# INTRO TO DATA SCIENCE CLASS 5: MODEL EVALUATION

#### **LAST TIME:**

- INTRO TO MACHINE LEARNING
- OVERVIEW OF K NEAREST NEIGHBORS

#### **QUESTIONS?**

INTRO TO DATA SCIENCE

# QUESTIONS?

WHAT WAS THE MOST INTERESTING THING YOU LEARNED?

WHAT WAS THE HARDEST TO GRASP?

I. QUICK REVIEW OF CLASSIFICATION PROBLEMS II. ERRORS, UNDERFITTING & OVERFITTING III. CROSS VALIDATION

IV. LAB: CROSS VALIDATION IN SCIKIT-LEARN

# I. QUICK REVIEW OF CLASSIFICATION PROBLEMS

	continuous	categorical
supervised	???	???
unsupervised	???	???

# supervised<br/>unsupervisedregression<br/>dimension reductionclassification<br/>clustering

#### Here's (part of) an example dataset:

#### Fisher's Iris Data

Sepal length \$	Sepal width \$	Petal length \$	Petal width \$	Species +
5.1	3.5	1.4	0.2	I. setosa
4.9	3.0	1.4	0.2	I. setosa
4.7	3.2	1.3	0.2	I. setosa
4.6	3.1	1.5	0.2	I. setosa
5.0	3.6	1.4	0.2	I. setosa
5.4	3.9	1.7	0.4	I. setosa
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_				

class labels (qualitative)

## Q: What does "supervised" mean?

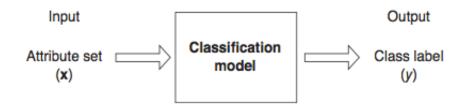
#### Q: What does "supervised" mean?

A: We know the labels.

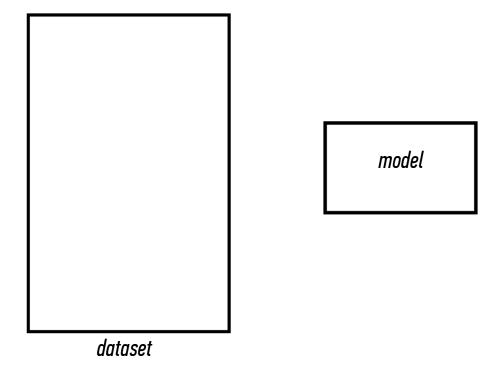
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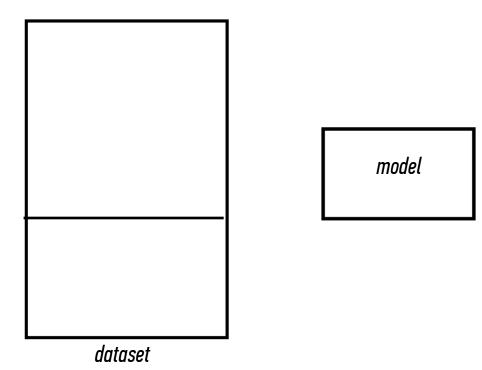
# Q: How does a classification problem work? A: Data in, predicted labels out.



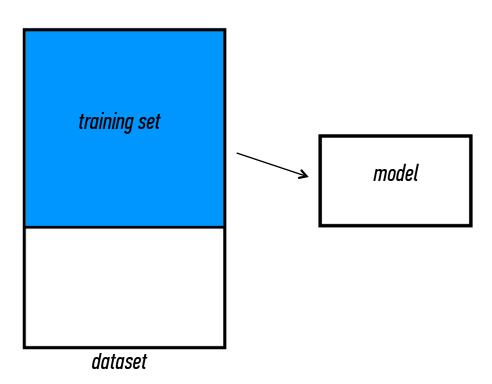
**Figure 4.2.** Classification as the task of mapping an input attribute set x into its class label y.



