

CS172 INFORMATION RETRIEVAL

Evaluation Topics Overview (Chapter 8)

- Will cover this topic in more depth later

Evaluating Ranking

- We examined various methods for ranking document, but how do we evaluate the ranking methods?
- Evaluation:
 - **Precision:** Fraction of returned documents that are relevant
 - **Recall:** Fraction of relevant documents that are returned
 - Efficiency

TREC

- The Text **REtrieval** Conference (**TREC**) is an ongoing series of workshops focusing on a list of different **information retrieval (IR)** research areas, or tracks.
- Publish datasets (documents and queries) with labeled ranking for each document-query pair
- Host competitions in Information Retrieval
 - That's how we got BM25 algorithm

Measuring Performance

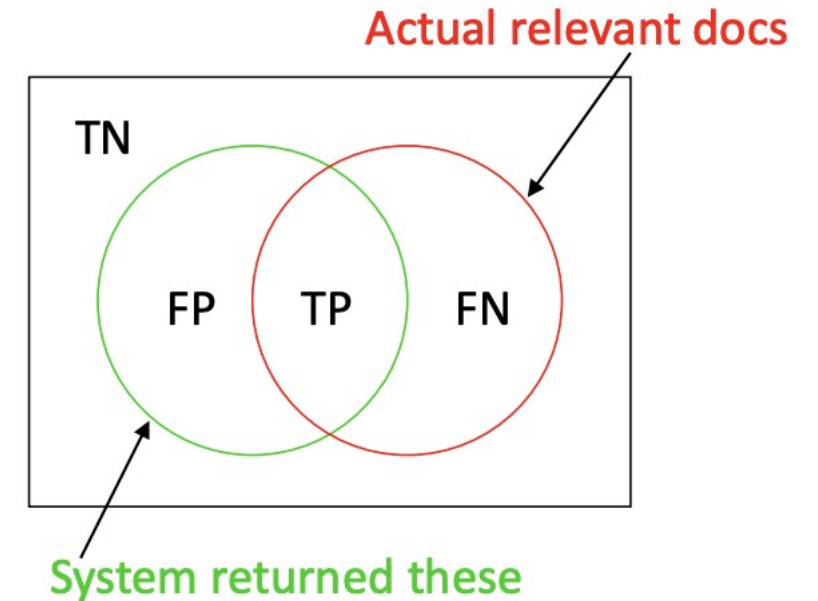
• Precision

- Proportion of retrieved set that are in fact relevant
- Institution: How much junk are you giving to the user?
- Computed as $\frac{TP}{TP+FP}$

• Recall

- Proportion of target items that are selected
- Institution: How much of the good stuff did we miss?
- Computed as $\frac{TP}{TP+FN}$

- **TN / True Negative:** case was negative and predicted negative
- **TP / True Positive:** case was positive and predicted positive
- **FN / False Negative:** case was positive but predicted negative
- **FP / False Positive:** case was negative but predicted positive

