

# **ECE466 LAB4**

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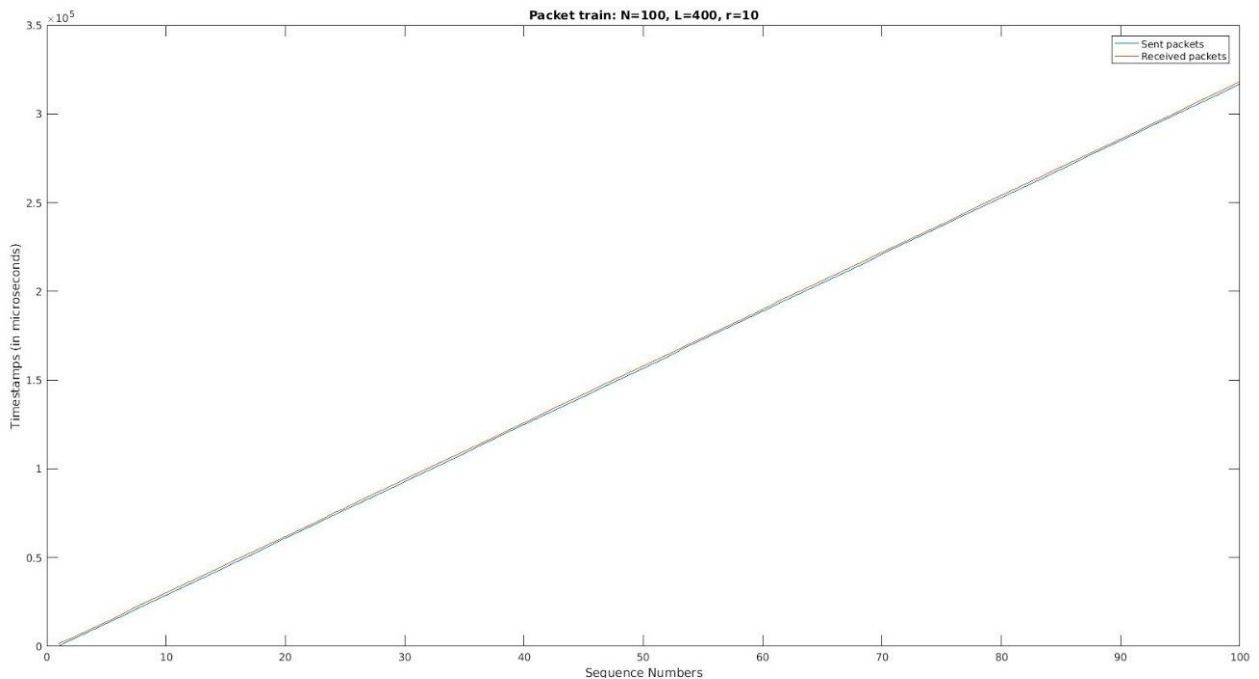
**Yu Li 1000173554**

## Part 1 Generating and Time-stamping Packet Trains

### Exercise 1.5 Evaluation

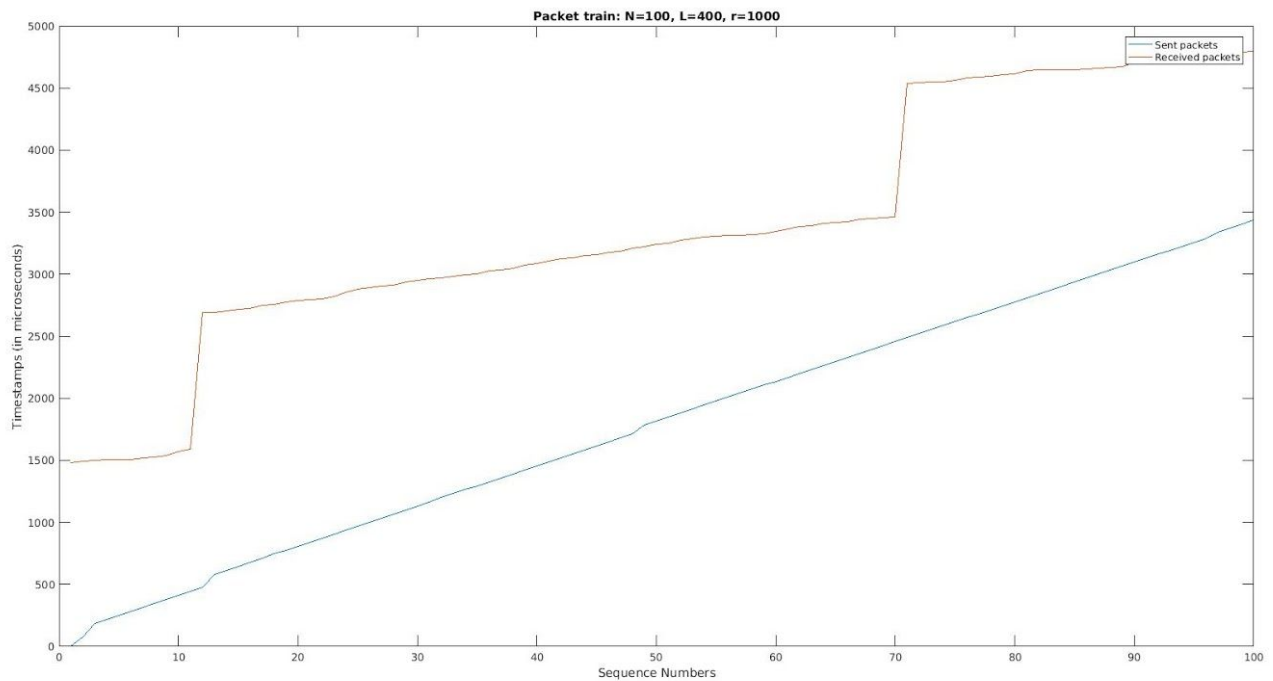
Provide the plots and a discussions of the graphs generated in Exercise 1.5. Include the source code for the Estimator, that was used for Exercise 1.5.

