

Fundamentals of Information & Network Security

ECE 471/571



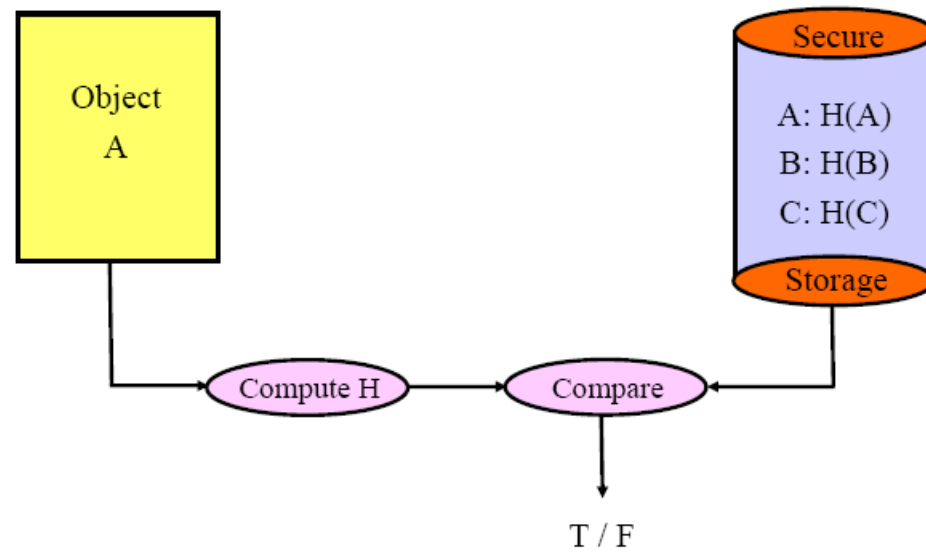
Lecture #19: More Applications of Hash

Instructor: Ming Li

Dept of Electrical and Computer Engineering

University of Arizona

File Fingerprint with Hash



Source Authentication

- Assume that a company wants to store a file with all the passwords of its clients.
- Store plaintext passwords: problems?
- Store hash of passwords – better solution
 - Problems again?

One-Way Hash Chains

- Construction

- Pick random r_0 and public one-way function h
- $r_{i+1} = h(r_i)$
- Secret value: r_0 , **public** value r_N



- Properties

- Use in reverse order of construction: $r_N, r_{N-1} \dots r_1$
- Infeasible to derive r_i from r_j ($j > i$)
- Efficiently authenticate r_i knowing r_j ($j > i$): verify $r_j = h^{j-i}(r_i)$
- Robust to missing values

