

Practical Analysis

Assume array A is indexed from 1 to n .

$n!$

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INEFFICIENT_SORT( $A, n$ )
1. for  $i = 1$  to  $n!$  do
2.   Boolean  $sortedSoFar = \text{TRUE}$ ;
3.    $j = 1$ ;
4.    $P = \text{nextPermutation}(A)$ ;  $\Theta(n)$ 
5.   while  $j < n$  and  $sortedSoFar$  do  $\left. \begin{array}{l} 6. \text{ if } P[j] > P[j+1] \\ 7. \text{ then } sortedSoFar = \text{FALSE} \\ 8. \text{ } j++ \end{array} \right\} \alpha n!$ 
9. if ( $sortedSoFar$ ) then output  $P$   $\Theta(n)$ 
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Analyze the worst-case complexity of INEFFICIENT_SORT assuming that the nextPermutation function always takes $\Theta(n)$ time.

$$\Theta(n! \cdot n)$$

Your answer should fit above the line!