Agandar

-> Logeotic Regression

-> LR with Regularization (L1, L2, exticut)

-> Performance metrics

Logistic Regression

-> To solve closeification Problem > Binary classification

1 IP -> model

D/1
Prediction

 $h_{\partial}(n) = \partial_{o} + \partial_{l} n_{l}$ 

I Sigmoid Activation for

Lot 1]

 $\sigma = \frac{1}{1 + e^{z}}$   $(0 \downarrow 1)$ 

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$$h_{\theta}(x) = -\left(0_{0} + \theta_{1}x_{1}\right)$$

$$h_{\theta}(x) = \frac{1}{1 + e^{2}} \Rightarrow 2 = 0_{0} + \theta_{1}x_{1}$$

$$-l_{f}$$

$$logishic Rogrania h_{\theta} = 1 + e$$

$$\frac{\log \log}{\int (D_{\delta}, \theta_{1})} = \frac{\int -\log(h_{\theta}(x))}{-\log(1-h_{\theta}(x))} \quad \text{if } y=1$$

$$J(O_0,O_1) = -\frac{y \log(how)}{-(1-y) \log(1-how)}$$

if y=1 -lg(ho c) if y=0 -leg(1-ho a)

Reducinet over fitting

1 | Dona ( 1 - ho(21)) + L2 Rajul.

 $\int [0_0, 0_1] = -y \log (ho(n)) - (1-y) \log (1-ho(n)) + L_2 \frac{\log n}{2}.$   $\int [0_0, 0_1] = -y \log (ho(n)) - (1-y) \log (1-ho(n)) + L_1 \frac{\log n \log n}{2}.$   $\int (0_0, 0_1) = -y \log (ho(n)) - (1-y) \log (1-ho(n)) + L_1 \frac{\log n \log n}{2}.$   $\int (0_0, 0_1) = -y \log (ho(n)) - (1-y) \log (1-ho(n)) + L_2 \frac{\log n}{2}.$