 0.06A-0.07A

$$\# \text{ of wires} = \frac{\text{total current}}{\text{current per wire}} = \frac{79.2A}{0.06 \frac{A}{\text{wire}}} \sim \frac{79.2A}{0.07 \frac{A}{\text{wire}}} = 1131 \sim 1320 \text{ wires}$$

Problem 9-10

Type	Storage Density (Bit/cm ²)	Cost of Storage (\$/bit)	
CD	10 ⁷	10 ⁻¹¹	
DVD	10 ⁸	10 ⁻¹²	Lowest
Blue Ray	10 ⁹	10 ⁻¹²	Lowest
Hard Disk	10 ¹⁰	10 ⁻¹²	Lowest
SRAM	10 ⁷	10 ⁻⁶	Highest
DRAM	10 ⁹	10 ⁻⁹	
FLASH	10 ¹⁰	10 ⁻¹⁰	

$$\text{Ratio} = \frac{10^{-6}}{10^{-12}} = 10^6$$

Problem 11

<https://www.eweek.com/>

5.5 Billion smartphones by 2022

Problem 12

Per <https://www.eweek.com/>:

Android: 85%

iOS: 13%

Windows: 0.04%

Problem 13

Per <https://www.statista.com/>:

In 2019, 1.56 billion devices were sold and there are 5.11 billion users.

Roughly a third of users bought a new phones meaning the market life of a smartphone is short, 2-3 years.

Problem 14

Using the number of smart devices sold, obtained in the previous problem, we can calculate that approximately 75×10^9 is invested annually into the salary of the engineers which support the smart phone industry:

$$Investment = 1.56E9 * \$500 * 0.1 = 75E9$$

By dividing the investment by the average engineer salary, we can calculate the approximate number of engineers supporting the industry to be approximately 1 million engineers:

$$N_{engineers} = \frac{75E9}{70E3} = \frac{75}{70}E6 = 1.071E6$$

Problem 15

The approximate die size of the Intel Skylake processor is $122.4mm^2$.

$$(a) \text{ Area of the wafer} = A_{wafer} = \pi \left(\frac{450mm}{2} \right)^2 = 159,043mm^2$$

$$N = \frac{A_{wafer}}{A_{die}} = 1299$$

$$(b) \text{ Cost / Die} = \frac{\$2500}{1299 * 0.9} = \$2.13 \text{ per chip}$$