

编译原理第一次小作业

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1. 语法分析程序的主要任务

- * 分析源程序的单词流是否符合语言的语法规则
- * 报告语法错误
- * 产生源程序的语法分析结果，以语法分析树或与之等价的形式体现出来

2. 自顶向下分析思想

- * 从文法开始符号出发进行推导；每一步推导都获得文法的一个句型；直到产生出一个句子，恰好是所期望的终结字符串
- * 每一步推导是对当前句型中剩余的某个非终结符进行扩展，即用该非终结符的一个产生式的右部替换该非终结符
- * 如果不存在任何一个可以产生出所期望的终结字符串的推导，则表明存在语法错误

2. 推导

$S \rightarrow a \mid \& \mid (T)$
 $T \rightarrow T, S \mid S$

$(a, (a, a))$ 的最左推导：

$S \Rightarrow (T) \Rightarrow (T, S) \Rightarrow (S, S) \Rightarrow (a, S) \Rightarrow (a, (T)) \Rightarrow (a, (T, S)) \Rightarrow (a, (S, S))$
 $\Rightarrow (a, (a, S)) \Rightarrow (a, (a, a))$

$((a, a), \&, (a))$ 的最左推导：

$S \Rightarrow (T) \Rightarrow (T, S) \Rightarrow (S, S) \Rightarrow ((T), S) \Rightarrow ((T, S), S) \Rightarrow ((T, S, S), S)$
 $\Rightarrow (((T), S, S), S) \Rightarrow (((T, S), S, S), S) \Rightarrow (((S, S), S, S), S)$
 $\Rightarrow (((a, S), S, S), S) \Rightarrow (((a, a), S, S), S) \Rightarrow (((a, a), \&, S), S)$
 $\Rightarrow (((a, a), \&, (T)), S) \Rightarrow (((a, a), \&, (S)), S) \Rightarrow (((a, a), \&, (a)), S)$
 $\Rightarrow (((a, a), \&, (a)), a)$

3. 判断LL(1)文法

(1)

$S \rightarrow AB \mid PQx$
 $A \rightarrow xy$
 $B \rightarrow bc$
 $P \rightarrow dP \mid \epsilon$
 $Q \rightarrow aQ \mid \epsilon$
 $\text{First}(A) = \{x\}$
 $\text{First}(Q) = \{a, \epsilon\}$
 $\text{First}(P) = \{d, \epsilon\}$
 $\text{First}(B) = \{b\}$
 $\text{First}(S) = \{x, a, d\}$
 $\text{First}(AB) = \{x\}$
 $\text{First}(PQx) = \{a, d, x\}$
 $\text{First}(AB) \cap \text{First}(PQx) \neq \emptyset$
 故该文法不是LL(1)文法

(2)

$S \rightarrow TP$
 $T \rightarrow +PT \mid \epsilon$
 $P \rightarrow (S) \mid a$

$\text{First}(P) = \{ (, a \}$
 $\text{First}(T) = \{ +, \epsilon \}$
 $\text{First}(S) = \{ +, (, a \}$
 $\text{First}(+PT) = \{ + \}$
 $\text{First}((S)) = \{ (\}$
 $\text{First}(+PT) \cap \text{First}(\epsilon) = \emptyset$
 $\text{First}((S)) \cap \text{First}(a) = \emptyset$

$\text{Follow}(S) = \{ \#,) \}$
 $\text{Follow}(P) = \{ +, \#,), (, a \}$
 $\text{Follow}(T) = \{ (, a \}$
 $\text{First}(+PT) \cap \text{Follow}(T) = \emptyset$
 综上所述，该文法是LL(1)文法

4. 验证如下文法是LL(1)文法。若是，则请构造递归下降分析程序

(1)

$E \rightarrow Aa \mid Bb$
 $A \rightarrow cA \mid eB$
 $B \rightarrow bd$

$\text{First}(B) = \{b\}$
 $\text{First}(A) = \{c, e\}$
 $\text{First}(E) = \{c, e, b\}$
 $\text{First}(Aa) = \{c, e\}$
 $\text{First}(Bb) = \{b\}$
 $\text{First}(cA) = \{c\}$
 $\text{First}(eB) = \{e\}$
 $\text{First}(Aa) \cap \text{First}(Bb) = \emptyset$
 $\text{First}(cA) \cap \text{First}(eB) = \emptyset$

$\text{Follow}(E) = \{\#\}$
 $\text{Follow}(A) = \{a\}$
 $\text{Follow}(B) = \{b, a\}$

