Predict Canada Per Capita Income ML Model

In [38]: # Designed by : ALTAF HUSAIN DATA ANALYST



shutterstock.com · 1900189030

Step 1 : Load Important Modules

```
import pandas as pd
import numpy as np
import seaborn as sns
import matplotlib.pyplot as plt
from sklearn.linear_model import LinearRegression
from sklearn.metrics import mean_absolute_error,mean_squared_error
import warnings
warnings.filterwarnings('ignore')
print("All module s loaded succesfully")
```

All module s loaded succesfully

Step 2 : Load Data

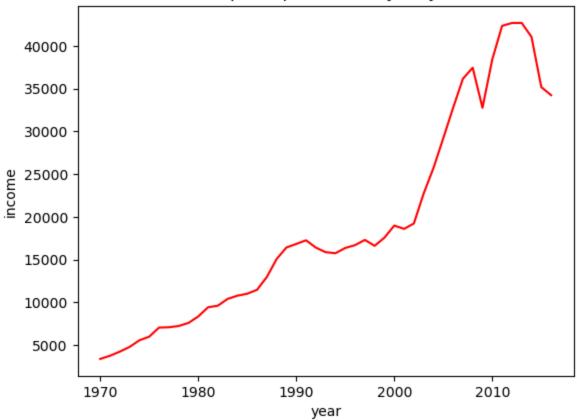
```
In [40]: import kagglehub
         path = kagglehub.dataset_download("ananthu19/canada-per-capita-income-prediction")
         print("Path to dataset files:", path)
        Path to dataset files: C:\Users\SK COMPUTER\.cache\kagglehub\datasets\ananthu19\canada-per-capita-income-prediction\vers
        ions\1
In [41]: import os
         final_data = path + "/" + os.listdir(path)[0]
In [42]: df = pd.read_csv(final_data)
In [43]: # step 2.1:
         df.sample()
Out[43]:
                      income
             year
         4 1974 5576.514583
In [44]: # step 2.2:
         df.head()
Out[44]:
             year
                      income
         0 1970 3399.299037
         1 1971 3768.297935
         2 1972 4251.175484
         3 1973 4804.463248
         4 1974 5576.514583
In [45]: # step 2.3:
         df.tail()
```

```
Out[45]:
                       income
             year
         42 2012 42665.25597
         43 2013 42676.46837
         44 2014 41039.89360
         45 2015 35175.18898
         46 2016 34229.19363
In [46]: # step 2.4:
         df.info()
        <class 'pandas.core.frame.DataFrame'>
        RangeIndex: 47 entries, 0 to 46
        Data columns (total 2 columns):
             Column Non-Null Count Dtype
                    47 non-null
                                     int64
             year
            income 47 non-null
                                    float64
        dtypes: float64(1), int64(1)
        memory usage: 884.0 bytes
In [47]: # ML only works on numerical data, and here all cols are numerical in nature , we can proceed
```

setp 3: EDA

```
In [48]: # step 3.1 :
    sns.lineplot(data = df,x = 'year',y = 'income',color = 'r')
    plt.title('canada per capita income yearly trend')
    plt.show()
```

canada per capita income yearly trend



In [49]: # we can use linear Regression , because X and y are correlated

In [50]: # step 3.2 :
 df.describe()

```
Out[50]:
                                  income
                       year
                                47.000000
                  47.000000
         count
          mean 1993.000000 18920.137063
            std
                  13.711309 12034.679438
           min 1970.000000
                              3399.299037
                1981.500000
                              9526.914515
           50% 1993.000000 16426.725480
           75% 2004.500000 27458.601420
           max 2016.000000 42676.468370
```

```
In [51]: # step 3.3 :
    df.corr() # .94 cor value ,which shows high correlation trend is increasing
```

Out[51]:		year	income
	year	1.000000	0.943884
	income	0 943884	1 000000

step 4: Divide data in X and y

```
X = features: (year)y = Targets: (income)
```

```
In [52]: X = df[['year']]
X.shape
Out[52]: (47, 1)
In [53]: X.head()
```

```
Out[53]:
            year
         0 1970
         1 1971
         2 1972
         3 1973
         4 1974
In [54]: y = df['income']
         y.shape
Out[54]: (47,)
In [55]: y.head()
Out[55]: 0
              3399.299037
             3768.297935
            4251.175484
            4804.463248
              5576.514583
         Name: income, dtype: float64
In [56]: # Best line fins :
         \# Y = m * x + c
         # M and C
         # we can easily find line
```