1. Packet train:  $N=100$ ,  $L=400$ ,  $r=10$ ;



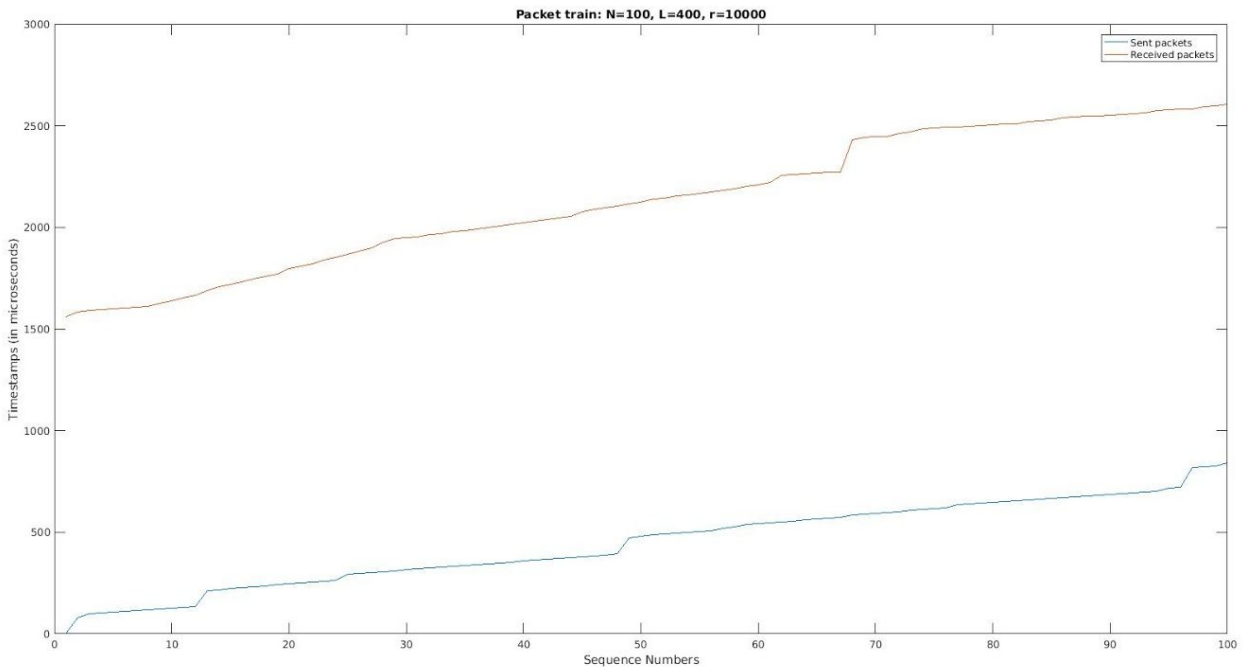
From the graph above, the two curves represent the sent packets and received packets. As can be seen, the two curves are almost the same and very close to each other, which means that the BlackBox is able to receive and transmit the packets efficiently with TrafficGenerator and TrafficSink. There is also a small delay showing up in the figure as well.

2. Packet train:  $N=100$ ,  $L=400$ ,  $r=1000$ ;



In the graph above, we can see that the receive timestamp is above the send timestamp. It is because that the increasing of the packet train rate. It causes the backlog in the BlackBox. However, since the rate at BlackBox is pretty fast, so when it passes the delay, it sends out the packet at a faster rate than the receive rate, which leads to the jump in the curve.

### 3. Packet train: $N=100$ , $L=400$ , $r=10000$ ;



With the rate  $r$  increased to 10 times of the previous one, we still can see a similar pattern as the previous in the graph above. But as the rate increases, the speed of send packet has increased and we could see that the send time is pretty low. Therefore, the packets can only be sent after a certain delay and backlogged at the BlackBox for a while.

Source code for the Estimator: basically we created a `concurrentHashMap` in order to store the timestamps for the packets. And created two public functions to access the map. Meanwhile, in the main function of the Estimator, we first read the user inputs from arguments and then created two thread for `TrafficGenerator` and `TrafficSink` in order to send and receive packets to and from BlackBox.

```

public class TrafficEstimator {

    private static ConcurrentHashMap<Integer, Timestamp> map = new ConcurrentHashMap<Integer, Timestamp>();

    public static void mapPut(Integer key, Timestamp value){
        map.put(key, value);
    }

    public static Timestamp mapGet(Integer key){
        return map.get(key);
    }

    public static void main(String[] args) throws IOException {
        // BlackBox is started at localhost with default port 4444
        // also initialize the sink port for the TrafficSink to receive packets later
        String hostname = args[0];
        InetAddress addr = InetAddress.getByName(hostname);
        int port = Integer.parseInt(args[1]);
        int sinkPort = 4445;

        // read the user input for given parameters N L r
        int N = Integer.parseInt(args[2]);
        int L = Integer.parseInt(args[3]);
        int r = Integer.parseInt(args[4]);

        // start the traffic generator to send packets to blackbox
        new TrafficGenerator(addr, port, N, L, r, sinkPort).start();

        // start the traffic sink to receive packets from blackbox and compute timestamps
        new TrafficSink(sinkPort, N, L, r).start();
    }
}

```

## Part 2 Bandwidth Estimation of Black Boxes

### Exercise 2.1 Implement and test the probing methodology

We started with the  $L = 400$  Bytes,  $N = 100$ . But we found that because the  $L$  is too small, so that all packets are transmitted before BlackBox to send the packet, so we increase the  $N$  and  $L$  to  $N = 1000$  and  $L = 100,000$  Bytes.

And we found that if we set the  $R = 100$  Mbps and set the  $r = 100,000$  Kbps, it could cause some internal exception in the nanosecond timeout value out of range. Therefore, we changed the  $R = 1$  Mbps instead of 100 Mbps in order to use the probing methodology to find the service curve. And we could set the  $r$  to a value that is slightly higher than the  $R$ 's value.

