```
public class Question4 \{0(1)
                                                                               Question 4
 public static boolean question4(int[][] matrix) {
                                                                               Time Complexity: O(n^2)
   for (int i = 0; i < matrix.length; i++) { O(n)
                                                                                         Nested for-loop, where n is
     for (int j = 0; j < matrix.length; j++) { O(n)
                                                                                         the length of the matrix.
       if (matrix[i][j] != matrix[j][i]) { O(1)
                                                                               Space Complexity: O(1)
         return true; O(1)
                                                                                         No additional data
                                                                                         structures.
     }
    return false; O(1)
 public static void main(String[] args) {
   System.out.println("Directed or undirected checker: "); O(1)
    System.out.println(); O(1)
    int[][] input = { O(1)}
        {0, 1, 0},
        {1, 0, 1},
        \{0, 0, 1\}
   };
    System.out.println("Test 1 - Is the matrix representing a directed graph?: " + question4(input)); //this should return true O(1)
   System.out.println("-----"); O(1)
    int[][] input2 = { O(1)}
        {0, 1, 1},
        {1, 0, 1},
        {1, 1, 0}
   System.out.println("Test 2 - Is the matrix representing a directed graph?: " + question4(input2)); //this should return false O(1)
    System.out.println("-----"); O(1)
    int[][] input3 = { O(1)}
        \{0, 1, 0, 0\},\
        \{0, 0, 1, 0\},\
        \{0, 0, 0, 1\},\
        \{1, 0, 0, 0\}
   };
```

```
System.out.println("Test 3 - Is the matrix representing a directed graph?:" + question4(input3)); //this should return false O(1)

}
```

Question 5 is on the next page!

```
import java.util.*; O(1)
                                                                                  Question 5
public class Question5 {
                                                                                  Time Complexity: O(V+E)
 static class edge {
    String destination; O(1)
                                                                                            Worst case for the DFS
   int weight; O(1)
                                                                                            method is O(V+E).
    edge(String destination, int weight) {
                                                                                 Space Complexity: O(V+E)
     this.destination = destination;
      this.weight = weight;
                                                                                            Worst case for the DFS
 }
                                                                                            method is O(V+E).
 static class graph {
   private final Map<String, List<edge>> adjacent = new HashMap<>(); O(1)
    public void addEdge(String from, String destination, int weight) {
     if (!adjacent.containsKey(from)) { O(1)
        adjacent.put(from, new ArrayList<>()); O(1)
      adjacent.get(from).add(new edge(destination, weight)); O(1)
    public void printweight(String start, String end, int targetWeight) {
     Deque<String> path = new ArrayDeque<>(); O(1)
      Set<String> visited = new HashSet<>(); O(1)
      depthfirst(start, end, 0, targetWeight, path, visited); O(1)
   }
   private void depthfirst(String current, String end, int currentWeight, int targetWeight, Deque<String> path, Set<String> visited) { O(V
+ E)
     path.addLast(current);
     visited.add(current);
      if (current.equals(end) && currentWeight == targetWeight) {
        System.out.println(new ArrayList<>(path));
     if (adjacent.containsKey(current)) {
        for (edge edge : adjacent.get(current)) {
          if (!visited.contains(edge.destination) && currentWeight + edge.weight <= targetWeight) {
            depthfirst(edge.destination, end, currentWeight + edge.weight, targetWeight, path, visited);
      path.removeLast();O(1)
      visited.remove(current); O(1)
 public static void main(String[] args) {
    graph test = new graph(); O(1)
```

```
test.addEdge("A", "B", 3);
test.addEdge("A", "C", 4);
test.addEdge("A", "F", 5);
test.addEdge("B", "C", 2);
test.addEdge("B", "E", 4);
test.addEdge("C", "D", 3);
test.addEdge("C", "F", 2); O(1)
test.addEdge("D", "E", 2);
test.addEdge("D", "F", 1);
test.addEdge("D", "F", 6);
String u = "A";
String w = "D"; O(1)

System.out.println("Start: " + u);
System.out.println("End: " + w); O(1)
System.out.println("PATHS: ");
test.printweight(u, w, 7);
}
```

Question 6 is on the next page!

```
import java.util.*;
public class Question6 {
  public static void graph(String input){ O(1)
    if (input == null) {
      return;
    input = input.replaceAll("[\\[\]{}()|| ]", "").trim(); O(m)
    String[] parts = input.split("\\s*,\\s*(?=[a-z A-Z]\\s*,)"); O(n)
    int n = parts.length; O(1)
    int[][] matrix = new int[n][n]; O(1)
    String[] vertices = new String[n]; O(1)
    int[] jumps = new int[n]; O(1)
    for (int i = 0; i < n; i++) { O(n)
      String[] pair = parts[i].split(",");
      vertices[i] = pair[0].trim();
      jumps[i] = Integer.parseInt(pair[1].trim());
    for (int i = 0; i < n; i++) { O(n)
      int left = (i - jumps[i] + n) % n;
      int right = (i + jumps[i]) % n;
      matrix[i][left] = 1;
      matrix[i][right] = 1;
    System.out.print(" ");
    for (int i = 0; i < vertices.length; i++) { O(n^2) (nested for-loop)
      System.out.print(vertices[i] + " ");
    System.out.println();
    for (int i = 0; i < n; i++) {
      System.out.print(vertices[i] + " | ");
       for (int j = 0; j < n; j++) {
         System.out.print(matrix[i][j] + " ");
      System.out.println();
```

public static void main(String[] args) {

## Question 6

Time Complexity: O(m+n^2)

- Parsing the input is O(m), processing the array and creating the matrix is O(n), printing the matrix is O(n^2).
- Thus, O(m+n+n+n^2), chip off the slowest growing we get O(m+n^2).

Space Complexity: O(n^2)

 $n \times n \text{ matrix} = O(n^2)$