1. Implement and Demonstrate Depth First Search Algorithm on Water Jug Problem

```
def water_jug_dfs(jug1_capacity, jug2_capacity, target_capacity):
  def dfs(jug1, jug2, path):
    if jug1 == target_capacity or jug2 == target_capacity:
       print("Solution found:", path)
       return
    # Fill jug1
    if jug1 < jug1_capacity:
       new_jug1 = jug1_capacity
       new_jug2 = jug2
       if (new_jug1, new_jug2) not in visited:
         visited.add((new_jug1, new_jug2))
         dfs(new\_jug1,\,new\_jug2,\,path+f"Fill\,Jug1\n")
    # Fill jug2
    if jug2 < jug2_capacity:
       new_jug1 = jug1
       new_jug2 = jug2_capacity
       if (new_jug1, new_jug2) not in visited:
         visited.add((new_jug1, new_jug2))
         dfs(new_jug1, new_jug2, path + f"Fill Jug2\n")
    # Pour water from jug1 to jug2
    if jug1 > 0 and jug2 < jug2 capacity:
       pour_amount = min(jug1, jug2_capacity - jug2)
       new_jug1 = jug1 - pour_amount
       new_jug2 = jug2 + pour_amount
       if (new_jug1, new_jug2) not in visited:
         visited.add((new_jug1, new_jug2))
         dfs(new_jug1, new_jug2, path + f"Pour Jug1 into Jug2\n")
    # Pour water from jug2 to jug1
    if jug2 > 0 and jug1 < jug1\_capacity:
       pour_amount = min(jug2, jug1_capacity - jug1)
       new_jug1 = jug1 + pour_amount
       new_jug2 = jug2 - pour_amount
       if (new_jug1, new_jug2) not in visited:
         visited.add((new_jug1, new_jug2))
         dfs(new_jug1, new_jug2, path + f"Pour Jug2 into Jug1\n")
    # Empty jug1
    if jug1 > 0:
```

```
new_jug1 = 0
       new_jug2 = jug2
       if (new_jug1, new_jug2) not in visited:
         visited.add((new_jug1, new_jug2))
         dfs(new_jug1, new_jug2, path + f"Empty Jug1\n")
     # Empty jug2
     if jug 2 > 0:
       new_jug1 = jug1
       new_jug2 = 0
       if (new_jug1, new_jug2) not in visited:
         visited.add((new_jug1, new_jug2))
         dfs(new_jug1, new_jug2, path + f"Empty Jug2\n")
  visited = set()
  dfs(0, 0, "")
# Example usage:
jug1\_capacity = 4
jug2\_capacity = 3
target\_capacity = 2
water_jug_dfs(jug1_capacity, jug2_capacity, target_capacity)
```

2. Implement and Demonstrate Best First Search Algorithm on any AI problem

```
from queue import PriorityQueue
v = 14
graph = [[] for i in range(v)]
# Function For Implementing Best First Search
# Gives output path having lowest cost
def best_first_search(actual_Src, target, n):
  visited = [False] * n
  pq = PriorityQueue()
  pq.put((0, actual_Src))
  visited[actual_Src] = True
  while pq.empty() == False:
     u = pq.get()[1]
     # Displaying the path having lowest cost
     print(u, end=" ")
    if u == target:
       break
     for v, c in graph[u]:
       if visited[v] == False:
          visited[v] = True
          pq.put((c, v))
  print()
# Function for adding edges to graph
def addedge(x, y, cost):
  graph[x].append((y, cost))
  graph[y].append((x, cost))
# The nodes shown in above example(by alphabets) are
# implemented using integers addedge(x,y,cost);
addedge(0, 1, 3)
addedge(0, 2, 6)
addedge(0, 3, 5)
addedge(1, 4, 9)
```

```
addedge(1, 5, 8)

addedge(2, 6, 12)

addedge(2, 7, 14)

addedge(3, 8, 7)

addedge(8, 9, 5)

addedge(8, 10, 6)

addedge(9, 11, 1)

addedge(9, 12, 10)

addedge(9, 13, 2)

source = 0

target = 9

best_first_search(source, target, v)
```

