

NEURAL NETWORKS AND DEEP LEARNING

MICHELLE KUCHERA
DAVIDSON COLLEGE

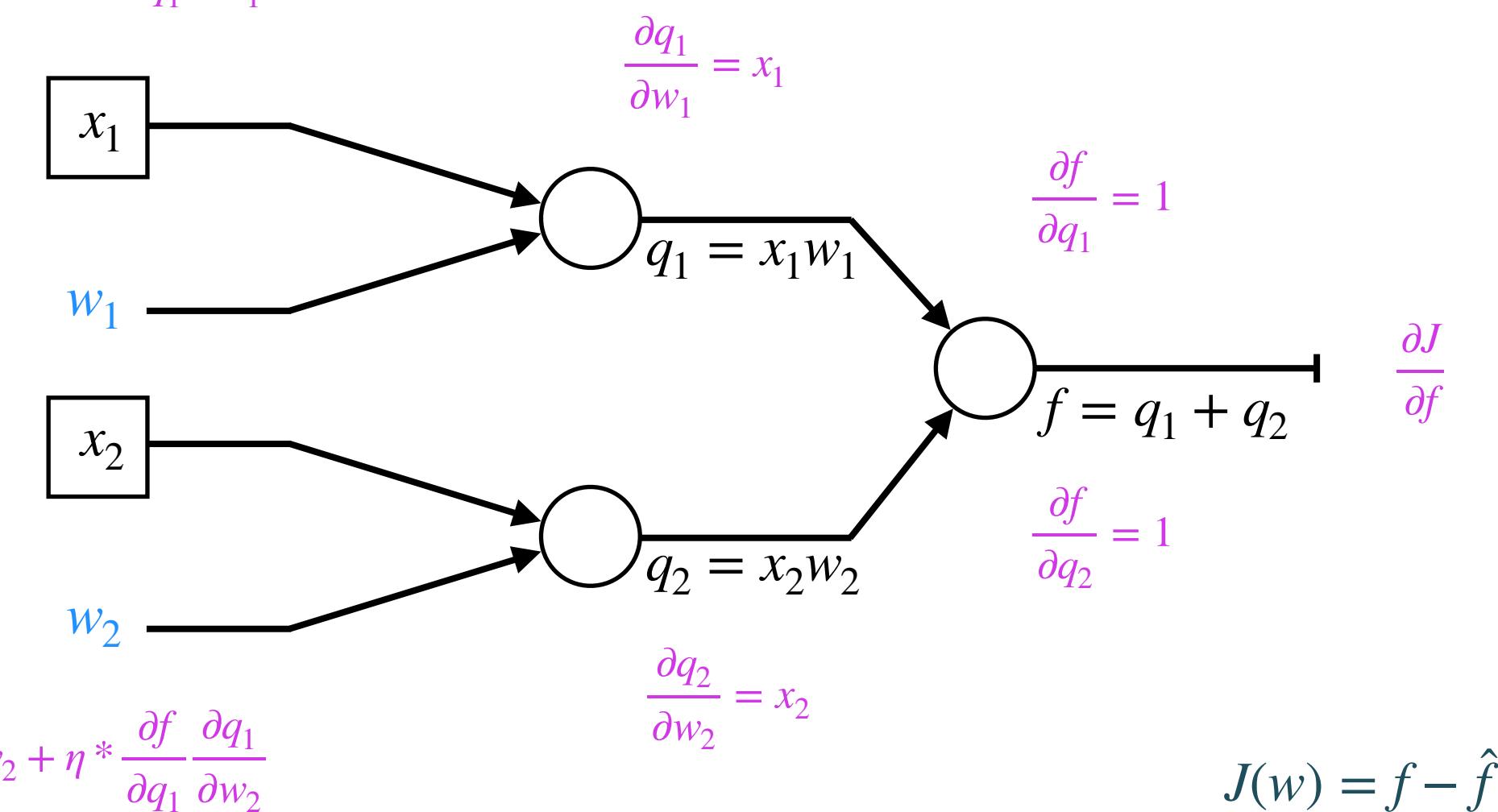
CPS-FR
MIT
21 AUGUST 2025

MICHELLE KUCHERA

B.S., M.S. PHYSICS

M.S., PH.D. COMPUTATIONAL SCIENCE

$$w_1 = w_1 + \eta * \frac{\partial f}{\partial q_1} \frac{\partial q_1}{\partial w_1}$$

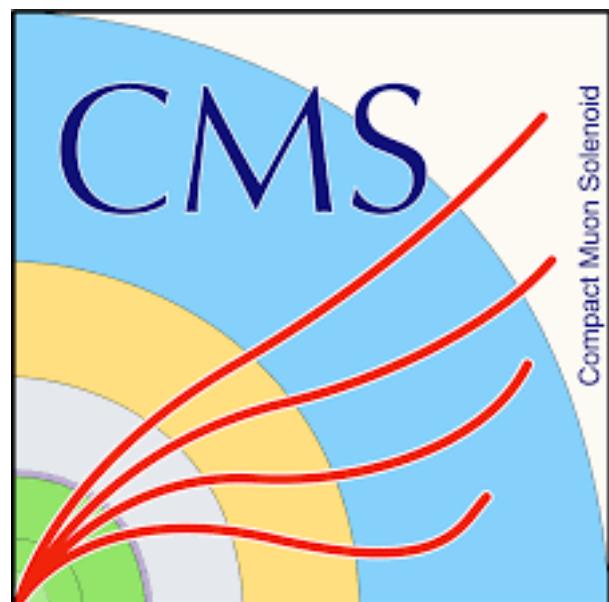
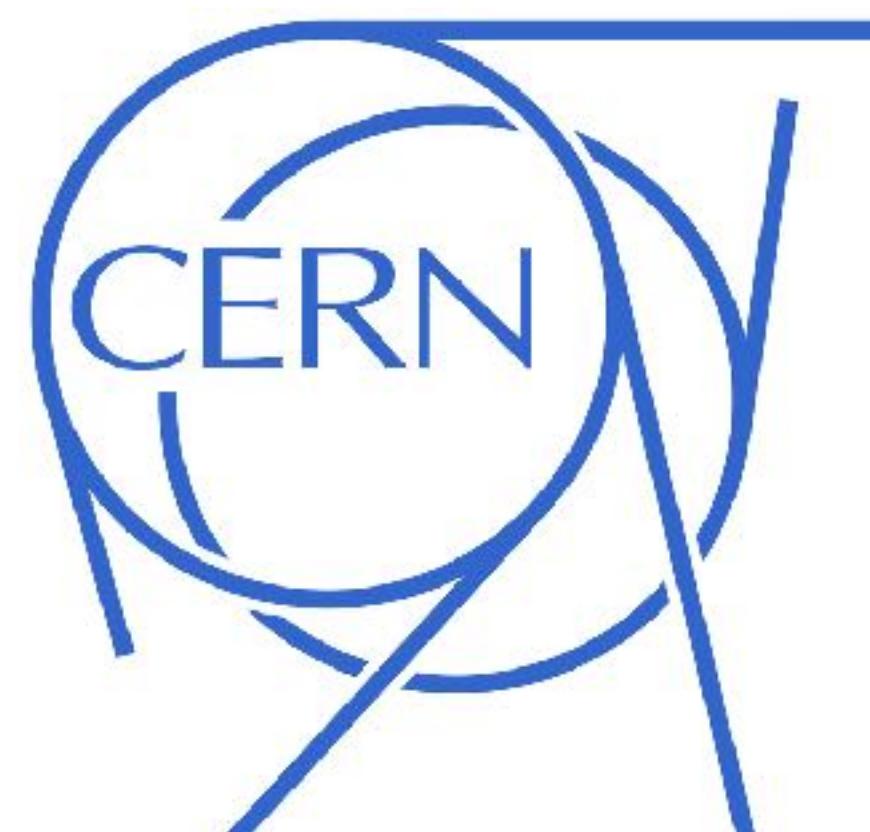


$$J(w) = f - \hat{f}$$



ALPhA
DAVIDSON COLLEGE

 **IAEA**
International Atomic Energy Agency



 **Jefferson Lab**

 **FRIB**

 **DAVIDSON**

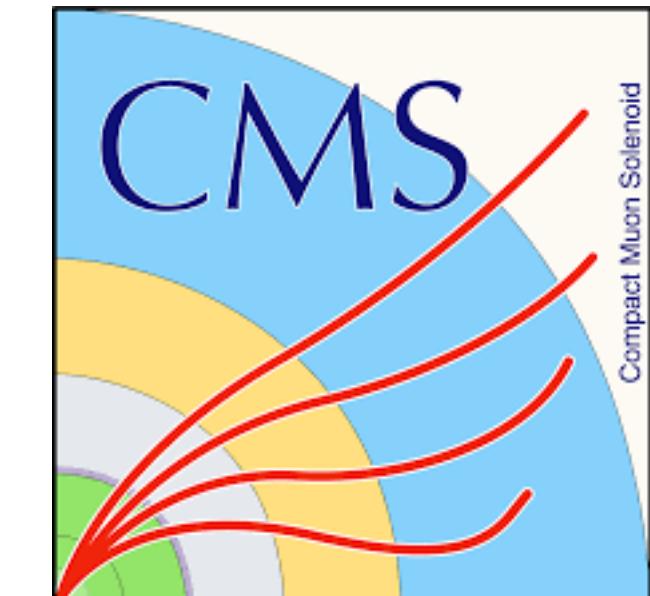
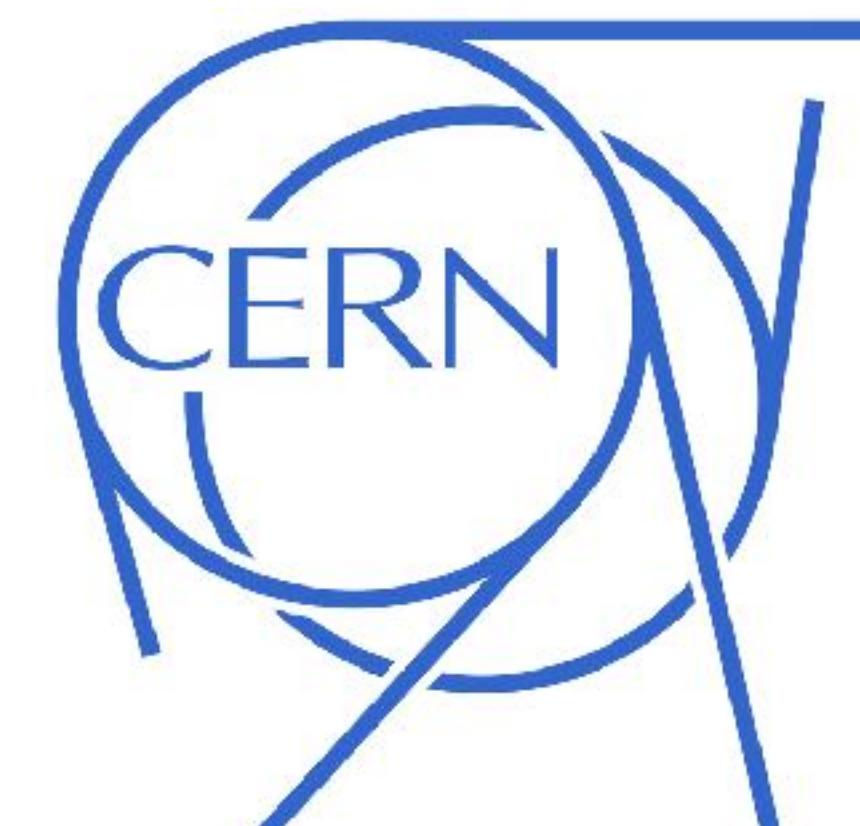
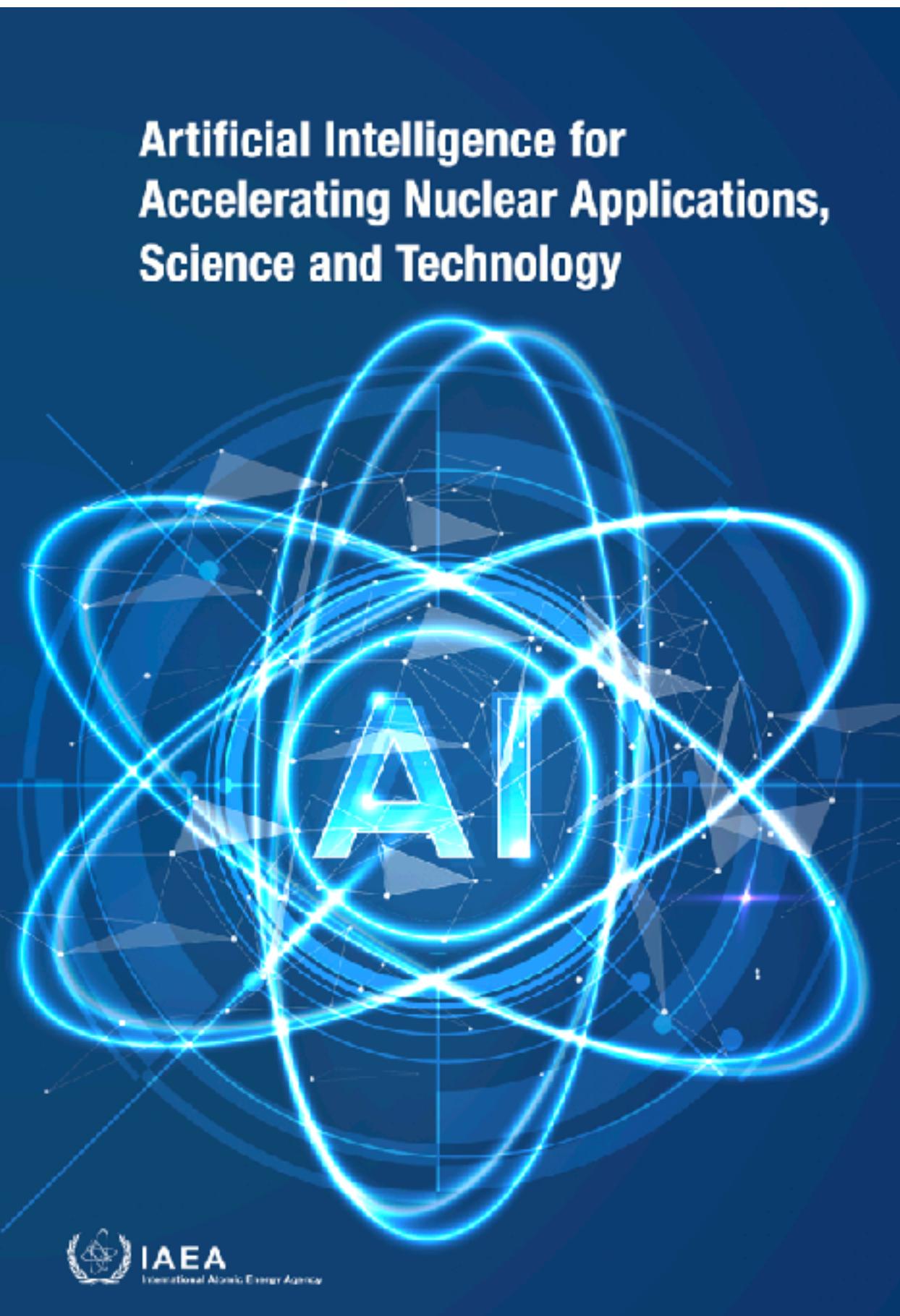
 **NSCL**

PhD: GPUs for Bayesian Neural Networks (😢)

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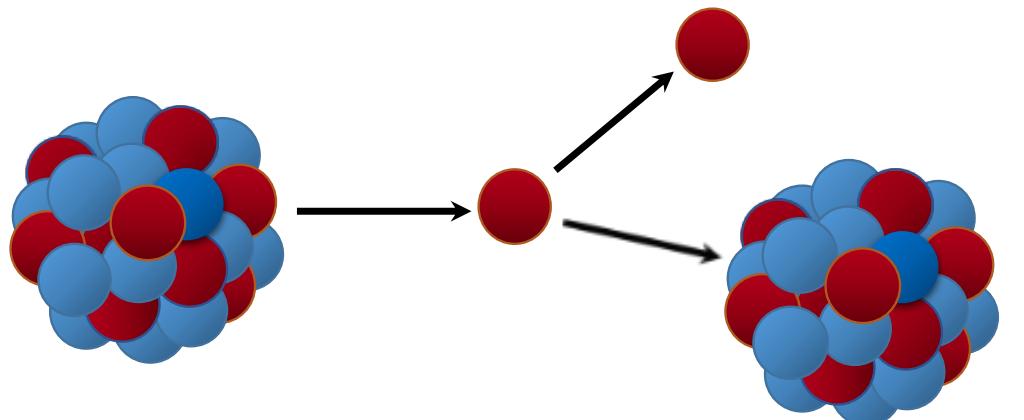
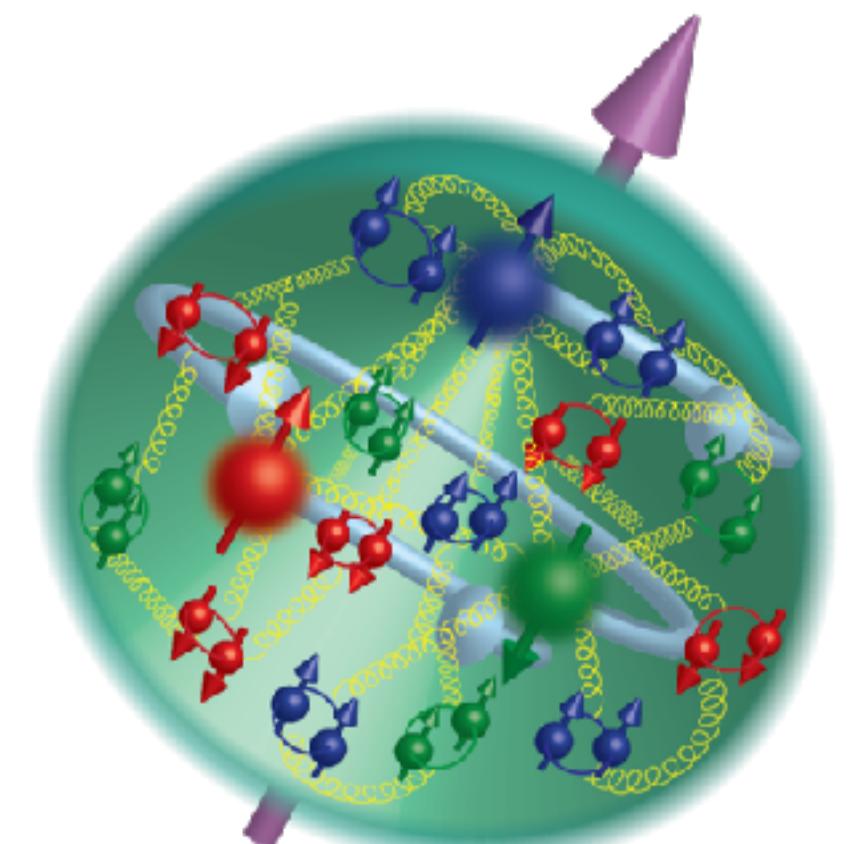
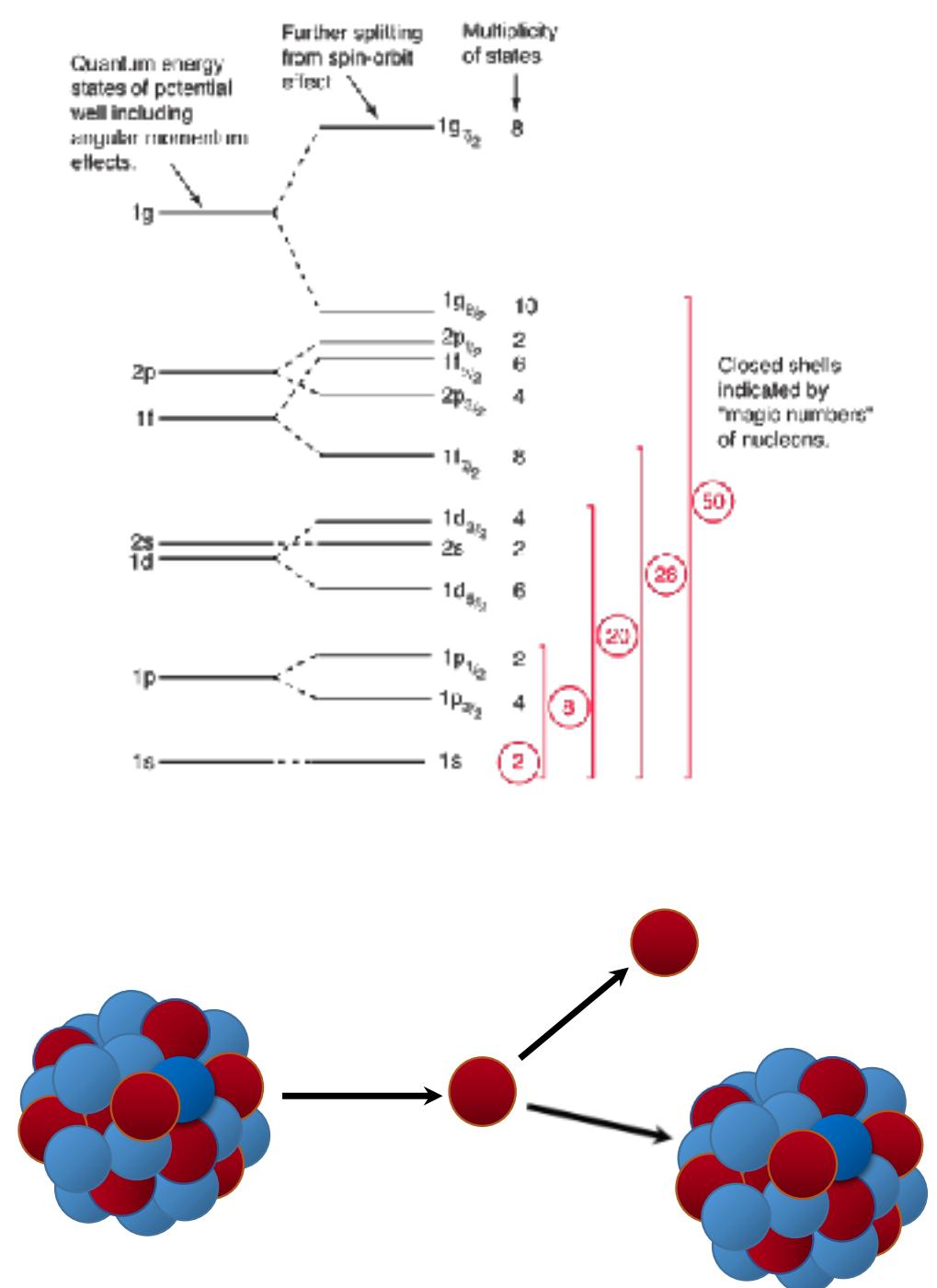