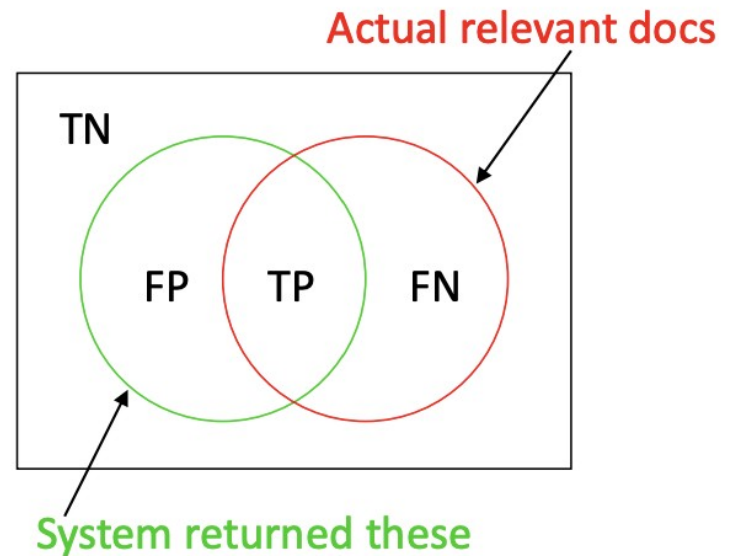


		Retrieved?	
		YES	NO
Relevant?	YES	TP	FN
	NO	FP	TN

Contingency table

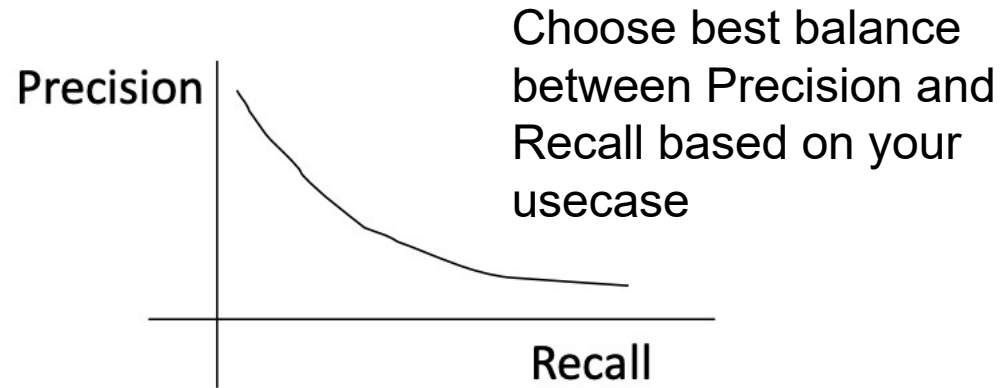
Why not accuracy?

- We can think of retrieval as 'classification' task
 - Hence consider accuracy as a measure
- Accuracy
 - Computed as $\frac{TP+TN}{N}$
- But in this case, Accuracy is meaningless
 - In IR, accuracy is 99.99% for any search algorithm
 - For any query, almost all documents are non-relevant
 - Often the best strategy is to retrieve nothing



Measuring Performance

- Trade-off
 - If you recall everything, then you are generate result that are not accurate, hence lowering precision.
 - If precision is high, obviously recall will be low.



What if we maximize Recall?

- unlikely user will keep browsing through each and every product ... they will jump to a different search engine

What if Precision is high?

- Too few results

Example Exercise

	Predicted Negative	Predicted Positive
Negative Cases	TN: 976	FP: 14
Positive Cases	FN: 4	TP: 6

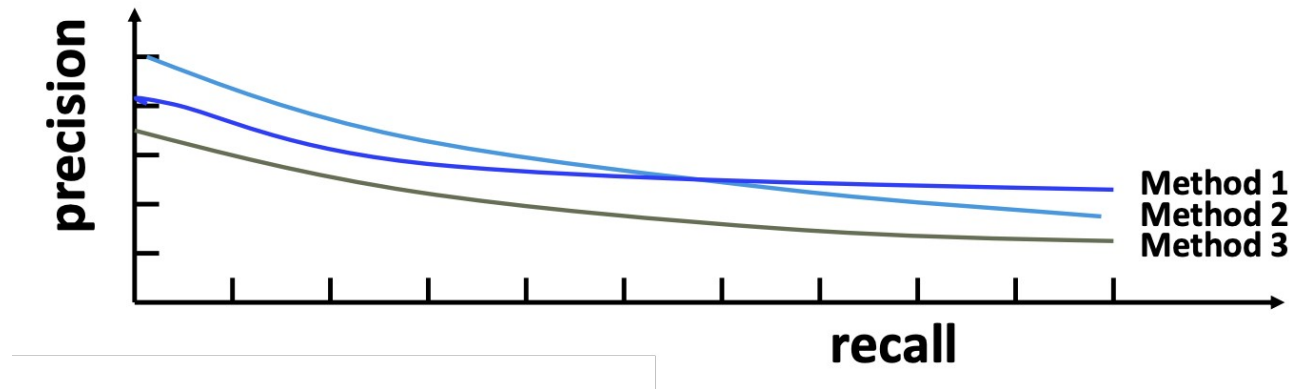
- What is the accuracy?
 - $(976+6)/1000 = 98.2\%$
- What is precision?
 - $6/20 = 30\%$
- What is recall?
 - $6/10 = 60\%$