One-Way Chain Application

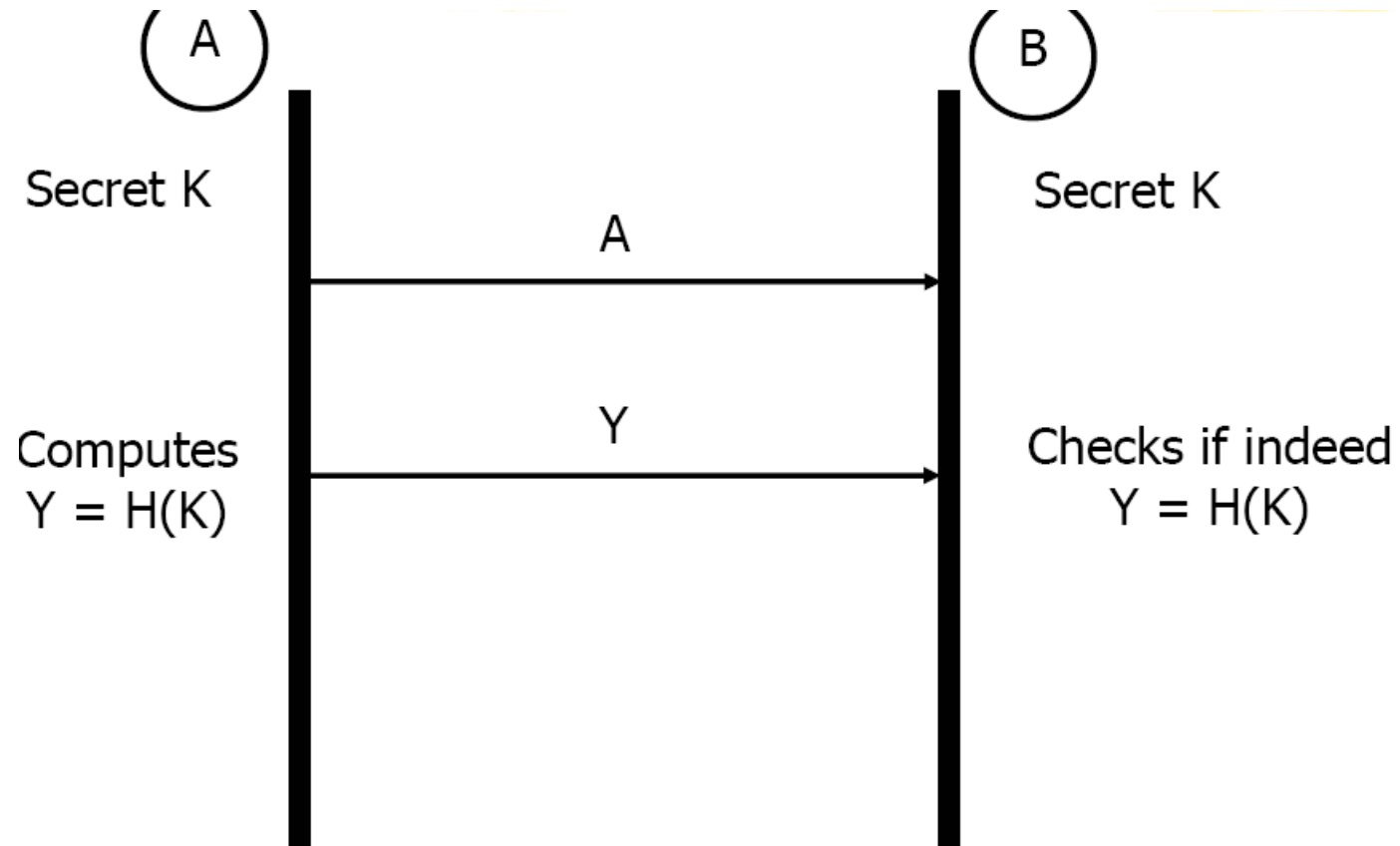
- Secret key one-time password system
 - Use a different password at every login
 - Server cannot derive password for next login
- Solution:
 - User pick random password P_0
 - Prepare sequence of passwords $P_{i+1} = h(P_i)$ and register P_N
 - Use passwords $P_N, P_{N-1}, \dots, P_1, P_0$
 - Server can easily authenticate user



Authentication Protocol with Hash

- Goal: A wishes to identify and authenticate himself to B
- Infrastructure: A and B share a long-lived secret key K
- Naive Authentication Protocol
 - A identifies himself to B
 - A sends to B hash of secret key K
 - B verifies hash of secret key K