Jefferson Lab



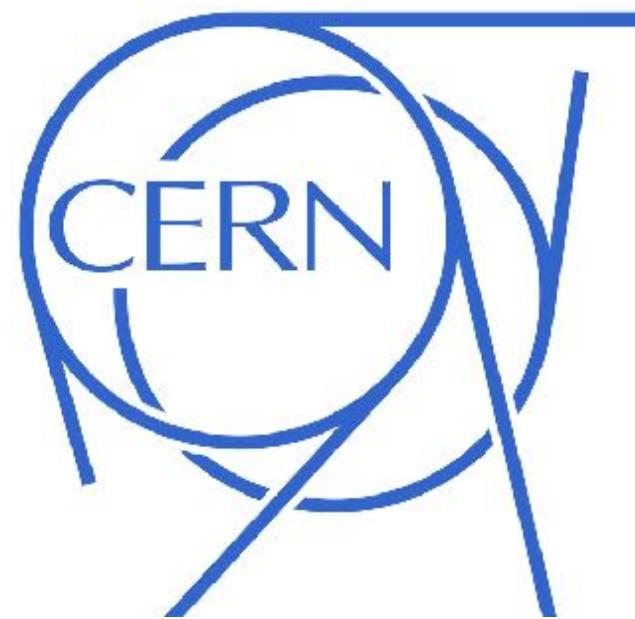
DAVIDSON



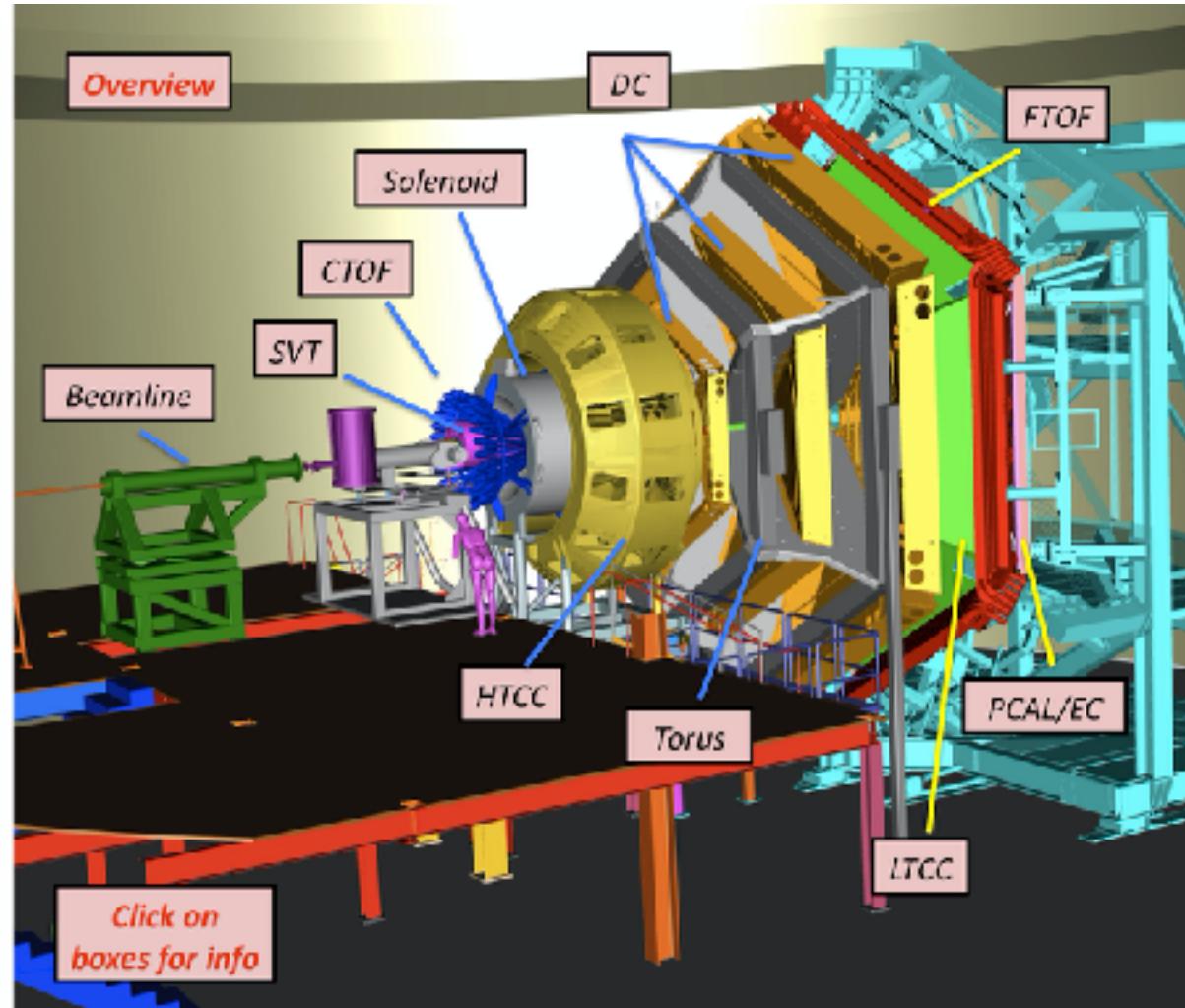
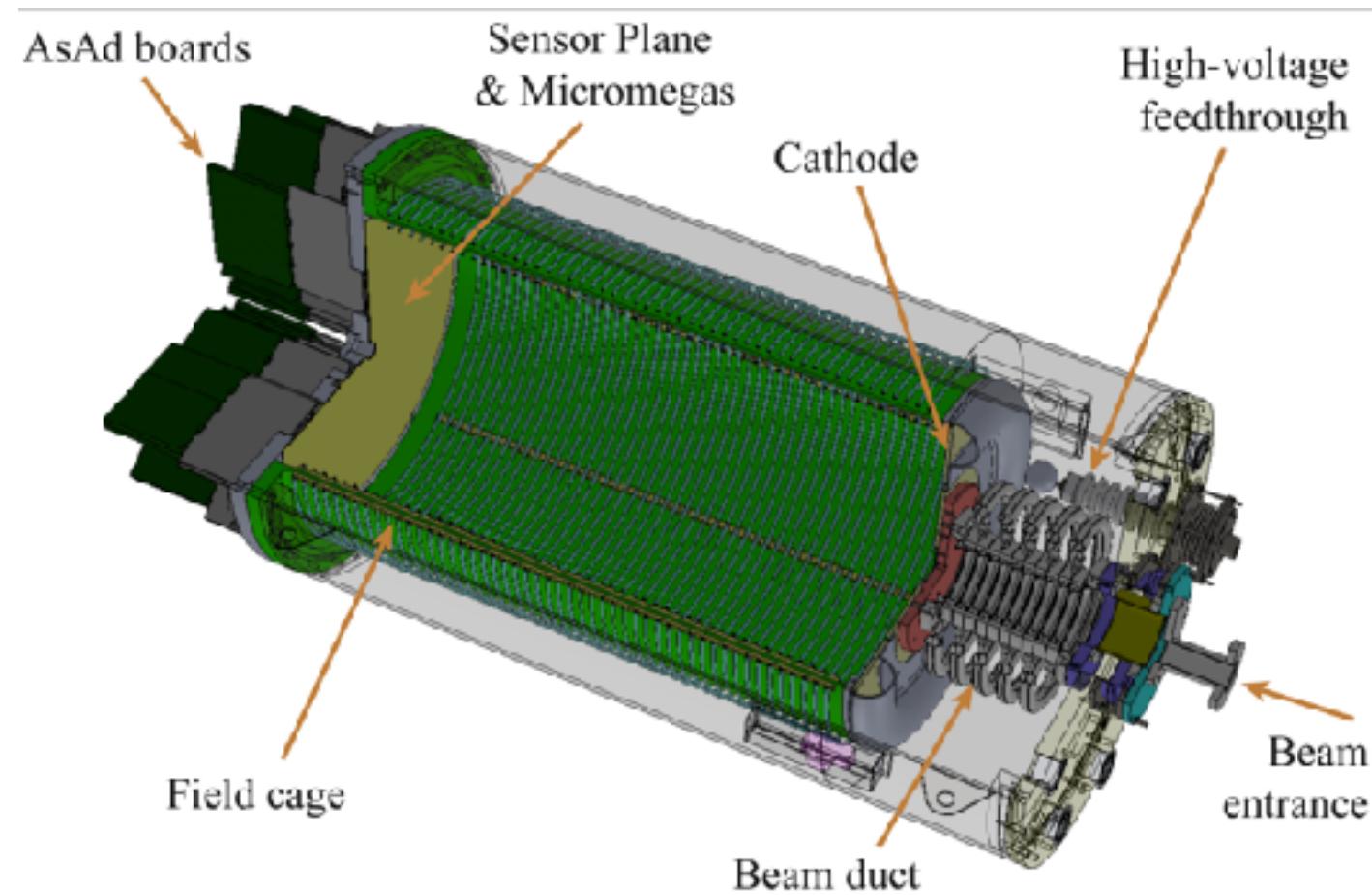


Jefferson Lab

QUARKS		GAUGE BOSONS	
mass → +0.3 MeV/c ²	charge → 2/3	+1.27 GeV/c ²	+126 GeV/c ²
m/e = 1/2	u	2/3	c
	down	1/3	t
94.6 MeV/c ²	d	-1/3	b
135 MeV/c ²	s	-1/3	gluon
144.10 GeV/c ²	strange	0	γ
91.2 GeV/c ²	b	1	Z boson
8.511 MeV/c ²	e	0	W boson
-1	μ	-1	
105.7 MeV/c ²	tau	1	
1.777 GeV/c ²	τ	1	
91.2 GeV/c ²	Z	1	
<0.2 MeV/c ²	ν _e	0	
<0.17 MeV/c ²	ν _μ	0	
<0.3 MeV/c ²	ν _τ	0	
0.8 GeV/c ²	W	±1	



EXPERIMENTAL DATA



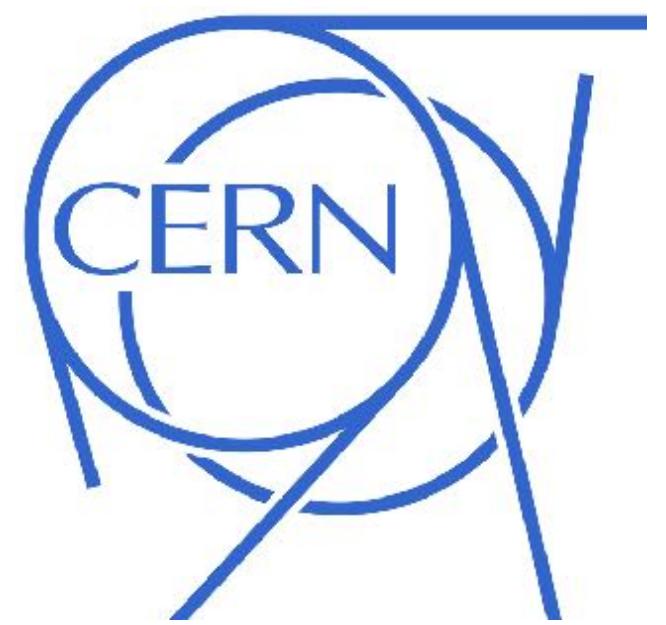
J. BRADT ET. AL., NUCLEAR INSTRUMENTS AND METHODS, 2017.



