

a) $N = N_b \text{ bits} = 10$; CAZ ; Range $[-512, 511]$

$$y = a_0 x_0 + a_1 x_1 + \dots + a_7 x_7 \quad (\text{order 8})$$

$$a_0 = a_7 = 0'04727 \quad ; \quad a_2 = a_5 = -0'116$$

$$a_1 = a_6 = 0 \quad ; \quad a_3 = a_4 = 0'56873$$

$$y \cdot \frac{2^k}{2^k} = \sum_{i=0}^7 a_i x_i \cdot \frac{2^k}{2^k} = \frac{1}{2^k} \sum_{i=0}^k (a_i \cdot 2^k) x_i$$

$$\boxed{a_i \cdot 2^k}$$

$$k < \log_2 \left| \frac{2^{N-1}}{\max(a_j)} \right| = \log_2 \frac{2^9}{0'56873} = 9'814..$$

$$\boxed{k=9}$$

$$\text{ENT}(a_i \cdot 2^k) \Rightarrow$$

a_0	a_1	a_2	a_3	a_4	a_5	a_6	a_7
24	0	-59	291	291	-59	0	24

$$\boxed{y = \frac{1}{512} [24(x_0 + x_7) - 59(x_2 + x_5) + 291(x_3 + x_4)]}$$

b) Coeff's are not as large as to cover the range $[-2^9, 2^9]$

So, the maximum result (y) will be

$$y'_{\max} = 24(511 + 511) - 59(-512 - 512) + 291(511 + 511)$$

$$y'_{\max} = \cancel{367,946} \quad \text{which can be represented with}$$

$$382.346$$

20bits in CAZ