Evaluation: TREC

- How do you evaluate information retrieval algorithms?
- Need prior relevance judgements
- TREC: Text Retrieval Competition
 - Given:
 - Documents
 - A set of queries: For each query, prior relevance judgements
 - Judgement:
 - For each query:
 - Documents are judged in isolation from other possibly relevant documents that have been shown
 - Mostly because the potential subsets of documents already shown can be exponential; too many relevance judgements
 - Rank the systems based on their precision recall on the corpus of queries
- In practice, search engine maintains logs to record click-through-rate
 - Will discuss in chapter 8

Precision-Recall Curves

- Assuming there are 3 methods and we are evaluating their retrieval effectiveness
- A large number of queries are used and their average precision-recall curve is plotted below



- Methods 1 and 2 are better than method 3
- Method 1 is better than method 2 for higher recalls

Combining Precision and Recall

- We consider a weighted summation of precision and recall into a single quantity
 - F-measure summarizes effectiveness in a single number
- What is the best way to combine?
 - Arithmetic mean
 - Will be affected more by values that are unusually large (outliers).
 - Ex. If recall is 1.0 and precision is 0, the arithmetic mean is 0.5
 - Harmonic mean
 - harmonic mean emphasizes the importance of small values
 - EX. If recall is 1.0 and precision is 0, the harmonic mean is close to 0

$$f_{\beta} = \frac{(\beta^2 + 1)pr}{\beta^2 p + r}$$

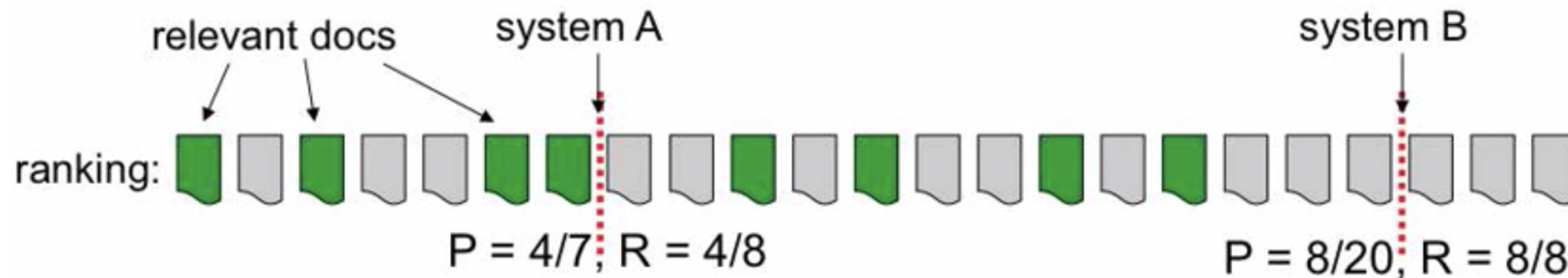
β – relative importance of recall and precision

$$\beta = 1, \text{ gives } f = \frac{2pr}{p+r}$$

Heavily penalizes small values of P and R

Comparing Recall/Precision

- Which of the following is a better system?
 - System A: Recall = 50%, Precision 57%, F1=53%
 - System B: Recall = 100%, Precision=40%, F1=57%
- Could be the same exact system!!!
 - Using different threshold settings
 - R/P, F1 comparisons can be meaningless
 - More informative to compare ranking against ranking













Recall / Precision and ranking











- Search engine produces a ranking, not a set
 - Can compute recall, precision at every rank