In order to select the rate, I use the probing methodology to determine the service curve. Basically, I start with a rate that close to the rate  $R$  and start to compare the estimated service curve to the ideal service curve and adjust the rate  $r$  correspondingly. We use the below code inside the TrafficSink.java to calculate the maximum backlog. After all the packets are received from BlackBox, we calculate the backlog based on the sequence numbers between the arrival and departure functions.

```

long Bmax = 0;
for (int i = 1; i <= N; i++) {
    long temp = 0;
    long receiveTime = TrafficEstimator.mapGet(i).getReceive();
    for (int j = 1; j <= N; j++){
        long sendTime = TrafficEstimator.mapGet(j).getSend();
        if (sendTime > receiveTime){
            temp = (j - i)*(L/N)*8;
            break;
        }
    }

    if (Bmax < temp)
        Bmax = temp;
}
System.out.println("The max backlog is " + Bmax + " bits");

```

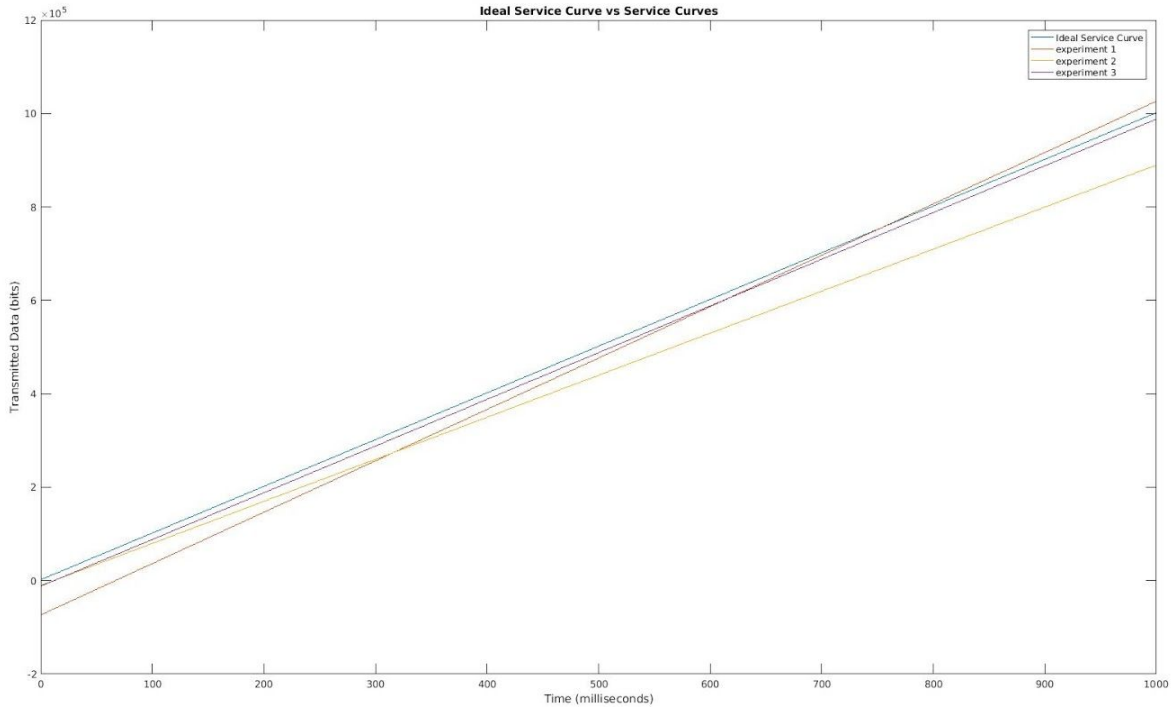
$B_{\max}(r) = \sup\{A(t) - D(t)\}$ , we could use matlab to retrieve it from sink output  
 $S(t) = \max(r t - B_{\max}(r))$

**BlackBox 1:**  $b = L_{\max}$ ,  $R = 1$  Mbps,  $T = 10,000$  us, Ideal Service Curve:  $S(t) = 11840 + 1000(t - 10)$

Experiment 1:  $r = 1100$  Kbps;  $B_{\max} = 73600$  bits;  $S(t) = 1100*t - 73600$

Experiment 2:  $r = 900$  Kbps;  $B_{\max} = 10400$  bits;  $S(t) = 900*t - 10400$

Experiment 3:  $r = 1000$  Kbps;  $B_{\max} = 12000$  bits;  $S(t) = 1000*t - 12000$



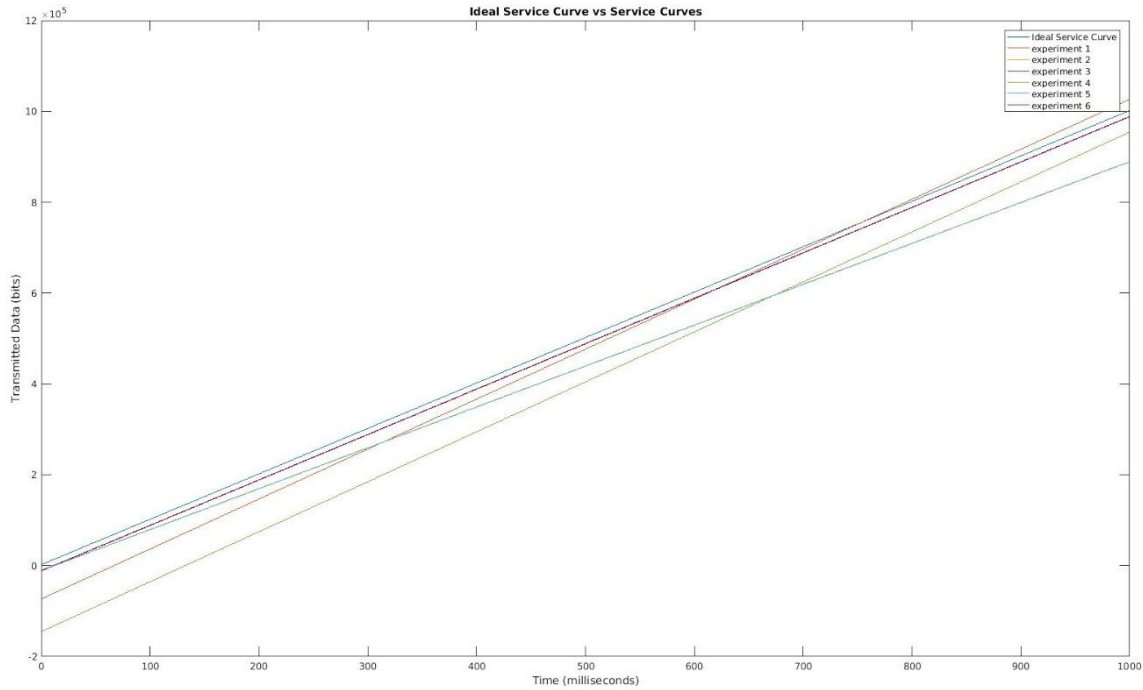
As shown in the image above, we could see that the experiment service curves are close and overlapping to the ideal service curve. The BlackBox is able to transmit the packets from TrafficGenerator to TrafficSink. Furthermore, from the closer comparison, we could see that the combination of the service curve ( $S(t) = \{\max(rt - B_{\max}(r)) \mid r \text{ belongs to } R\}$ ) is closest to the ideal service curve.