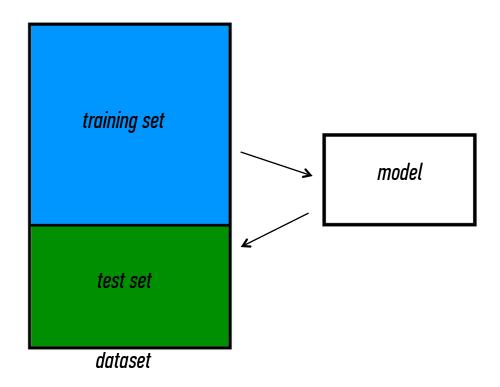
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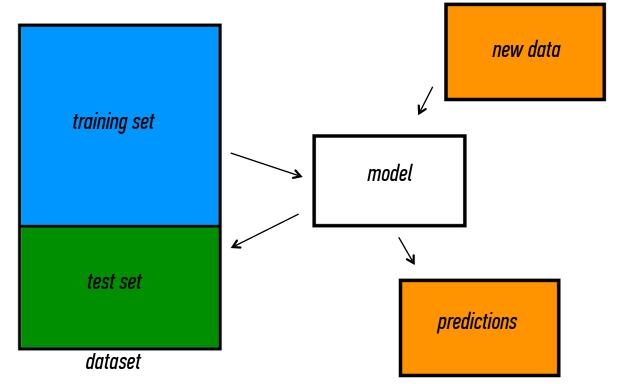
- 1) split dataset
- 2) train model



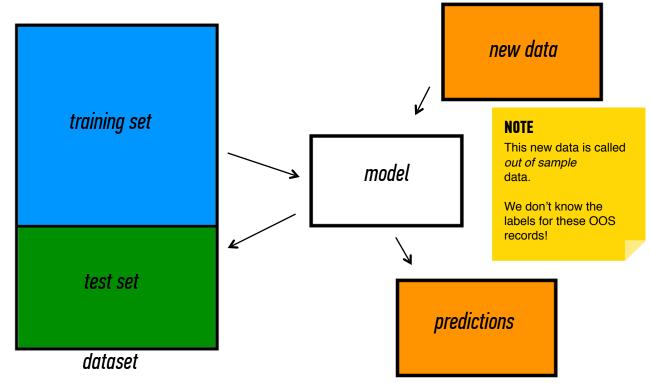
- 1) split dataset
- 2) train model
- 3) test model



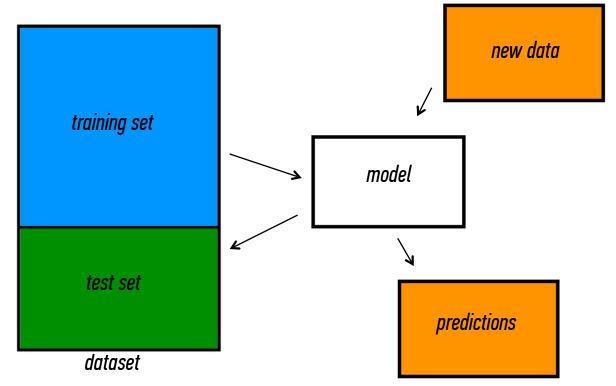
- 1) split dataset
- 2) train model
- 3) test model
- 4) make predictions



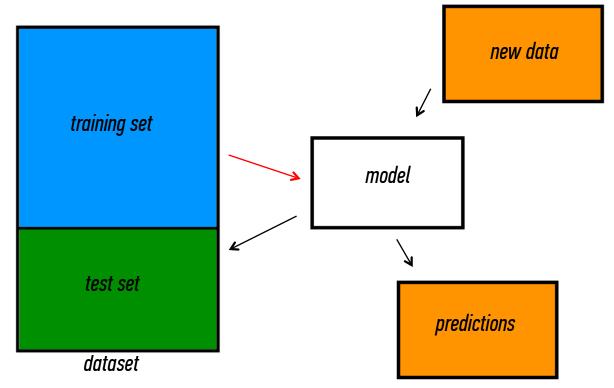
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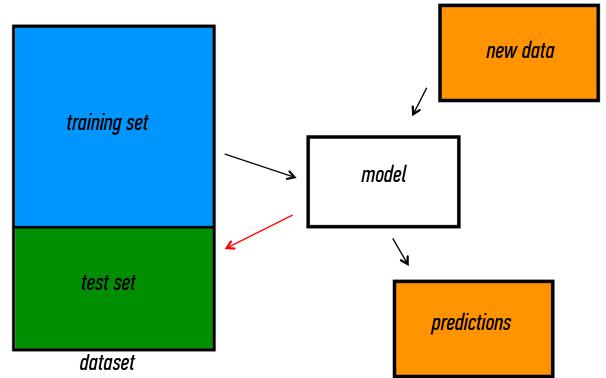
# II. ERRORS, UNDERFITTING & OVERFITTING



