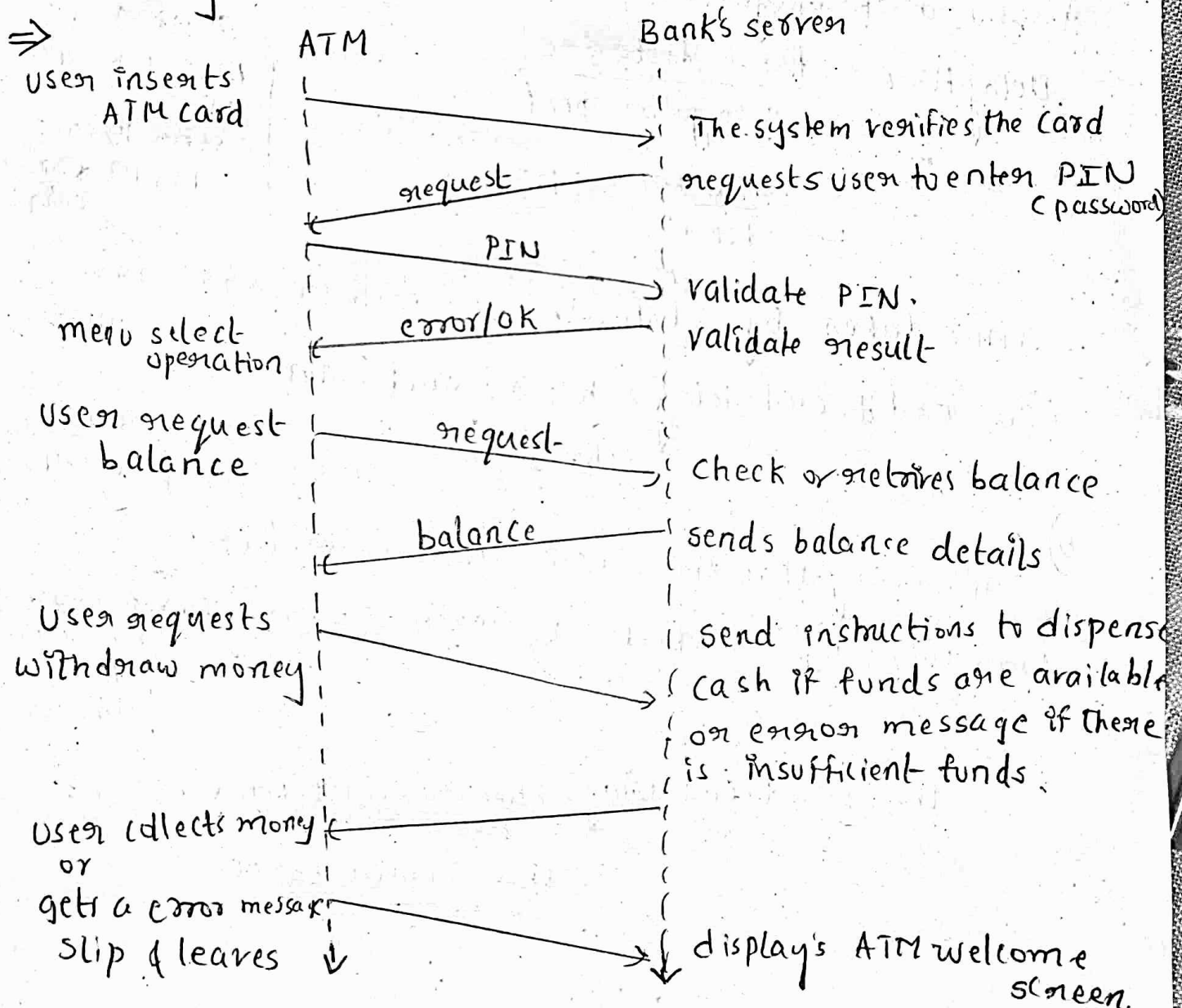


P1] Design & describe an application-level protocol to be used between an automatic teller machine & a bank centralized computer. Your protocol should allow a user's card & password to be verified, the account balance (which is maintained at the centralized computer) to be requested or queried, & an account withdrawal to be made (that is, money disbursed to the users). Your protocol entities should be able to handle the all-too-common cases in which there is not enough money in the account to cover the withdrawal. Sketch the operation of your protocol. Explicitly state assumption made by protocol about underlying end-to-end transport service.



p5) Review the car-caravan analogy in section 1.4. Assume a propagation speed of 100 km/hr.

a) Suppose the caravan travels 150 kms, beginning in front of one tollbooth, passing through a second tollbooth, & finishing just after a third tollbooth. What is the end-to-end delay?

b) Repeat (a), now assuming that there are eight cars in the caravan instead of 10.

⇒ a) Suppose the caravan travels 150 km, beginning in front of one tollbooth, passing through a second tollbooth, & finishing just after a third booth. Assume a propagation speed of 100 km/hr.

$$\text{Delay time} = \frac{\text{total distance}}{\text{propagation speed}}$$

$$= \frac{150 \text{ km}}{100 \frac{\text{km}}{\text{hr}}} = 1.5 \text{ hrs}$$

reason
12 sec to process 1 car.
so for 10 cars
$12 \times 10 = 120 \text{ sec}$
$= 2 \text{ min}$

Time taken by 3 tollbooths to reach 10 cars = $2 \times 3 = 6 \text{ mins}$.

So, end to end delay: 1 hr 30 min + 6 min
 $= 1 \text{ hr } 36 \text{ min}$

reason
$8 \times 12 = 96$

b) assuming that there are 8 cars instead of 10.