Repeat the experiment with  $N = 2N = 2000$  and  $L = 2L = 200,000$

Experiment 4:  $r = 1100$  Kbps;  $B_{\max} = 145600$  bits;  $S(t) = 1100 * t - 145600$

Experiment 5:  $r = 900$  Kbps;  $B_{\max} = 11200$  bits;  $S(t) = 900 * t - 11200$

Experiment 6:  $r = 1000$  Kbps;  $B_{\max} = 11200$  bits;  $S(t) = 1000 * t - 11200$



By repeating the experiment above, we still get the similar results. The image shown above displays all six experiments with the ideal service curve. With the length of packet train increased, the maximum backlog increases as well. When  $r > R$  and as the number of the transmitted bit increases, the backlog increases because of the rates difference between  $r$  and  $R$ .

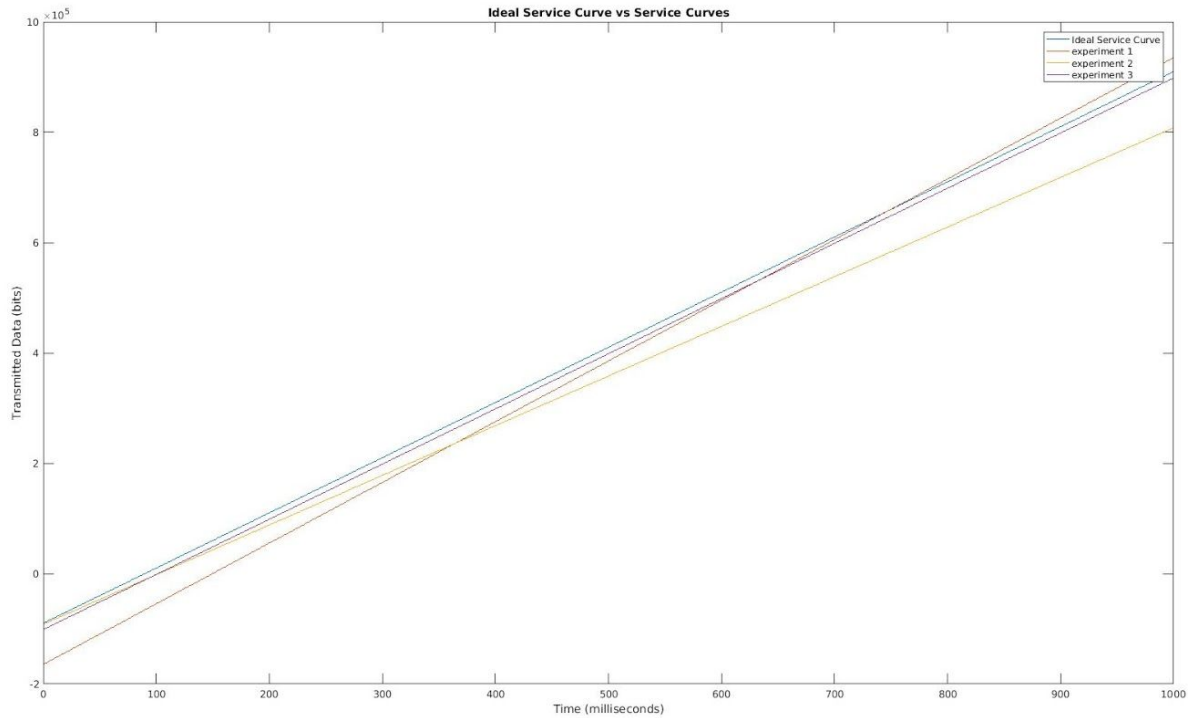
**BlackBox 2:  $b = 10000$ bits,  $R = 1$  Mbps,  $T = 100,000$  us, Ideal Service Curve:  $S(t) = 10000 + 1000(t - 100)$**

Experiment 1:  $r = 1100$  Kbps;  $B_{\max} = 164800$  bits;  $S(t) = 1100*t - 164800$

Experiment 2:  $r = 900$  Kbps;  $B_{\max} = 92000$  bits;  $S(t) = 900*t - 92000$

Experiment 3:  $r = 1000$  Kbps;  $B_{\max} = 101600$  bits;  $S(t) = 1000*t - 101600$