3. Implement AO* Search algorithm.

```
class Graph:
  def __init__(self, graph, heuristicNodeList, startNode): #instantiate graph object with graph
topology, heuristic values, start node
    self.graph = graph
    self.H=heuristicNodeList
    self.start=startNode
    self.parent={}
    self.status={ }
    self.solutionGraph={}
  def applyAOStar(self): # starts a recursive AO* algorithm
    self.aoStar(self.start, False)
  def getNeighbors(self, v): # gets the Neighbors of a given node
    return self.graph.get(v,")
  def getStatus(self,v): # return the status of a given node
    return self.status.get(v,0)
  def setStatus(self,v, val): # set the status of a given node
    self.status[v]=val
  def getHeuristicNodeValue(self, n):
    return self.H.get(n,0) # always return the heuristic value of a given node
  def setHeuristicNodeValue(self, n, value):
    self.H[n]=value # set the revised heuristic value of a given node
  def printSolution(self):
    print("FOR GRAPH SOLUTION, TRAVERSE THE GRAPH FROM THE START
NODE:",self.start)
    print("-----")
    print(self.solutionGraph)
    print("-----")
  def computeMinimumCostChildNodes(self, v): # Computes the Minimum Cost of child nodes
of a given node v
    minimumCost=0
    costToChildNodeListDict={}
    costToChildNodeListDict[minimumCost]=[]
    flag=True
```

```
for nodeInfoTupleList in self.getNeighbors(v): # iterate over all the set of child node/s
       cost=0
       nodeList=[]
       for c, weight in nodeInfoTupleList:
         cost=cost+self.getHeuristicNodeValue(c)+weight
         nodeList.append(c)
       if flag==True: # initialize Minimum Cost with the cost of first set of child node/s
         minimumCost=cost
         costToChildNodeListDict[minimumCost]=nodeList # set the Minimum Cost child
node/s
         flag=False
       else: # checking the Minimum Cost nodes with the current Minimum Cost
         if minimumCost>cost:
           minimumCost=cost
           costToChildNodeListDict[minimumCost]=nodeList # set the Minimum Cost child
node/s
    return minimumCost, costToChildNodeListDict[minimumCost] # return Minimum Cost and
Minimum Cost child node/s
  def aoStar(self, v, backTracking): # AO* algorithm for a start node and backTracking status
flag
    print("HEURISTIC VALUES:", self.H)
    print("SOLUTION GRAPH:", self.solutionGraph)
    print("PROCESSING NODE :", v)
    print("-----")
    if self.getStatus(v) \geq= 0: # if status node v \geq= 0, compute Minimum Cost nodes of v
       minimumCost, childNodeList = self.computeMinimumCostChildNodes(v)
       print(minimumCost, childNodeList)
       self.setHeuristicNodeValue(v, minimumCost)
       self.setStatus(v,len(childNodeList))
       solved=True # check the Minimum Cost nodes of v are solved
       for childNode in childNodeList:
         self.parent[childNode]=v
         if self.getStatus(childNode)!=-1:
           solved=solved & False
       if solved==True: # if the Minimum Cost nodes of v are solved, set the current node status
as solved(-1)
         self.setStatus(v,-1)
         self.solutionGraph[v]=childNodeList # update the solution graph with the solved nodes
which may be a part of solution
       if v!=self.start: # check the current node is the start node for backtracking the current node
value
         self.aoStar(self.parent[v], True) # backtracking the current node value with
backtracking status set to true
       if backTracking==False: # check the current call is not for backtracking
```