Time taken by 3 tollbooths to reach 8 cars = $96 \times 3 = 288 \text{ sec}$
 $= 4 \text{ min } 48 \text{ sec}$

So, the end to end delay: 1 hr 30 min + 4 min 48 sec.

⇒ 1 hr 34 min 48 sec

P6) This elementary problem begins to explore propagation delay & transmission delay, 2 central concepts in data networking. Consider 2 hosts, A & B, connected by a single link of rate R bps. Suppose that 2 hosts are separated by m meters. & suppose the propagation speed along the link is s met/sec. Host A is to send a packet of size L bits to Host B.

- Express the propagation delay, d_{prop} in terms of m & s .
- Determine the transmission time of packet, d_{trans} in terms of L & R .
- Ignoring processing & queuing delays, obtain an expression for end-to-end delay.
- Suppose Host A begins to transmit the packet at time $t=0$. At time $t = d_{trans}$, where is the last bit of the packet?
- Suppose d_{prop} is $>$ than d_{trans} . At time $t = t_{trans}$, where is the first bit of the packet?
- Suppose d_{prop} is $<$ d_{trans} . At time $t = d_{trans}$, where is the first bit of the packet?

Ans g) Suppose $s = 2.5 \cdot 10^8$, $L = 120$ bits, & $R = 56$ kbps. Find the distance m so that $d_{prop} = d_{trans}$.

a) The propagation delay, $d_{prop} = \frac{m}{s}$ sec \rightarrow
 $m \rightarrow$ distance travelled
 $s \rightarrow$ speed at which data travels in terms of m/s.

b) The transmission time of packet $d_{trans} = \frac{L}{R}$ sec \rightarrow $L \rightarrow$ bits $R \rightarrow$ bit/s

transmission delay is how long it takes to get all the data on network

c) end to end delay = $(\frac{L}{R} + \frac{m}{s})$ sec. or (Prop delay + Trans delay)

d) The bit just left host A. since all bits need to be on link first before transmitting can start, the last bit of packet will have immediately just left the host.

e) The first bit is in the link & has not reached Host B (so basically its betⁿ Host A & B).

f) The first bit is at Host B, its destination.

g) $m = (\frac{L}{R}) \times s \therefore \frac{120}{56 \times 1000} \times 2.5 \times 10^8 = \underline{\underline{535714.28 \text{ meters}}}$

P9] Consider the discussion 1.3 of packet switching versus circuit switching in which an example is provided with 1 Mbps link. Users are generating data at a rate of 100 kbps when busy, but are busy generating data only with probability $P=0.1$. Suppose that the 1 Mbps link is replaced by a 1 Gbps link.

- What is N , the max no of users that can be supported, under circuit switching?
- Now consider packet switching & a user population of M users. Give formula (in terms of p, M, N) for the probability that more than N users are sending data.

a)

$$\begin{aligned}
 \text{No of users (N)} &= \frac{\text{total transmission}}{\text{Rate of data generated by user when busy}} \\
 &= \frac{1 \text{ Gbps}}{100 \text{ Kbps}} \\
 &= \frac{1000 \times 1000 \times 1000 \text{ bps}}{100 \times 1000 \text{ bps}} \\
 &= \underline{\underline{10,000 \text{ users}}}
 \end{aligned}$$

\therefore max no of users that can be supported under circuit switching is 10000 users

- b) Consider packet switching & a user population of M users. Formula (in terms of p, M, N) for the probability that more than N users are sending data -

$$\boxed{M \sum_{n=N+1}^M \binom{M}{n} p^n (1-p)^{M-n}}$$

P13)

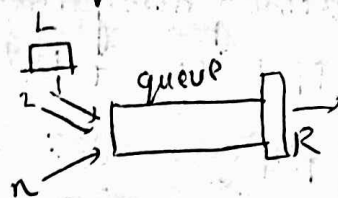
a) suppose N packets arrive simultaneously to a link at which no packets are currently being transmitted or queued. Each packet is of length L & the link has transmission rate R . What is the average queuing delay of N packets?

b) Now suppose that N such packets arrives to a link every LN/R seconds. What is the average queuing delay of a packet?

=)

a)

Since the packet in this problem arrives simultaneously, all the packets are going to want to proceed at once.



∴ The first packet queuing delay = 0.

second packet queuing delay = L/R .

3rd packet waits for = $2(L/R)$ sec

The N th packet queuing delay = $(N-1)L/R$.

∴ The average queuing delay of N th packet =

$$= \frac{(L/R + 2L/R + 3L/R + \dots + (N-1)L/R)}{N}$$

$$= \left(\frac{L}{RN}\right) \sum_{i=1}^{N-1} i$$

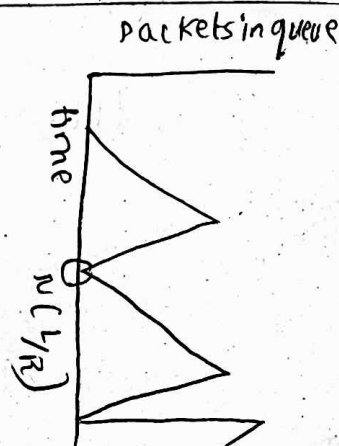
$$= \left(\frac{L}{RN}\right) N \frac{(N-1)}{2} = \boxed{(N-1) \frac{L}{2R}}$$

b)

To transmit N such batches, it takes LN/R sec.

∴ a new batch arrives then the queue is empty each time. Thus, the avg. delay of a packet across all batches is the avg delay within one batch.

Hence, the avg queuing delay of packet = $(N-1) \frac{L}{2R}$



if there was even 1 remaining packet, eventually the queue would go towards infinity & would cause issues to router/network.