

1. (2pt) Problem 4-46 on page 182.
2. (1pt) Problem 4-49 on page 182.
3. In the early stages of processing, natural fiber (such as cotton and wool) require cleaning. A textile specialist investigated 4 cleaning processes for wool. Because different batches of wool are received from different ranches, batches were taken to be blocks. Wool from 8 batches was obtained. The wool from each batch was thoroughly mixed and divided into 3 sub-batches. The following BIBD was run. The measured response was the loss in weight (in mg) after cleaning and drying.

Batch	Agent / Weight Loss					
1	A	24.3	B	23.8	C	21.5
2	A	21.0	B	18.8	D	18.2
3	A	24.1	C	20.1	D	22.2
4	B	25.2	C	23.5	D	20.5
5	A	19.8	B	21.8	C	17.2
6	A	23.8	B	21.7	D	20.8
7	A	22.9	C	17.3	D	18.0
8	B	21.3	C	20.2	D	19.8

- (a) (1.5pt) What are the values of k , r , a , b , and λ ?
- (b) (5.5pt) Analyze this data. Including the ANOVA table, residual plots and values, the least squares means of the 4 cleaning processes, and the least squares estimates $\hat{\tau}_1$, $\hat{\tau}_2$, $\hat{\tau}_3$, and $\hat{\tau}_4$.
- (c) (2pt) The following table contains a table of pairwise comparisons of the least squares means. Each p -value comes from t -tests and is not adjusted for the number of pairwise comparisons. Based on these p -values and using $\alpha = .05$, perform the Bonferroni multiple comparison procedure.

Least Squares Means for Effect agent
t for H0: LSMean(i)=LSMean(j) / Pr > |t|

Dependent Variable: wgtloss

i/j	1	2	3	4
1		1.353538 0.1990	4.668849 0.0004	4.394715 0.0007
2	-1.35354 0.1990		3.315311 0.0056	3.041177 0.0095
3	-4.66885 0.0004	-3.31531 0.0056		-0.27413 0.7883
4	-4.39472 0.0007	-3.04118 0.0095	0.274134 0.7883	

4. (8pt) Using the data from Problem 5.10 (page 226):

- (a) Answer parts (a) and (c) only. You can assume both factors are fixed. Also state the hypotheses to be tested
- (b) Provide estimates of the model effects assuming textbook constraints (sum of effects = 0).
- (c) Use an interaction plot to describe the relationship between the response and the design variables (glass type and temperature).
- (d) Perform a Tukey multiple comparison procedure comparing the means for all pairs of glass type and temperature combinations.

5. (3pt) **For Stat 541 Students;** Problem 4-50 on page 182. You need to assume the basic model assumptions of the independence of observations and the homogeneity of variance.

6. (3pt) **For Stat 541 students:** Each of the following tables represents the cell means from a balanced 2×2 factorial completely randomized design with n replicates per cell. For each table tell which of the following sums of squares (if any) would be zero for that table: SS_A , SS_B , SS_{AB} . There may be more than one.

Table 1

	Factor A	
Factor B	4	7
	4	4

Table 2

	Factor A	
Factor B	5	6
	5	4

Table 3

	Factor A	
Factor B	1	3
	5	7

Table 4

	Factor A	
Factor B	6	4
	6	4

Table 5

	Factor A	
Factor B	2	8
	8	2