AT-TPC

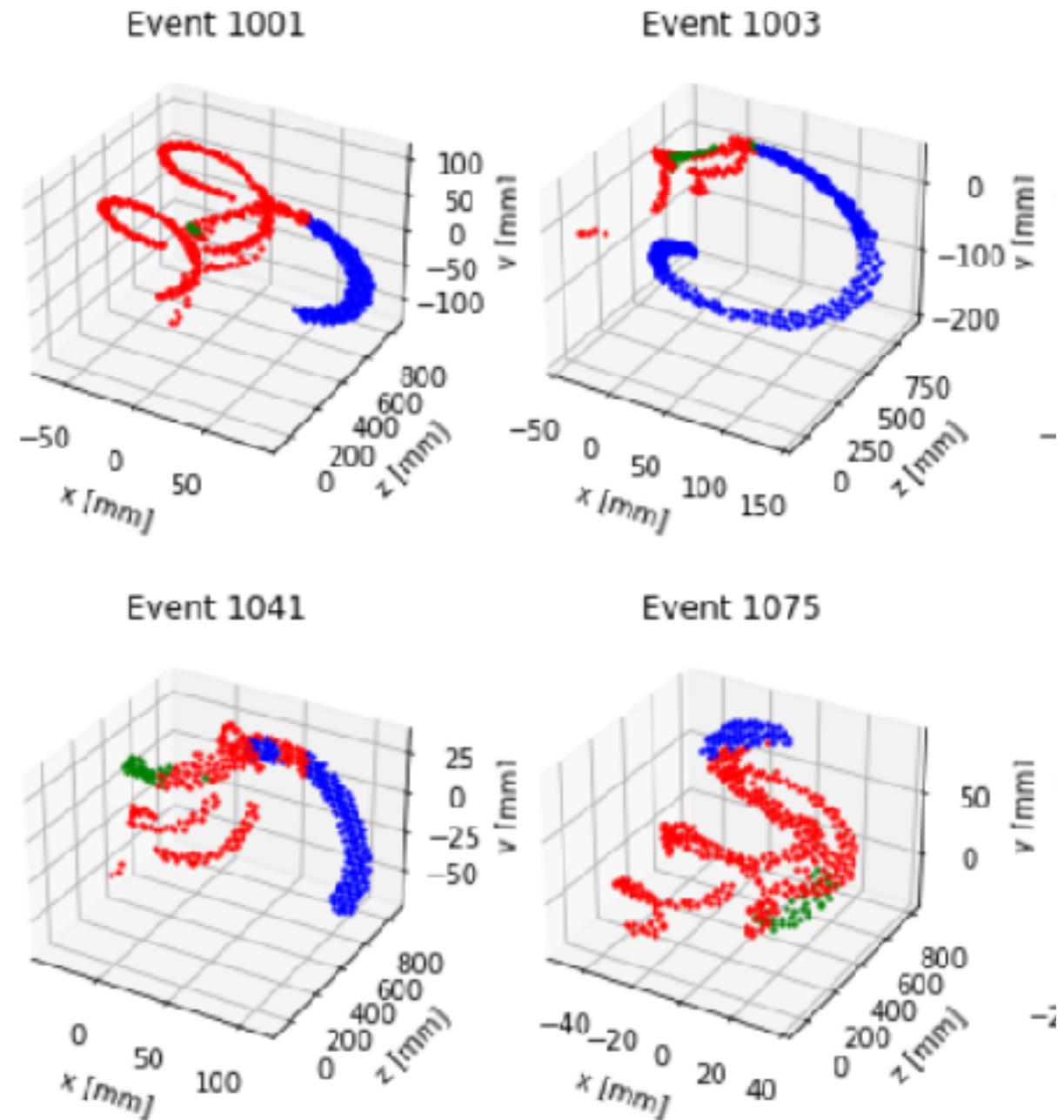


CLAS 12



CMS

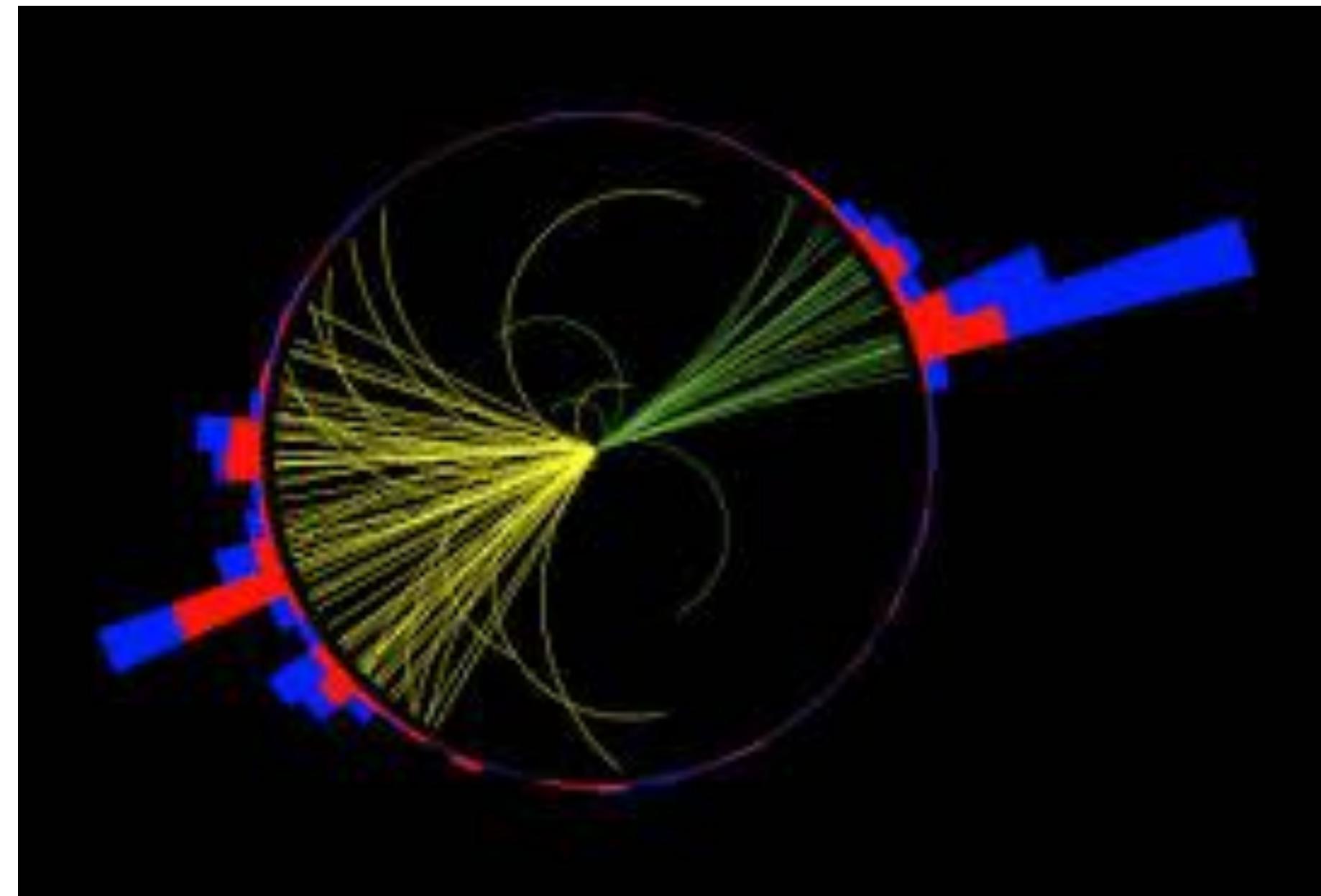
EXPERIMENTAL DATA



AT-TPC



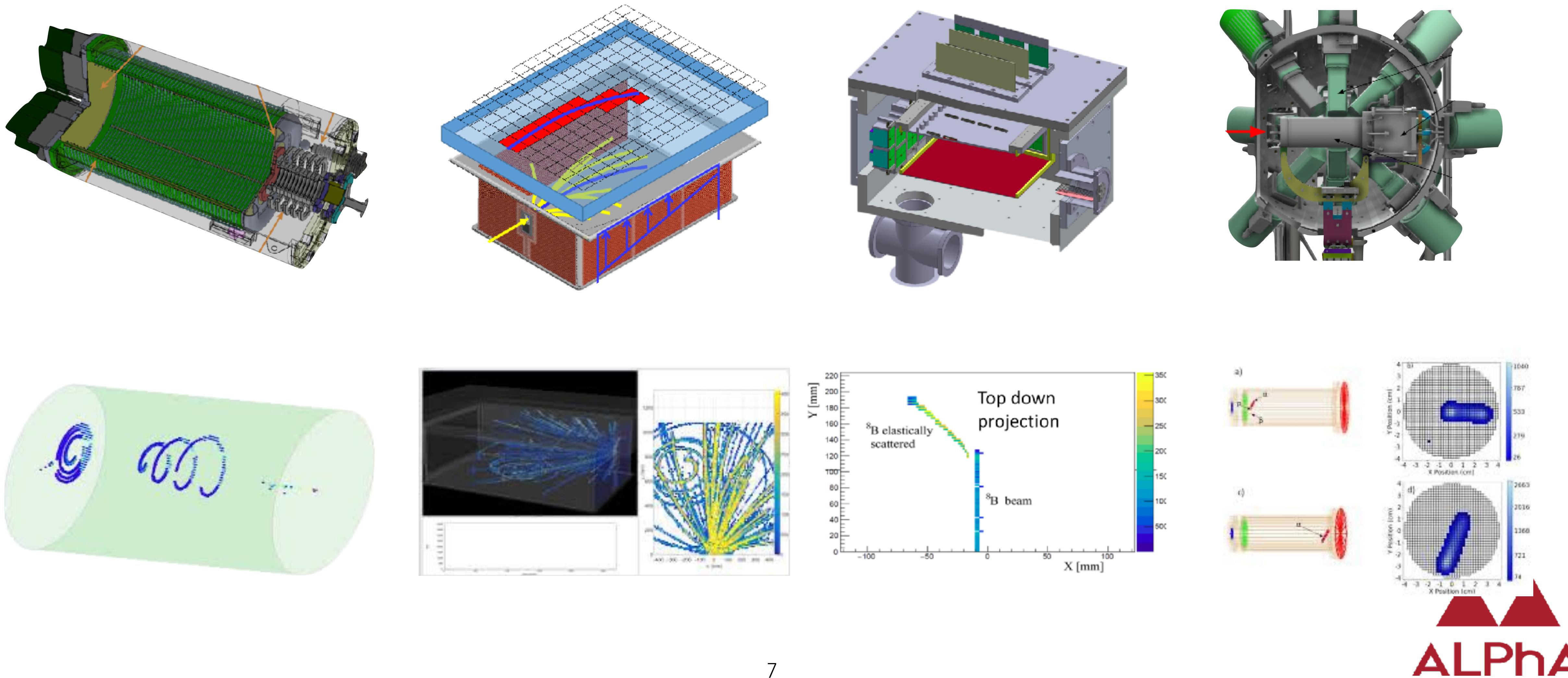
Jefferson Lab



CLAS 12

CMS

A POINT-CLOUD FOUNDATION MODEL FOR TIME PROJECTION CHAMBERS



A POINT-CLOUD FOUNDATION MODEL FOR TIME PROJECTION CHAMBERS



Full Length Article
Point-cloud based machine learning for classifying rare events in the Active-Target Time Projection Chamber

Poulomi Dey ^{a b}, Adam K. Anthony ^{a c d}, Curtis Hunt ^{a g},
Michelle P. Kuchera ^{e f}, Raghuram Ramanujan ^f, William G. Lynch ^{a c},
ManYee Betty Tsang ^{a c}, Joseph M. Wieske ^{a c}, Jessica W. Ajongbah ^{a b}, Saul
Beceiro-Novo ^a, Kyle W. Brown ^{a b}, Zbigniew Chojecik ^b, Kaitlin J. Cook ^{a h},
Skyler Gangestad ^d, Tom Ginter ^a, Bergen Kendziora ^a, Fanurs Chi Eh Teh ^a,
HoTing Wong ^g

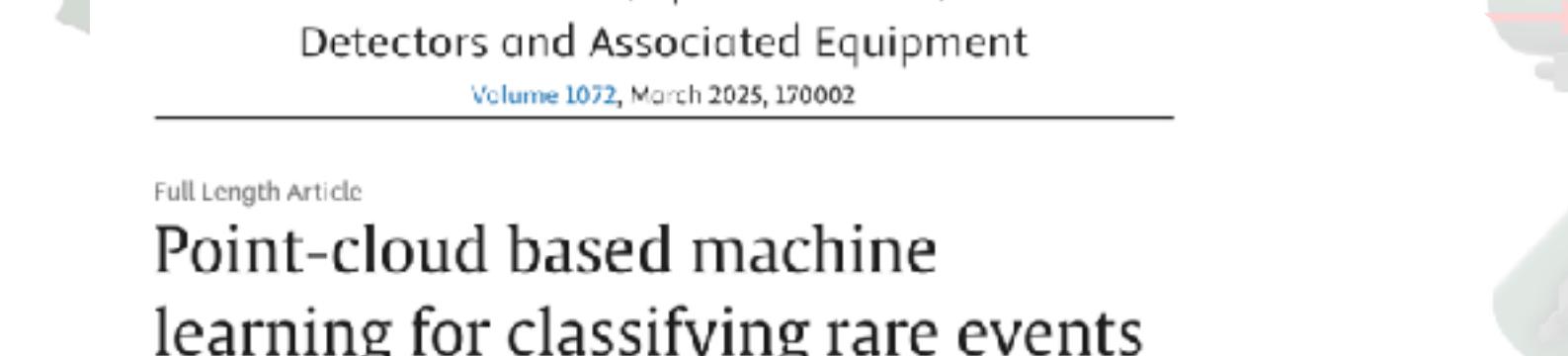


Full Length Article
Machine learning methods for track classification in the AT-TPC

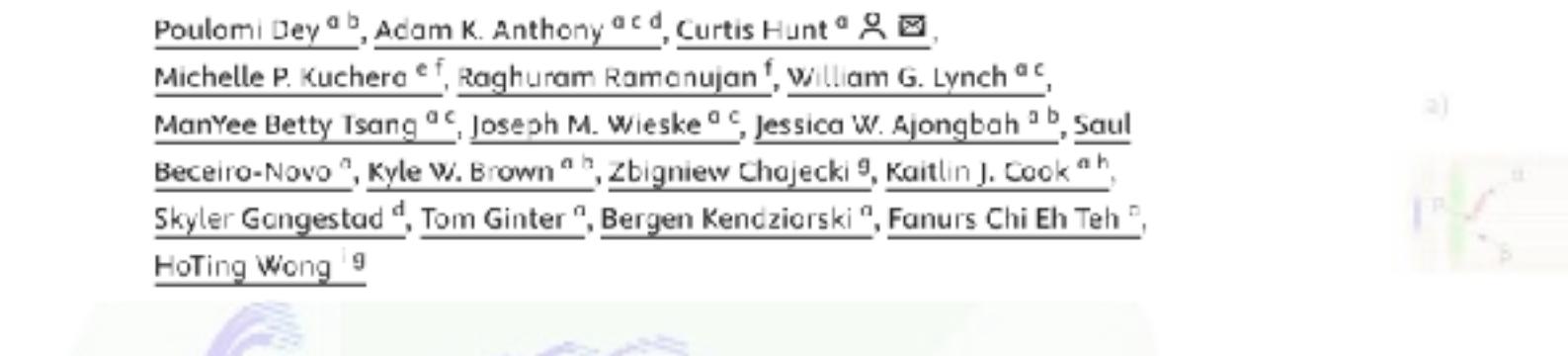


Nuclear Instruments and Methods in Physics Research Section A:
Accelerators, Spectrometers,
Detectors and Associated Equipment

Volume 1010, 11 September 2021, 165461



R. Solli ^{a b}, D. Bazin ^c, M. Hjorth-Jensen ^{c d}, M.P. Kuchera ^e,
R.R. Strauss ^{f g}



Nuclear Instruments and Methods in Physics Research Section A:
Accelerators, Spectrometers,
Detectors and Associated Equipment

Volume 940, 1 October 2019, Pages 156-167



M.P. Kuchera ^a, R. Ramanujan ^b, J.Z. Taylor ^a, R.R. Strauss ^b, D. Bazin ^c,
J. Bradt ^c, Ruiming Chen ^a



Unpaired Translation of Point Clouds for Modeling Detector Response

Mingyang Li¹, Michelle Kuchera¹, Raghuram Ramanujan¹,
Adam Anthony², Curtis Hunt³, Yassid Ayyad⁴,
¹ Davidson College, ² High Point University,
³ Michigan State University, ⁴ University of Santiago de Compostela
{mili, mikuchera, raramanujan}@davidson.edu
{aanthon2}@highpoint.edu
{huntec}@frib.msu.edu
{yassid.ayyad}@usc.es



Nuclear Instruments and Methods in Physics Research Section A:
Accelerators, Spectrometers,
Detectors and Associated Equipment

Volume 1080, November 2025, 170659

Full Length Article
Object detection with deep learning for rare event search in the GADGET II TPC

Tyler Wheeler ^{a b c}, S. Ravishankar ^{c d}, C. Wrede ^{b a}, A. Andalib ^{b a},
A. Anthony ^{b a s}, Y. Ayyad ^{a e}, B. Jain ^{b a}, A. Jaros ^{b a}, R. Mahajan ^a,
L. Schaedicig ^{b a}, A. Adams ^{b a}, S. Ahn ^f, J.M. Allmond ^m, D. Bardayan ^g,
D. Bazin ^a, K. Bosmpotinis ^{b a}, T. Budner ^h, S.R. Carmichael ^g, S.M. Cha ^f,
A. Chen ⁱ, L.E. Weghorn ^{b a}

LECTURE 1 TOPICS

- Computational graphs
- Gradient-descent optimization
- Logistic regression
- Regression neural networks

MICHELLE KUCHERA
DAVIDSON COLLEGE

CPS-FR
MIT
22 AUGUST 2024

GOALS

- Each of us learns something today
- Stop me with any questions

MICHELLE KUCHERA
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22 AUGUST 2024

COMMUNITY

- Each of you arrived here with your own backgrounds, specialty, and path in life
- Your experience and expertise are valuable here, no matter what it is
- If the activity is within your background, help others!
- If you are totally (or a little) lost, ask for help!
- It is our shared goal to have **each** of us leave with some new skill/knowledge/understanding

Without Machine Learning



MACHINE LEARNING

LEARNING

* VERY SPECIFIC
INSTRUCTIONS

With Machine Learning



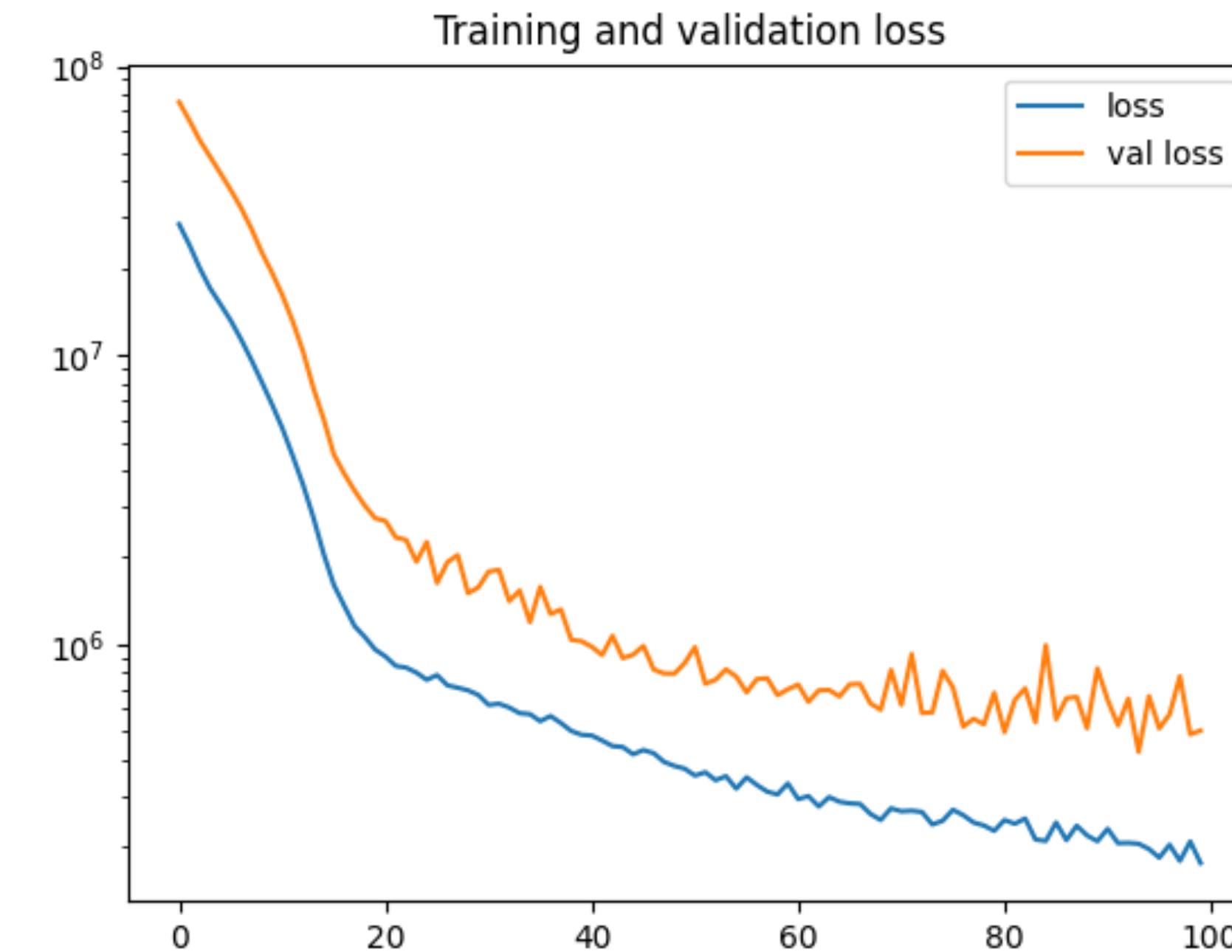
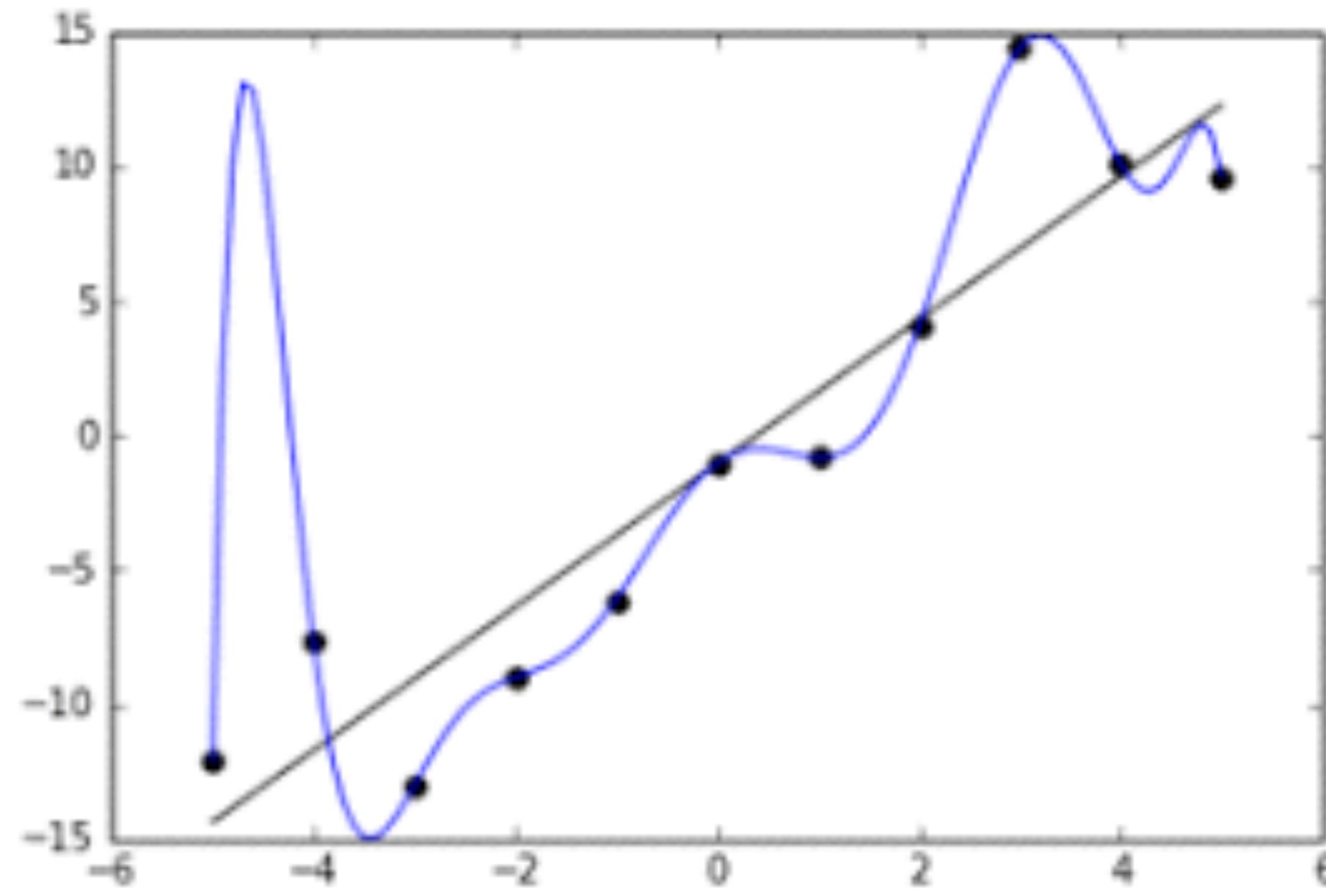
DATA