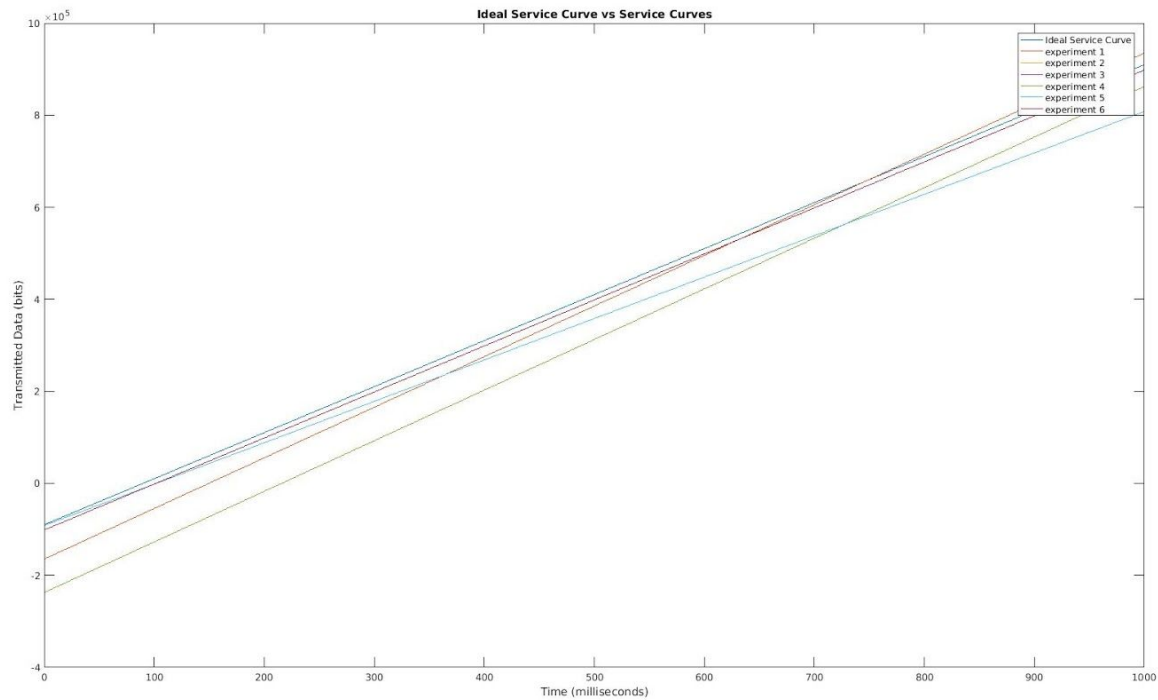
The graph above appears to be similar to the previous BlackBox that we tried. It has the similar results as the results from probing methodology is close to the ideal service curve. The only big difference between this and BlackBox1 is that this has a larger Bmax.

Repeat the experiment with  $N = 2N = 2000$  and  $L = 2L = 200,000$

Experiment 4:  $r = 1100$  Kbps;  $B_{\max} = 237600$  bits;  $S(t) = 1100 \cdot t - 237600$

Experiment 5:  $r = 900$  Kbps;  $B_{\max} = 92000$  bits;  $S(t) = 900 \cdot t - 92000$

Experiment 6:  $r = 1000$  Kbps;  $B_{\max} = 101600$  bits;  $S(t) = 1000 \cdot t - 101600$



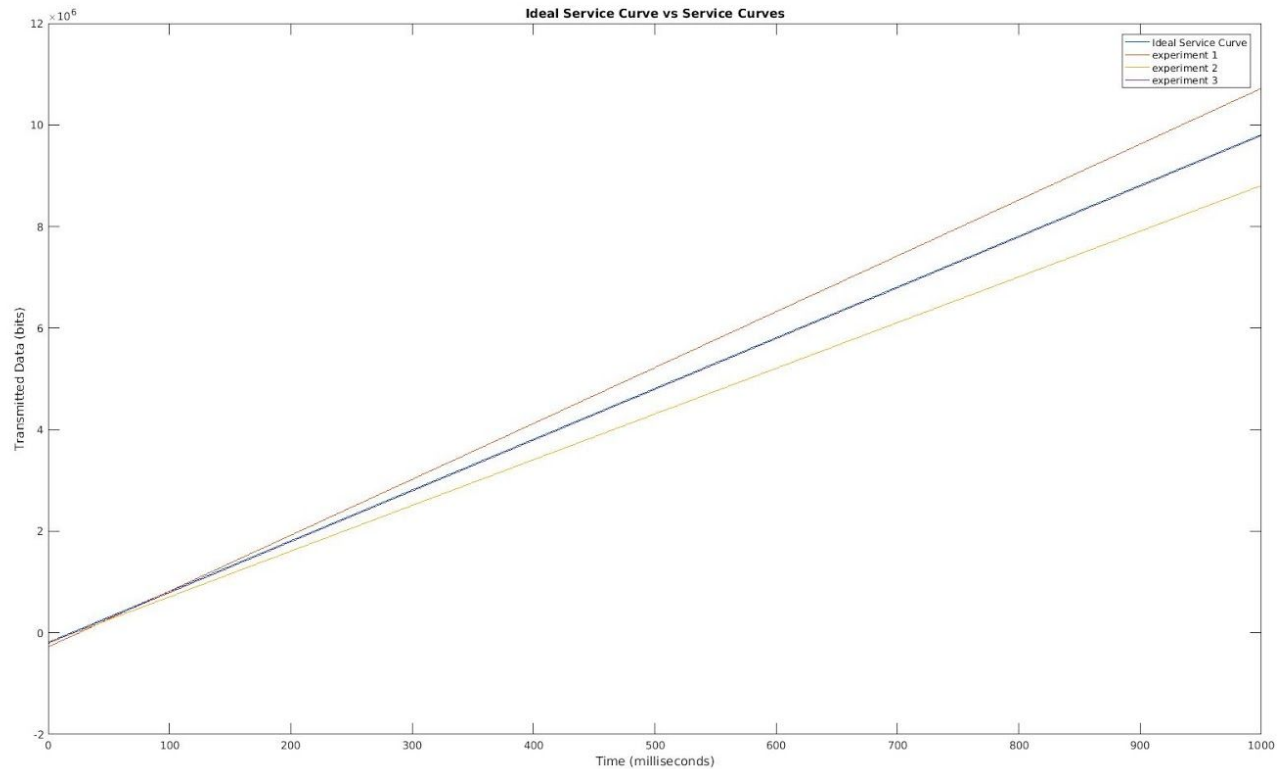
The graph has the similar results as the one from BlackBox1, as the N and L increases, the maximum backlog increases as well.

