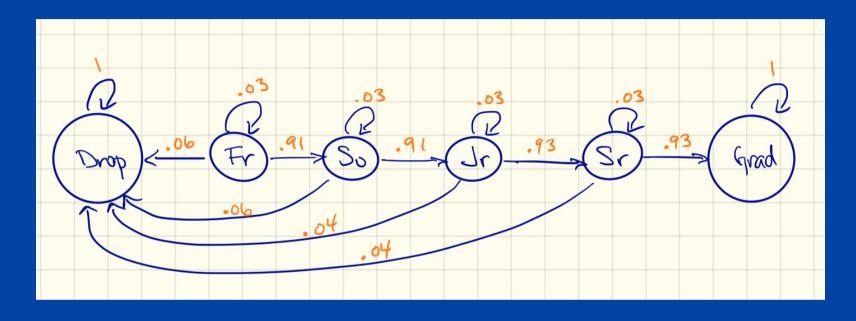
Introduction to Markov Chains

Stat 340: Bayesian Statistics

Your turn

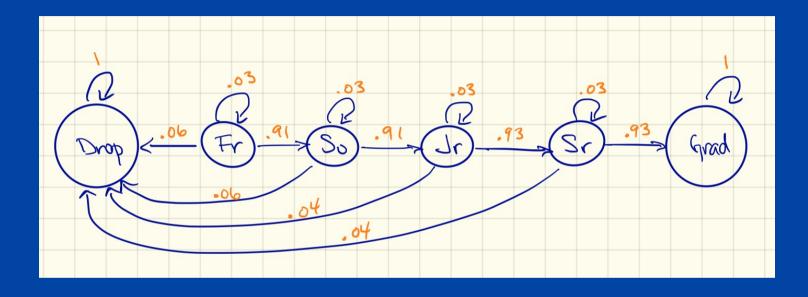


- 1. What's the probability that a student who drops out will re-enroll?
- 2. What's the probability that a senior will graduate?
- 3. Does that probability depend on how many years it took them to achieve senior class standing?

Concepts

- 1. Markov chains
- 2. Transition matrices

Your turn



Write down the 6×6 transition matrix for the university graduation rate Markov chain model.

- 1. Should the probabilities within each **row** sum to 1?
- 2. Should the probabilities within each **column** sum to 1?

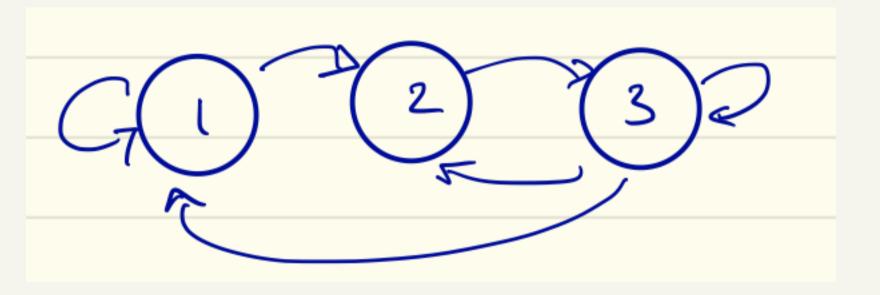
Concepts

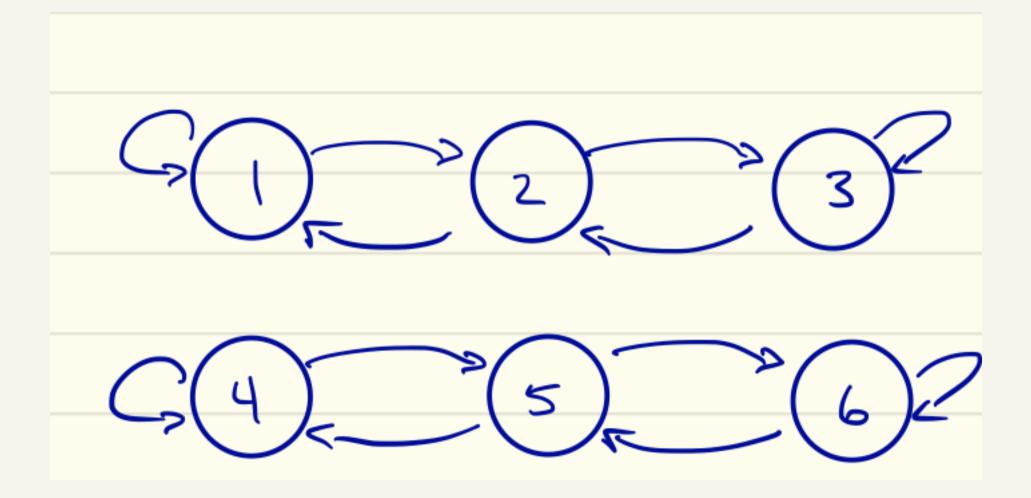
3. Calculating probabilities using the transition matrix

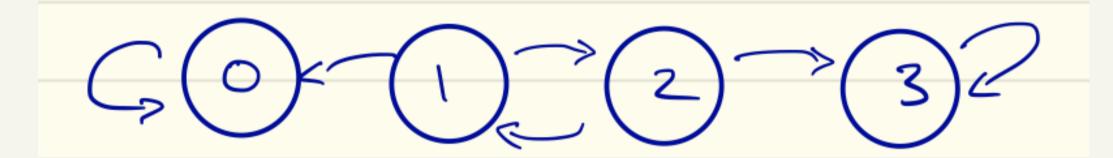
4. Marginal distribution of $\mathbf{X_n}$

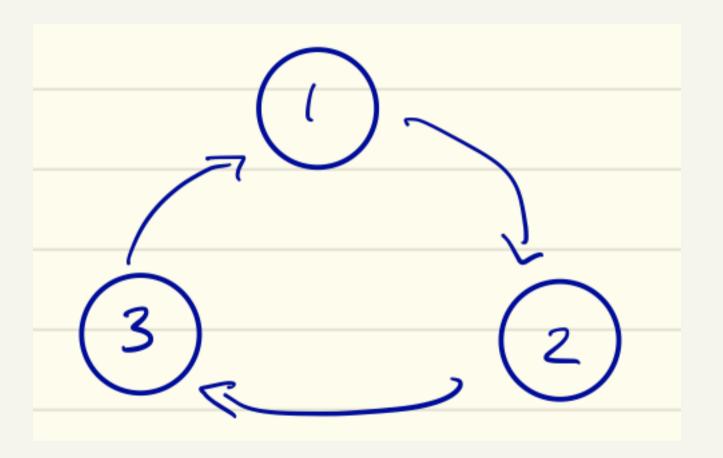
Your turn

Read over state/chain classifications and apply these labels to the following Markov chains:









Concepts

- 5. Long-run behavior
- 6. Ergodic Markov chains