Authentication with Hash

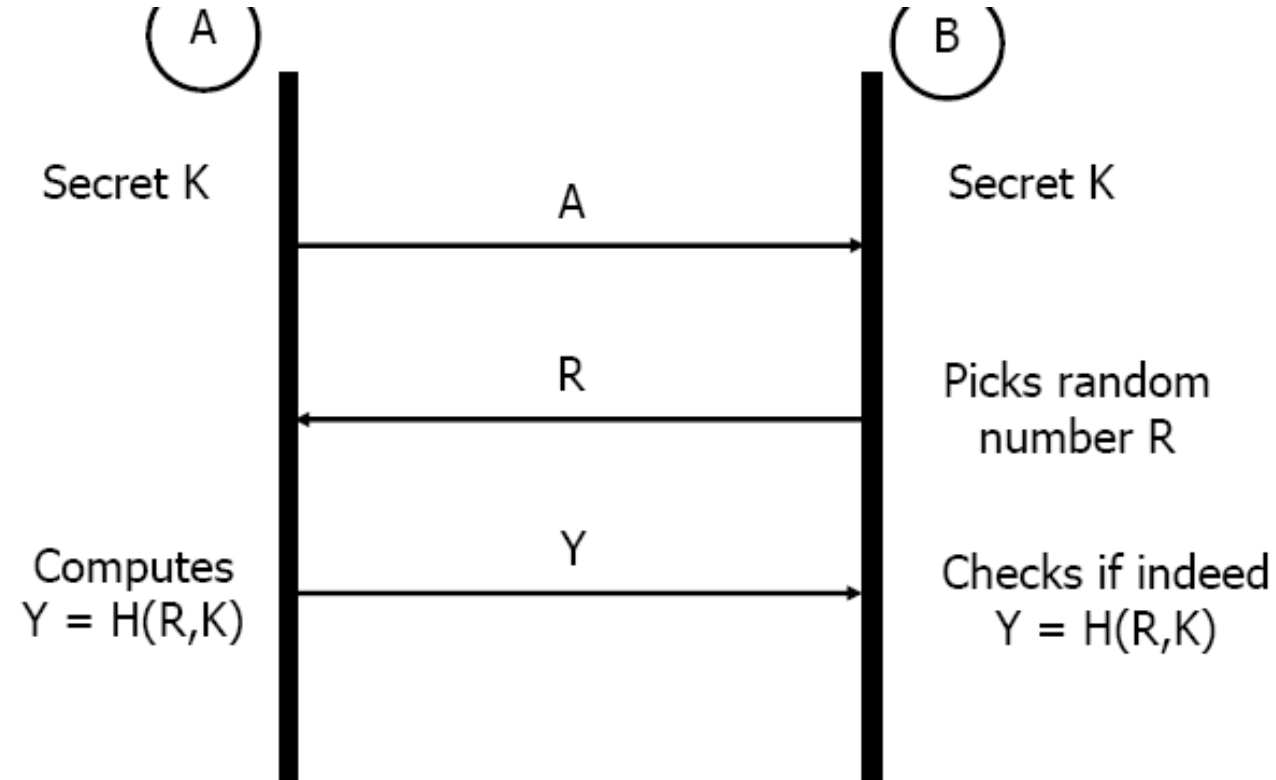


Problem?
Solution?

Authentication with Hash

- Modified Authentication Protocol
 - A identifies himself to B
 - B sends to A a random number R
 - A sends to B hash of random number R and secret key K
 - B verifies hash of random number R and secret key K

