

# HW6 STAT425

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1a)

```
bfhs = read.table("BFHS.dat", header = TRUE)
summary(bfhs)
```

```
##           Town      Intervention      ExternalComparison
## Bridgend   :1      Min.    :5.370      Min.    :5.415
## Burton     :1      1st Qu.:5.530      1st Qu.:5.619
## Bury        :1      Median :5.574      Median :5.702
## Carlisle   :1      Mean     :5.574      Mean     :5.685
## Darlington :1      3rd Qu.:5.629      3rd Qu.:5.742
## Dunfermline:1      Max.     :5.812      Max.     :6.067
## (Other)    :7
```

```
dif = bfhs$Intervention - bfhs$ExternalComparison
t.test(dif)
```

```
##
## One Sample t-test
##
## data:  dif
## t = -2.0702, df = 12, p-value = 0.06067
## alternative hypothesis: true mean is not equal to 0
## 95 percent confidence interval:
##  -0.228613888  0.005844657
## sample estimates:
##  mean of x
## -0.1113846
```

1b) No significance difference between the intervention and external comparison as the p-value is greater than 0.05

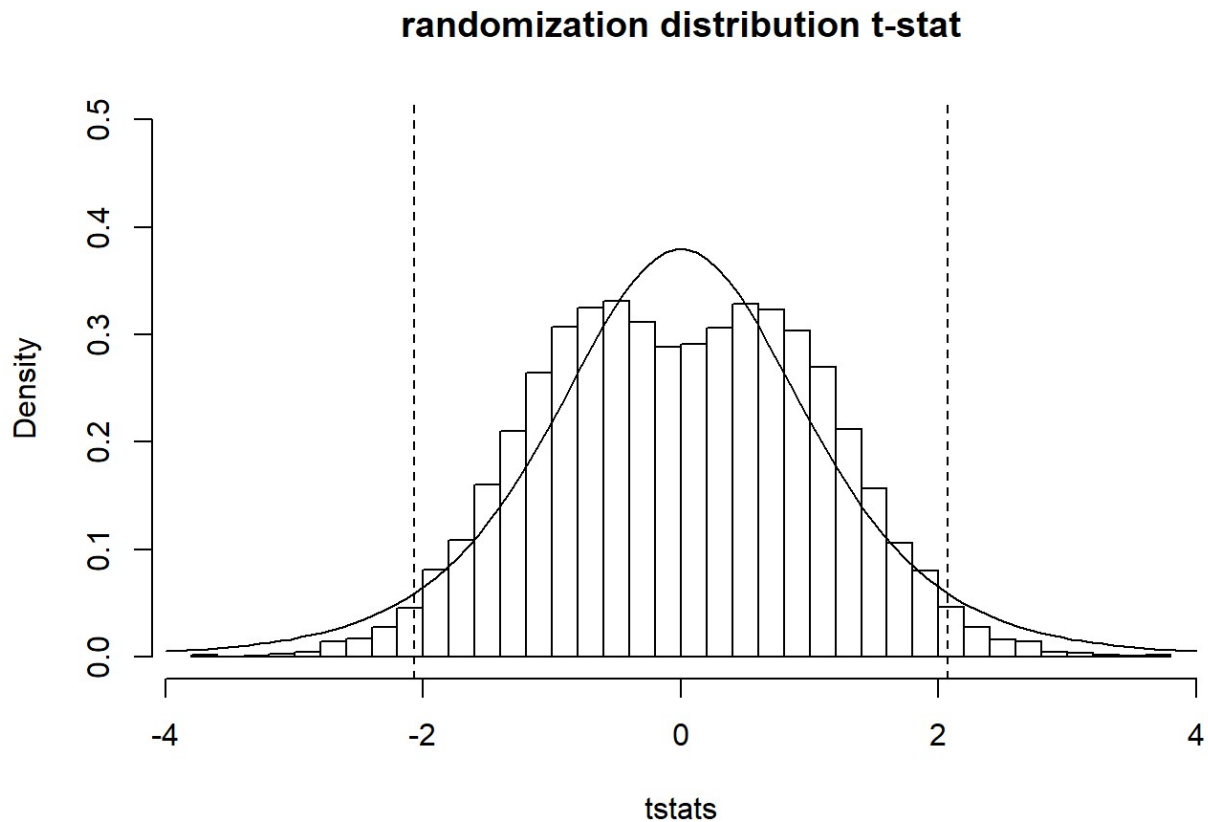
```
tstats = replicate(100000, t.test(dif * sample(c(-1,1),13,replace=TRUE))$statistic)
tobserved = t.test(dif)$statistic
approx_pval = mean(abs(tstats) >= abs(tobserved))
approx_pval
```

```
## [1] 0.03881
```

1c) There's a significant difference between the intervention and external comparison as the p-value is lesser than 0.05.

1d)

```
hist(tstats, main = "randomization distribution t-stat", freq = FALSE, breaks = 30, ylim = c(0, 0.5))
lines(seq(-4,4,len=100), dt(seq(-4,4,len=100), df = 5))
abline(v = c(tobserved,-tobserved), lty=2)
```



```
barley = read.csv("Barley1928.csv")
table(barley$Block)
```

```
##
## A B C D E F
## 5 5 5 5 5 5
```

2a) There are 5 blocks with a total of 30 experimental units.

