



Common Pitfalls

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  - False positive rate of 0.1%
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  - Detection rate of 99.9%
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Confusing P(x|y) with P(y|x) is a common mistake

Especially severe when the probability of certain events is very low

$$P(A|F) = \frac{P(F|A) \cdot P(A)}{P(F)}$$

$$P(A|F) = \frac{P(F|A) \cdot P(A)}{P(F|A) \cdot P(A) + P(F|\neg A) \cdot P(\neg A)}$$

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- The result depends on the base rate (P(A) and  $P(\neg A)$ )
- If we estimate that only 1 event in 100K is an attack, the previous formula tells us that P(A|F) = ~ 1%

# Multiple Testing Fallacy

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- What is the probability that the person is not guilty?

1 in 10.000 ?? NO

Multiple testing fallacy may occur when an evidence is compared against a large database. The probability of a match by change in the entire database is:

$$1 - \left(1 - \frac{1}{10000}\right)^{20000} \approx 0.86$$

#### Reasonable Doubt

- Our goal is to reconstruct the events on a computer system until we reach a reasonable certainty
- Unfortunately, the existence of an artifact rarely tells you how or why
  it is there
- So, how do you know what is "reasonable" ?
  - Did you list all possible scenarios?
  - Under which assumptions you reached your conclusion?
  - What is your threat model?
  - How expert / motivated / funded are all involved actors?

#### The Research Corner



"Overcoming Reasonable Doubt in Computer Forensic Analsysis" Jim Garrett — SANS Computer Forensic Technical Paper



"The base rate Fallacy and the Difficulty of Intrusion Detection"

S.Axelsson - ACM CCS 1999



Start from the Wikipedia page on *Reasoning*, then check the *Logical Fallacy* page

