

18/19 3204/6223

Q/1
i). find book. — Template match?

HIT lines.

but need speed — thresholding?

— colour

colour difficult. needs calibration.

relative colour is good.

edge detection & colour inside.

largest element in image

ii). find text.
use character recognition (templates)
slow

find material stored in index.
author title

moments forier descriptors.

iii). don't use text
use interest points SIFT/SURF
& then match

limitations?

standard computer vision
illumination
movement

2 com principles

first

|
threshold

adv. simple

disadv. get partial
disconnected
edges

need to use
advanced operators
e.g. Canny.

second order.

|
zero X as detection
performance/connected
edges, filtering.

complexity/
speed.

6/ aralar edges.

- 1 HT + edge detection.
- 2 templates.
- 3 design an operator

A hand-drawn 3x3 grid with numbers 1, 2, 3 and arrows indicating a clockwise cycle. The grid is divided into nine cells by two horizontal and two vertical lines. The numbers and arrows are as follows:

1	2	3
2	3	1
3	1	2

Arrows indicate a clockwise cycle: from 1 to 2, from 2 to 3, and from 3 to 1.

-1	-1	+1	-1	-1
-1	+1	0	+1	
+1	+1	0	+1	H
	+1	0	+1	H
-1	-1	+1	-1	-1

all 5 many templates

- 4/ look for curved lines.
adjacent points where direction
changes slowly.

9. adv. — speed vs complexity
linkages vs generality

3

a/. Fourier?

decomposition into frequencies
allows understanding/adding.

has properties such as rotation/
shift invariance.

allows convolution at speed
via FFT

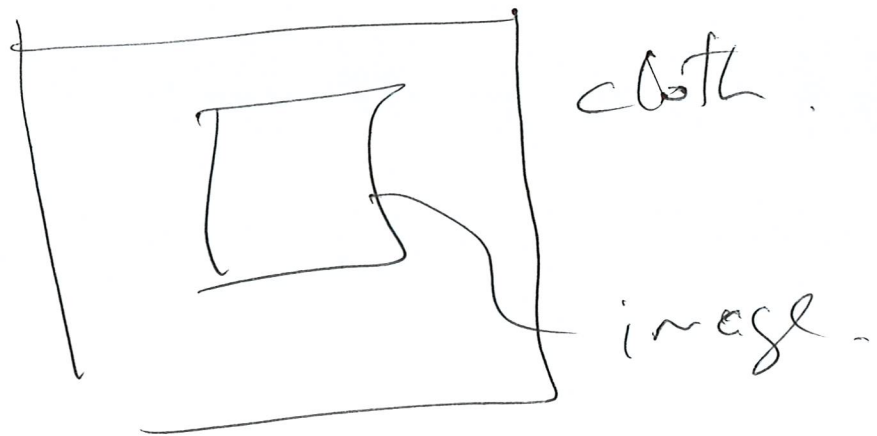
$$\begin{aligned} \text{b/. } |F(P(x-N)y)| &= |e^{-j\omega T} P(\omega_x, \omega_y)| \\ &= |e^{-j\omega T}| |P(\omega_x, \omega_y)| \\ &= 1 \times |P(\omega_x, \omega_y)| \end{aligned}$$

So shift invariant.

$$F(p) = \sum_i \sum_j e^{-j\frac{2\pi}{N}(ux+vy)} x p_{i,j}$$

try. $p^T = P_{i,i}$ then $F = F(p^T) = F^T$

c/.



cloth can move &
so can camera
& the magnitude stays
the same.

17 - 18

1/ Everything — display
— edge detect —
— smoothing
— features

2/ notes — focused response.

1 1
1 2 1 3x1
1 3 3 1 5x1
1 4 6 4 1

$$3 \times 3 \begin{pmatrix} 1 \\ 2 \\ 1 \end{pmatrix} \times \begin{bmatrix} 1 & 2 & 1 \end{bmatrix} = \begin{bmatrix} 1 & 2 & 1 \\ 2 & 4 & 2 \\ 1 & 2 & 1 \end{bmatrix}$$

$$e^{-\frac{(x^2+y^2)}{2\sigma^2}}$$

$$= \begin{bmatrix} e^{-\frac{1}{2\sigma^2}} & 1 & e^{-\frac{1}{2\sigma^2}} \end{bmatrix}$$

are symmetric

No scaling possible.

one is integer - the other is floaky part.

c). charges

✓ little

two templates are quite similar.
possibly some high frequency
effects from discretization
in the approximation.

Question 3.

- (a) **Describe** the difference in principle between first-order and second-order edge detection. **Describe** one approach for either operator.

focussed notes

[12 marks]

- (b) **Describe** how zero-crossing detection can be achieved in second-order edge detection.

focussed notes

[15 marks]

- (c) **Describe** whether thresholding could be applied to the output of second-order edge detection to avoid the complexity of (b).

[6 marks]