Without Machine Learning

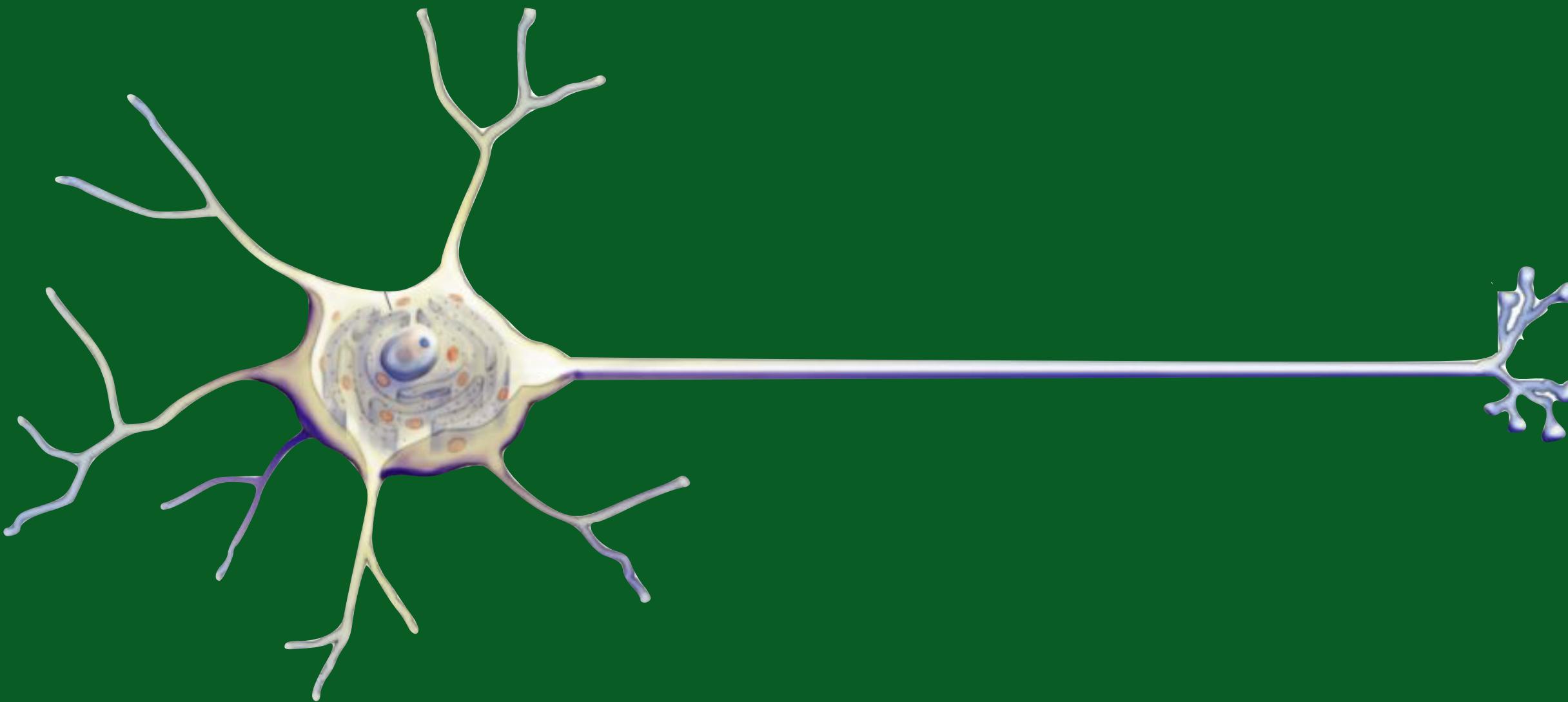
With Machine Learning

Learning from data was a **paradigm shift** in thinking about predictive models

/ \ * VERY SPECIFIC
INSTRUCTIONS



NEURON



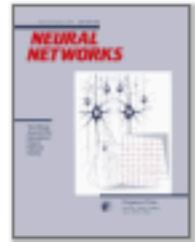
MATHEMATICS



ELSEVIER

Neural Networks

Volume 4, Issue 2, 1991, Pages 251-257



Approximation capabilities of multilayer feedforward networks

Kurt Hornik

Show more

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[https://doi.org/10.1016/0893-6080\(91\)90009-T](https://doi.org/10.1016/0893-6080(91)90009-T)

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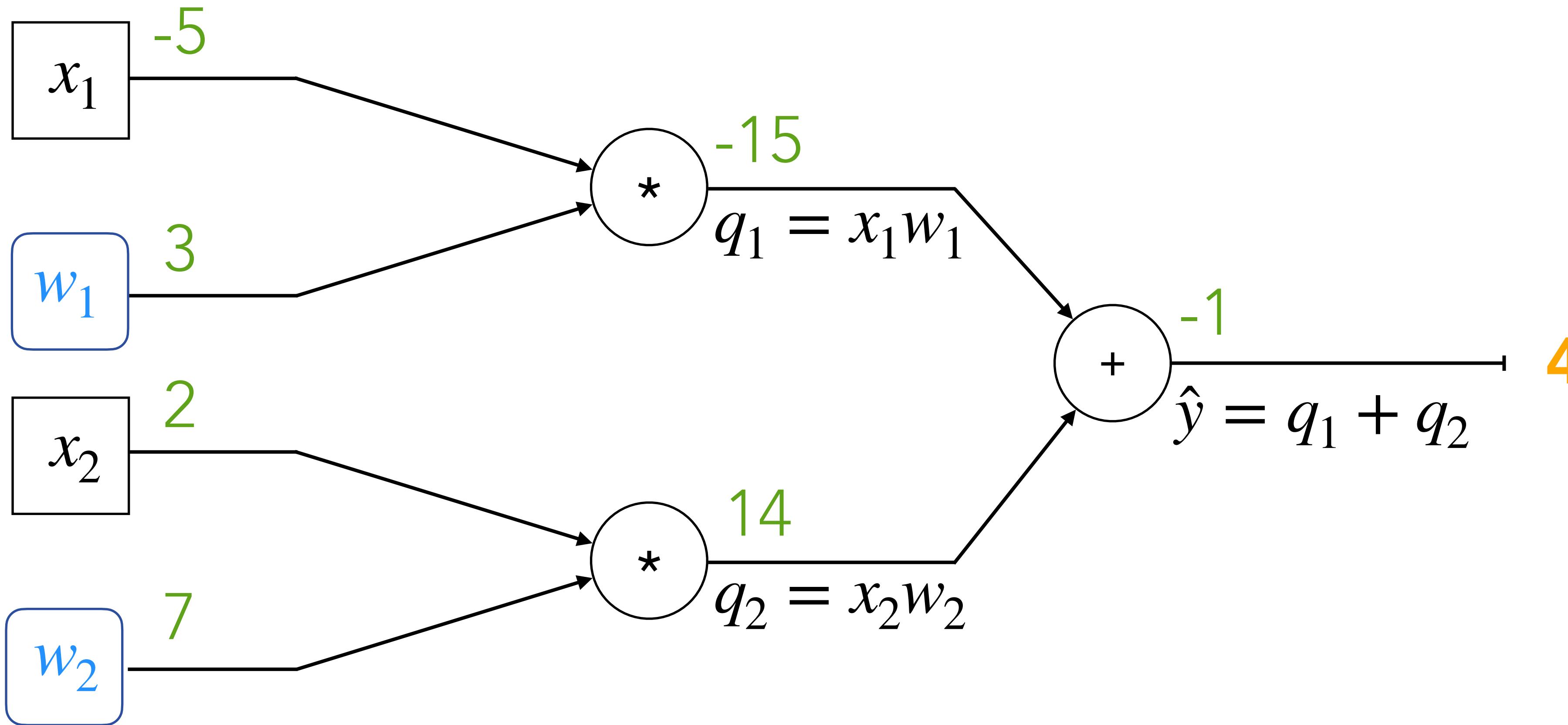
Abstract

We show that standard multilayer feedforward networks with as few as a single hidden layer and arbitrary bounded and nonconstant activation function are universal approximators with respect to $L^p(\mu)$ performance criteria, for arbitrary finite input environment measures μ , provided only that sufficiently many hidden units are available. If the activation function is continuous, bounded and nonconstant, then continuous mappings can be learned uniformly over compact input sets. We also give very general conditions ensuring that networks with sufficiently smooth activation functions are capable of arbitrarily accurate approximation to a function and its derivatives.

MATHEMATICS

COMPUTATIONAL GRAPH

$$\hat{y} = x_1 w_1 + x_2 w_2$$

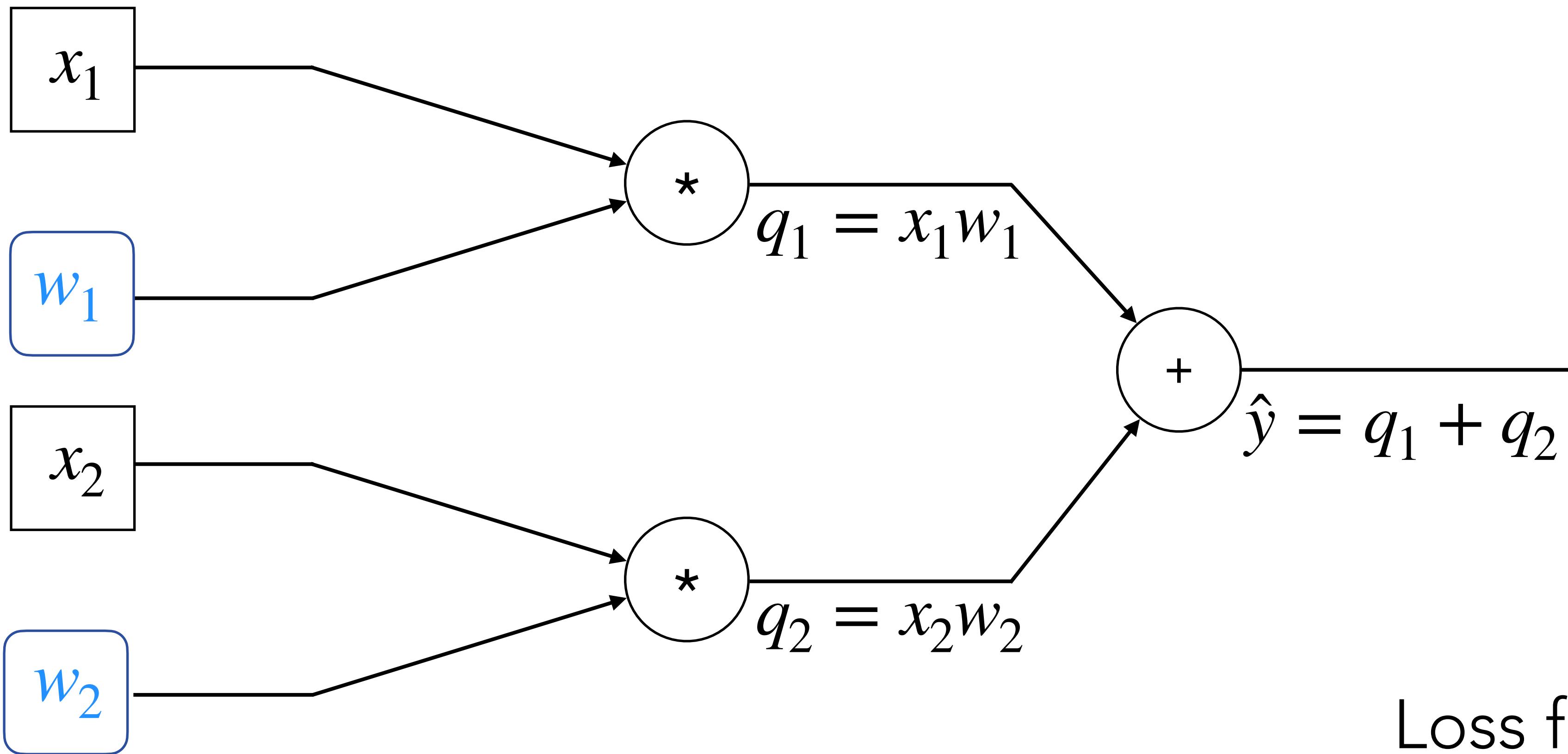


MACHINE LEARNING

SUPERVISED LEARNING

REGRESSION

$$\hat{y} = x_1 w_1 + x_2 w_2$$

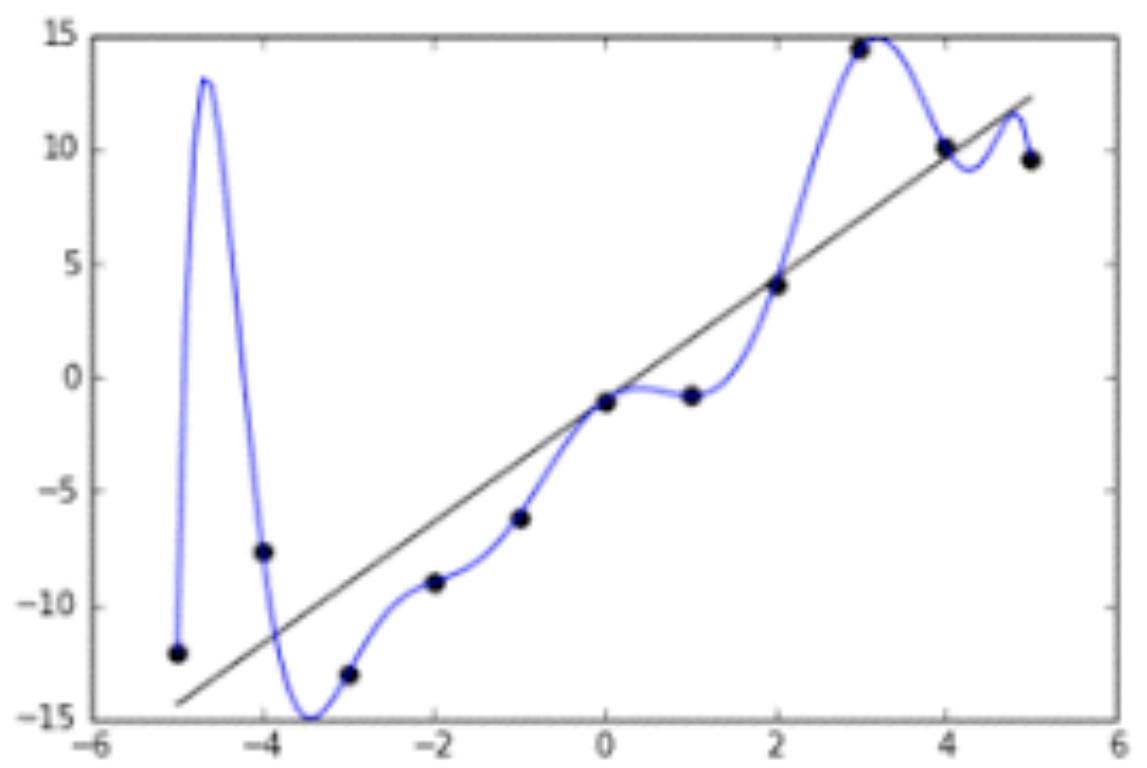
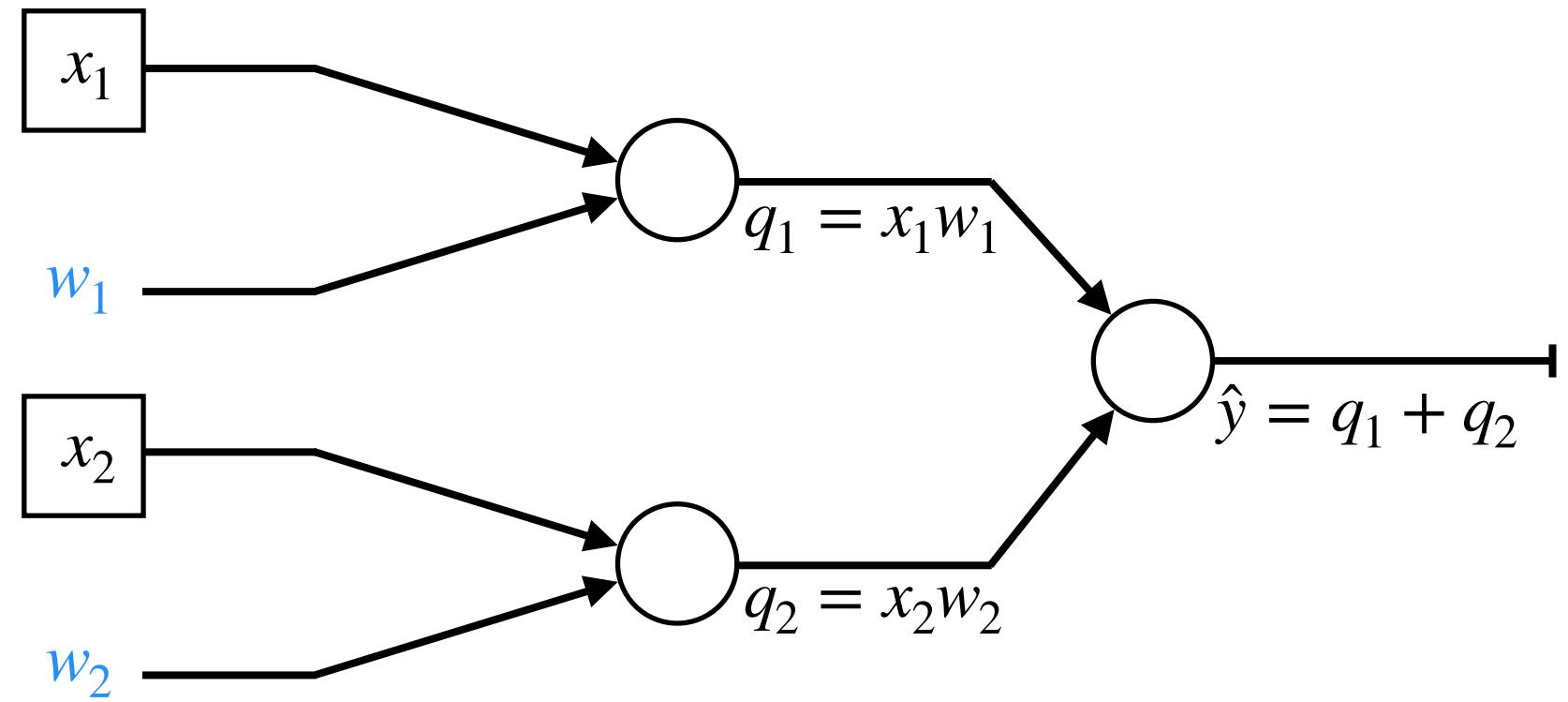