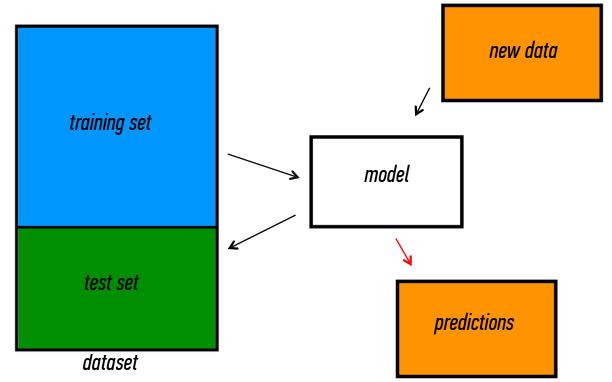
1) training error



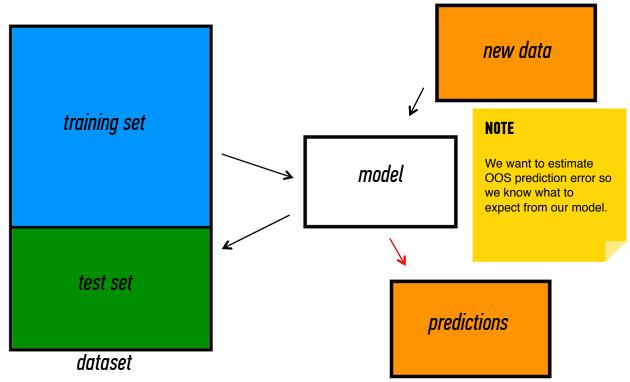
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#### NOTE

This phenomenon is called *overfitting*.

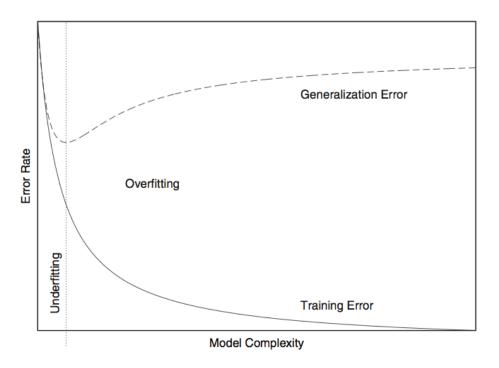
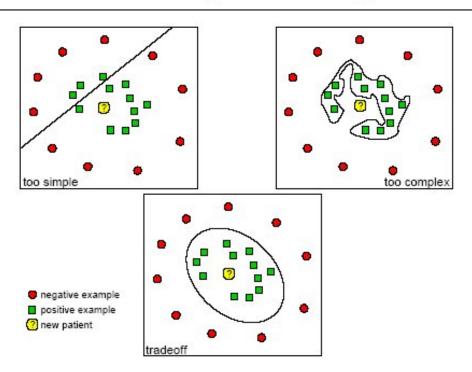
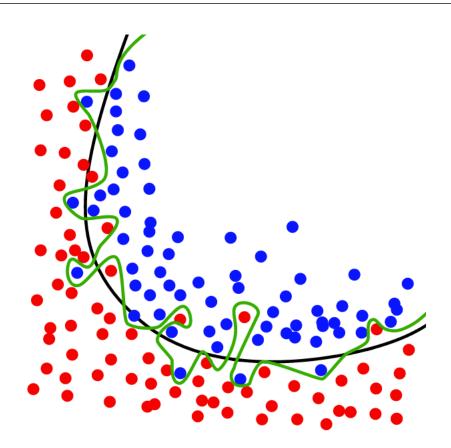


FIGURE 18-1. Overfitting: as a model becomes more complex, it becomes increasingly able to represent the training data. However, such a model is overfitted and will not generalize well to data that was not used during training.