Authentication with Hash

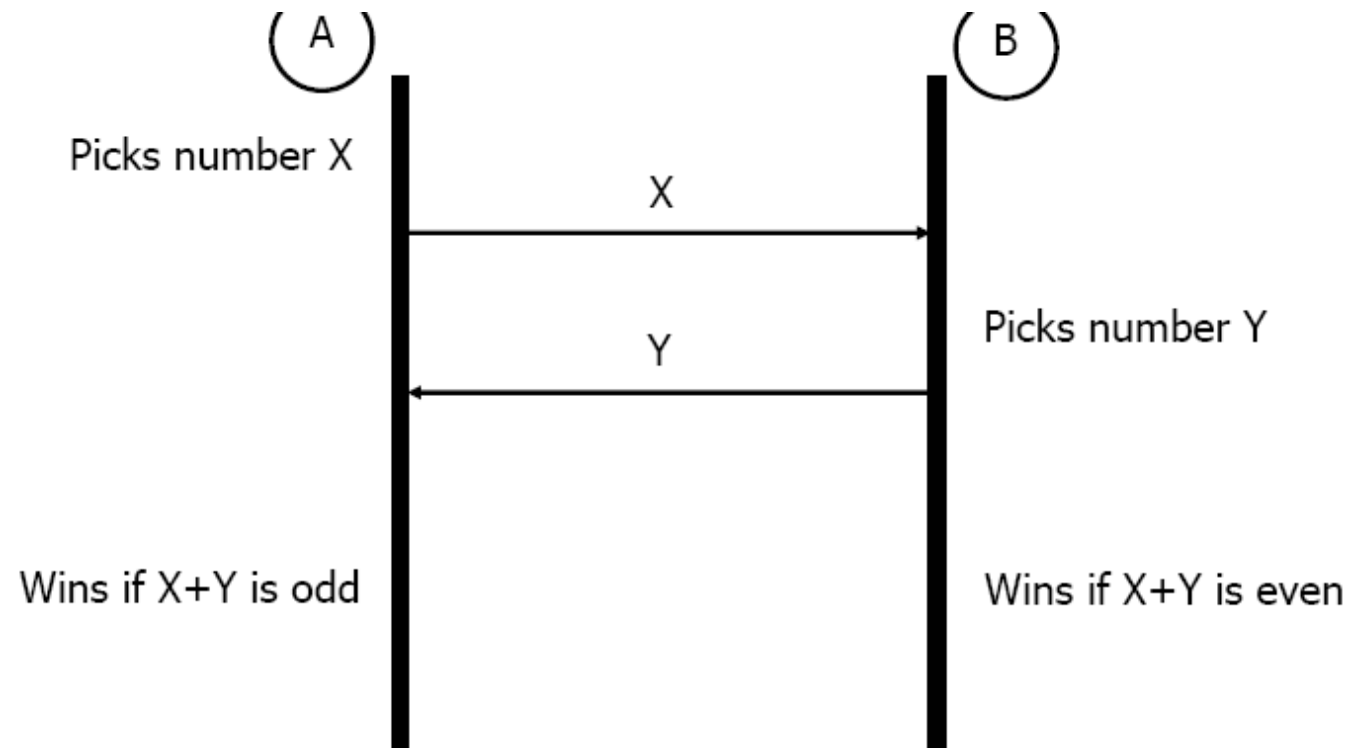


Solution: This protocol is sound against sniffing and replay

Commitment Protocol with Hash

- Goal: A and B wish to play “odd or even” over the network
- Naive Commitment Protocol
 - A picks a number X and sends it to B
 - B picks a number Y and sends it to A
 - A wins if $X+Y$ is odd
 - B wins if $X+Y$ is even
- **Problem:** How can we guarantee that B doesn't cheat?
- **Solution?**

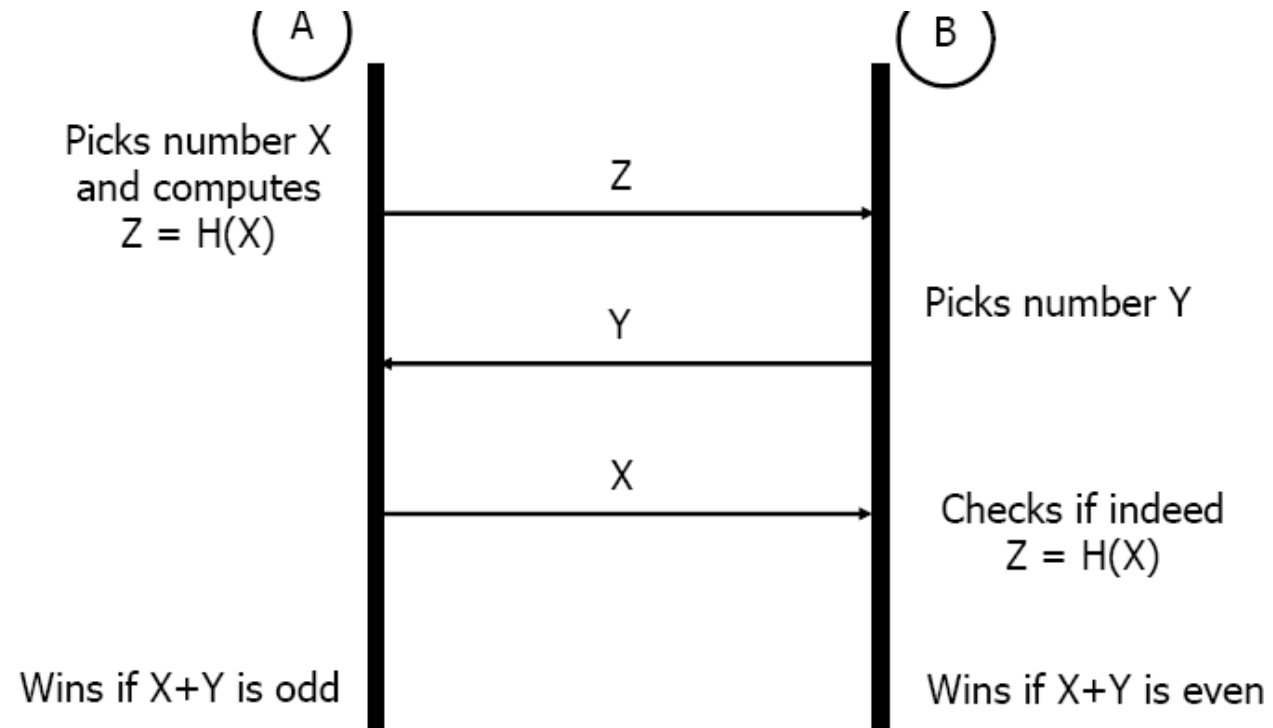
Commitment Protocol with Hash



Commitment Protocol with Hash

- Modified Commitment Protocol
 - A picks a number X and sends value of $Z = H(X)$ to B
 - B picks a number Y and sends value of Y to A
 - A now sends value of X to B
 - B checks if X complies with Z that was sent before
 - A wins if $X+Y$ is odd
 - B wins if $X+Y$ is even
- Solution: In this protocol B cannot cheat

