244.a) If x(t)=0,  $(t)>T_1$  and h(t)=0,  $(t)>T_2$  then x(t)+h(t)=0, (t)>T for some possible number  $T_3$ . Express  $T_3$  in terms and  $T_4$  and  $T_5$   $x(t)+h(t)=\int_{0}^{\infty}x(t)\cdot h(t-t)\,dt=\int_{0}^{T_4}x(t)h(t-t)\,dt=\int_{0}^{T_4}x(t)h(t-t)\,dt=\int_{0}^{T_4}x(t)\cdot h(t-t)\,dt=\int_{0}^{T_4}x(t)h(t-t)\,dt=\int_{0}^{T_4}x(t)\cdot h(t-t)\,dt=\int_{0}^{T_4}x(t)h(t-t)\,dt=\int_{0}^{T_4}x(t)\cdot h(t-t)\,dt=\int_{0}^{T_4}x(t)h(t-t)$ 

b) A discrete-time LTI system has input x[n], impulse response to h[n] and output y[n]. If  $h[n] = 0 \ \forall \ n \notin [N_0, N_1]$  and  $x[n] = 0 \ \forall \ n \notin [N_2, N_3]$ , then  $y[n] = 0 \ \forall \ n \notin [N_0, N_3]$  i) Determine  $N_1$  are and  $N_2$  inter in terms of the other  $N_1$ .  $x[n] * h[n] = \sum_{k=N_2}^{N_2} x[k] h[n-h] = \sum_{k=N_2}^{N_2} \sum_{k=N_2}^{N_2} x[k] h[n-h] \text{ if } nx[N_1 = k] x[k] n = N_1 = k = n-N_2$ 

=> x [N]\*V[N]=0 A My U & [N5+N° ' N°+N3] => \[N"= N°+N° \ N°= N'+N°] => \
=> x [N]\*V[N]=0 A M; \[N"+N° < N° \] \( \lambda \lam

ii) If the longth of No∈n≤N, is Mh, the length of Nz≤n≤N3 is Mx and the length of Nu≤n≤N3 is My, express My in terms of Mx and Mh.

 $M_h = N_1 - N_0 + L$ ,  $M_x = N_3 - N_2 + L$ ,  $M_y = N_3 - N_4 + L = N_1 + N_3 - N_0 - N_2 + L = M_y$ 

c) Consider a discrebe-time LTI system such that if an input xEnJ=0 4 n > 10 then yEnJ=0 4 n > 15.

Here Similar to previous case, now MER MyENH  $N_3 = 9$ ,  $N_5 = Lh$ .  $N_5 = N_1 + N_3 \Rightarrow M_{SM} N_1 = N_5 - N_3 = 14 - 9 = 5 = N_4 \Rightarrow$   $= > h Ln I = 0 \forall n > 5 \implies h Ln I = 0 \forall n > 6$