Loss function

$$J(w) = \hat{y} - y$$

SUPERVISED LEARNING

$$\hat{y} = x_1 w_1 + x_2 w_2$$



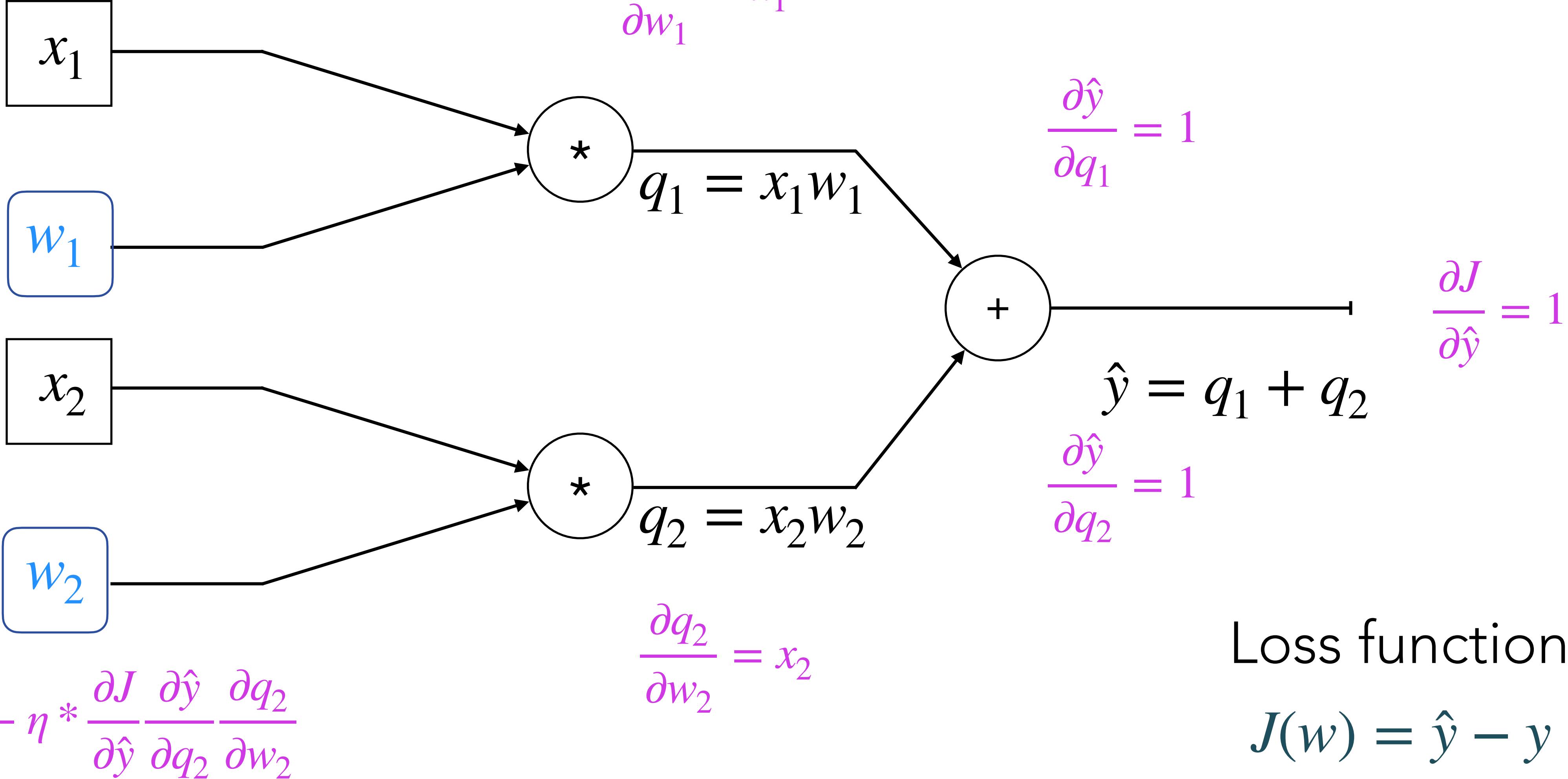
	Feature 1	Feature 2	Feature 3	Target
Example 1				
Example 2				
Example 3				
Example 4				

Loss function
MSE across N examples

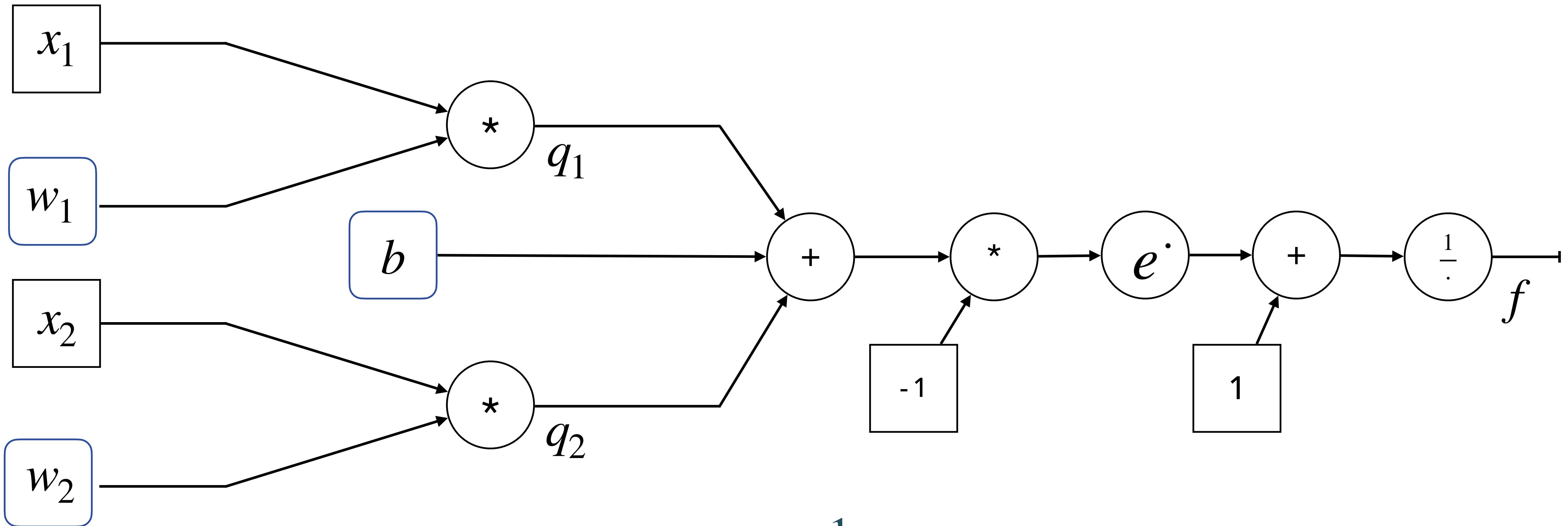
$$J(w) = \frac{1}{N} \sum_{i=0}^N (\hat{y}_i - y_i)^2$$

BACKPROPAGATION

$$w_1 = w_1 - \eta * \frac{\partial J}{\partial \hat{y}} \frac{\partial \hat{y}}{\partial q_1} \frac{\partial q_1}{\partial w_1}$$