#### **Underfitting and Overfitting**





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 We can make the model arbitrarily complex (effectively "memorizing" the entire training set).

A: Down to zero!

#### NOTE

This phenomenon is called *overfitting*.

A: Training error is not a good estimate of OOS accuracy.

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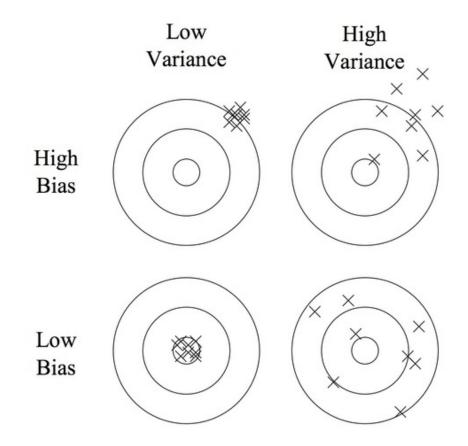
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#### NOTE

The generalization error gives a *high-variance estimate* of OOS accuracy.

#### **BIAS-VARIANCE**



Q: How can we do better?

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Thought experiment:

Different train/test splits will give us different generalization errors.

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A: Cross-validation.

# III. CROSS VALIDATION

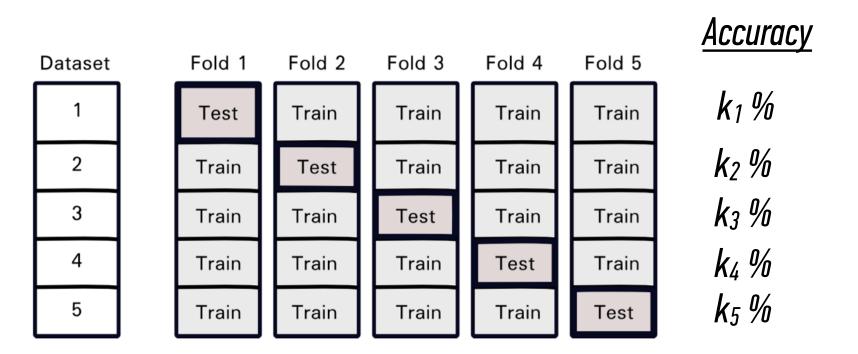
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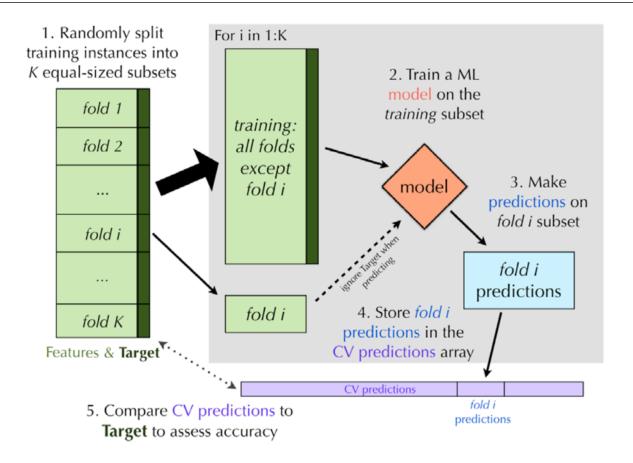
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- 2) Use partition 1 as test set & union of other partitions as training set.
- 3) Find generalization error.
- 4) Repeat steps 2-3 using a different partition as the test set at each iteration.
- 5) Take the average generalization error as the estimate of OOS accuracy.



5-Fold Generalization Error =  $(k_1 + k_2 + k_3 + k_4 + k_5) / 5$ 



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  - Each record in our dataset is used for both training and testing.
- 3) Presents tradeoff between efficiency and computational expense.
  - 10-fold CV is 10x more expensive than a single train/test split
- 4) Can be used for model selection.

#### Last time:

- Types of machine learning problems / algorithms
- Generalization

#### This time:

- Train / Test Split
- Errors, Overfitting and underfitting
- Cross validation

## LAB: CROSS VALIDATION WITH KIN