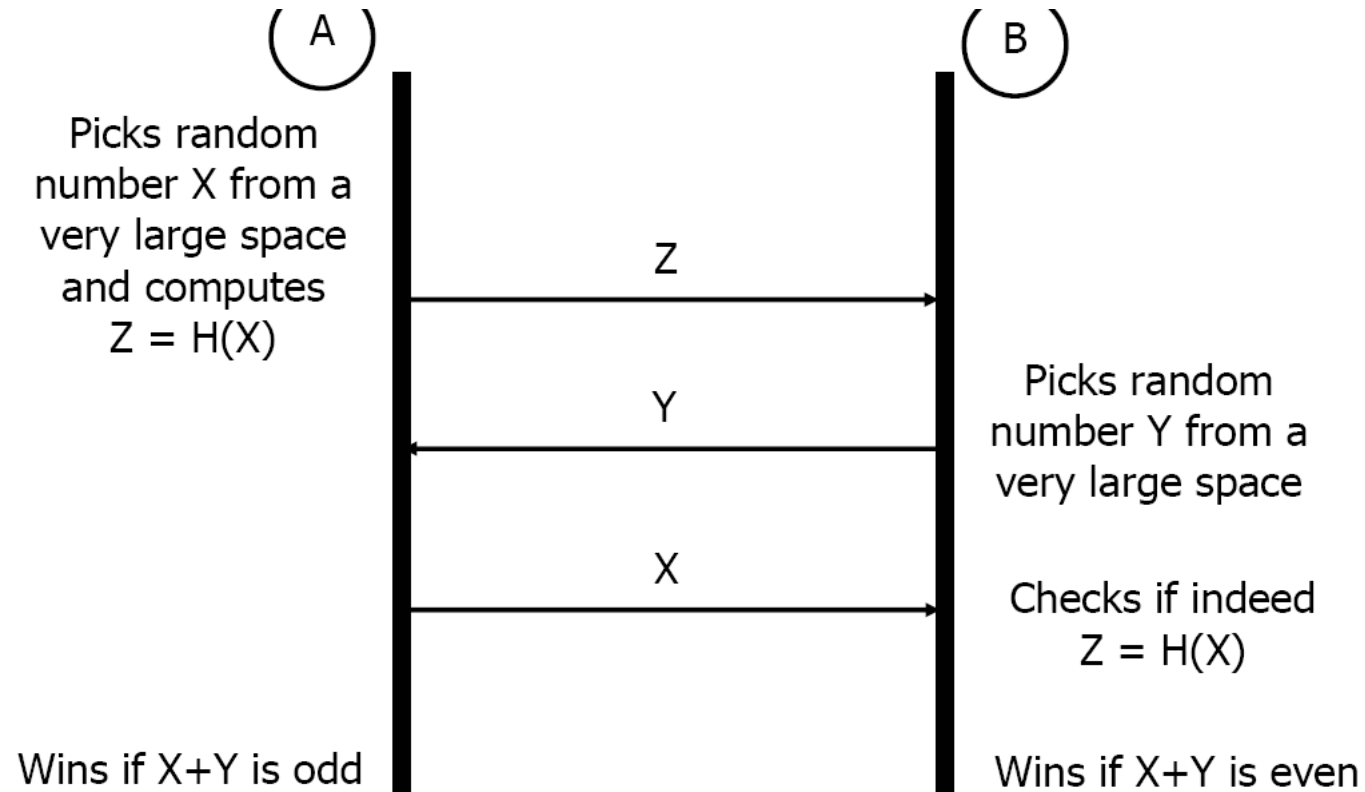
Commitment Protocol with Hash



Commitment Protocol with Hash

- Hash function does two things in the protocol:
 - Hides the number X from B at the beginning of the game
 - Makes A commit to the number X until the end of the game
- Question: What if A always picks small numbers so that B can make a list of all the hash values?
- Answer: A should select random values for the protocol:
 - Select the number X from a very large space of numbers
 - Mask the number X with a random noise from a very large space

Commitment Protocol with Hash



Encryption with Hash

- Counter-intuitive?
- Generate one-time pad (similar to OFB)
 - $b_1 = \text{MD}(K_{AB} \parallel \text{IV})$
 - $b_2 = \text{MD}(K_{AB} \parallel b_1)$
 - $b_3 = \text{MD}(K_{AB} \parallel b_2)$
 - ...
- Then, XOR the message with the one-time pad bit sequence. (Problem with one-time pad? Recall OFB)
- Mixing in the plaintext
 - $b_1 = \text{MD}(K_{AB} \parallel \text{IV}), \quad c_1 = m_1 \text{ XOR } b_1$
 - $b_2 = \text{MD}(K_{AB} \parallel c_1), \quad c_2 = m_2 \text{ XOR } b_2$
 - $b_3 = \text{MD}(K_{AB} \parallel c_2), \quad c_3 = m_3 \text{ XOR } b_3$
 - ...