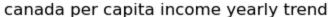
Step 5: Model Buildng

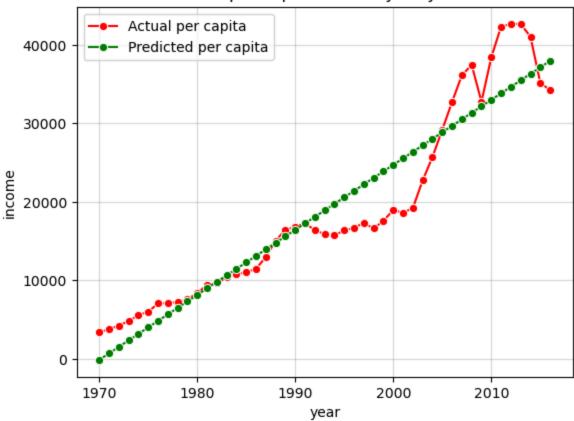
```
Out[58]:
          LinearRegression
         LinearRegression()
In [59]:
         # step 5.3 :
         y_pred = lr_model.predict(X) # model predict value based on X(year)
In [60]: temp_df = df.copy()
         temp_df['y_pred_capita'] = y_pred
In [61]:
         temp_df.sample(10)
Out[61]:
                        income y_pred_capita
          9 1979
                    7602.912681
                                  7321.626010
                   18601.397240
                                25547.857665
          31 2001
                   18987.382410
                                24719.392590
             2000
                                29690.183041
          36 2006 32738.262900
         45 2015 35175.188980 37146.368718
           6 1976
                    7062.131392
                                  4836.230785
          32 2002 19232.175560 26376.322740
         12 1982
                    9619.438377
                                  9807.021236
                    3768.297935
          1 1971
                                   693.905409
          19 1989 16426.725480 15606.276763
```

Step 6 : Visualize Actual vs Predicted

```
In [62]: # step 3.1 :
    sns.lineplot(data = df,x = 'year',y = 'income',color = 'r',marker= 'o',label = 'Actual per capita')
    sns.lineplot(data = temp_df,x = 'year',y = 'y_pred_capita',color = 'g',marker= 'o',label = 'Predicted per capita')
```

```
plt.grid(alpha = 0.5)
plt.legend()
plt.title('canada per capita income yearly trend')
plt.show()
```





Step 7: checkimg Metrics and Model Evaluation (errors)

```
In [63]: # step 7.1 :
    mae = ((temp_df['income'] - temp_df['y_pred_capita']).abs()).mean()
    print('Mean absolute error :',mae)
```

Mean absolute error: 3088.866427771443

```
In [64]: # step 7.2:
         mae_sk = mean_absolute_error(y,y_pred)
         print('Mean absolute error :',mae_sk)
        Mean absolute error: 3088.866427771443
In [65]: # step 7.3:
         mse = ((temp_df['income'] - temp_df['y_pred_capita'])** 2).mean()
         print('Mean squared error :',mse)
        Mean squared error : 15462739.061504772
In [66]: # step 7.4:
         mse_sk = mean_squared_error(y,y_pred)
         print('Mean squared error :',mse_sk)
        Mean squared error: 15462739.061504772
In [67]: # step 7.5:
         rmse = mse ** 0.5
         print('root Mean squared error :',rmse)
        root Mean squared error : 3932.268945723928
In [68]: # step 7.6:
         rmse_sk = root_mean_squared_error(y,y_pred)
         print('Root Mean squared error :',rmse_sk)
        Root Mean squared error : 3932.268945723928
In [69]: # Step 7.7 : model score
         model_score = lr_model.score(X,y) # this is model learing score (almost 89 %)
         model score = round(model score * 100,2)
         print('Model has achieved learing score:',model score)
        Model has achieved learing score: 89.09
```

step 8 : Future per capit predict for the next 7 years

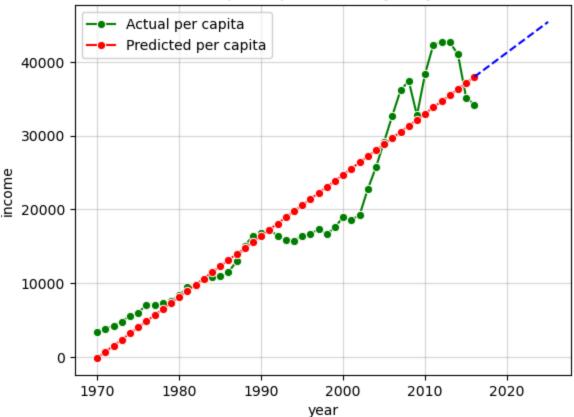
```
In [70]: next_year = list(range(2016 ,2026))
    next_y = [[i] for i in next_year]
```

```
future_per_capita = lr_model.predict(next_y)
In [71]: future_df = pd.DataFrame({'year' : next_year,'per_capita' : future_per_capita})
         future_df
Out[71]:
            year
                    per_capita
         0 2016 37974.833794
         1 2017 38803.298869
         2 2018 39631.763944
         3 2019 40460.229019
         4 2020 41288.694094
         5 2021 42117.159170
         6 2022 42945.624245
         7 2023 43774.089320
         8 2024 44602.554395
         9 2025 45431.019471
```

step 9 : Visualize past and future values

```
In [72]: # step 3.1 :
    sns.lineplot(data = df,x = 'year',y = 'income',color = 'g',marker= 'o',label = 'Actual per capita')
    sns.lineplot(data = temp_df,x = 'year',y = 'y_pred_capita',color = 'r',marker= 'o',label = 'Predicted per capita')
    sns.lineplot(data = future_df,x = 'year',y = 'per_capita',color = 'b',linestyle = '--')
    plt.grid(alpha = 0.5)
    plt.legend()
    plt.title('canada per capita income yearly trend')
    plt.show()
```

canada per capita income yearly trend



step 10 : Input from where user can ask and predict capita based on year