Dr. Esteban Parra Rodriguez Algorithms Assignment Zain Alsaad CSC 3130

Link to Github: https://github.com/alsaadza/Algorithms CSC3130 Homework1

## Question 2:

The answer to Question 2 can also be found in my GitHub repo.

```
ublic class commonSubstring {
 public static String findCommonString(String text1, String text2) {
     int maxLength = 0;
     int startIndex = 0;
     for (int i = 0; i < text1.length(); i++) { // O(n)</pre>
         for (int j = 0; j < text2.length(); j++) { // O(n)</pre>
             int length = 0;
             while (i + length < text1.length() && j + length < text2.length() &&</pre>
                     text1.charAt(i + length) == text2.charAt(j + length)) {
             if (length > maxLength) {
                 maxLength = length;
                 startIndex = i:
     if (maxLength > 0) {
         return text1.substring(startIndex, startIndex + maxLength);
     } else {
 public static void main(String args[]){
     commonSubstring algorithm = new commonSubstring();
     String text1 = "abc";
     String result = algorithm.findCommonString(text1, text2);
     Stystem.out.println("case 1:\ntext1 = " + text1 + " \n text2 = " + text2 + "\n Output: " + result);

System.out.println("-----");
     System.out.println("-----
     text1 = "almanacs";
     text2 = "albatross";
     result = algorithm.findCommonString(text1, text2);
     System.out.println("Case 2:\ntext1 = " + text1 + " \n text2 = " + text2 + "\n Output: " + result);
System.out.println("-----");
     text1 = "gears of war";
     result = algorithm.findCommonString(text1, text2);
     System.out.println("Case 3:\ntext1 = " + text1 + " \n text2 = " + text2 + "\n Output: " + result);
     System.out.println("----
     text2 = "zain is a great student";
     result = algorithm.findCommonString(text1, text2);
     System.out.println("Case 4:\ntext1 = " + text1 + " \n text2 = " + text2 + "\n Output: " + result);
System.out.println("-----");
```

Dr. Esteban Parra Rodriguez Algorithms Assignment Zain Alsaad CSC 3130

## Question 6:

- Problem 1:  $O(n^2)$  and  $\Omega(n^2)$ 
  - $\circ$  Explanation: There are two for-loops. Each for-loop is an 'n', so to speak. Therefore, we get O(n(n)), because there is a for-loop inside of a for loop. This simplifies to  $O(n^2)$ .
- <u>Problem 2</u>: O(n<sup>3</sup>) and Ω(n<sup>2</sup>)
  - $\circ$  Explanation: There are two for-loops, and a while loop (which is also an 'n'). Therefore, we get O(n(n(n))), because there is a while loop, inside a for-loop, inside of a for loop. This simplifies to O(n^3). The best case scenario is Ω(n^2), because if the condition to run the while loop is not met, then the only code being ran from the while-loop is checking the condition, which is O(1).
- Problem 3: O(n) and  $\Omega$ (n)
  - Explanation: There is one for-loop being executed in the 'generateNotFibonacci()' method. A for loop is equivalent to an 'n' in time complexity. The for-loop will always be executed in the method, therefore the best and worst case scenario is O(n).
- Problem 4:  $O(n^3)$  and  $O(n^3)$ 
  - Explanation: This problem inherits the time complexity of problem 3. Problem 4 introduced the 'findPosition()' method. There are two for-loops inside the 'findPosition()' method. Therefore, we get O(n(n) \* n) = O(n^3).
- Problem 5: O(n) and  $\Omega(1)$ 
  - $\circ$  Explanation: There is one while being executed. A while loop is equivalent to an 'n' in time complexity. The best case scenario is  $\Omega(1)$ , because if the condition to run the while loop is not met, then the only code being ran from the while-loop is checking the condition, which is O(1). Therefore the best and worst case scenario is O(n).