

Quick Guide to Quantavo: Maple Toolbox for Linear Quantum Optics

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| Objects | Appearance | Declaration |
|---------------|---|---|
| vec | $\psi = \begin{bmatrix} 1 & [0, 0, 0] \\ \lambda & [1, 1, 0] \\ \lambda^2 & [2, 2, 0] \\ \lambda^3 & [3, 3, 0] \end{bmatrix}$ | <pre>vec:=CoherentState(K,d,α) vec:=SqueezedVac(K,d,λ) vac:=Vac(K); vec1:=TensorVac(vec,m) vec1:=TensorProduct(V,[1,2],W,[3,4]) vec:=Trim(V)</pre> |
| mat | $\rho = \begin{bmatrix} 0 & [0, 0, 0] & [1, 1, 0] \\ [0, 0, 0] & 1 & \bar{\lambda} \\ [1, 1, 0] & \lambda & \lambda \bar{\lambda} \end{bmatrix}$ | <pre>mat:=vec2mat(vec) mat:=matcol2mat(matcol) or direct declaration of the Matrix</pre> |
| matcol | $\rho_{matcol} = \begin{bmatrix} 1 & [0, 0, 0] & [0, 0, 0] \\ \bar{\lambda} & [0, 0, 0] & [1, 1, 0] \\ \lambda & [1, 1, 0] & [0, 0, 0] \\ \lambda \bar{\lambda} & [1, 1, 0] & [1, 1, 0] \\ \lambda^2 \bar{\lambda}^2 & [2, 2, 0] & [2, 2, 0] \end{bmatrix}$ | <pre>matcol:=vec2matcol(vec) matcol:=mat2matcol(mat) or direct declaration of the 3 column Matrix</pre> |

$$\begin{array}{llll}
& \text{CoherentState}(K, d, \alpha) & \sim & \sum_{n=0}^{d-1} \frac{\alpha^n}{\sqrt{n!}} |n\rangle^{\otimes K} \\
\text{ready made states are: } & \text{SqueezedVac}(K, d, \lambda) & \sim & \sum_{n=0}^{d-1} \lambda^n |n\rangle^{\otimes K} \\
& \text{TensorVac}(\text{vec}, m) & : & |\phi\rangle \rightarrow |\phi\rangle \otimes |0\rangle^{\otimes m} \\
& \text{IdentityState}(d, K) & \sim & \mathbb{I}_{d^K \times d^K}
\end{array}$$

Common Procedures:

| Linear Optics: | Measurements |
|---|---|
| BS(vec/matcol , i, j) myBS(vec/matcol , i, j, t, r) PS(vec/matcol , i, ϕ) BuildUnitary([<i>List of Lists</i>]) UnitaryEvolution(<i>U</i> , vec/matcol) | Project(vec/matcol , [<i>List</i>], vec/matcol) Probability(vec/matcol , [<i>List</i>] vec/matcol) Traceout(mat/matcol , i) POVMresult(matcol , [<i>List</i>], vec/matcol) APD ($\{0, 1\}$, <i>r</i> , <i>d</i> + 1) |
| Display | Algebraic Operations |
| Dstate(vec/matcol/mat) PlotState(vec/matcol/mat , width, height) | StateApprox(vec/matcol , <i>list</i> , <i>N</i>) StateMultiply(vec/matcol , vec/matcol) StateComplexConjugate(mat/matcol) StateNorm(vec) StateNormalize(vec/mat/matcol) StateTrace(mat/matcol) Traceout(mat/matcol , i) TensorProduct(vec/matcol , <i>list</i> , vec/matcol , <i>list</i>) StatePartialTranspose(mat/matcol , i) deltaK(i, j) |
| State Properties: | Entanglement & Energy |
| IsHermitian(matcol/mat) IsNormalized(vec/matcol/mat) StateNorm(vec) StateSort(vec/matcol) FindKnd(vec/matcol/mat) | Negativity(vec/matcol/mat) LogNegativity(vecmatcol/mat) Entropy(vec/matcol) Energy(vec/matcol) |

For further details see dictionary of procedures in the Quantavo_manual.pdf