2b)

```
barley$Treatment = as.factor(barley$Treatment)
fit = lm(formula = Yield ~ Block + Treatment, data = barley)
summary(fit)
```

```
##
## Call:
## lm(formula = Yield ~ Block + Treatment, data = barley)
##
## Residuals:
##      Min       1Q   Median       3Q      Max
## -42.57 -12.37  -4.10   15.58   36.63
##
## Coefficients:
##              Estimate Std. Error t value Pr(>|t|)
## (Intercept)    222.77     14.80   15.051 2.26e-12 ***
## BlockB           0.40     16.21    0.025 0.980562
## BlockC          11.40     16.21    0.703 0.490078
## BlockD          79.20     16.21    4.885 8.96e-05 ***
## BlockE          57.80     16.21    3.565 0.001940 **
## BlockF          64.60     16.21    3.984 0.000730 ***
## Treatment2      61.67     14.80    4.167 0.000477 ***
## Treatment3      92.67     14.80    6.261 4.10e-06 ***
## Treatment4     115.83     14.80    7.826 1.63e-07 ***
## Treatment5     128.00     14.80    8.648 3.43e-08 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 25.64 on 20 degrees of freedom
## Multiple R-squared:  0.8779, Adjusted R-squared:  0.823
## F-statistic: 15.98 on 9 and 20 DF, p-value: 2.662e-07
```

```
anova(fit)
```

```
## Analysis of Variance Table
##
## Response: Yield
##           Df Sum Sq Mean Sq F value    Pr(>F)
## Block      5  31634   6326.8   9.6274 8.458e-05 ***
## Treatment  4  62903  15725.9  23.9298 2.205e-07 ***
## Residuals 20  13143    657.2
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

2c) Treatment effects are statistically significant because p-value < 0.05

2d)

```
TukeyHSD(aov(fit))$Treatment
```

```
##          diff          lwr          upr          p adj
## 2-1  61.66667  17.377951 105.95538 3.874425e-03
## 3-1  92.66667  48.377951 136.95538 3.673806e-05
## 4-1 115.83333  71.544617 160.12205 1.501867e-06
## 5-1 128.00000  83.711284 172.28872 3.175531e-07
## 3-2  31.00000 -13.288716  75.28872 2.607787e-01
## 4-2  54.16667   9.877951  98.45538 1.201739e-02
## 5-2  66.33333  22.044617 110.62205 1.900159e-03
## 4-3  23.16667 -21.122049  67.45538 5.349191e-01
## 5-3  35.33333  -8.955383  79.62205 1.597099e-01
## 5-4  12.16667 -32.122049  56.45538 9.206894e-01
```

2e) Based on the Tukey intervals, 2-1, 3-1, 4-1, 5-1, 4-2, 5-2 are the pairs of treatments that have significantly different means

```
spelling = read.csv("Spelling1941.csv")
```

3a) the 2 blocking factors are "List" and "Group"

```
matrix(spelling$Testing, nrow = 4, ncol = 4)
```

```
##      [,1] [,2] [,3] [,4]
## [1,] "MC" "SW" "WS" "SD"
## [2,] "SD" "MC" "SW" "WS"
## [3,] "WS" "SD" "MC" "SW"
## [4,] "SW" "WS" "SD" "MC"
```

3b) Column = List, Row = Group

3c)

```
fit_2 = lm(formula = Number ~ List + factor(Group) + Testing, data = spelling)
summary(fit_2)
```

```
##
## Call:
## lm(formula = Number ~ List + factor(Group) + Testing, data = spelling)
##
## Residuals:
##      Min       1Q   Median       3Q      Max
## -10.000  -3.500  -1.125   4.188  12.250
##
## Coefficients:
##              Estimate Std. Error t value Pr(>|t|)
## (Intercept)      83.500      7.948  10.505 4.37e-05 ***
## ListB              1.750      7.109   0.246  0.81376
## ListC            -10.500      7.109  -1.477  0.19016
## ListD             -1.250      7.109  -0.176  0.86621
## factor(Group)2     1.750      7.109   0.246  0.81376
## factor(Group)3    -2.750      7.109  -0.387  0.71224
## factor(Group)4     3.000      7.109   0.422  0.68774
## TestingSD        -37.500      7.109  -5.275  0.00187 **
## TestingSW        -37.250      7.109  -5.240  0.00194 **
## TestingWS        -42.250      7.109  -5.943  0.00101 **
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 10.05 on 6 degrees of freedom
## Multiple R-squared:  0.893, Adjusted R-squared:  0.7324
## F-statistic: 5.563 on 9 and 6 DF,  p-value: 0.02458
```

```
anova(fit_2)
```

```
## Analysis of Variance Table
##
## Response: Number
##              Df Sum Sq Mean Sq F value    Pr(>F)
## List           3  359.5   119.83   1.1855 0.391361
## factor(Group)  3   74.5    24.83   0.2457 0.861666
## Testing        3 4626.5  1542.17  15.2564 0.003254 **
## Residuals      6  606.5   101.08
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

3d) Treatment effects are statistically significant because  $p\text{-value} < 0.05$

3e)

```
TukeyHSD(aov(fit_2))$Testing
```

##		diff	lwr	upr	p adj
##	SD-MC	-37.50	-62.11023	-12.88977	0.007497477
##	SW-MC	-37.25	-61.86023	-12.63977	0.007749362
##	WS-MC	-42.25	-66.86023	-17.63977	0.004107668
##	SW-SD	0.25	-24.36023	24.86023	0.999982530
##	WS-SD	-4.75	-29.36023	19.86023	0.905385377
##	WS-SW	-5.00	-29.61023	19.61023	0.892265654

3f) Based on the Tukey intervals, SD-MC, SW-MC, WS-MC are the pairs of treatments that have significantly different means