Lab Notes: Thermo-couple Experiment

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1 theoretical background

Abstract

The thermoelectric phenomenon was discovered by Thomas Johann Seebeck in the early 1820s. Seebeck observed that when two different metals are joined together at two junctions, forming a closed loop, and these junctions are maintained at different temperatures, an electric current flows through the circuit. Initially, Seebeck mistakenly attributed this effect to magnetic polarization of the metals, but later it was correctly understood as an electromotive force (voltage) generated due to the temperature difference.

This voltage arises due to thermoelectric properties which depend on the interactions between heat flow and the behavior of electric charge carriers in metals. The phenomenon is broadly categorized under thermoelectric effects, with the Seebeck effect being one of the three primary effects:

- 1. **Seebeck Effect**: Generation of a voltage when there is a temperature difference across the junctions of two different metals.
- 2. **Peltier Effect**: Heat absorption or release at the junction of two different metals when an electric current flows through the junction.
- 3. **Thomson Effect**: Heat absorption or release when current flows through a conductor subjected to a temperature gradient.

A typical thermocouple consists of two dissimilar metals joined at both ends. When the junctions are at different temperatures $(T_1 \text{ and } T_2)$, a voltage (V) is generated, which can be measured. Importantly, a thermocouple measures the temperature difference, not absolute temperature. In order to measure the abolute temperature one junction, called the reference junction, is maintained at a known temperature, and the other junction measures the unknown temperature.

The voltage generated in the thermocouple is a function of the types of metal (spicifically thier band gap), call them A and B, and the reference tempreture and the unknown tempreture. Although the first three are known so the voltage is actually a function of the unknown temperature.

As with every other function, the relation between the voltage and the temperature difference $V(\Delta T)$ can be approximated by a Taylor polynomial expansion:

$$V(\Delta T) = C_0 + C_1 \Delta T + C_2 (\Delta T)^2 + \dots$$
 (1)

the assumption made is that the relation will be close enought to a linear function::

$$V = k \cdot \Delta T \tag{2}$$

Here, k is the Seebeck coefficient specific to the pair of metals used, and ΔT is the temperature difference between the two junctions.

The thermoelectric voltage is a bulk property of the metals themselves and does not specifically originate at the junction interface. Thus, each metal inherently contributes to the total generated voltage when subjected to a temperature gradient.

Thermocouples are widely used for temperature measurement due to their simplicity, quick response, robustness, and suitability for a wide temperature range.

In practical applications, thermocouples require calibration. This involves accurately measuring the voltage output at known reference temperatures to create a calibration curve. With this curve, the unknown temperature can be determined from the measured voltage.

In this laboratory, we will investigate the thermocouple's behavior by measuring voltage responses across various temperature differences. The thermocouple results will be compared against an alternative temperature measurement method using a thermistor, whose resistance varies predictably with temperature according to the relation:

$$R = R_0 e^{\alpha \left(\frac{1}{T} - \frac{1}{T_0}\right)} \tag{3}$$

Here, R is the resistance at temperature T, R_0 is the resistance at reference temperature T_0 , and α is a material-dependent constant.

2 Data analysis

Part A: After the aquired data is fitted to the expectd linear fit the results are as follows:

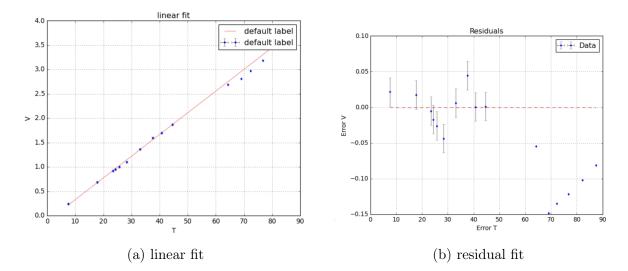


Figure 1: Part A results

$\chi^2_{reduced}$	P-probabilty	a_1	a_0
1.148	0.327	$4.322 \cdot 10^{-2} \pm 2.794 \cdot 10^{-4}$	-0.09 ± 0.012

Table 1: Part A results

Note that the results were fitted after removing the points arround $\Delta T = 70$ because they showed a dramatic non linear behavior and a parabolic shape in the residual graph, that hints that it was most likely due to user error. Taking that into consideration we see that the ersults agree well with the theoretical model.

Now extracting the values of V_{room} and $V_{nitrogen}$ using interpolation and extrapolation respectively, we get:

V_{room}	$V_{nitrogen}$
$0.864 \pm 1.727 \cdot 10^{-7}$	$-8.550 \pm 1.529 \cdot 10^{-6}$

Table 2: Tempreture results

And performing the N_{σ} test on both voltages we get:

$N_{\sigma_{room}}$	$N_{\sigma_{nitrogen}}$
0.079	150.079

Table 3: N-sigma test results

The test concluded that the calculated value of V_{room} is relatively close to the theoretical value. That makes sence looking at the measurements. On the other hand, the test confluded that the calculated value of $V_{nitrogen}$ is far from the theoretical value. After taking a closer look it is possible to assume that the relatively small error calculated for the expiremental value is what caused the bad result.

Part B After fitting the data to the third order polynomial we get the following results:

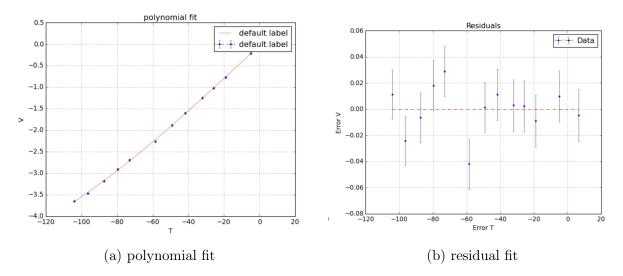


Figure 2: Part B results

$\chi^2_{reduced}$	P-probabilty	a_0	a_1	a_2	a_3
1.197	0.2918	-0.02884 ± 0.01377	$(3.8503 \times 10^{-2}) \pm (1.106 \times 10^{-3})$	$(-1.969 \times 10^{-6}) \pm (2.7777 \times 10^{-5})$	$(-3.552 \times 10^{-7}) \pm (1.861 \times 10^{-7})$

Table 4: Part B results

We can see that the $\chi^2_{reduced}$ is close to 1, and the P-probabilty is greater than 0.05, that means that the fit is good and we can use it as an acurate way to measure the voltage for different tempretures. furthermore, a_0 is close to 0 taking into consideration its 47.7% error.

Now we can intrapolate and extrapolate different values of the voltage for different tempretures. :

V_{room}	$V_{nitrogen}$
0.8162 ± 0.0312	-4.976 ± 1.7687

Table 5: Tempreture results

And performing the N_{σ} test on both voltages we get:

$N_{\sigma_{room}}$	$N_{\sigma_{nitrogen}}$
1.716	0.4715

Table 6: N-sigma test results

Again we get very good results, well within or error range for the value of V_{room} . furthermore, the value of $V_{nitrogen}$ is also within the error range of the theoretical value, according to the N_{σ} test.

It is appearnt that the polynimial fit described the data better than the linear fit, and that is expected.