**BlackBox 3:  $b = L_{\max}$ ,  $R = 10$  Mbps,  $T = 20,000$  us, Ideal Service Curve:  $S(t) = 11840 + 1000(t - 20)$**

Experiment 1:  $r = 11000$  Kbps;  $B_{\max} = 280000$  bits;  $S(t) = 11000*t - 280000$

Experiment 2:  $r = 9000$  Kbps;  $B_{\max} = 193600$  bits;  $S(t) = 9000*t - 193600$

Experiment 3:  $r = 10000$  Kbps;  $B_{\max} = 210400$  bits;  $S(t) = 10000*t - 210400$



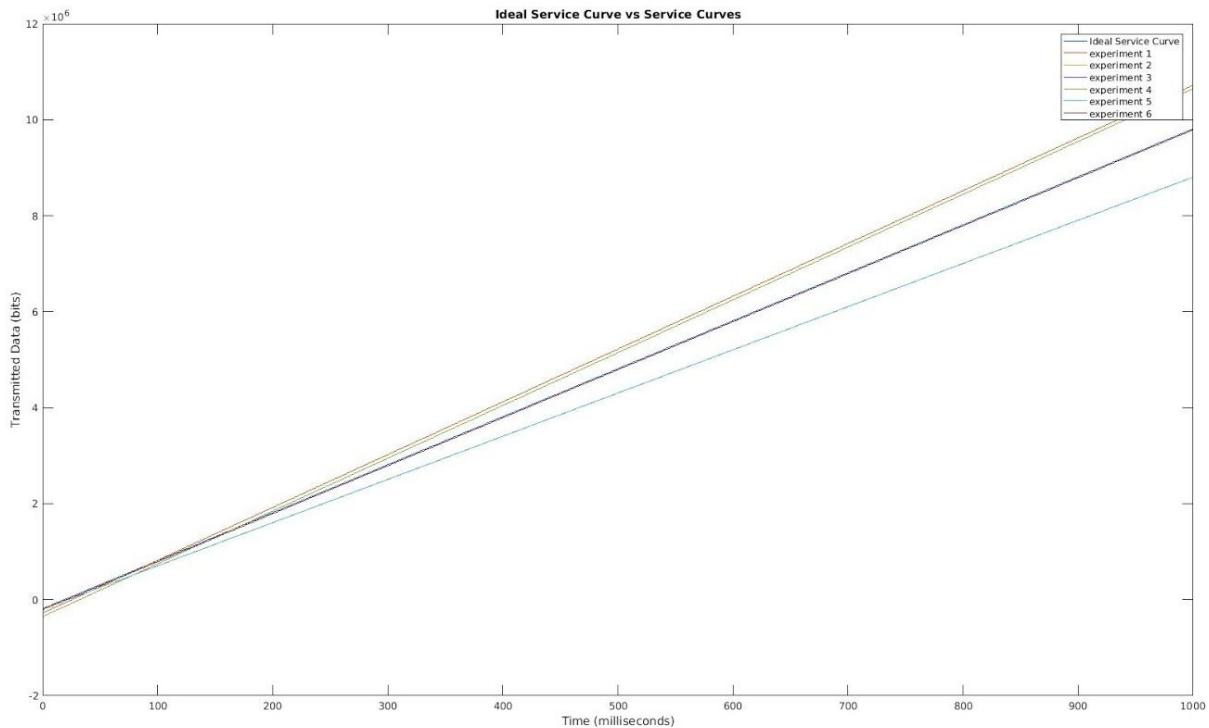
In this BlackBox, the rate  $R$  has increased to the 10 times of the two previous. We found that the combination of the estimated service curves are kind of far from ideal service curve. Only if when the selected rate  $r$  is close to the rate in the BlackBox.

Repeat the experiment with  $N = 2N = 2000$  and  $L = 2L = 200,000$

Experiment 4:  $r = 11000$  Kbps;  $B_{\max} = 354400$  bits;  $S(t) = 11000 \cdot t - 354400$

Experiment 5:  $r = 9000$  Kbps;  $B_{\max} = 197600$  bits;  $S(t) = 9000 \cdot t - 197600$

Experiment 6:  $r = 10000$  Kbps;  $B_{\max} = 210400$  bits;  $S(t) = 10000 \cdot t - 210400$



The repeated experiment with double N and L shows the similar results in the previous image in the same BlackBox.

The estimates seem to be pretty close to the ideal service curves, so we are pretty confident about the estimations. When the estimated service curve could not have a higher line it means that it has found the final results. But there is need to use the binary search method to find the correct parameters, which requires pretty much effort on it.

## Exercise 2.2 Evaluation of BlackBox with unknown parameters

**Estimate the unknown parameters with N = 1000, L = 100,000**

### BlackBox1.jar

First, we tested the burst size by changing N to different number and check what is the maximum packet size it could receive, which is the burst for the BlackBox.

We tried in the following procedure by setting N 1000 -> 100 -> 200 -> 150 -> 180 -> 170 -> 165. And we found that 170 could pass and 165 could not, so the burst equals to  $100000/170 = 588$  bytes = 4704 bits

Experiment 1:  $r = 100$  Kbps;  $B_{\max} = 10400$  bits;  $S(t) = 100 \cdot t - 10400$

