

# DR WADA'S TUTORIALS INTERNAL EXAMINATION

CANDIDATE NAME

### **BSSE SCIENTIFIC MATHEMATICS**

1237/02

PAPER 2

**2025 FINAL EXAMINATION** 

2 hours 30 minutes

Candidates answer on the Question Paper

#### **INSTRUCTIONS**

- Answer all questions.
- Write your names in the spaces provided at the top of this page
- Write in dark blue or black pen.
- Write your answer to each question in the spaces provided.
- You may use HB pencil for any diagrams, graphs or rough working.
- Do **not** use staples, paper clips, highlighters, glue or correction fluid.
- Do **not** write in any barcodes.
- Electronic calculators may be used.

## **INFORMATION**

- The total mark for this paper is 80.
- You may lose marks if you do not show your working or if you do not use appropriate units.
- The number of marks is given in brackets [] at the end of each question or part question.

MARKS:	

#### List of formulas

Equation of a circle with centre 
$$(a, b)$$
 and radius  $r$ .

$$(x-a)^2 + (y-b)^2 = r^2$$

Curved surface area, 
$$A$$
, of cone of radius  $r$ , sloping edge  $l$ .

$$A = \pi r l$$

Surface area, 
$$A$$
, of sphere of radius  $r$ .

$$A = 4\pi r^2$$

Volume, 
$$V$$
, of pyramid or cone, base area  $A$ , height  $h$ .

$$V = \frac{1}{3}Ah$$

Volume, 
$$V$$
, of sphere of radius  $r$ .

$$V = \frac{4}{3}\pi r^3$$

For the equation 
$$ax^2 + bx + c = 0$$
,

$$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$$

$$(a+b)^n = a^n + \binom{n}{1}a^{n-1}b + \binom{n}{2}a^{n-2}b^2 + \dots + \binom{n}{r}a^{n-r}b^r + \dots + b^n,$$

where *n* is a positive integer and 
$$\binom{n}{r} = \frac{n!}{(n-r)!r!}$$

$$u_n = a + (n-1)d$$

$$S_n = \frac{1}{2}n(a+l) = \frac{1}{2}n\{2a + (n-1)d\}$$

$$u_n = ar^{n-1}$$

$$S_n = \frac{a(1-r^n)}{1-r} \quad (r \neq 1)$$

$$S_{\infty} = \frac{a}{1-r} \quad (|r| < 1)$$

$$\sin^2 A + \cos^2 A = 1$$

$$\sin^2 A + \cos^2 A = 1$$
  

$$\sec^2 A = 1 + \tan^2 A$$
  

$$\csc^2 A = 1 + \cot^2 A$$

Formulas for 
$$\Delta ABC$$

$$\frac{a}{\sin A} = \frac{b}{\sin B} = \frac{c}{\sin C}$$

$$a^2 = b^2 + c^2 - 2bc \cos A$$

$$\Delta = \frac{1}{2} ab \sin C$$

1. Write 5. 297 as a fraction in its simplest from



2. Determine the amount of interest earned on P2500 investment if it is invested at 5.25% annual interest compounded monthly for four years



3. Simply  $\frac{r^2\sqrt{p}q^{\frac{1}{2}}}{q^{-\frac{1}{2}}p^2r^5}$ , leaving your answer in the form  $r^ap^bq^c$  and state the values of a, b and c

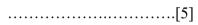
4. Given that  $p = log_2$  3 and  $q = log_2$  5 determine the following in terms of p and q (a)  $log_2$  45



.....[4]

5. Calculate the inverse of the matrix  $\begin{pmatrix} 2 & 3 & 4 \\ -3 & -3 & -2 \\ -2 & 1 & -1 \end{pmatrix}$ 

6. Express  $\frac{5x+13}{(x+2)(x+3)}$  in partial fractions.



7. Show that x+3 is a factor of  $-2x^3 - 3x^2 + 23x - 12$ 

.....[2]

8. The edges of a polystyrene cube are of length 20cm, correct to the near	est centimetre.
(a) (i) wrote down the upper bound of the length of an edge of the cube	
(ii) calculate the maximum possible volume of the cube	[1]
(b) The polystyrene has a mass of 264 g correct to the nearest gram Calculate the minimum possible density of the polystyrene	[2]
	[3]

9.	Given	the	fund	ctions
9.	Given	me	Tun	cuons

$$f(x) = 2x^2 + 1x$$

$$g(x) = \frac{12x + 4}{3}$$

Find

(	(a)	The	value	of	fg(2)
١,	ω,	1110	, arac	O.	19(-)