for childNode in childNodeList: # for each Minimum Cost child node self.setStatus(childNode,0) # set the status of child node to 0(needs exploration) self.aoStar(childNode, False) # Minimum Cost child node is further explored with backtracking status as false

```
h1 = {'A': 1, 'B': 6, 'C': 2, 'D': 12, 'E': 2, 'F': 1, 'G': 5, 'H': 7, 'I': 7, 'J': 1}
graph1 = {
    'A': [[('B', 1), ('C', 1)], [('D', 1)]],
    'B': [[('G', 1)], [('H', 1)]],
    'C': [[('J', 1)]],
    'D': [[('E', 1), ('F', 1)]],
    'G': [[('I', 1)]]
}
G1= Graph(graph1, h1, 'A')
G1.applyAOStar()
G1.printSolution()
```

4. Solve 8-Queens Problem with suitable assumptions

```
# Taking number of queens as input from user
print ("Enter the number of queens")
N = int(input())
# here we create a chessboard
# NxN matrix with all elements set to 0
board = [[0]*N \text{ for } \_\text{ in range}(N)]
def attack(i, j):
  #checking vertically and horizontally
  for k in range(0,N):
     if board[i][k]==1 or board[k][j]==1:
        return True
  #checking diagonally
  for k in range(0,N):
     for 1 in range(0,N):
        if (k+l==i+j) or (k-l==i-j):
          if board[k][1]==1:
             return True
  return False
def N_queens(n):
  if n==0:
     return True
  for i in range(0,N):
     for j in range(0,N):
        if (not(attack(i,j))) and (board[i][j]!=1):
          board[i][j] = 1
          if N_{queens(n-1)}==True:
             return True
          board[i][j] = 0
  return False
N_{queens}(N)
for i in board:
  print (i)
```

5. Implementation of TSP using heuristic approach

import math

Define a function to calculate the Euclidean distance between two points def distance(point1, point2):

```
return math.sqrt((point1[0] - point2[0])**2 + (point1[1] - point2[1])**2)
# Define the Nearest Neighbor algorithm
def nearest_neighbor(points):
  n = len(points)
  unvisited = set(range(n))
  tour = [0] # Start from the first point
  unvisited.remove(0)
  while unvisited:
     current_point = tour[-1]
     nearest_point = min(unvisited, key=lambda x: distance(points[current_point], points[x]))
     tour.append(nearest_point)
     unvisited.remove(nearest_point)
  # Complete the tour by returning to the starting point
  tour.append(tour[0])
  return tour
```

```
# Example usage
if __name__ == "__main__":
  # Define the points as (x, y) coordinates
  points = [(0, 0), (1, 2), (2, 3), (3, 4), (4,2)]
  # Find the tour using the Nearest Neighbor algorithm
  tour = nearest_neighbor(points)
```

print("Optimal Tour:", tour)

6. Implementation of the problem-solving strategies: either using Forward Chaining or Backward Chaining

Forward Chaining Program:

```
class Rule:
  def init (self, antecedents, consequent):
     self.antecedents = antecedents
     self.consequent = consequent
class KnowledgeBase:
  def __init__(self):
     self.facts = set()
     self.rules = []
  def add_fact(self, fact):
     self.facts.add(fact)
  def add_rule(self, rule):
     self.rules.append(rule)
  def apply_forward_chaining(self):
     new_facts_derived = True
     while new_facts_derived:
       new_facts_derived = False
       for rule in self.rules:
          if all(antecedent in self.facts for antecedent in rule.antecedents) and rule.consequent
not in self.facts:
            self.facts.add(rule.consequent)
            new_facts_derived = True
if __name__ == "__main__":
  kb = KnowledgeBase()
  # Define rules and facts
  rule1 = Rule(["A", "C"], "E")
  rule2 = Rule(["A", "E"], "G")
  rule3 = Rule(["B"], "E")
  rule4 = Rule(["G"], "D")
  kb.add_rule(rule1)
  kb.add_rule(rule2)
  kb.add rule(rule3)
  kb.add_rule(rule4)
  kb.add_fact("A")
  kb.add_fact("C")
```

```
# Apply forward chaining
kb.apply_forward_chaining()

# Print the derived facts
print("Derived Facts:", kb.facts)
```

