



Make an initial Prediction

$$Ang = [123.45 + 56.78 + 345.67 + 98.01)/4$$
 $Ang = 156$

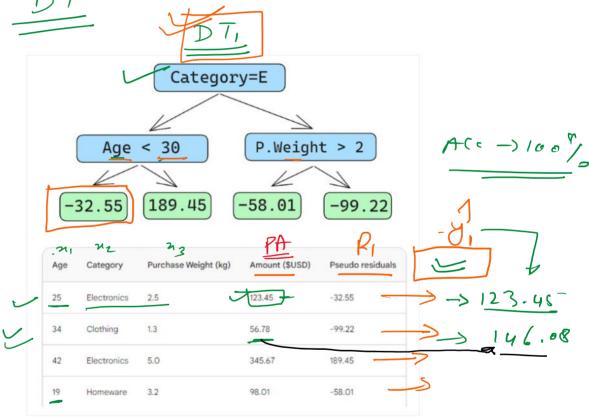
: Calculate the Pseudo-residuals

| ? (1 | NL | 23 | 1 7 . | Q_1 |
|-------------|-------------|----------------------|----------------|------------------|
| Age | Category | Purchase Weight (kg) | Amount (\$USD) | Pseudo residuals |
| !5 | Electronics | 2.5 | 123.45 | -32.55 |
| 4 | Clothing | 1.3 | 56.78 | -99.22 |
| 2 | Electronics | 5.0 | 345.67 | 189.45 |

-> 123-45-156=

| | | | . 17 | , |
|-----|-------------|----------------------|----------------|------------------|
| Age | Category | Purchase Weight (kg) | Amount (\$USD) | Pseudo residuals |
| 25 | Electronics | 2.5 | 123.45 | -32.55 |
| 34 | Clothing | 1.3 | 56.78 | -99.22 |
| 42 | Electronics | 5.0 | 345.67 | 189.45 |
| 19 | Homeware | 3.2 | 98.01 | -58.01 |

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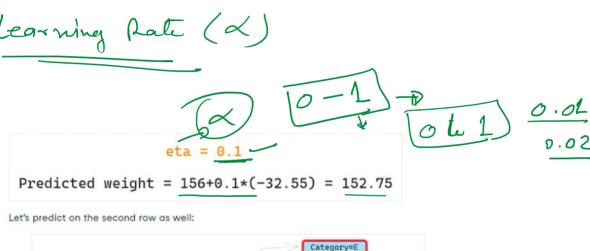


123.45 - 32.55 = 90.5

After the tree is fit to the data, we make a prediction for each row in the data. Here is how to do the first one:



A small error in the images below: it should have been written "Predicted purchase amount," not "Predicted weight"





Next, we find the new pseudo-residuals by subtracting new predictions from the purchase amount. Let's add them as a new column to the table and drop the last two:

| Age | Category | Purchase Weight (kg) | Amount (\$USD) | New pseudo residuals |
|-----|----------|----------------------|----------------|----------------------|
| | | | | |

| Age | Category | Purchase Weight (kg) | Amount (\$USD) | New pseudo residuals |
|-----|-------------|----------------------|----------------|----------------------|
| 25 | Electronics | 2.5 | 123.45 | -29.295 |
| 34 | Clothing | 1.3 | 56.78 | -89.298 |
| 42 | Electronics | 5.0 | 345.67 | 170.725 |
| 19 | Homeware | 3.2 | 98.01 | -52.189 |