综上所述，该文法是LL(1)文法

该文法的递归下降分析程序：

```
void ParseE()
{
    switch(lookahead)
    {
        case c, e:
            ParseA();
            MatchToken(a);
            break;
        case b:
            ParseB();
            MatchToken(b);
            break;
        default:
            printf("syntax error \n");
            exit(0);
    }
}

void ParseA()
{
    switch(lookahead)
    {
        case c:
            MatchToken(c);
```

```

        ParseA();
        break;
    case e:
        MatchToken(e);
        ParseB();
        break;
    default:
        printf("syntax error \n");
        exit(0);
    }
}

void ParseB()
{
    switch(lookahead)
    {
        case b:
            MatchToken(b);
            MatchToken(d);
            break;
        default:
            printf("syntax error \n");
            exit(0);
    }
}

```

(2)

$S \rightarrow AB$
 $A \rightarrow aA \mid \epsilon$
 $B \rightarrow bB \mid \epsilon$

$\text{First}(A) = \{a, \epsilon\}$
 $\text{First}(B) = \{b, \epsilon\}$
 $\text{First}(S) = \{a, b, \epsilon\}$
 $\text{First}(aA) \cap \text{First}(\epsilon) = \emptyset$
 $\text{First}(bB) \cap \text{First}(\epsilon) = \emptyset$

$\text{Follow}(S) = \{\#\}$
 $\text{Follow}(A) = \{b, \#\}$
 $\text{Follow}(B) = \{\#\}$
 $\text{First}(aA) \cap \text{Follow}(A) = \emptyset$
 $\text{First}(bB) \cap \text{Follow}(B) = \emptyset$

综上所述，该文法是LL(1)文法

该文法的递归下降分析程序：

```
void ParseS()
{
    switch(lookahead)
    {
        case a,b:
            ParseA();
            ParseB();
            break;
        case #:
            break;
        default:
            printf("syntax error \n");
            exit(0);
    }
}
```

```
void ParseA()
{
    switch(lookahead)
    {
        case a:
            MatchToken(a);
            ParseA();
            break;
        case b,#:
            break;
        default:
            printf("syntax error \n");
            exit(0);
    }
}
```

```
void ParseB()
{
    switch(lookahead)
    {
        case b:
            MatchToken(b);
            ParseB();
            break;
        case #:
            break;
        default:
            printf("syntax error \n");
            exit(0);
    }
}
```

5.验证如下文法是LL(1)文法。若是，则请构造文法的LL(1)分析表

(1)

D -> T L
T -> int | real
L -> id R
R -> , id R | ε

First(R) = {,, ε}
First(L) = {id}
First(T) = {int,real}
First(D) = {int,real}
First(int)∩First(real) = ∅
First(, id R)∩First(ε) = ∅

Follow(D) = {#}
Follow(T) = {id}
Follow(L) = {#}
Follow(R) = {#}
First(, id R)∩Follow(R) = ∅

综上所述，该文法是LL(1)文法

该文法的LL(1)分析表：

	int	real	id	,	#
D	D -> T L	D -> T L			
T	T -> int	T -> real			
L			L -> id R		
R				R ->,id R	R -> ε

(2)

$E \rightarrow T E'$
 $E' \rightarrow + E \mid \epsilon$
 $T \rightarrow F T'$
 $T' \rightarrow T \mid \epsilon$
 $F \rightarrow P F'$
 $F' \rightarrow * F \mid \epsilon$
 $P \rightarrow (E) \mid a \mid \&$

$\text{First}(P) = \{ (, a, \& \}$
 $\text{First}(F') = \{ *, \epsilon \}$
 $\text{First}(F) = \{ (, a, \& \}$
 $\text{First}(E') = \{ +, \epsilon \}$
 $\text{First}(T) = \{ (, a, \& \}$
 $\text{First}(T') = \{ (, a, \&, \epsilon \}$
 $\text{First}(E) = \{ (, a, \& \}$

$\text{First}(+E) \cap \text{First}(\epsilon) = \emptyset$
 $\text{First}(T) \cap \text{First}(\epsilon) = \emptyset$
 $\text{First}(*F) \cap \text{First}(\epsilon) = \emptyset$
 $\text{First}((E)) \cap \text{First}(a) = \emptyset$
 $\text{First}((E)) \cap \text{First}(\&) = \emptyset$
 $\text{First}(a) \cap \text{First}(\&) = \emptyset$

$\text{Follow}(E) = \{ \#, \}$
 $\text{Follow}(E') = \{ \#, \}$
 $\text{Follow}(T) = \{ +, \#, \}$
 $\text{Follow}(T') = \{ +, \#, \}$
 $\text{Follow}(F) = \{ (, a, \&, +, \#, \}$
 $\text{Follow}(F') = \{ (, a, \&, +, \#, \}$
 $\text{Follow}(P) = \{ *, (, a, \&, +, \#, \}$