Backward Chaining Program:

Define the knowledge base as a dictionary of rules

```
knowledge_base = {
  "rule1": {
     "if": ["A", "B"],
     "then": "C"
  },
  "rule2": {
     "if": ["D"],
     "then": "A"
  },
  "rule3": {
     "if": ["E"],
     "then": "B"
  },
  "rule4": {
     "if": ["F"],
     "then": "D"
  },
  "rule5": {
     "if": ["G"],
     "then": "E"
  }
}
```

```
# Define a function to perform backward chaining
def backward_chaining(goal, known_facts):
  if goal in known_facts:
     return True
  for rule, value in knowledge_base.items():
    if goal in value["if"]:
       all_conditions_met = all(condition in known_facts for condition in value["if"])
       if all_conditions_met and backward_chaining(value["then"], known_facts):
          return True
  return False
# Define the goal and known facts
goal = "C"
known_facts = ["G", "F", "E"]
# Check if the goal can be reached using backward chaining
if backward_chaining(goal, known_facts):
  print(f"The goal '{goal}' can be reached.")
else:
  print(f"The goal '{goal}' cannot be reached.")
```

8. Implement K- means algorithm.

import numpy as np

```
from sklearn.cluster import KMeans
import matplotlib.pyplot as plt
# Generate some sample data for clustering
np.random.seed(0)
X = np.random.rand(100, 2)
# Number of clusters (k)
k = 3
# Initialize the KMeans model
kmeans = KMeans(n_clusters=k)
# Fit the model to the data
kmeans.fit(X)
# Get cluster centers and labels
cluster_centers = kmeans.cluster_centers_
labels = kmeans.labels_
# Plot the data points and cluster centers
plt.scatter(X[:, 0], X[:, 1], c=labels)
plt.scatter(cluster_centers[:, 0], cluster_centers[:, 1], marker='x', s=200, color='red')
plt.title(f'K-Means Clustering (k={k})')
plt.show()
```

9. Implement K- nearest neighbour algorithm

import numpy as np

```
from sklearn.model_selection import train_test_split
from sklearn.neighbors import KNeighborsClassifier
from sklearn.metrics import accuracy_score
# Generate some sample data for classification
np.random.seed(0)
X = np.random.rand(100, 2) # Feature matrix
y = np.random.choice([0, 1], size=100) # Target vector (binary classification)
# Split the data into training and testing sets
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)
# Create a K-Nearest Neighbors classifier with k=3
k = 3
knn_classifier = KNeighborsClassifier(n_neighbors=k)
# Fit the classifier to the training data
knn_classifier.fit(X_train, y_train)
# Make predictions on the test data
y_pred = knn_classifier.predict(X_test)
# Calculate the accuracy of the classifier
accuracy = accuracy_score(y_test, y_pred)
print(f'Accuracy: {accuracy * 100:.2f}%')
```

10. Implement SVM

import numpy as np

```
from sklearn import datasets
from sklearn.model_selection import train_test_split
from sklearn.svm import SVC
from sklearn.metrics import accuracy_score
# Create a synthetic dataset for classification (you can replace this with your own dataset)
X, y = datasets.make_classification(n_samples=500, n_features=3, n_informative=2,
n_redundant=0, random_state=42)
# Split the dataset into training and testing sets
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)
# Create an SVM classifier
svm_classifier = SVC(kernel='linear', C=1.0)
# Train the SVM classifier on the training data
svm_classifier.fit(X_train, y_train)
# Make predictions on the test data
y_pred = svm_classifier.predict(X_test)
# Calculate accuracy
accuracy = accuracy_score(y_test, y_pred)
print("Accuracy:", accuracy)
```