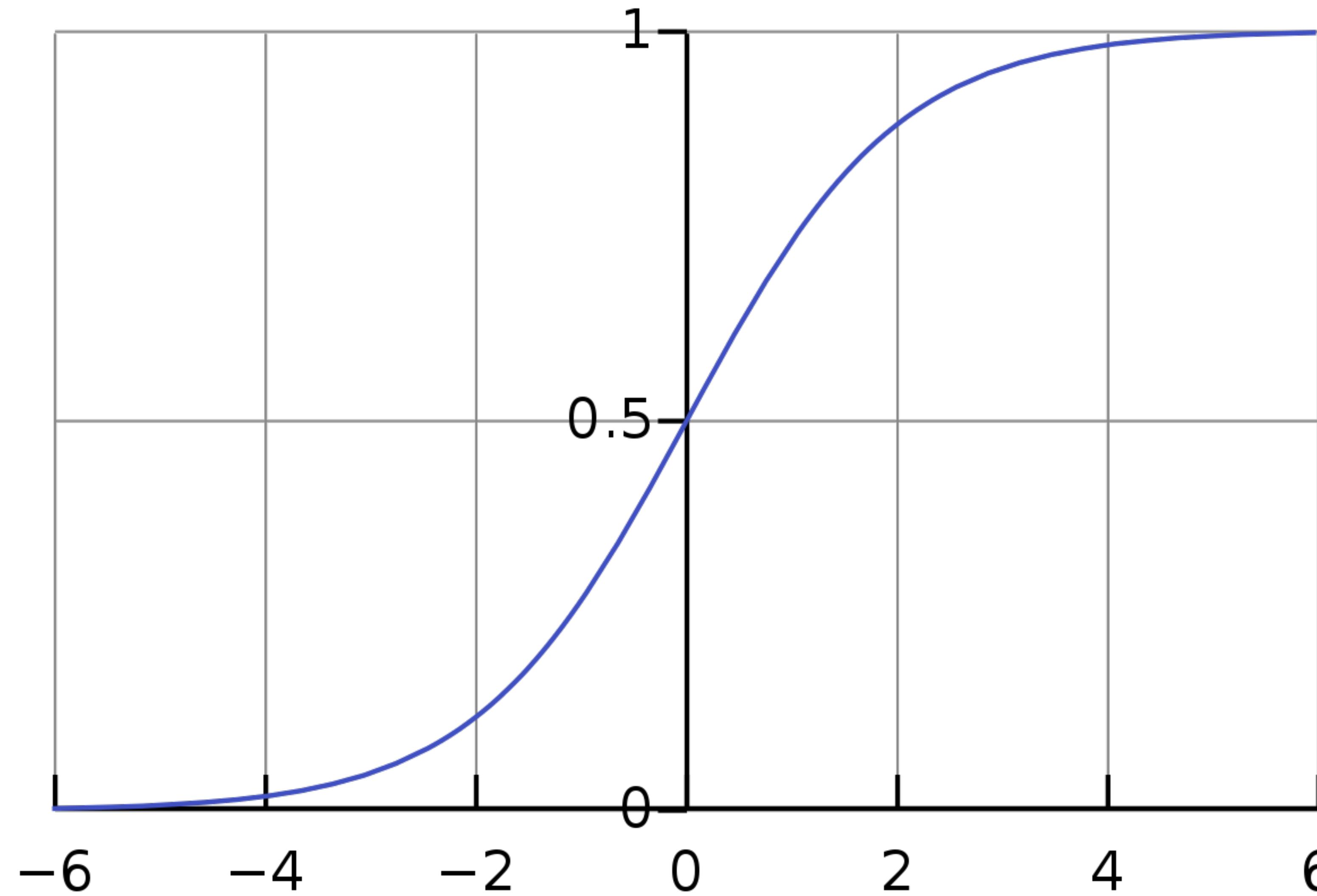


LOGISTIC REGRESSION

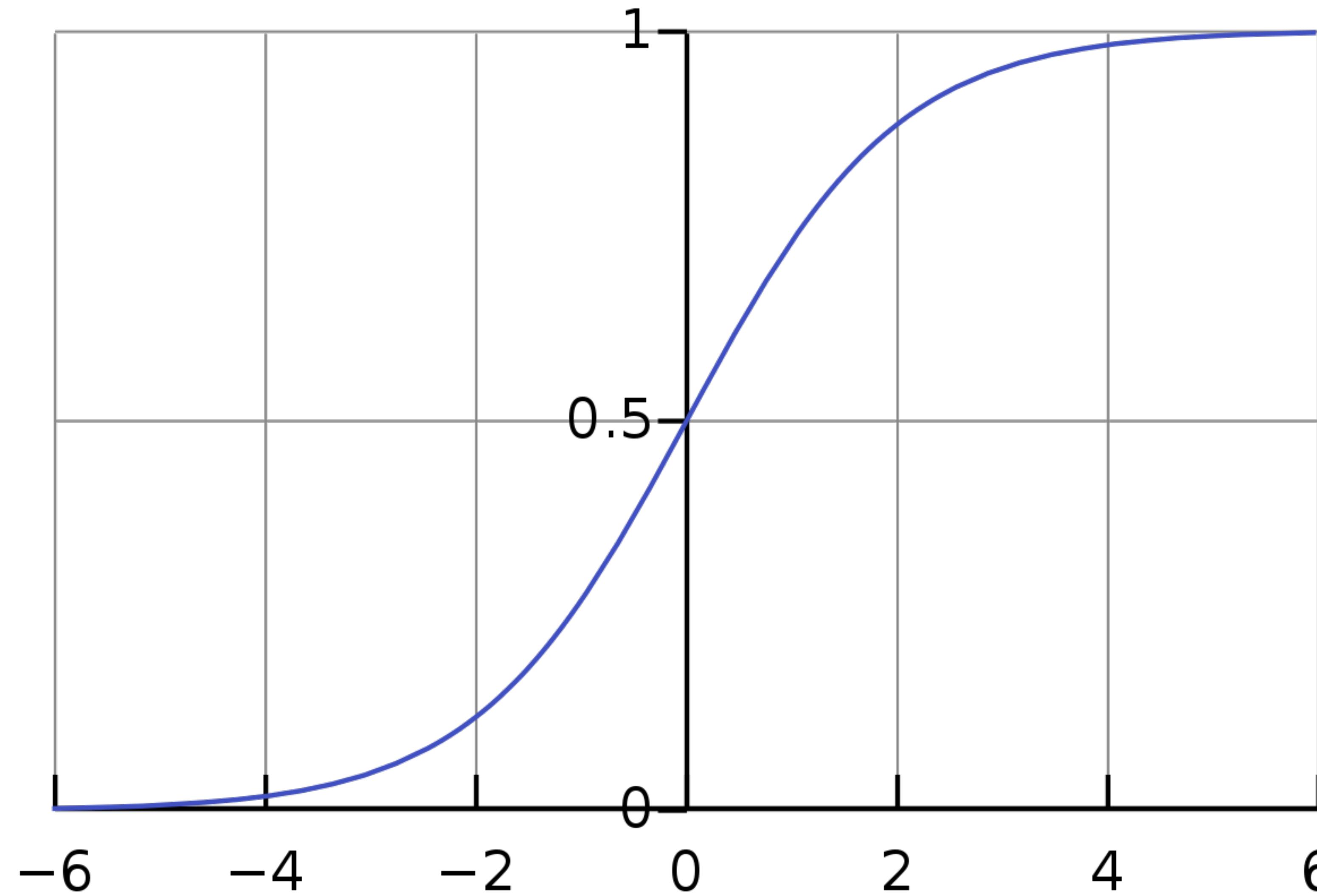


$$f = \frac{1}{1 + e^{-(x_1 w_1 + x_2 w_2 + b)}}$$

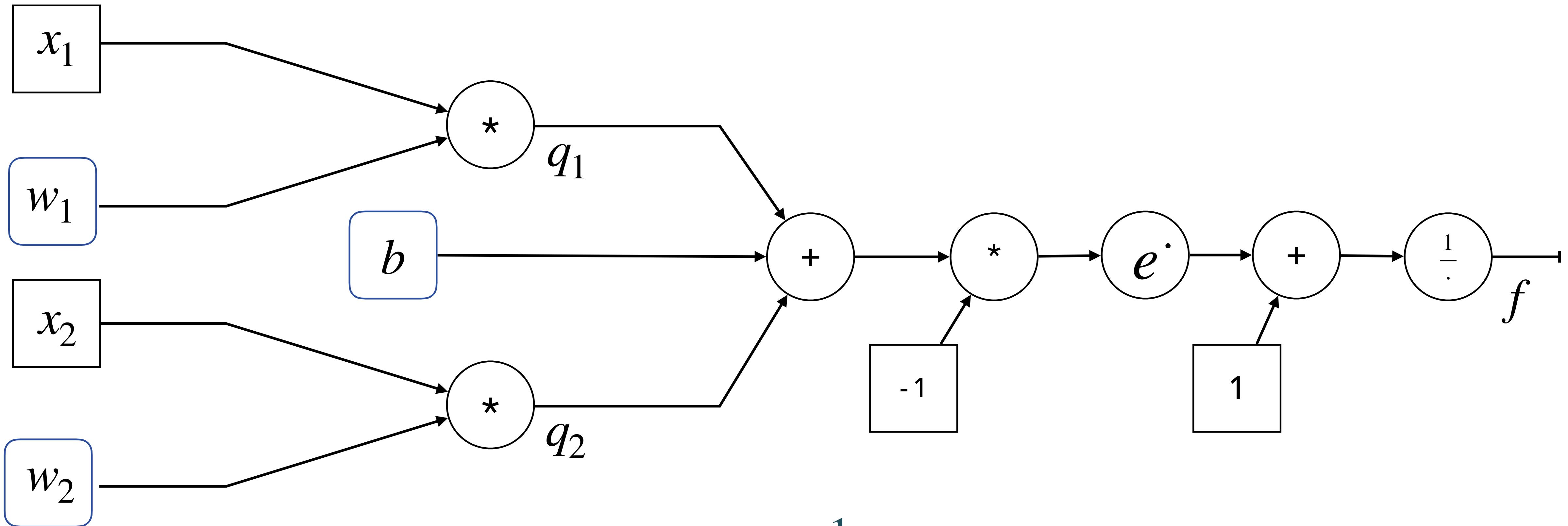
LOGISTIC REGRESSION



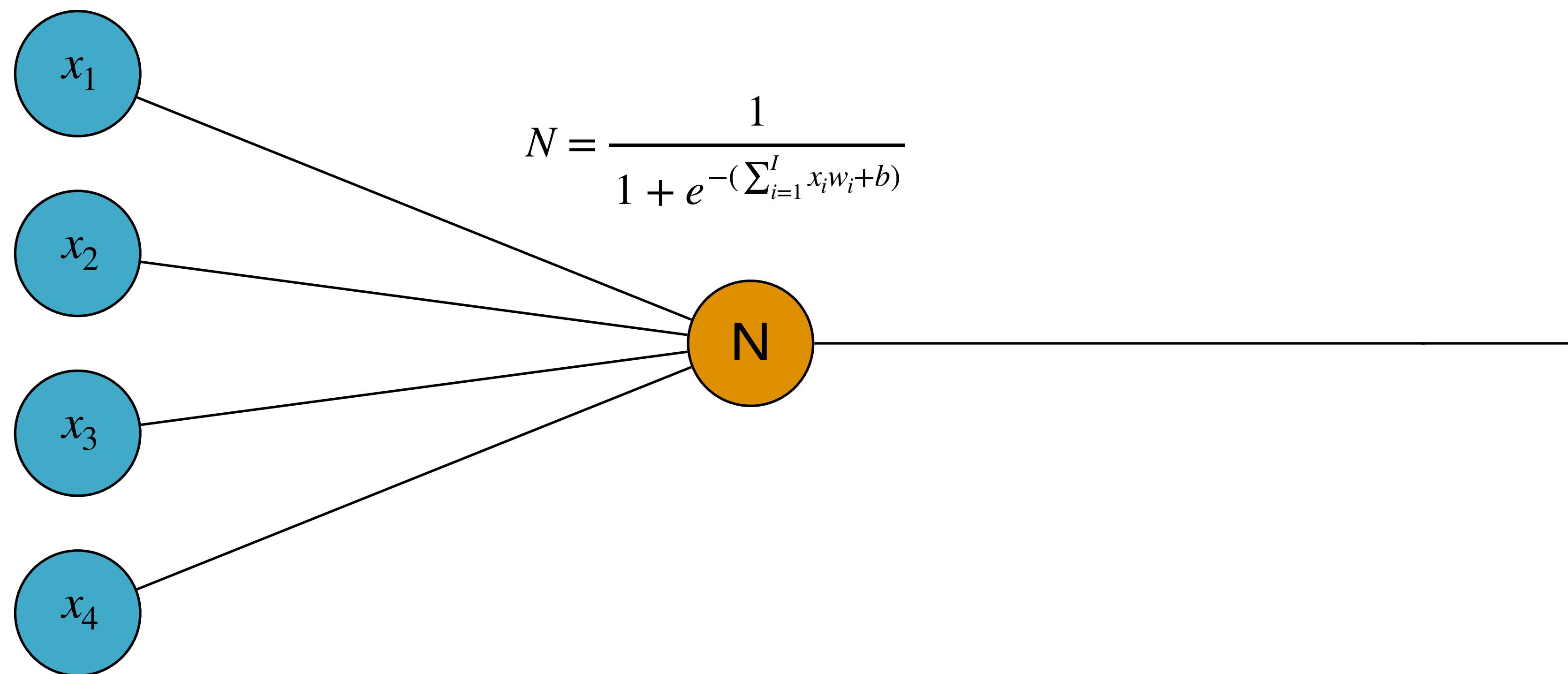
CLASSIFICATION



LOGISTIC REGRESSION



$$f = \frac{1}{1 + e^{-(x_1 w_1 + x_2 w_2 + b)}}$$

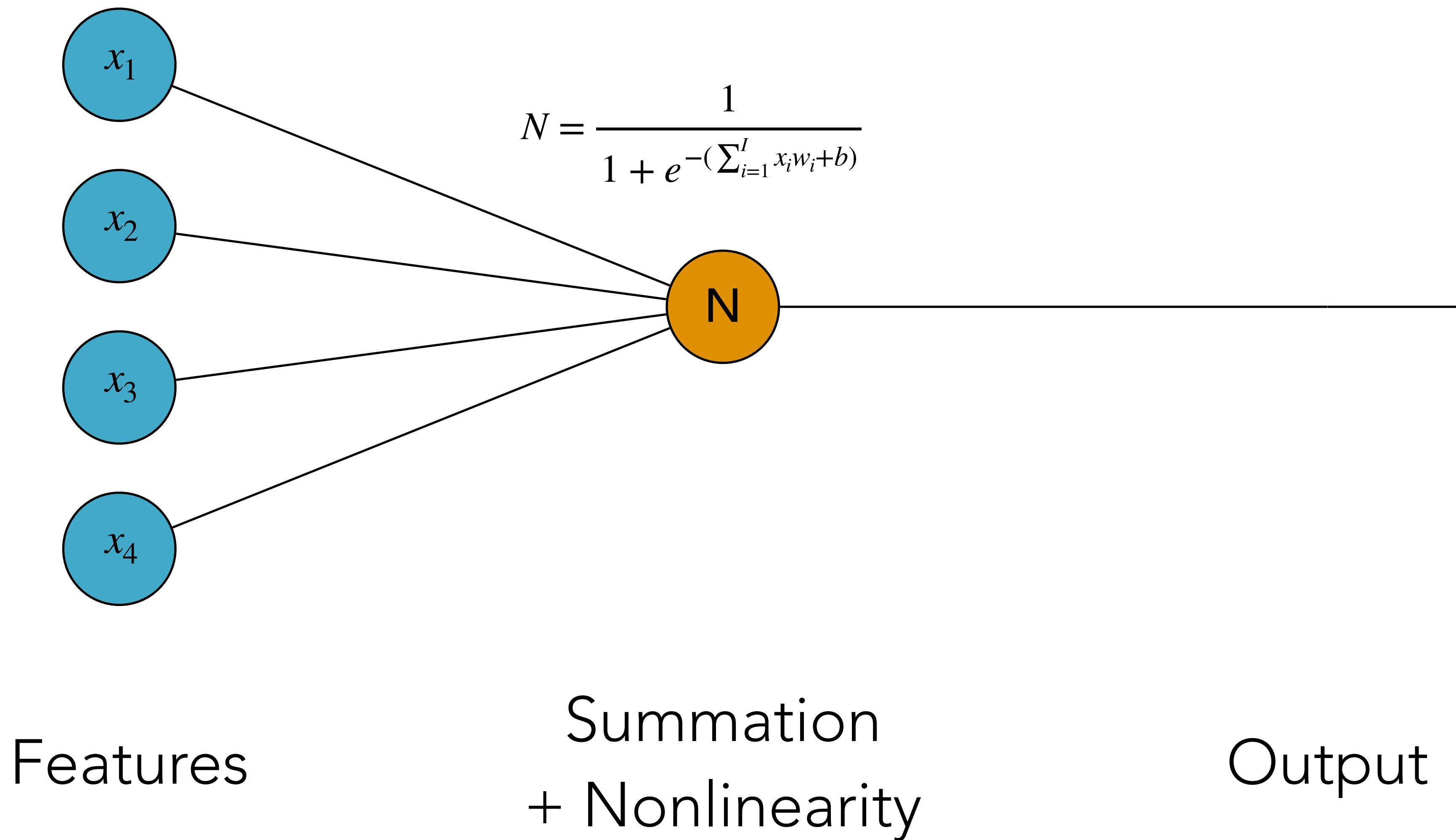


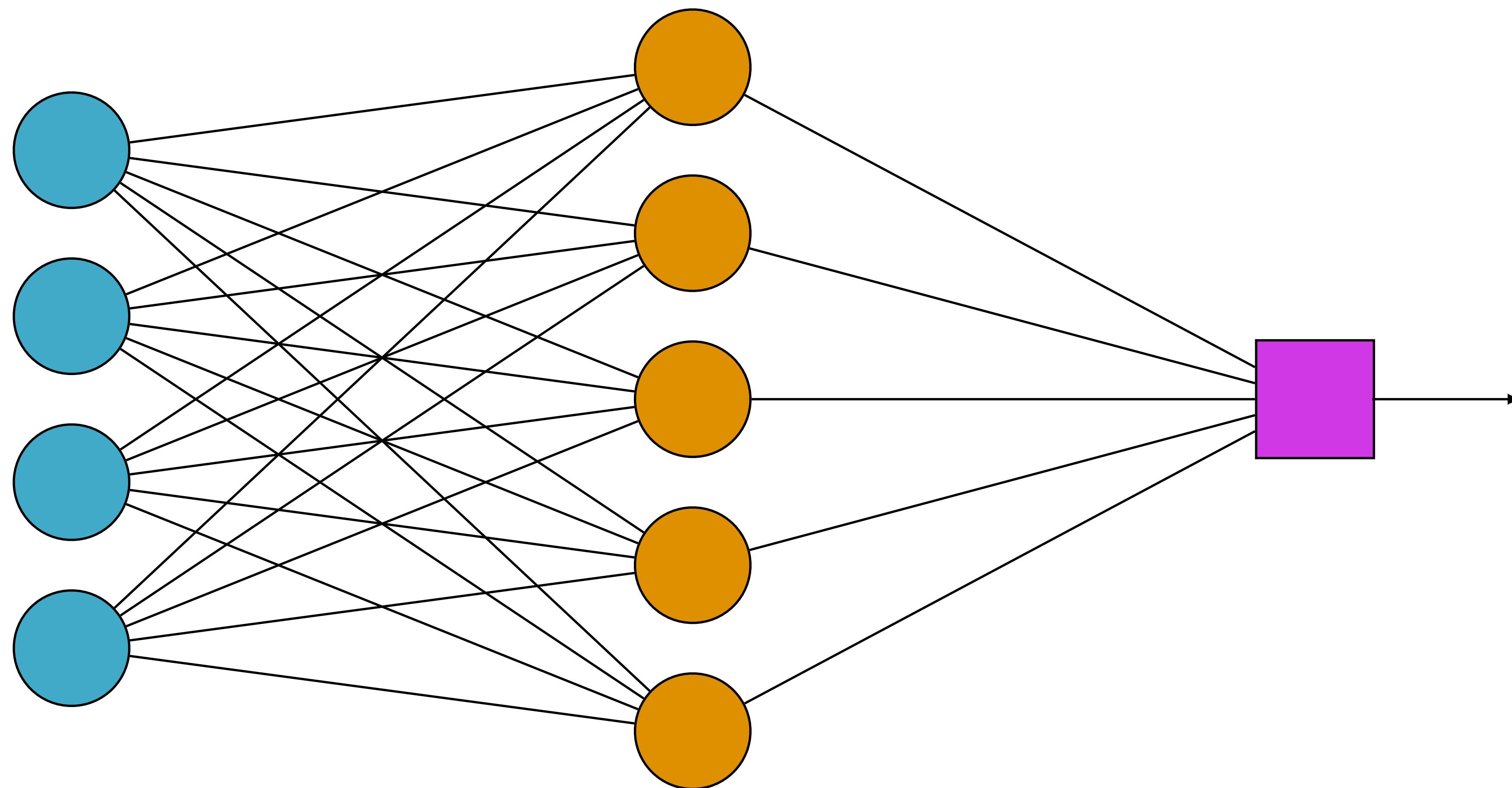
Features

Summation
+ Nonlinearity

Output

CHECK: HOW MANY TRAINABLE PARAMETERS?