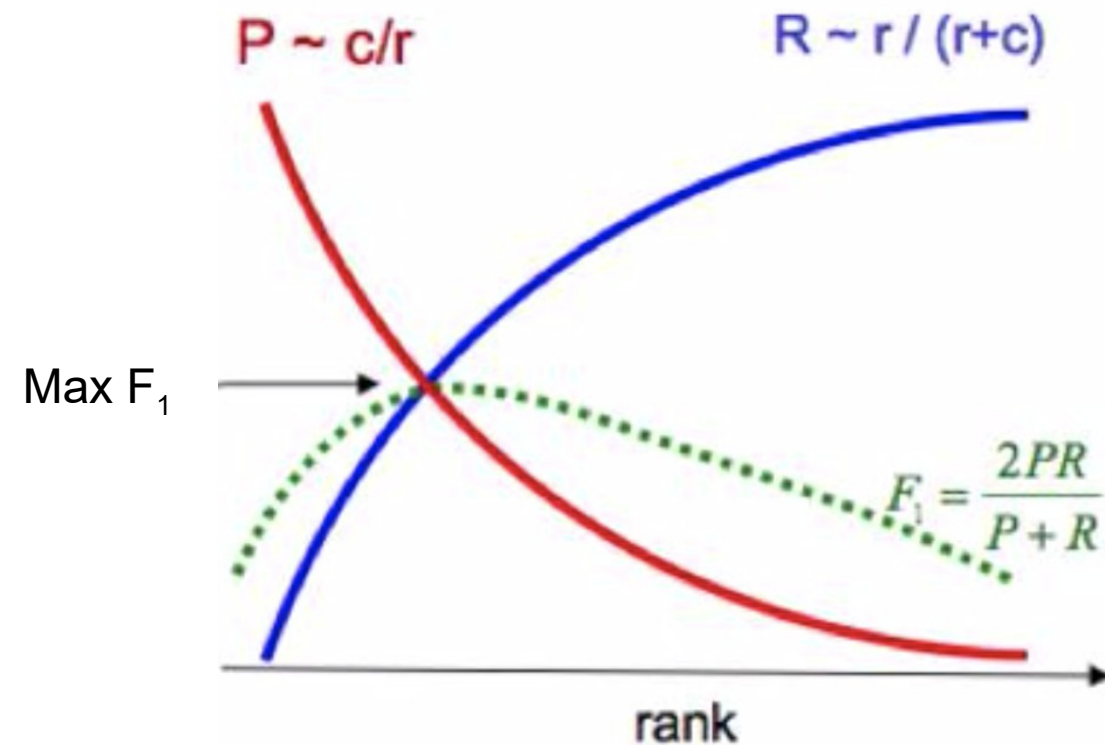
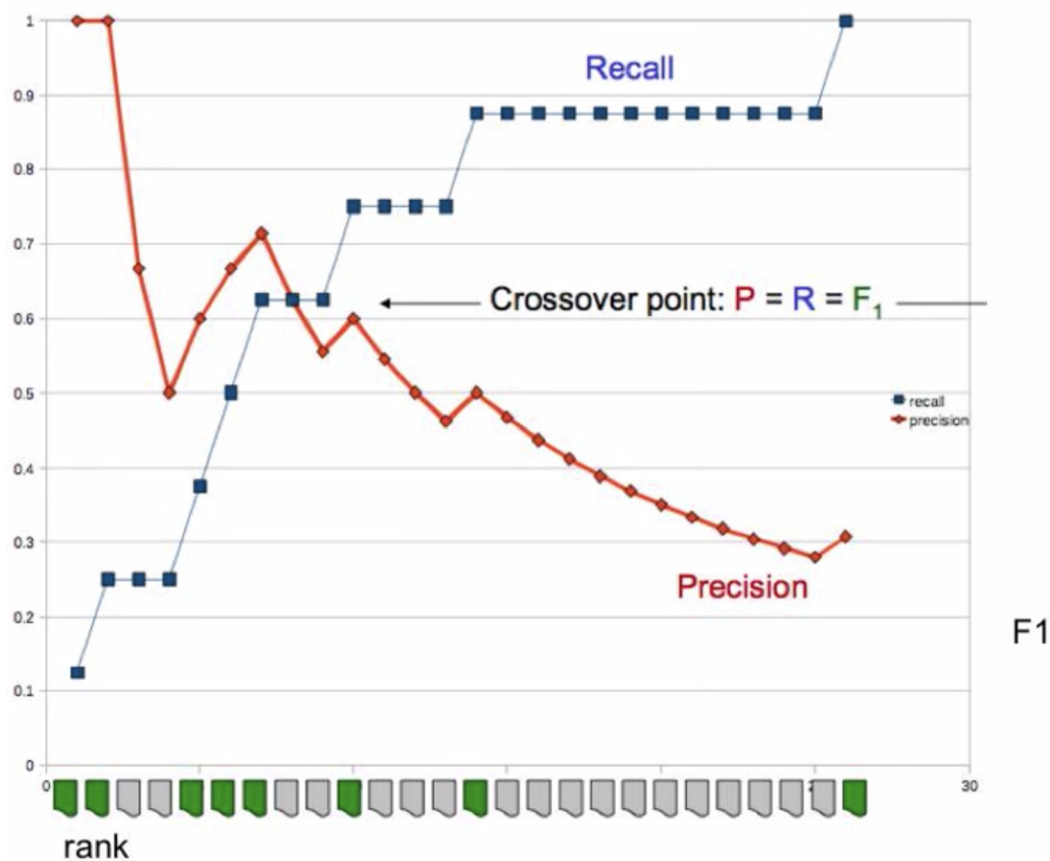
Ranking #1