.....[3]

(b) Find the inverse of g(x)

.....[2]

10. Solve the equation  $2\cos^2\theta = 3\sin\theta$  for  $0^{\circ} \le \theta \le 360^{\circ}$ .

11. The frequency table below shows shoe sizes for a group of 18 football players

Shoe size	Number of players
7	2
8	6
8 1/2	3
9	5
10	2

(a)	A player is	chosen at	random fr	rom the	group to	o attend a	coaching	clinic
	What is the	probabilit	y that the	player o	chosen v	wears size	e 8?	

.....[1]

(b) The player who is chosen to attend a coaching clinic wears size 9. From the remaining players in the group, two players are chosen at random to attend a regional training camp.

Calculate the probability that

(i) They both wear size 9

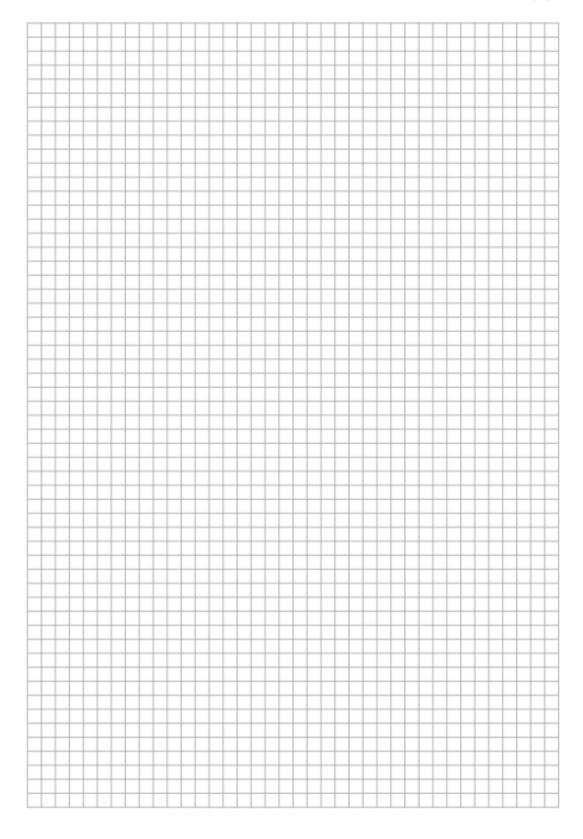
.....[3]

(ii) One wears size 8 and the other wears size 10

12.In a term, a school collects P2800 from each pre-school pupil and 4900 from lower primary pupil as tuition fee.
(a) There are x pre-school pupil and y lower primary school pupils in the term Express in terms of x and/or y the
(i) Amount of money the school collects from lower pre-school pupils
(ii) Amount of money the school collects from primary school pupils
[1]  (iii) Total amount of money the school collects from pre-school pupils and lower primary school pupils in the term.
[1]
<ul> <li>(b) The total amount of money that the school collects from pre-school pupils and lower primary school pupils is at least P1 372 000 in the term</li> <li>Write down an inequality, in terms of x and/or y, to represent this information and show that it reduces to 4x + 7y ≥ 1960</li> </ul>
[2]
<ul><li>(c) The total number of pre-school pupils and lower primary school pupils that the school collects tuition fee is not more than 410</li><li>Write down an inequality, in terms of x and y, to represent this information</li></ul>
[2]
(d) The school collects tuition fee from at most 240 lower primary school pupils Write down an inequality to represent this information
[1]

(e) Using a scale of one box to represent 100 units on each axis show, by shading the unwanted region, the set of points that satisfy the inequalities in parts (b), (c) and (d).

[6]



(f) (ii) Determine the number of pre-school pupils and lower primary schools pupils for which the school would collect the maximum amount of money.	
	[2]
(iii) Calculate the maximum amount of money the school collects	
	[2]

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The table below shows the number of people who entered a shopping mall at different time intervals during the first 2 hours of opening.

Time (t minutes)	Frequency
0 ≤ t < 15	60
15 ≤ <i>t</i> < 30	30
30 ≤ t < 45	75
45 ≤ <i>t</i> < 75	90
75 ≤ <i>t</i> < 120	135

Without drawing a cumulative frequency curve, calculate an estimate of the

		[4]
(ii)	85 <sup>th</sup> percentile	

.....[3]