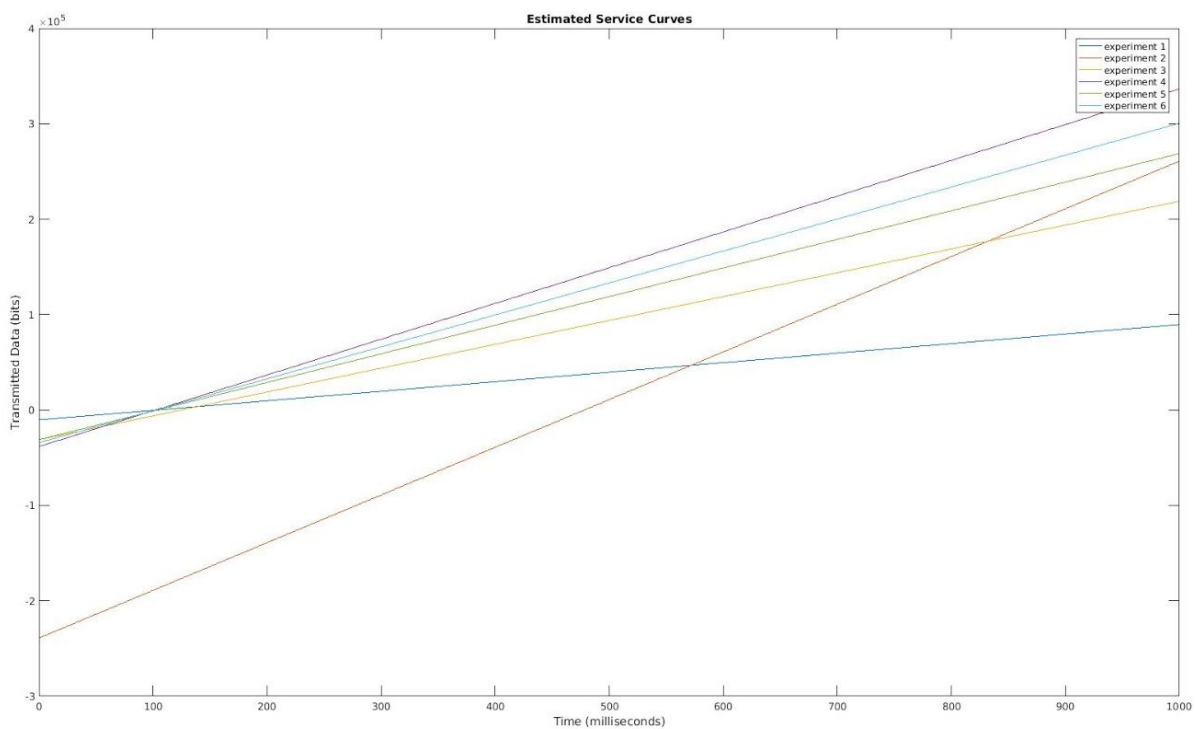
Experiment 2:  $r = 500$  Kbps;  $B_{\max} = 239200$  bits;  $S(t) = 500*t - 239200$

Experiment 3:  $r = 250$  Kbps;  $B_{\max} = 31200$  bits;  $S(t) = 250*t - 31200$

Experiment 4:  $r = 375$  Kbps;  $B_{\max} = 38400$  bits;  $S(t) = 375*t - 38400$

Experiment 5:  $r = 300$  Kbps;  $B_{\max} = 31200$  bits;  $S(t) = 300*t - 31200$

Experiment 6:  $r = 335$  Kbps;  $B_{\max} = 34400$  bits;  $S(t) = 335*t - 34400$



From the image shown above, it is the drawings of all  $S(t)$  experiments we have done. So from the image, we could see that the curve with rate  $r = 375$  Kbps appears to be rate for BlackBox since there is no other curves higher than it.

From the sinkOutputBB1.txt, we could know that the T delay is about 100 ms from the difference between the send and receive time. We got  $T = 100$  ms.

So  $b = 4704$  bits,  $T = 100$  ms,  $r = 375$  Kbps

**BlackBox2.jar**

Similarly, we used the same method to find  $b$  as the previous BlackBox1.jar. We tried in the following procedure by setting  $N$  1000 -> 500 -> 200 -> 350 -> 275 -> 237 -> 250 -> 270 -> 265 .And we found that 270 could pass and 265 could not, so the burst equals to  $100000/270 = 370$  bytes = 2960 bits

Experiment 1:  $r = 100$  Kbps;  $B_{\max} = 399600$  bits;  $S(t) = 100*t - 399600$

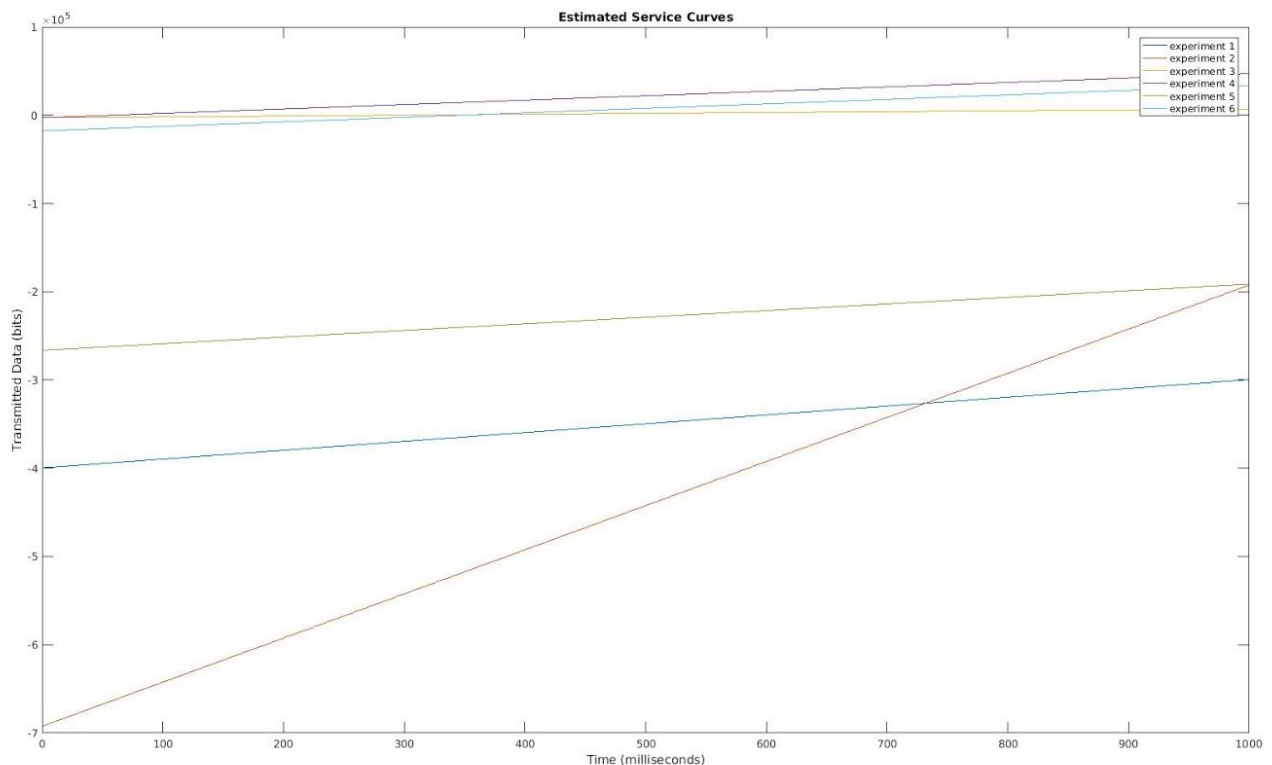
Experiment 2:  $r = 500$  Kbps;  $B_{\max} = 692640$  bits;  $S(t) = 500*t - 692640$