										
Recall	0.17	0.17	0.33	0.5	0.67	0.83	0.83	0.83	0.83	1.0
Precision	1.0	0.5	0.67	0.75	0.8	0.83	0.71	0.63	0.56	0.6

Ranking #2

										
Recall	0.0	0.17	0.17	0.17	0.33	0.5	0.67	0.67	0.83	1.0
Precision	0.0	0.5	0.33	0.25	0.4	0.5	0.57	0.5	0.56	0.6

Recall / Precision and ranking (Cont.)



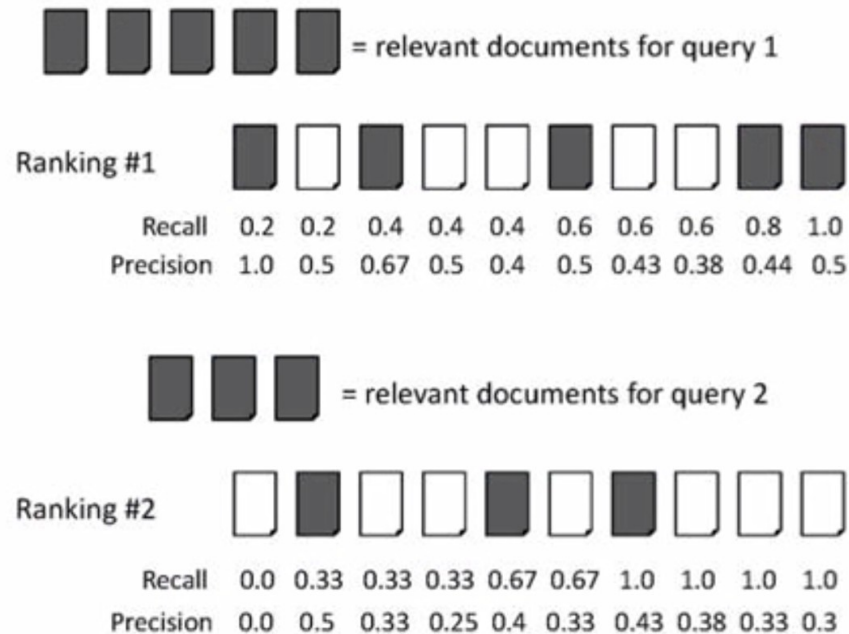
Mean Average Precision

- Sometimes need a single number metric
 - Comparing many systems, tuning parameters
- Mean Average Precision (MAP)
 - Most frequently used measure in research papers
 - Average precision values at ranks of relevant docs
 - Assumes user wants to find many relevant docs
 - Biased toward top of the ranking ($\text{rank1} = 2 * \text{rank2}$)
- Take the mean of AVE. P values across queries
- GMAP: geometric average go combine Ave. P.
 - Heavily penalized if any query has low performance

Takeaways

- Looks at the entire ranking (not just a fraction)
- Assigns higher weight for documents ranked higher (or first)

Mean Average Precision: Example