$\text{First}(+ E) \cap \text{Follow}(E') = \emptyset$
 $\text{First}(T) \cap \text{Follow}(T') = \emptyset$
 $\text{First}(* F) \cap \text{Follow}(F') = \emptyset$

综上所述，该文法是LL(1)文法

该文法的LL(1)分析表：

	*	(a	&	+)	#
E		$E \rightarrow TE'$	$E \rightarrow TE'$	$E \rightarrow TE'$			
E'					$E' \rightarrow +E$	$E' \rightarrow \varepsilon$	$E' \rightarrow \varepsilon$
T		$T \rightarrow FT'$	$T \rightarrow FT'$	$T \rightarrow FT'$			
T'		$T' \rightarrow T$	$T' \rightarrow T$	$T' \rightarrow T$	$T' \rightarrow \varepsilon$	$T' \rightarrow \varepsilon$	$T' \rightarrow \varepsilon$
F		$F \rightarrow PF'$	$F \rightarrow PF'$	$F \rightarrow PF'$			
F'	$F' \rightarrow *F$	$F' \rightarrow \varepsilon$	$F' \rightarrow \varepsilon$	$F' \rightarrow \varepsilon$	$F' \rightarrow \varepsilon$	$F' \rightarrow \varepsilon$	$F' \rightarrow \varepsilon$
P		$P \rightarrow (E)$	$P \rightarrow a$	$P \rightarrow \&$			

6.消除如下文法的左递归

(1)

```
A -> Ba | Aa | c
B -> Bb | Ab | d
```

排列方法：A,B

对A：消除A规则的直接左递归：

```
A -> Aa | Ba | c
改写为
A -> BaA' | cA'
A' -> aA' | ε
```

对B：消除左递归：

$B \rightarrow Ab$

使用 $A \rightarrow BaA' \mid cA'$ 替换

得到

$B \rightarrow BaA'b \mid cA'b \mid Bb \mid d$

消除直接左递归

$B \rightarrow BaA'b \mid Bb \mid cA'b \mid d$

改写为

$B \rightarrow cA'bB' \mid dB'$

$B' \rightarrow aA'bB' \mid bB' \mid \epsilon$

综上所述，消除左递归后文法为

$A \rightarrow BaA' \mid cA'$

$A' \rightarrow aA' \mid \epsilon$

$B \rightarrow cA'bB' \mid dB'$

$B' \rightarrow aA'bB' \mid bB' \mid \epsilon$

(2)

$A \rightarrow Bx \mid Cz \mid w$

$B \rightarrow Ab \mid Bc$

$C \rightarrow Ax \mid By \mid Cp$

排列方法：A,B,C

对B：消除左递归：

由 $A \rightarrow Bx \mid Cz \mid w$

得到 $B \rightarrow Bxb \mid Czb \mid wb \mid Bc$

即 $B \rightarrow Bxb \mid Bc \mid Czb \mid wb$

消除直接左递归

$B \rightarrow CzbB' \mid wbB'$

$B' \rightarrow xbB' \mid cB' \mid \epsilon$

对C：消除左递归：

由 $A \rightarrow Bx \mid Cz \mid w$
 得到 $C \rightarrow Bxx \mid Czx \mid wx \mid By \mid Cp$
 即 $C \rightarrow Bxx \mid By \mid Czx \mid wx \mid Cp$
 由 $B \rightarrow CzbB' \mid wbB'$
 得到 $C \rightarrow CzbB'xx \mid wbB'xx \mid CzbB'y \mid wbB'y \mid Czx \mid wx \mid Cp$
 即 $C \rightarrow CzbB'xx \mid CzbB'y \mid Czx \mid Cp \mid wbB'xx \mid wbB'y \mid wx$
 消除直接左递归
 $C \rightarrow wbB'xxC' \mid wbB'yC' \mid wxC'$
 $C' \rightarrow zbB'xxC' \mid zbB'yC' \mid zxC' \mid pC' \mid \epsilon$

综上所述，消除左递归后文法为

$A \rightarrow Bx \mid Cz \mid w$
 $B \rightarrow CzbB' \mid wbB'$
 $B' \rightarrow xbB' \mid cB' \mid \epsilon$
 $C \rightarrow wbB'xxC' \mid wbB'yC' \mid wxC'$
 $C' \rightarrow zbB'xxC' \mid zbB'yC' \mid zxC' \mid pC' \mid \epsilon$