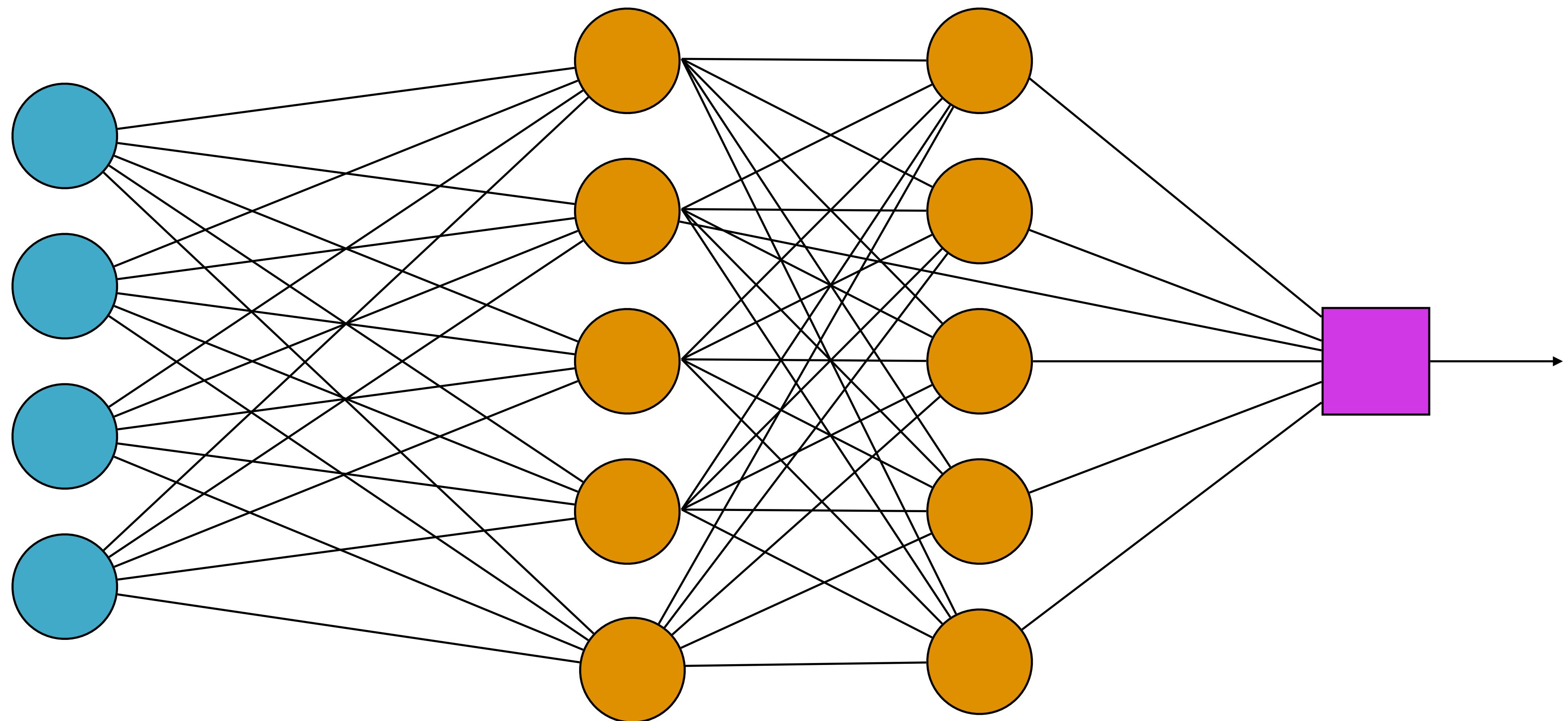




Features

Hidden Layer

Output

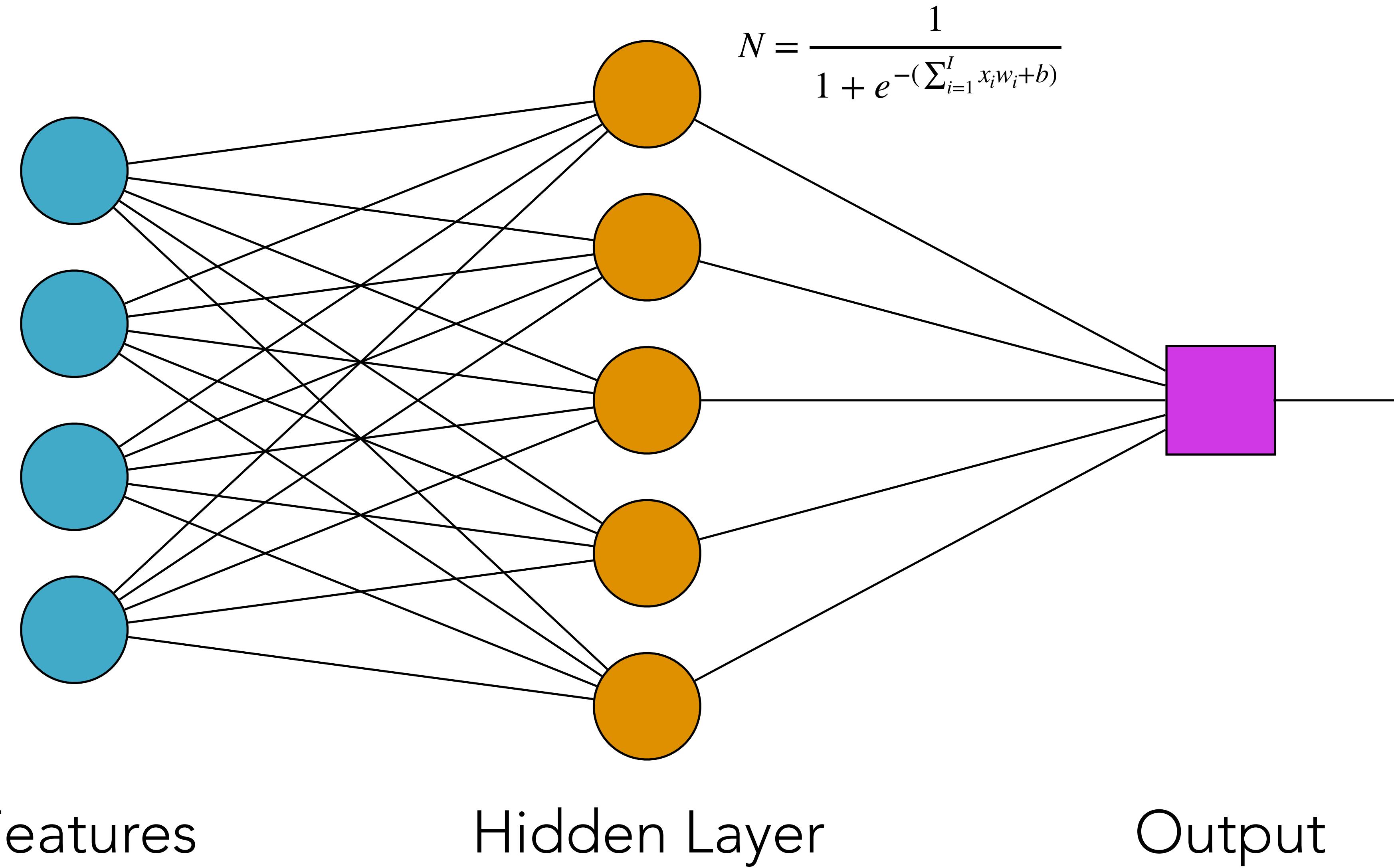


Features

Hidden Layer

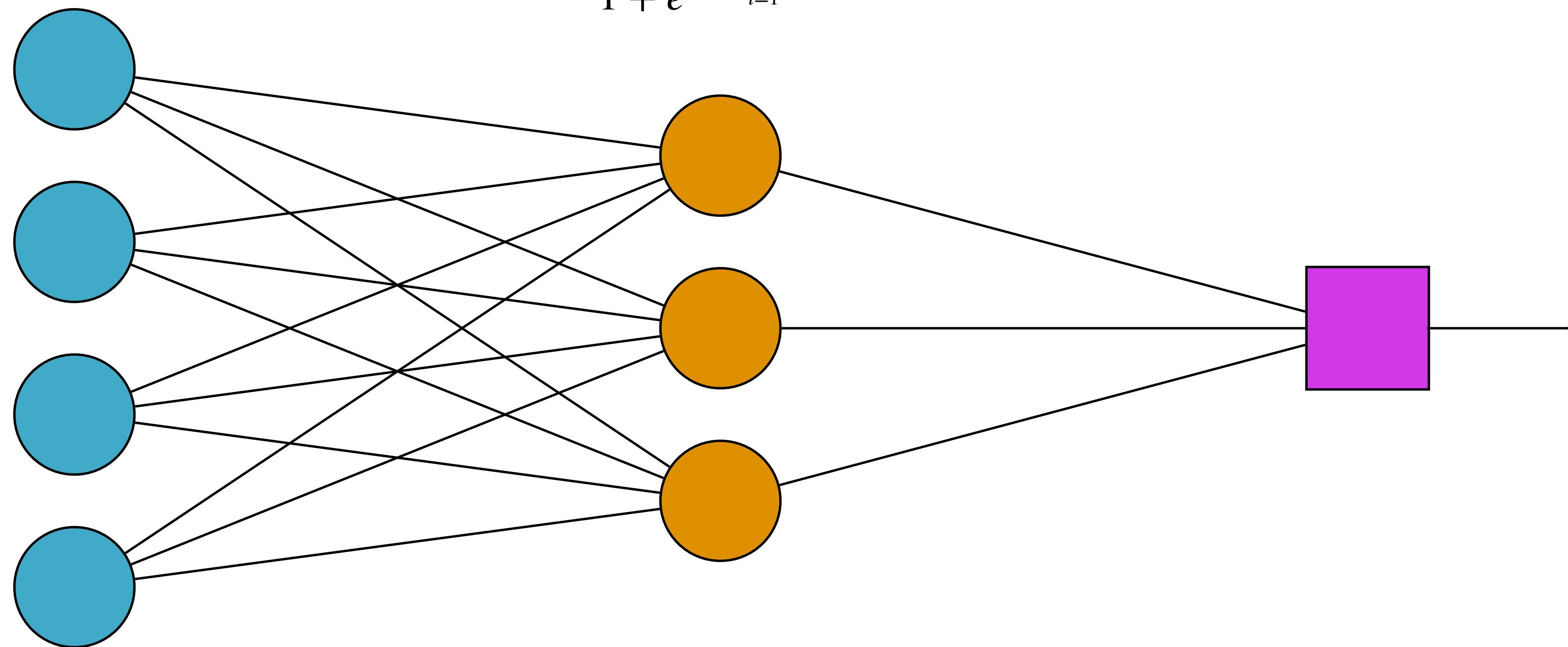
Output
Hidden Layer

CHECK: HOW MANY TRAINABLE PARAMETERS?



CHECK: HOW MANY TRAINABLE PARAMETERS?

$$N = \frac{1}{1 + e^{-(\sum_{i=1}^I x_i w_i + b)}}$$



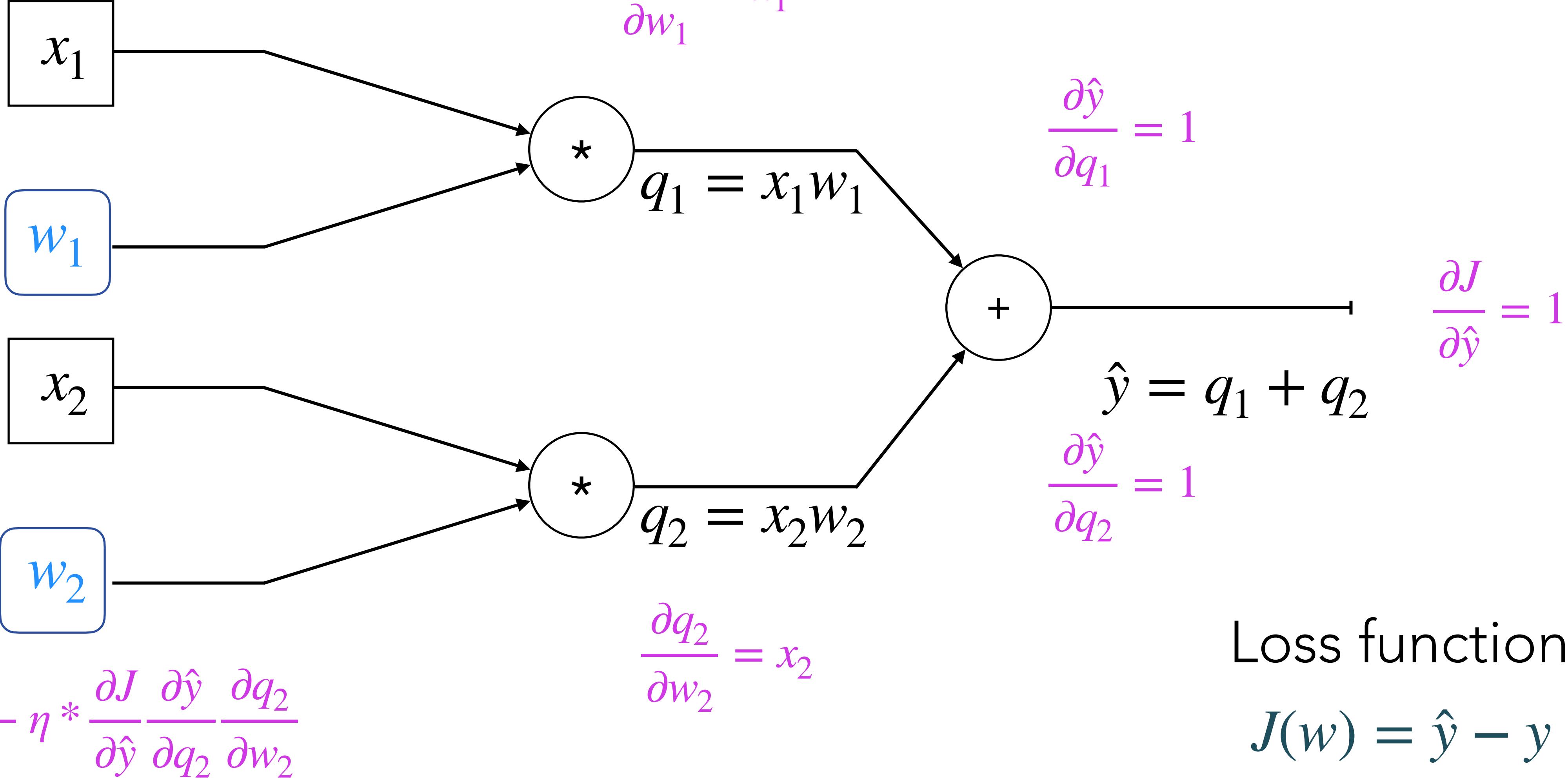
Features

Hidden Layer

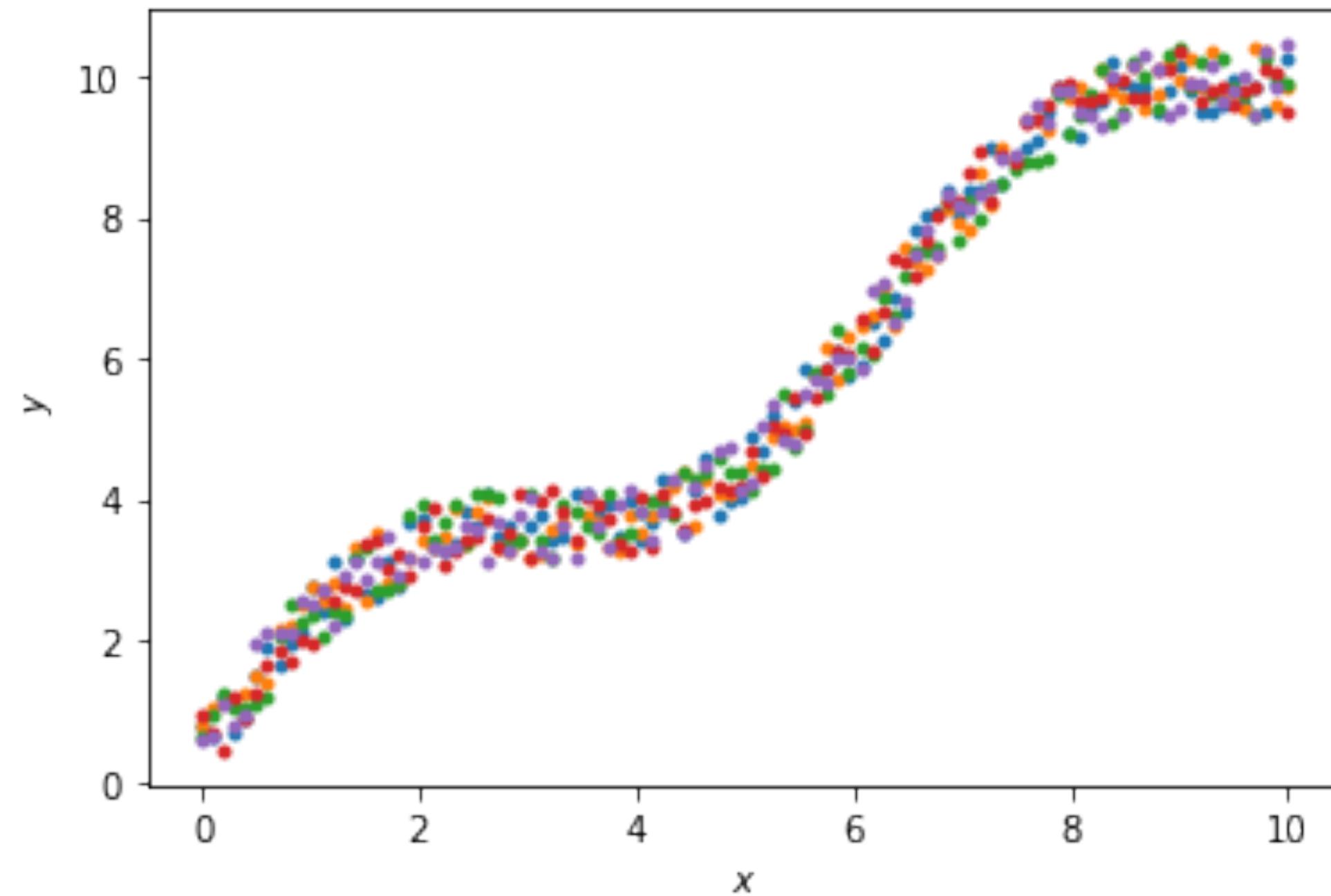
Output

BACKPROPAGATION

$$w_1 = w_1 - \eta * \frac{\partial J}{\partial \hat{y}} \frac{\partial \hat{y}}{\partial q_1} \frac{\partial q_1}{\partial w_1}$$



LOSS FUNCTIONS



Loss function

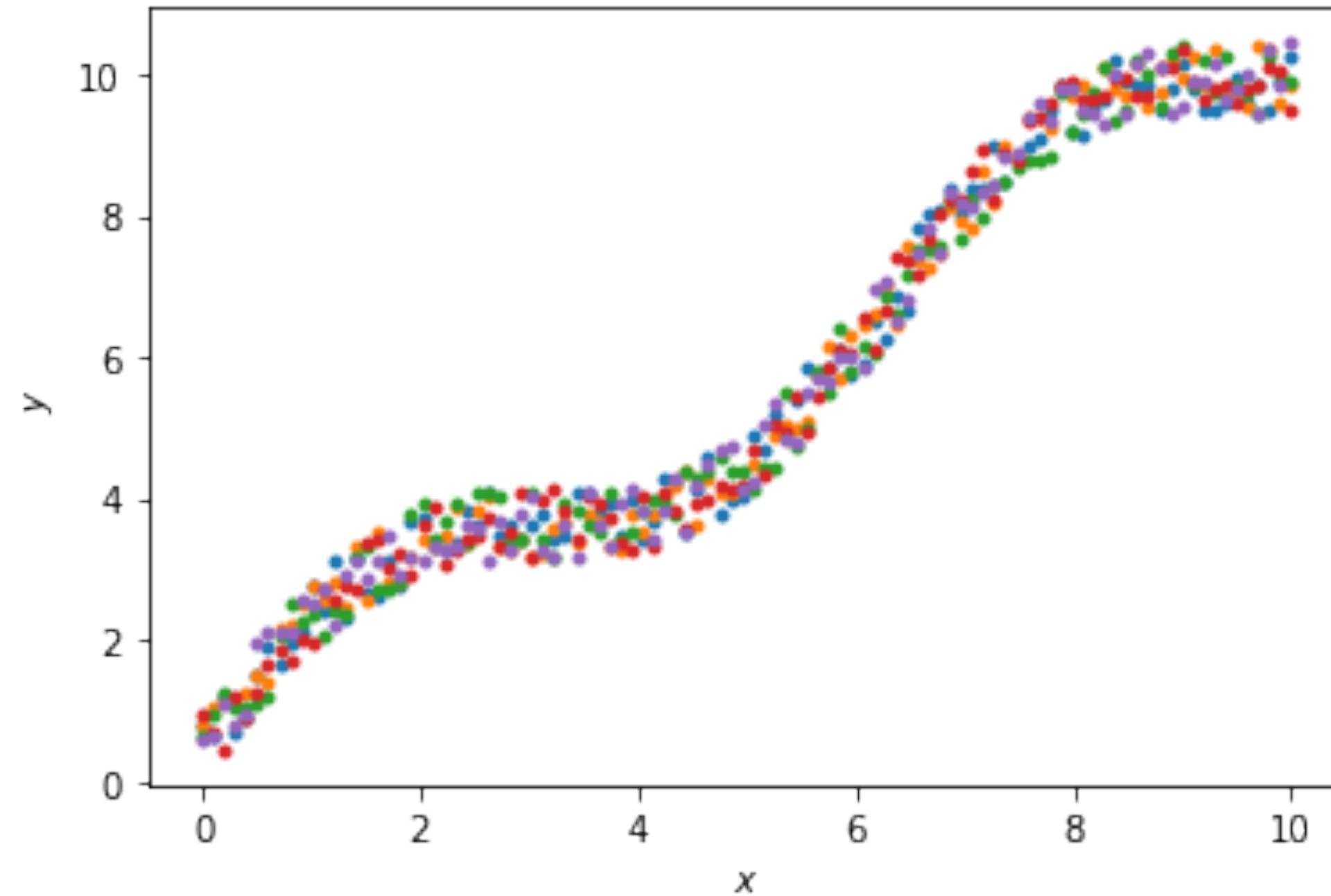
Mean squared error
(MSE)

Mean absolute error
(MAE)