$$\text{average precision query 1} = (1.0 + 0.67 + 0.5 + 0.44 + 0.5)/5 = 0.62$$

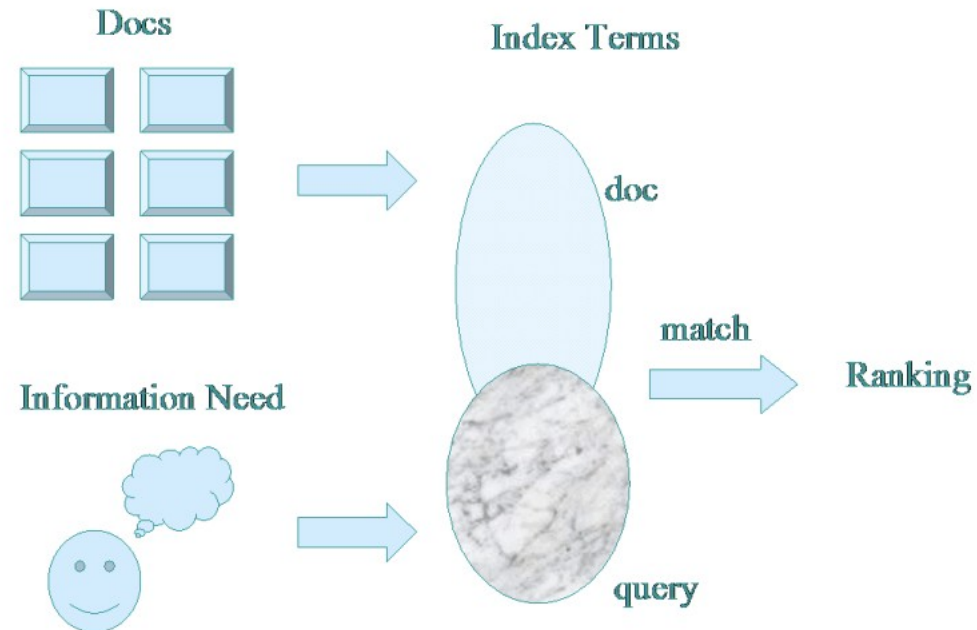
$$\text{average precision query 2} = (0.5 + 0.4 + 0.43)/3 = 0.44$$

$$\text{mean average precision} = (0.62 + 0.44)/2 = 0.53$$

Relevance: The most overloaded word in IR

- We want to rank and return documents that are relevant to the user's query
 - Easy if each document has a relevance number R
- What does relevance depend on?
 - The document d
 - The query q
 - The user u
 - The other documents already shown $\{d_1, d_2, \dots, d_k\}$

$$R(d \mid Q, U, \{d_1, d_2, \dots, d_k\})$$



How to compute relevance?

- Specify up front
 - Too hard—one for each query, user and shown results combination
- Learn
 - Active (utility elicitation)
 - Passive (learn from what the user does)
- Make up the users' mind
 - What you are “really” looking for is.. (used car sales people)
- Combination of the above
- Assume (impose) a relevance model
 - Based on “default” models of d and U .