Experiment 3:  $r = 10$  Kbps;  $B_{\max} = 2960$  bits;  $S(t) = 10*t - 2960$

Experiment 4:  $r = 50$  Kbps;  $B_{\max} = 2960$  bits;  $S(t) = 50*t - 2960$

Experiment 5:  $r = 75$  Kbps;  $B_{\max} = 26400$  bits;  $S(t) = 75*t - 266400$

Experiment 6:  $r = 51$  Kbps;  $B_{\max} = 2960$  bits;  $S(t) = 51*t - 17760$



From the image shown above, it is the drawings of all  $S(t)$  experiments we have done. So from the image, we could see that the curve with rate  $r = 50$  Kbps appears to be rate for BlackBox since when  $r = 51$  Kbps, the change in  $B_{\max}$  is significant.

From the sinkOutputBB2.txt, we could know that the T delay is about 0 ms from the difference between the send and receive time. We got  $T = 0$  ms.  
So  $b = 2960$  bits,  $T = 0$  ms,  $r = 50$  Kbps

### **BlackBox3.jar**

Similarly, we used the same method to find b as the previous BlackBox1.jar. We tried in the following procedure by setting N 1000 -> 500 -> 300 -> 400 -> 350 -> 375 -> 365 -> 370. And we found that 370 could pass and 365 could not, so the burst equals to  $100000/370 = 270$  bytes = 2160 bits

Experiment 1:  $r = 100$  Kbps;  $B_{\max} = 8640$  bits;  $S(t) = 100 \cdot t - 8640$

Experiment 2:  $r = 500$  Kbps;  $B_{\max} = 546480$  bits;  $S(t) = 500 \cdot t - 546480$

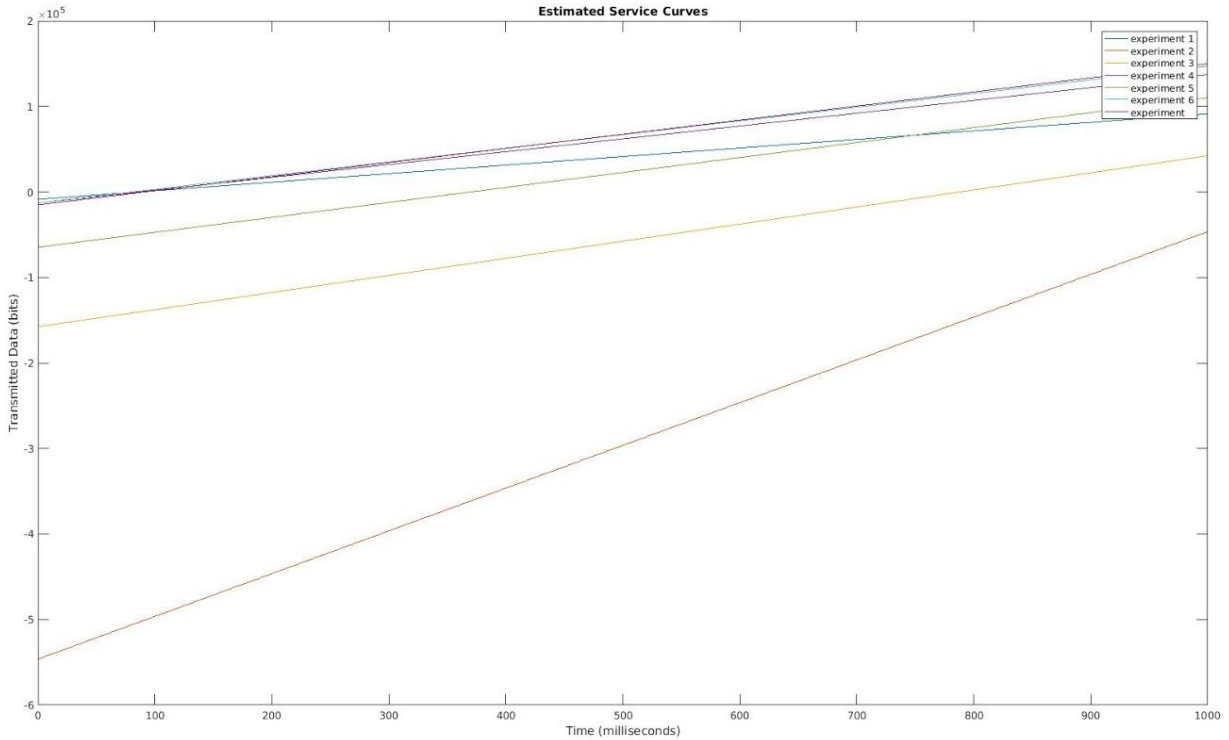
Experiment 3:  $r = 200$  Kbps;  $B_{\max} = 157680$  bits;  $S(t) = 200 \cdot t - 157680$

Experiment 4:  $r = 150$  Kbps;  $B_{\max} = 12960$  bits;  $S(t) = 150 \cdot t - 12960$

Experiment 5:  $r = 175$  Kbps;  $B_{\max} = 64800$  bits;  $S(t) = 175 \cdot t - 64800$

Experiment 6:  $r = 160$  Kbps;  $B_{\max} = 12960$  bits;  $S(t) = 160 \cdot t - 12960$

Experiment 7:  $r = 165$  Kbps;  $B_{\max} = 15120$  bits;  $S(t) = 165 \cdot t - 15120$



From the image shown above, it is the drawings of all  $S(t)$  experiments we have done. So from the image, we could see that the curve with rate  $r = 165$  Kbps appears to be rate for BlackBox since it is the higher one in the figure.

From the sinkOutputBB3.txt, we could know that the  $T$  delay is about 75 ms from the difference between the send and receive time. We got  $T = 75$  ms.

So  $b = 2160$  bits,  $T = 75$  ms,  $r = 165$  Kbps