$$J(w) = \frac{1}{N} \sum_{i=0}^N (\hat{y}_i - y_i)^2$$

$$J(w) = \frac{1}{N} \sum_{i=0}^N |\hat{y}_i - y_i|$$

LOSS FUNCTIONS



Loss function

Mean squared error

mean

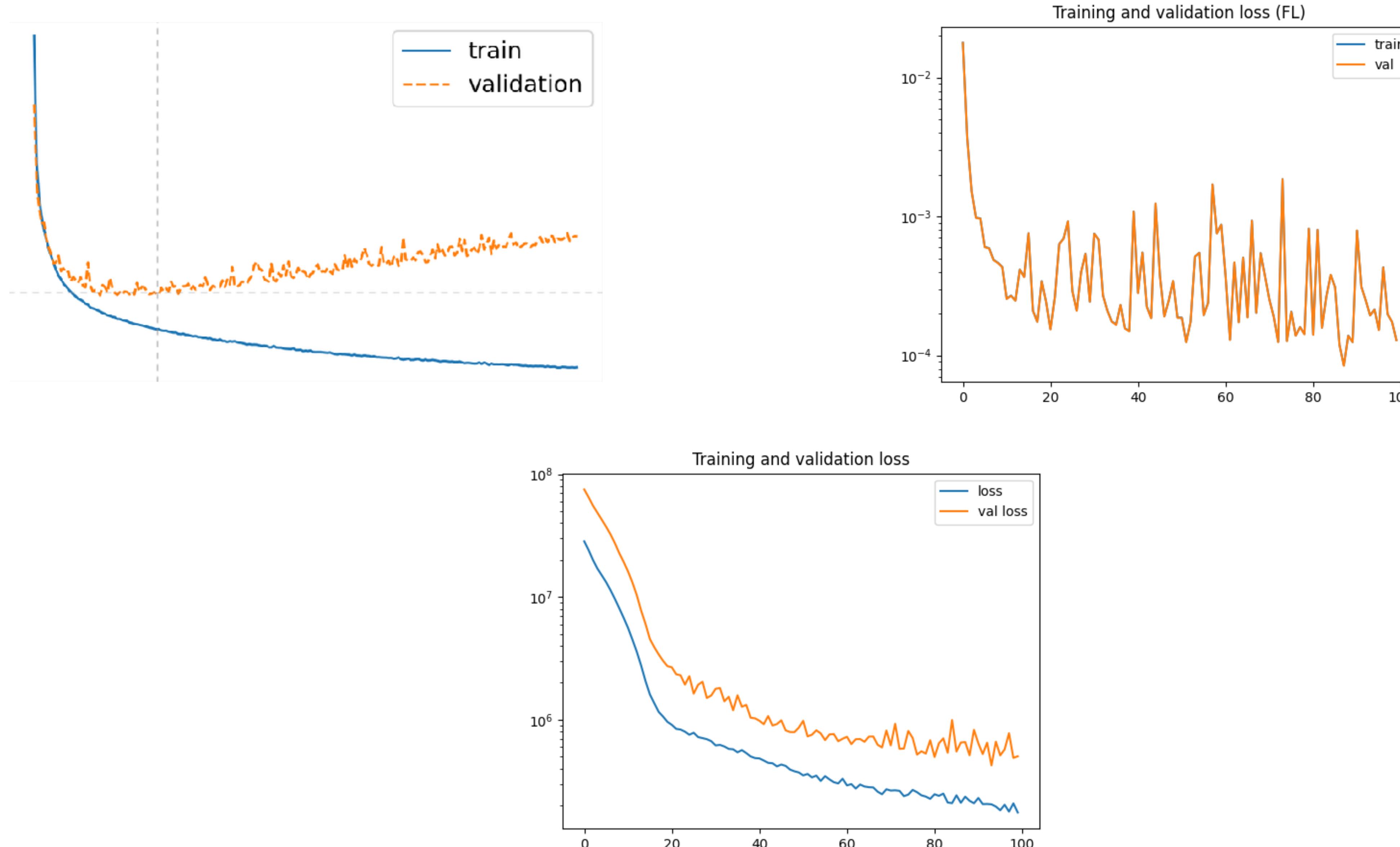
Mean absolute error

median

$$J(w) = \frac{1}{N} \sum_{i=0}^N (\hat{y}_i - y_i)^2$$

$$J(w) = \frac{1}{N} \sum_{i=0}^N |\hat{y}_i - y_i|$$

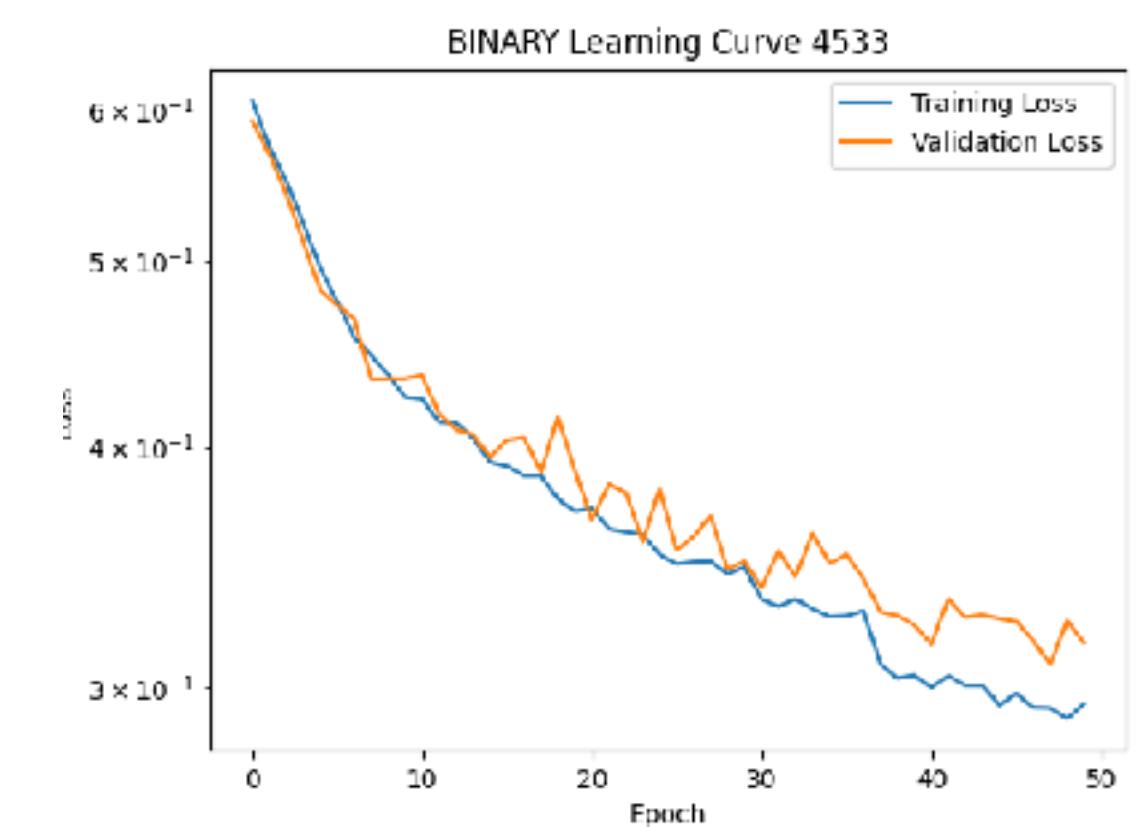
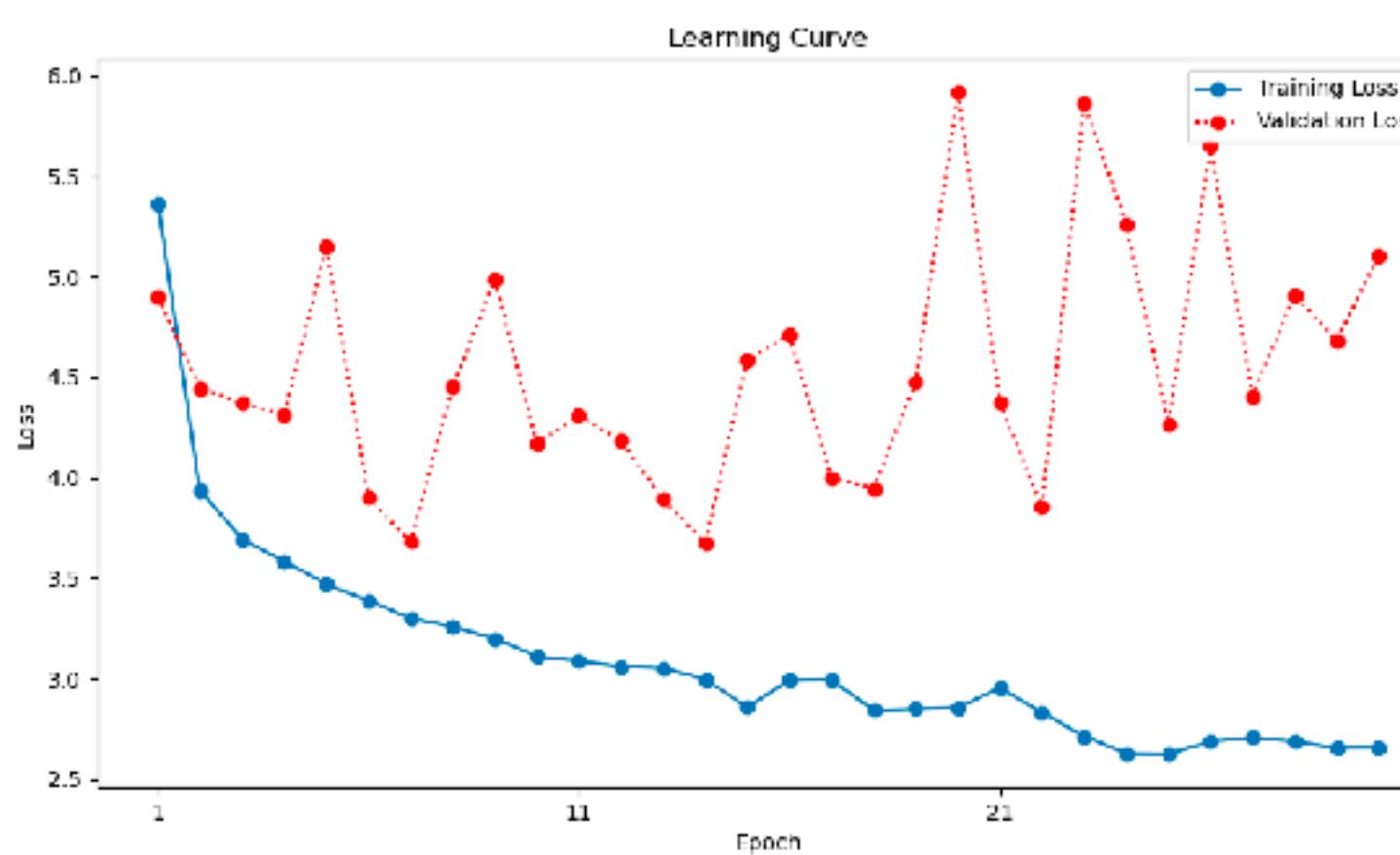
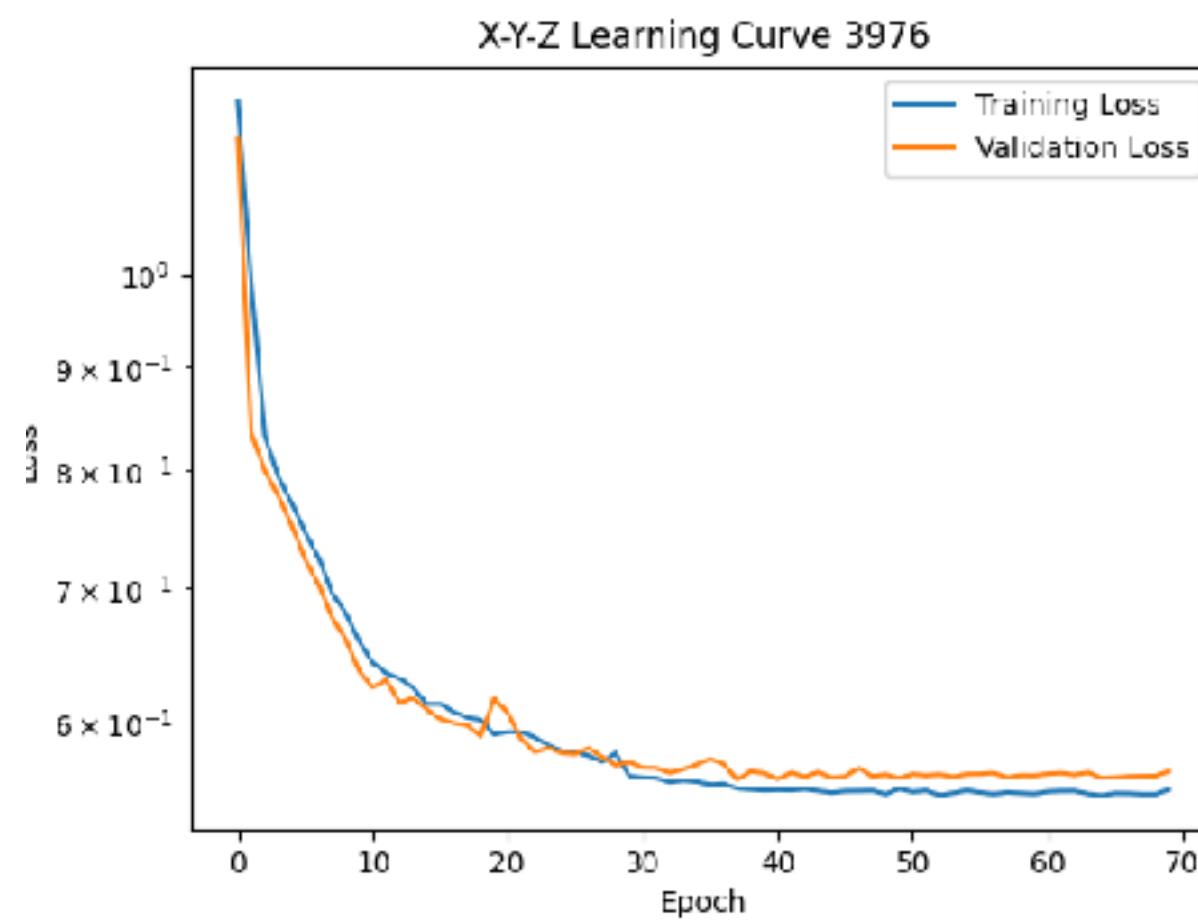
Learning (loss) curves



TRAINING

Remember that our goal is NOT to minimize loss on training data!

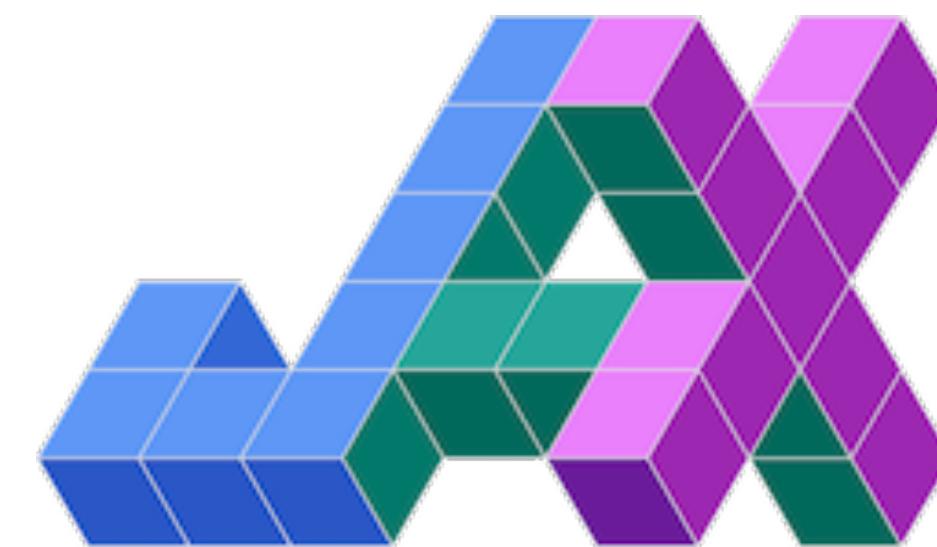
Learning curves



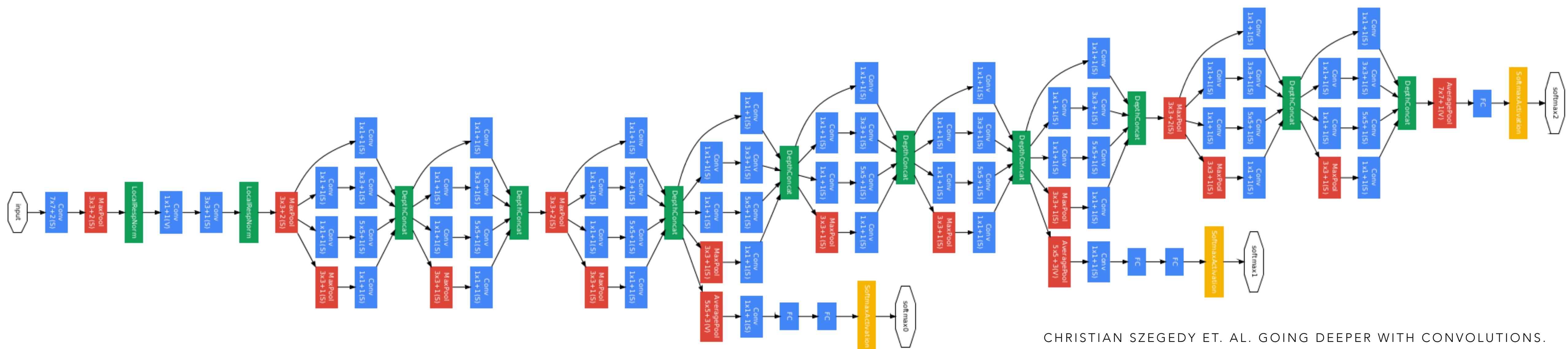
AUTOMATIC DIFFERENTIATION

 TensorFlow  PyTorch

 Keras



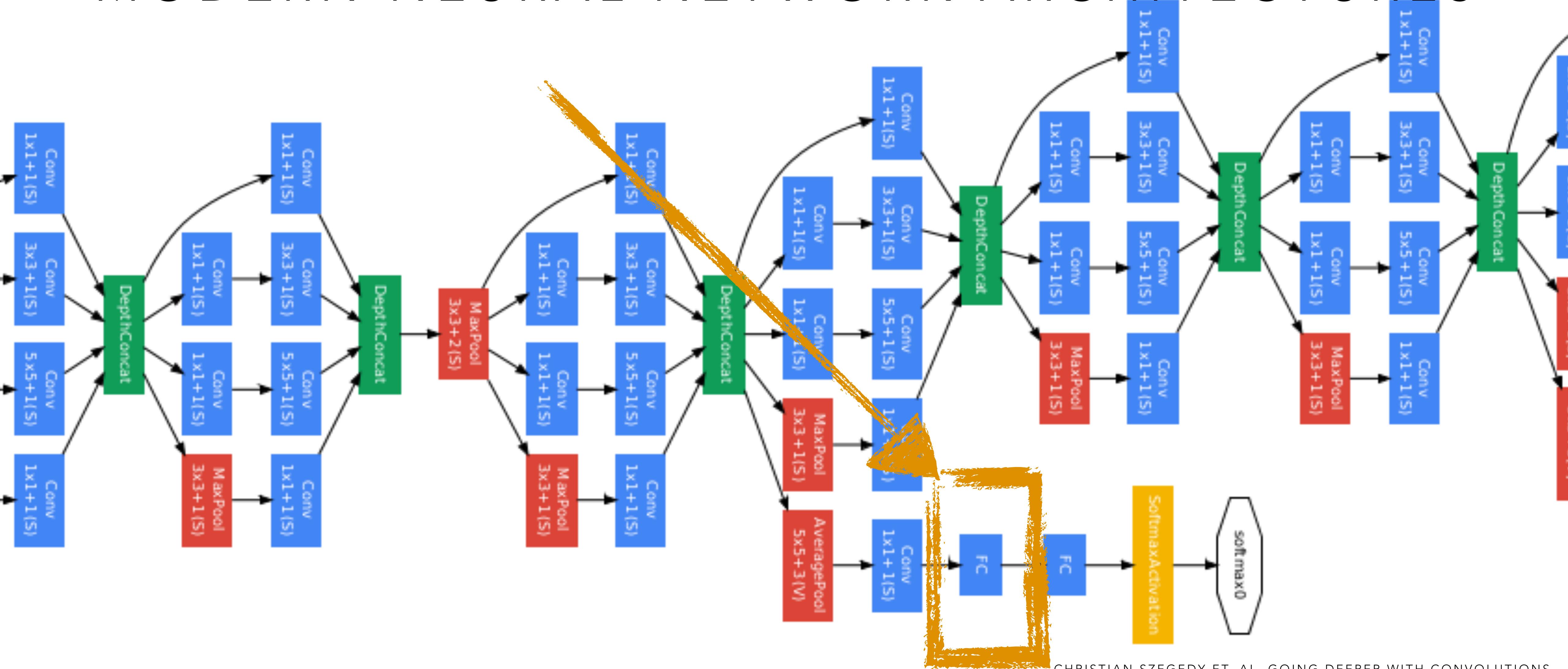
MODERN NEURAL NETWORK ARCHITECTURES



CHRISTIAN SZEGEDY ET. AL. GOING DEEPER WITH CONVOLUTIONS.

"GoogLeNet network with all the bells and whistles"

MODERN NEURAL NETWORK ARCHITECTURES



CHRISTIAN SZEGEDY ET AL. GOING DEEPER WITH CONVOLUTIONS.

“GoogLeNet network with all the bells and whistles”

PRACTICAL TIPS FOR TRAINING MODELS

DATA

	Feature 1	Feature 2	Feature 3	Target
Example 1				
Example 2				
Example 3				
Example 4				

NORMALIZATION

- Puts each feature on same scale

WHY?

DATA

	Feature 1	Feature 2	Feature 3	Target
Example 1				
Example 2				
Example 3				
Example 4				

NORMALIZATION

- Puts each feature on same scale
- Allows default hyperparameters to be a good starting point
 - learning rate, initialization of weights, etc.
- Options depend on data distribution
 - Standardization: mean: 0 stdev: 1
 - Min-max: [0,1]

DATA

	Feature 1	Feature 2	Feature 3	Target
Example 1				
Example 2				
Example 3				
Example 4				

ENCODING

- Non-numeric data
- Class-based features:
 - One-hot encoding: $3 \rightarrow [0\ 0\ 1]\ [0\ 1\ 0]\ [1\ 0\ 0]$

WHY??

DATA

	Feature 1	Feature 2	Feature 3	Target
Example 1				
Example 2				
Example 3				
Example 4				

ENCODING

- Non-numeric data
- Class-based features:
 - One-hot encoding: $3 \rightarrow [0\ 0\ 1] [0\ 1\ 0] [1\ 0\ 0]$
 - When classes do not have sequential meaning:  cars vs dogs vs plants  months

BUILDING AND TRAINING MODELS

TRAINING

- A challenging part of machine learning is gaining the experience for tuning models well.
- We will work on this skill!

COMMUNITY

- Each of you arrived here with your own backgrounds, specialty, and path in life
- Your experience and expertise are valuable here, no matter what it is
- If the activity is within your background, help others!
- If you are totally (or a little) lost, ask for help!
- It is our shared goal to have **each** of us leave with some new skill/knowledge/understanding